

The ALPS Project

Open Source Software for
Strongly Correlated Systems

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for the ALPS collaboration

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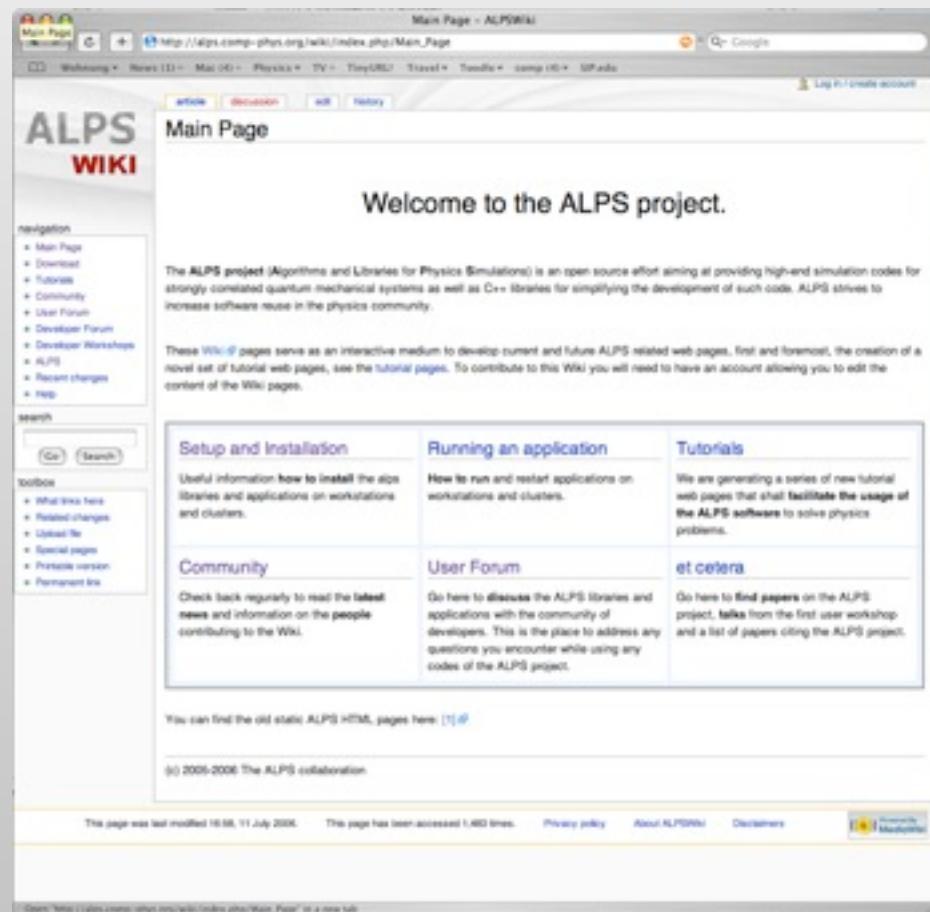
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The ALPS project

Algorithms and Libraries for Physics Simulations

- **open source** data formats, libraries and simulation codes for quantum lattice models
- download codes from website **<http://alps.comp-phys.org>**



The screenshot shows the main page of the ALPS Wiki at http://alps.comp-phys.org/wiki/index.php/Main_Page. The page title is "Main Page - ALPSWiki". The content area features a welcome message: "Welcome to the ALPS project." Below it, a paragraph describes the ALPS project as an open-source effort for quantum mechanical simulations and C++ libraries. The page is organized into several sections: "Setup and Installation", "Running an application", "Community", "User Forum", and "Tutorials". Each section contains descriptive text and links. On the left, there is a sidebar with navigation links like "Main Page", "Download", "Tutorials", and "Community", as well as a search bar and a toolbox. At the bottom, there is footer information including copyright details and links to privacy policy and disclaimers.

Simulation codes of quantum lattice models

- **The status quo**
 - individual codes
 - model-specific implementations
 - growing complexity of methods
- **ALPS**
 - community codes
 - generic implementations
 - simplified code development
 - common file formats

Key Technologies

Generic Programming in C++

- flexibility
- high-performance

Standard C++ Libraries

- fast development

XML / XSLT for Input/Output

- portability
- self-explanatory

MPI/OpenMP for Parallelization

Three tiers of ALPS

1. Standard data formats and interfaces to facilitate

- exchange, archiving and querying of simulation results
- exchange of simulation and analysis tools

2. Libraries

- to support standard data formats and interfaces
- to ease building of parallel simulation programs

3. Applications

- to be used also by non-experts
- implement modern algorithms for a large class of models

The ALPS project

Algorithms and **Libraries** for **Physics Simulations**

- The **simulation codes** include
 - Classical and Quantum Monte Carlo
 - Exact and Full Diagonalization
 - Density Matrix Renormalization Group (DMRG)
- **Motivation**
 - established algorithms
 - increased demand for reliable simulations from theorists and experimentalists

What is XML?

- eXtensible Markup Language
- We mix text with “tags” defining the function of the text
- Example: HTML

```
<HTML>
  <H1>Header</H1>
  <P>A paragraph .....
    ..... And below it an image</P>
    <IMG source="image.jpg"/>
</HTML>
```

Opening tag

Contents

An attribute

Tag ending with / is both opening and closing

Closing tag starts with /

Why use XML?

- Plain text file:

```
# first row parameters
10 0.5 10000 1000
# mean, error
-10.451 0.043
```

XML:

```
<PARAMETER name="L">10</PARAMETER>
<PARAMETER name="T">0.5</PARAMETER>
<PARAMETER name="SWEEPS">10000</PARAMETER>
<PARAMETER name="THERMALIZATION">1000</PARAMETER>
<AVERAGE name="Energy">
  <MEAN> -10.451 </MEAN>
  <ERROR> 0.043 </ERROR>
</AVERAGE>
```

- Which is easier to understand?
- Which is better machine-readable?
- Which one will you understand in a few years?

Why use XML?

- Extending the data format: let's add random number generator type and seed

- Plain text file:

```
# first row parameters
10 0.5 10000 1000 12
# random number generator
"Mersenne Twister"
# mean, error
-10.451 0.043
```

XML:

```
<PARAMETER name="L">10</PARAMETER>
<PARAMETER name="T">0.5</PARAMETER>
<PARAMETER name="SWEEPS">10000</PARAMETER>
<PARAMETER name="THERMALIZATION">1000
</PARAMETER>
```

```
<PARAMETER name="SEED">12</PARAMETER>
<RNG name="Mersenne Twister"/>
<AVERAGE name="Energy">
  <MEAN> -10.451 </MEAN>
  <ERROR> 0.043 </ERROR>
</AVERAGE>
```

- The change in the text file format might break your program
- The additional XML tag is no problem

Calculating π

- We calculated π

```
<RNG name="RanF" />  
  
<AVERAGE name="Pi">  
  <MEAN> 3.1566 </MEAN>  
  <ERROR> 0.0048 </ERROR>  
  <COUNT> 33554432 </COUNT>  
  
</AVERAGE>
```

- Now that we know that RanF is a bad generator we know which data to throw away

XSLT transformations

- But the XML file is ugly to look at ...
- No problem, it is meant only for the computer's eyes
- XSLT transforms (“stylesheets”) allow conversions into any format
 - Other XML
 - HTML
 - Plain text
- I'll show an example ...

Why use XML?

- Contents marked up with context
 - Reduces data rot
 - Increases portability of data
- Extensible
 - Can add new contents without breaking old programs
- XSLT
 - Can use “stylesheets” to display/convert contents into any other format
- ISO standard
 - Many tools available: editors, browsers, databases, ...

Simulations with ALPS

Lattice

```
<LATTICEGRAPH name = "square lattice">
  <FINITELATTICE>
    <LATTICE dimension="2"/>
    <EXTENT dimension="1" size="L"/>
    <EXTENT dimension="2" size="L"/>
    <BOUNDARY type="periodic"/>
  </FINITELATTICE>
  <UNITCELL>
    ...
  </UNITCELL>
</LATTICEGRAPH>
```

Model

```
<BASIS>
  <SITEBASIS name="spin">
    <PARAMETER name="S" default="1/2"/>
    <QUANTUMNUMBER name="Sz" min="-S" max="S"/>
  </SITEBASIS>
</BASIS>

<HAMILTONIAN name="spin">
  <BASIS ref="spin"/>
  <SITETERM> -h*Sz </SITETERM>
  <BONDTERM source="i" target="j">
    Jxy/2*(Splus(i)*Sminus(j)+Sminus(i)*Splus(j))
    + Jz*Sz(i)*Sz(j)
  </BONDTERM>
</HAMILTONIAN>
```

Parameters

```
LATTICE = "square lattice"
L = 100

MODEL = "spin"
Jxy = 1
Jz = 1
h = 0

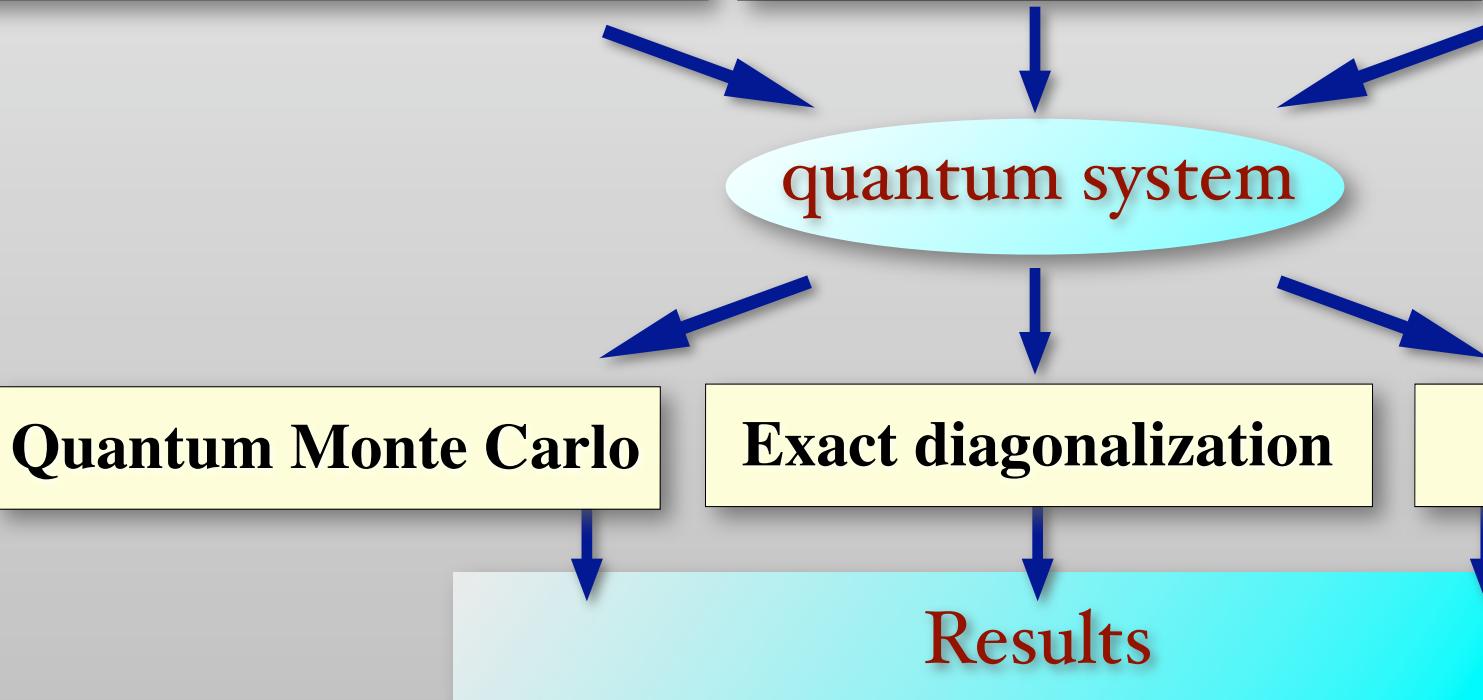
{ T = 0.1 }
{ T = 0.2 }
{ T = 0.5 }
{ T = 1.0 }
```

Quantum Monte Carlo

Exact diagonalization

DMRG

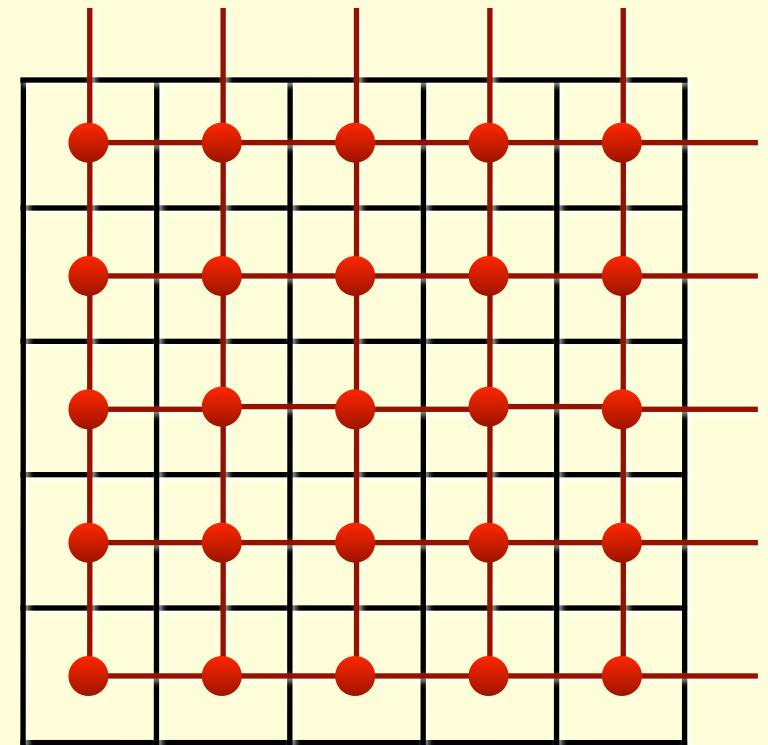
Results



The ALPS lattice library

A lattice

```
<LATTICEGRAPH name = "square lattice">
  <FINITELATTICE>
    <LATTICE dimension="2"/>
    <EXTENT dimension="1" size="L"/>
    <EXTENT dimension="2" size="L"/>
    <BOUNDARY type="periodic"/>
  </FINITELATTICE>
  <UNITCELL>
    <VERTEX/>
    <EDGE type="1">
      <SOURCE vertex="1" offset="0 0"/>
      <TARGET vertex="1" offset="0 1"/>
    </EDGE>
    <EDGE type="2">
      <SOURCE vertex="1" offset="0 0"/>
      <TARGET vertex="1" offset="1 0"/>
    </EDGE>
  </UNITCELL>
</LATTICEGRAPH>
```



The ALPS model library

A model

$$H_{XXZ} = \frac{J_{xz}}{2} \sum_{\langle i,j \rangle} (S_i^+ S_j^- + S_i^- S_j^+) + J_z \sum_{\langle i,j \rangle} S_i^z S_j^z - h \sum_i S_i^z$$

```
<BASIS>
  <SITEBASIS name="spin">
    <PARAMETER name="S" default="1/2"/>
    <QUANTUMNUMBER name="Sz" min="-S" max="S"/>
  </SITEBASIS>
</BASIS>

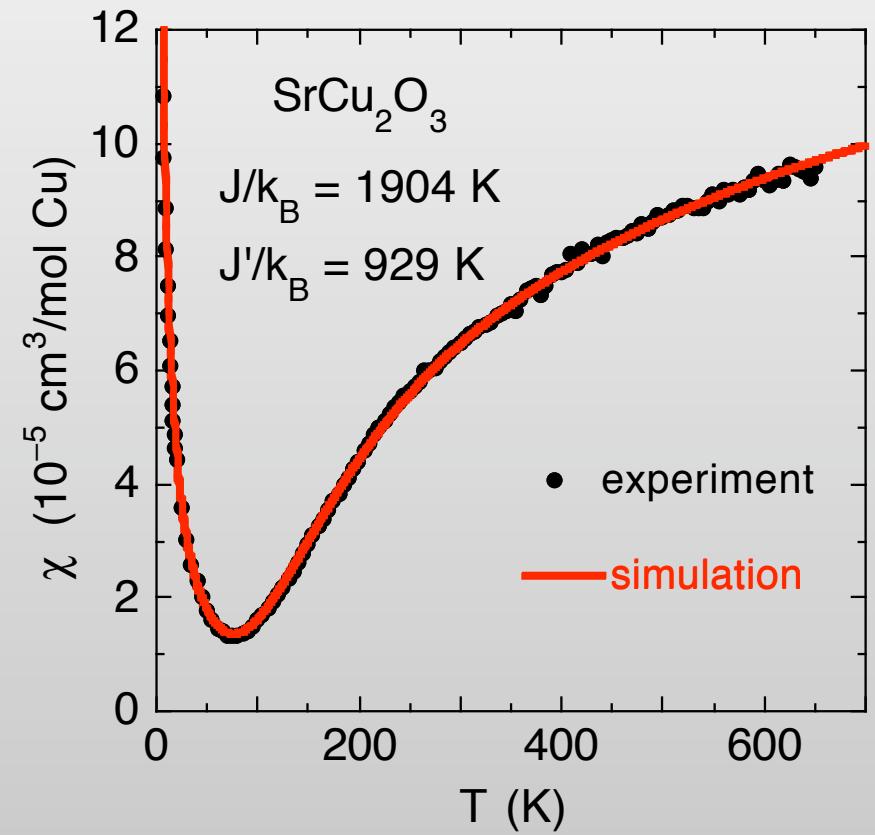
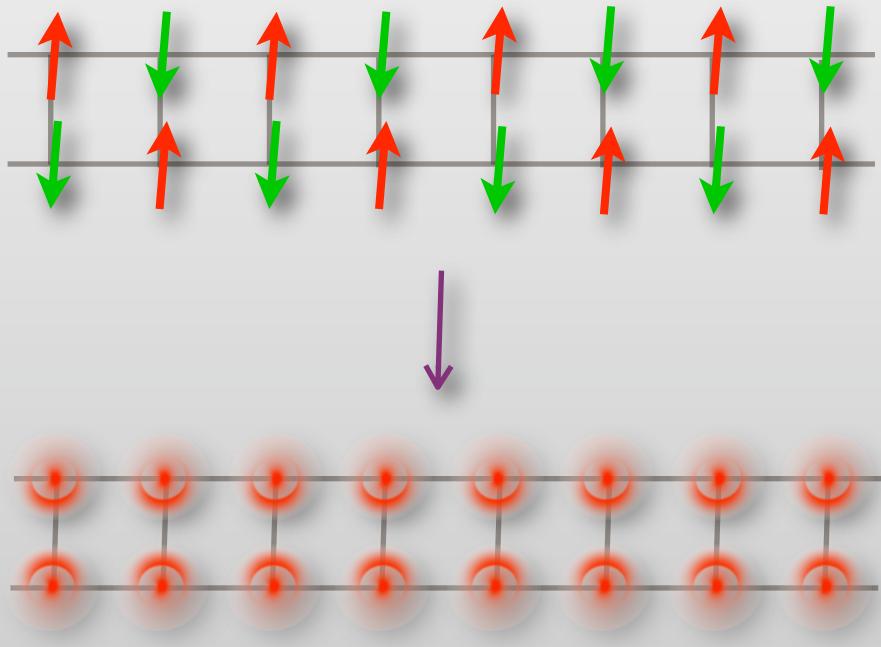
<OPERATOR name="Splus" matrixelement="sqrt(S*(S+1)-Sz*(Sz+1))">
  <CHANGE quantumnumber="Sz" change="1"/>
</OPERATOR>
<OPERATOR name="Sminus" matrixelement="sqrt(S*(S+1)-Sz*(Sz-1))">
  <CHANGE quantumnumber="Sz" change="-1"/>
</OPERATOR>
<OPERATOR name="Sz" matrixelement="Sz"/>

<HAMILTONIAN name="spin">
  <BASIS ref="spin"/>
  <SITETERM> -h*Sz </SITETERM>
  <BONDTERM source="i" target="j">
    Jxy/2*(Splus(i)*Sminus(j)+Sminus(i)*Splus(j))+ Jz*Sz(i)*Sz(j)
  </BONDTERM>
</HAMILTONIAN>
```

Current applications

- **Classical Monte Carlo**
 - local and cluster updates for classical spin systems, M. Troyer
- **Quantum Monte Carlo**
 - stochastic series expansions (SSE), F. Alet, L. Pollet, M. Troyer
 - loop code for spin systems, S. Todo
 - continuous time worm code, S. Trebst, M. Troyer
 - extended ensemble simulations, S. Wessel, N. Stoop
- **Exact diagonalization**
 - full and sparse, A. Honecker, A. Läuchli, M. Troyer
- **DMRG**
 - single particle, S. Manmana, R. Noack, I. McCulloch
 - interacting particles, A. Feiguin

Quantum spin ladders

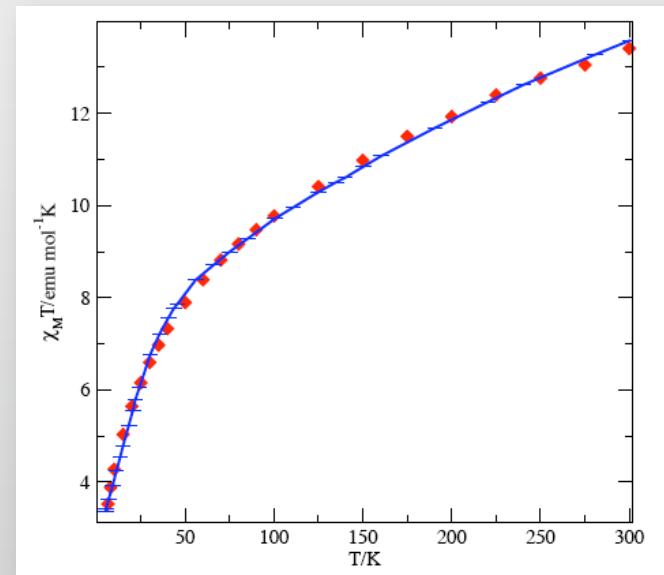
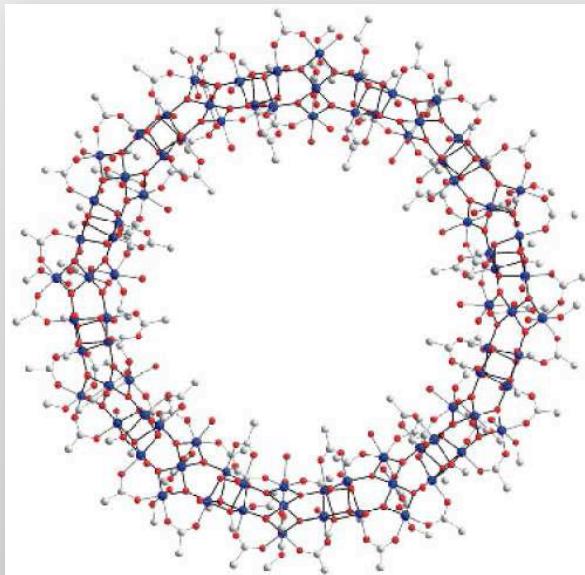


→ compare microscopic models to experiments

Mn-84 molecules

Vassilis Tangoulis, in preparation

- How can we microscopically model interactions in Mn-84?



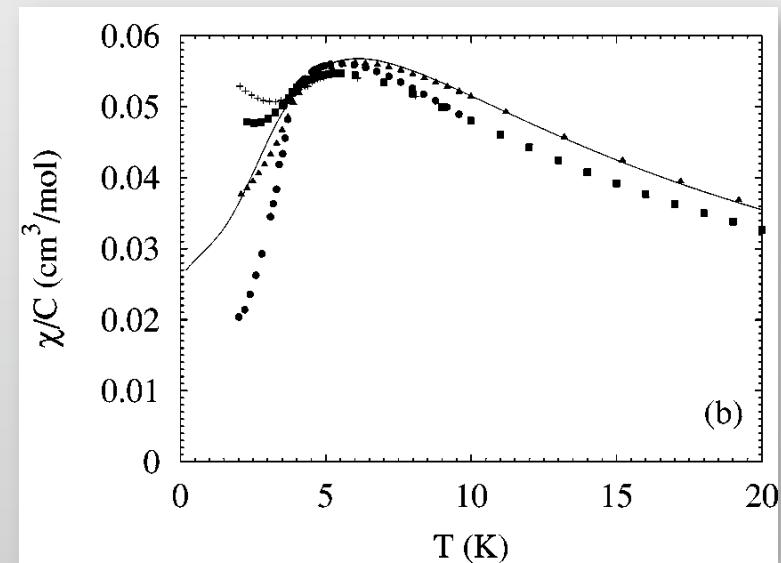
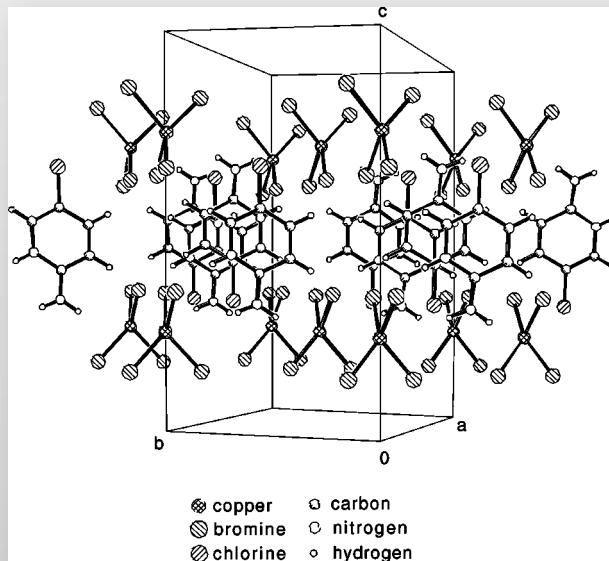
ALPS MC codes

Numerical evaluation of susceptibility for full molecule:
Fit of magnetic interaction strength.

Low-dimensional quantum magnets

C.P. Landee et al., Phys. Rev. B **65**, 144412 (2002)

- How to characterize newly synthesized materials?



ALPS QMC codes

Numerical evaluation of susceptibility for 2D QHAF:
Fit of magnetic interaction strength.