

Machine learning for materials discovery: **catalysts**, grain boundaries, superlattices and RNAs

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Open Postdoc Positions !

Discovery of new functional molecules and materials is of national importance



The screenshot shows the official website of the Materials Genome Initiative, hosted by the White House. The header features the White House logo and navigation links for various sections. The main content area includes a search bar and a list of links related to the initiative. A large quote from President Obama is displayed on the left, and a photograph of him in a factory setting is on the right.

the WHITE HOUSE PRESIDENT BARACK OBAMA

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★★★★★

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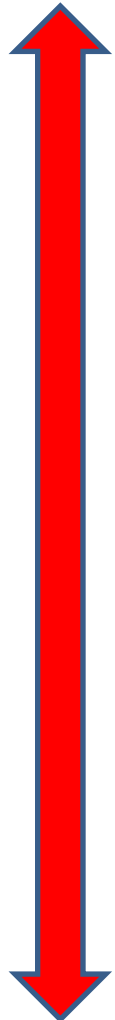
To help businesses discover, develop, and deploy new materials twice as fast, we're launching what we call the Materials Genome Initiative. The invention of silicon circuits and lithium-ion batteries made computers and iPods and iPads possible -- but it took years to get those technologies from the drawing board to the marketplace. We can do it faster.

— President Obama, June 2011 at Carnegie Mellon University



First Principles Calculations

Accurate, Slow



- Full configuration interaction
- Wave function based
- Density functional theory
- Semi-empirical
- Empirical potentials

Inaccurate, Fast

Talk Agenda:

From Prediction to Automatic Design

- Prediction of d-band center of bimetals (Takigawa et al., RSC Advances, 2016)
- Automatic Design by Bayesian Optimization
 - Optimization of grain boundary (Kiyohara et al., JJAP, 2016)
 - Design of Si-Ge nanostructures (Ju et al., in submission)
 - COMBO: Fast python library for Bayesian opt. (Ueno et al., Mater. Discov., 2016)
- Automatic Design by Monte Carlo Tree Search
 - Designing optimal RNA sequences (Yang et al., in submission)

Prediction of d-band center

- Catalytic bimetals: **host** and **guest** metals
 - Doped in the surface
 - Surface monolayer
- Binding between a metal surface and an adsorbate depends on the electronic structure of the metal
- D-band center = key indicator of catalytic activity

D-band center (Doped)

B. Hammer and J. K. Nørskov, Adv. Catal., 2000

$M_g \backslash M_h$	Fe	Co	Ni	Cu	Ru	Rh	Pd	Ag	Ir	Pt	Au
Fe	-0.92	-0.87	-1.12	-1.05	-1.21	-1.46	-2.16	-1.75	-1.28	-2.01	-2.34
Co	-1.16	-1.17	-1.45	-1.33	-1.41	-1.75	-2.54	-2.08	-1.53	-2.36	-2.73
Ni	-1.20	-1.10	-1.29	-1.10	-1.43	-1.60	-2.26	-1.82	-1.43	-2.09	-2.42
Cu	-2.11	-2.07	-2.40	-2.67	-2.09	-2.35	-3.31	-3.37	-2.09	-3.00	-3.76
Ru	-1.20	-1.15	-1.40	-1.29	-1.41	-1.58	-2.23	-1.68	-1.39	-2.03	-2.25
Rh	-1.49	-1.39	-1.57	-1.29	-1.69	-1.73	-2.27	-1.66	-1.56	-2.08	-2.22
Pd	-1.46	-1.29	-1.33	-0.89	-1.59	-1.47	-1.83	-1.24	-1.30	-1.64	-1.66
Ag	-3.58	-3.46	-3.63	-3.83	-3.46	-3.44	-4.16	-4.30	-3.16	-3.80	-4.45
Ir	-1.90	-1.84	-2.06	-1.90	-2.02	-2.26	-2.84	-2.24	-2.11	-2.67	-2.85
Pt	-1.92	-1.77	-1.85	-1.53	-2.11	-2.02	-2.42	-1.81	-1.87	-2.25	-2.30
Au	-2.93	-2.79	-2.93	-3.01	-2.86	-2.81	-3.39	-3.35	-2.58	-3.10	-3.56

D-band center (Monolayer)

B. Hammer and J. K. Nørskov, Adv. Catal., 2000

$M_g \backslash M_h$	Fe	Co	Ni	Cu	Ru	Rh	Pd	Ag	Ir	Pt	Au
Fe	-0.92	-0.78	-0.96	-0.97	-1.65	-1.64	-2.24	-2.17	-1.87	-2.40	-3.11
Co	-1.18	-1.17	-1.37	-1.23	-1.87	-2.12	-2.82	-2.53	-2.26	-3.06	-3.56
Ni	-0.33	-1.18	-1.29	-1.17	-1.92	-2.03	-2.61	-2.43	-2.15	-2.82	-3.39
Cu	-2.42	-2.29	-2.49	-2.67	-2.89	-2.94	-3.71	-3.88	-2.99	-3.82	-4.63
Ru	-1.11	-1.04	-1.12	-1.11	-1.41	-1.53	-1.88	-1.81	-1.54	-2.02	-2.27
Rh	-1.42	-1.32	-1.39	-1.51	-1.70	-1.73	-2.12	-1.81	-1.70	-2.18	-2.30
Pd	-1.47	-1.29	-1.29	-1.03	-1.94	-1.58	-1.83	-1.68	-1.52	-1.79	-1.97
Ag	-3.75	-3.56	-3.62	-3.68	-3.80	-3.63	-4.03	-4.30	-3.50	-3.93	-4.51
Ir	-1.78	-1.71	-1.78	-1.55	-2.12	-2.14	-2.53	-2.20	-2.11	-2.60	-2.70
Pt	-1.90	-1.72	-1.71	-1.47	-2.13	-2.01	-2.23	-2.06	-1.96	-2.25	-2.33
Au	-3.03	-2.82	-2.85	-2.86	-3.09	-2.89	-3.21	-3.44	-2.77	-3.13	-3.56

Machine Learning

- Randomly partition d-band centers into training / test sets

Guest metals

Host metals		Fe	Co	Ni	Cu	Ru	Rh	Pd	Ag	Ir	Pt	Au
	Fe	-0.92	-0.87	?	-1.05	?	?	-2.16	-1.75	-1.28	-2.01	?
	Co	-1.16	?	-1.45	-1.33	?	?	?	?	-1.53	?	-2.73
	Ni	?	-1.1	?	-1.1	-1.43	-1.6	-2.26	-1.82	-1.43	-2.09	-2.42
	Cu	?	-2.07	-2.4	?	?	?	-3.31	-3.37	?	-3	?
	Ru	?	?	?	-1.29	?	-1.58	?	?	-1.39	-2.03	-2.25
	Rh	?	?	?	?	?	-1.73	-2.27	-1.66	?	-2.08	-2.22
	Pd	?	-1.29	?	-0.89	-1.59	-1.47	?	-1.24	?	?	?
	Ag	-3.58	?	-3.63	-3.83	?	?	?	?	?	?	?
	Ir	-1.9	?	-2.06	-1.9	?	?	?	-2.24	?	-2.67	?
	Pt	-1.92	-1.77	?	?	-2.11	?	-2.42	-1.81	-1.87	-2.25	?
	Au	?	?	?	?	?	-2.81	?	-3.35	-2.58	?	-3.56

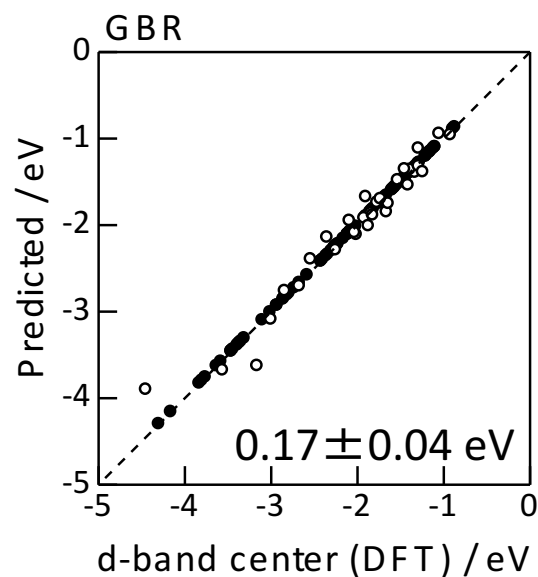
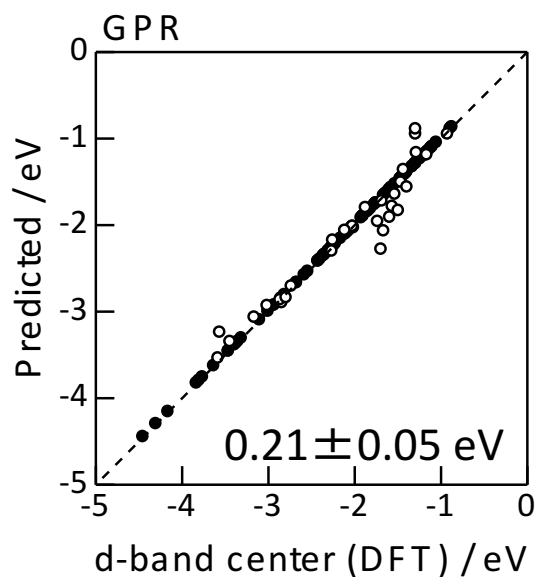
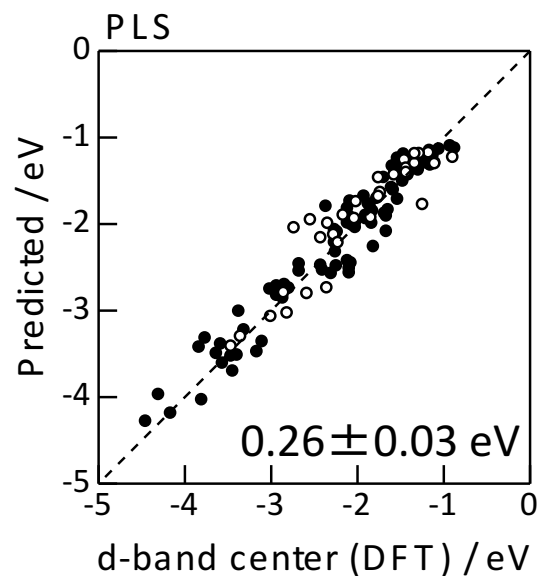
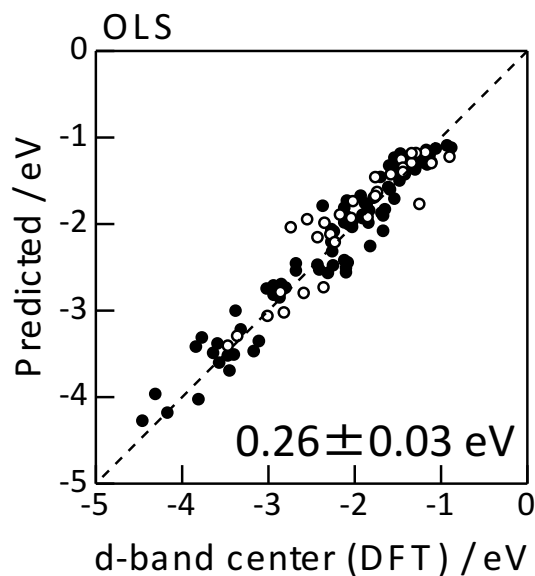
Descriptors (Host & Guest)

- Group (G)
- Bulk Wigner-Seitz radius (R) in Å
- Atomic number (AN)
- Atomic mass (AM) in g mol^{-1}
- Period (P)
- Electronegativity (EN)
- Ionization energy (IE) in eV
- Enthalpy of fusion ($\Delta_{\text{fus}}H$) in J g^{-1}
- Density at 25 C (ρ) in g cm^{-3}

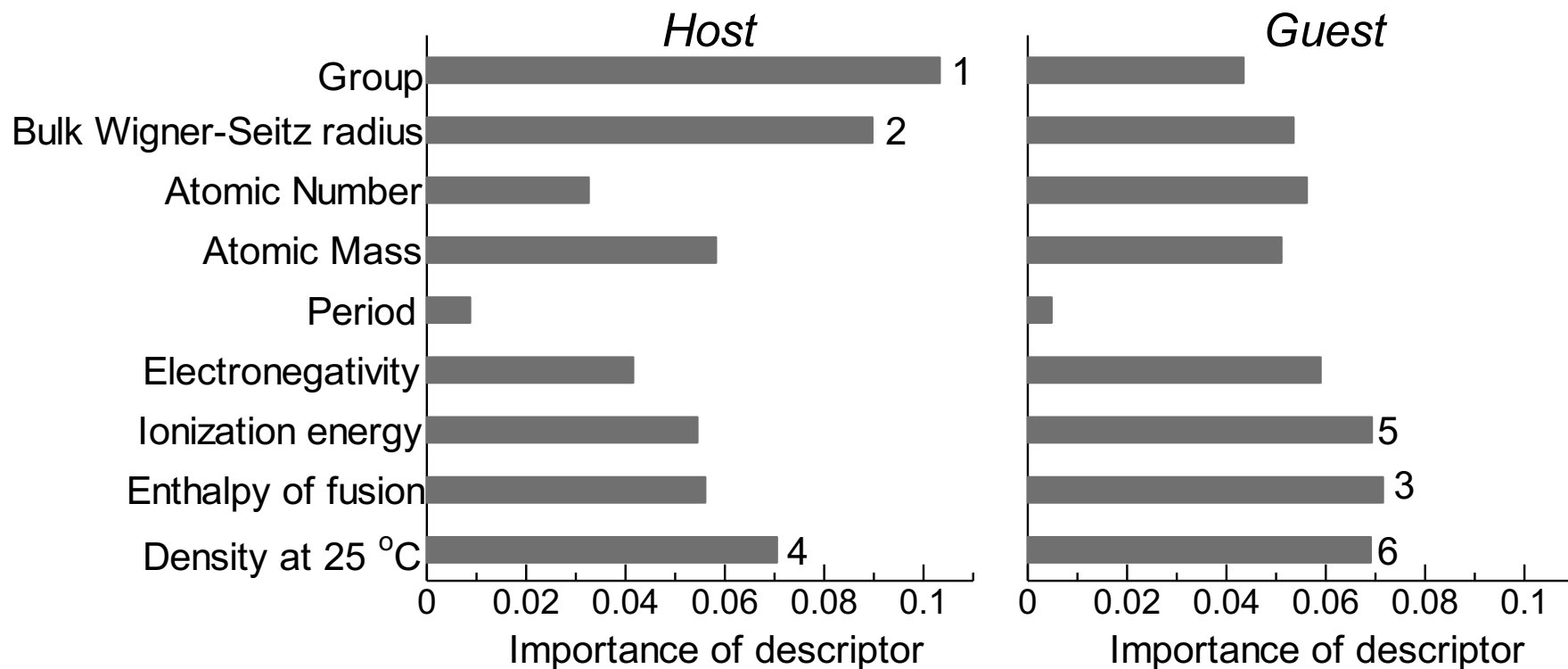
Methods Used

Abbreviation	Method	Tuning parameters [tested range]
Linear Methods		
OLS	Ordinary least squares regression	(No tuning parameters)
PLS	Partial least squares regression	n_components $\in [1, 2, \dots, \# \text{ of vars}]$
Nonlinear Methods		
GPR	Gaussian process regression	theta0 $\in [1.0, 10^{-1}, 10^{-2}, 10^{-3}, 10^{-4}, 10^{-5}]$
GBR	Gradient boosting regression	learning_rate $\in [1.0, 10^{-1}, 10^{-2}, 10^{-3}, 10^{-4}, 10^{-5}]$ max_depth $\in [4, 6, 8, 10]$ n_estimators $\in [100, 250, 500]$

'Doped' Averaged 100 Times (25% hidden)

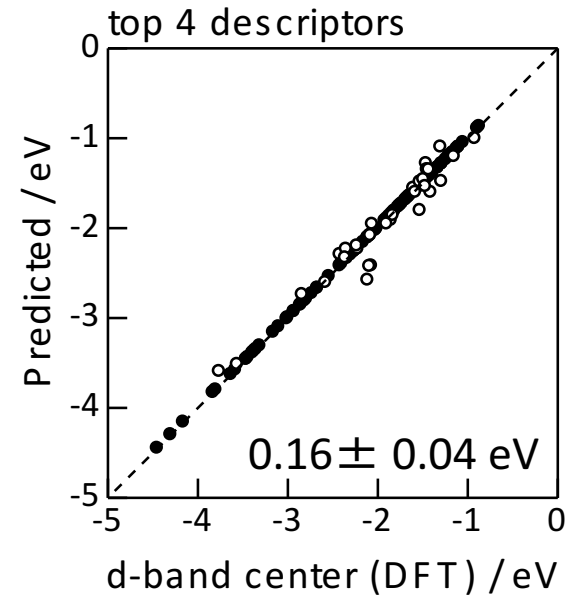
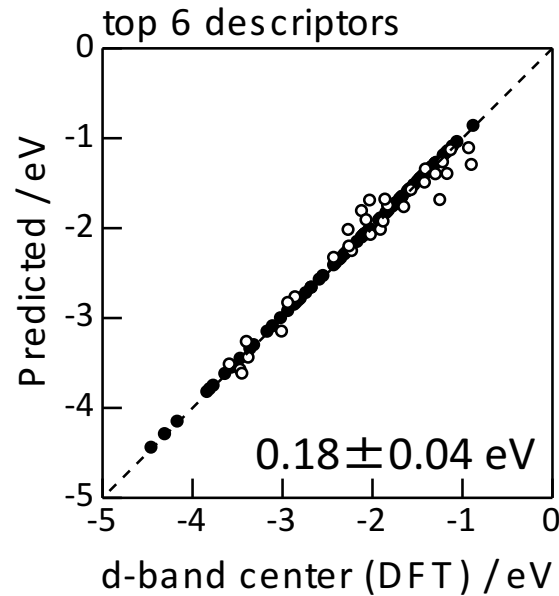
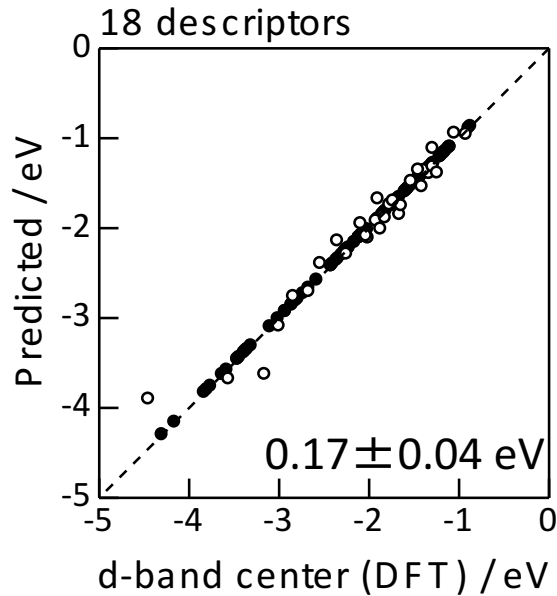


Variable Importance in Gradient Boosting Regression



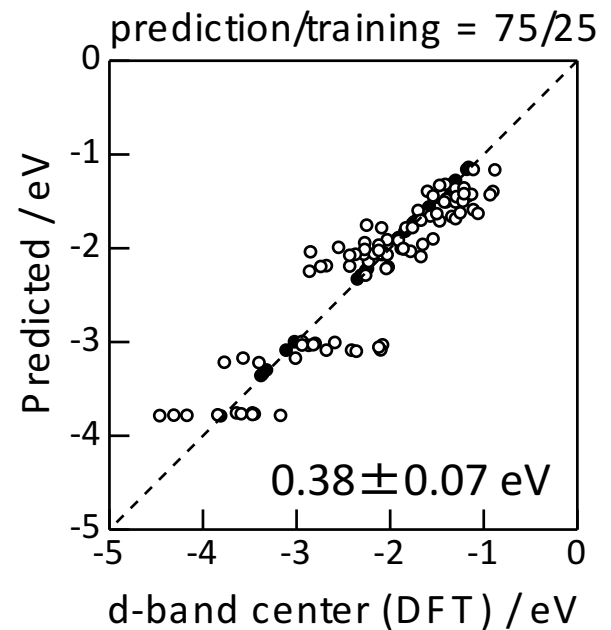
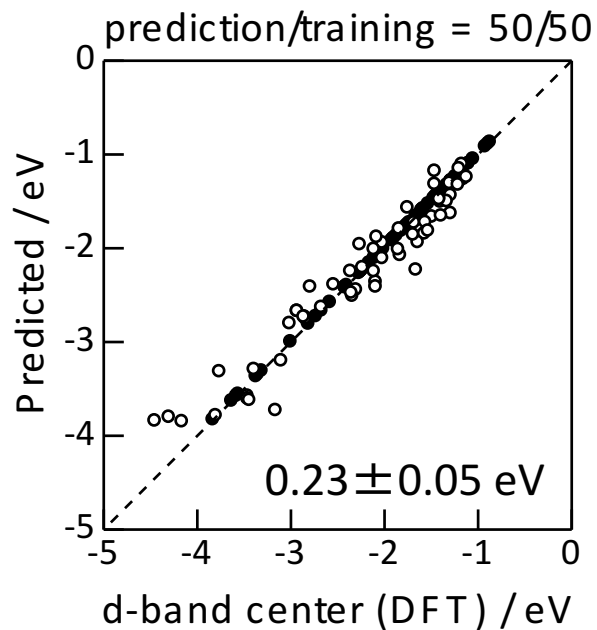
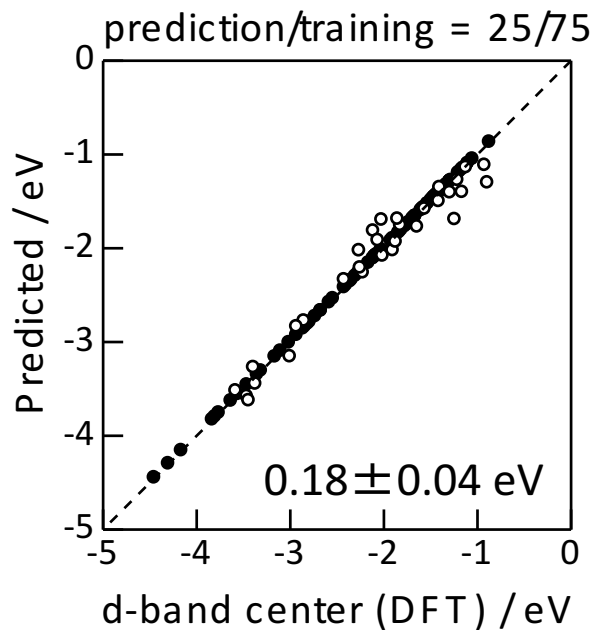
Using Top Descriptors Only

‘Doped’ Averaged 100 Times (25% hidden)



Changing Train/Test Fraction

‘Doped’ averaged 100 Times w/ selected 6 descriptors





NEWS

Machine-learning accelerates catalytic trend spotting

BY ANNA MEEHAN | 9 JUNE 2016



Example of what you can gain when 'people from different disciplines start looking at the same problems'

Researchers in Japan have used a machine-learning method to cut the time it takes to predict the catalytic potential of different metals.

Binding between a metal surface and an adsorbate mainly depends on the electronic structure of the metal. More energy at centre of the metal's d-band creates a stronger bond between its surface and the adsorbate. Based on this theory, scientists have long regarded a value called the d-band centre as a key indicator of a metal's catalytic activity.





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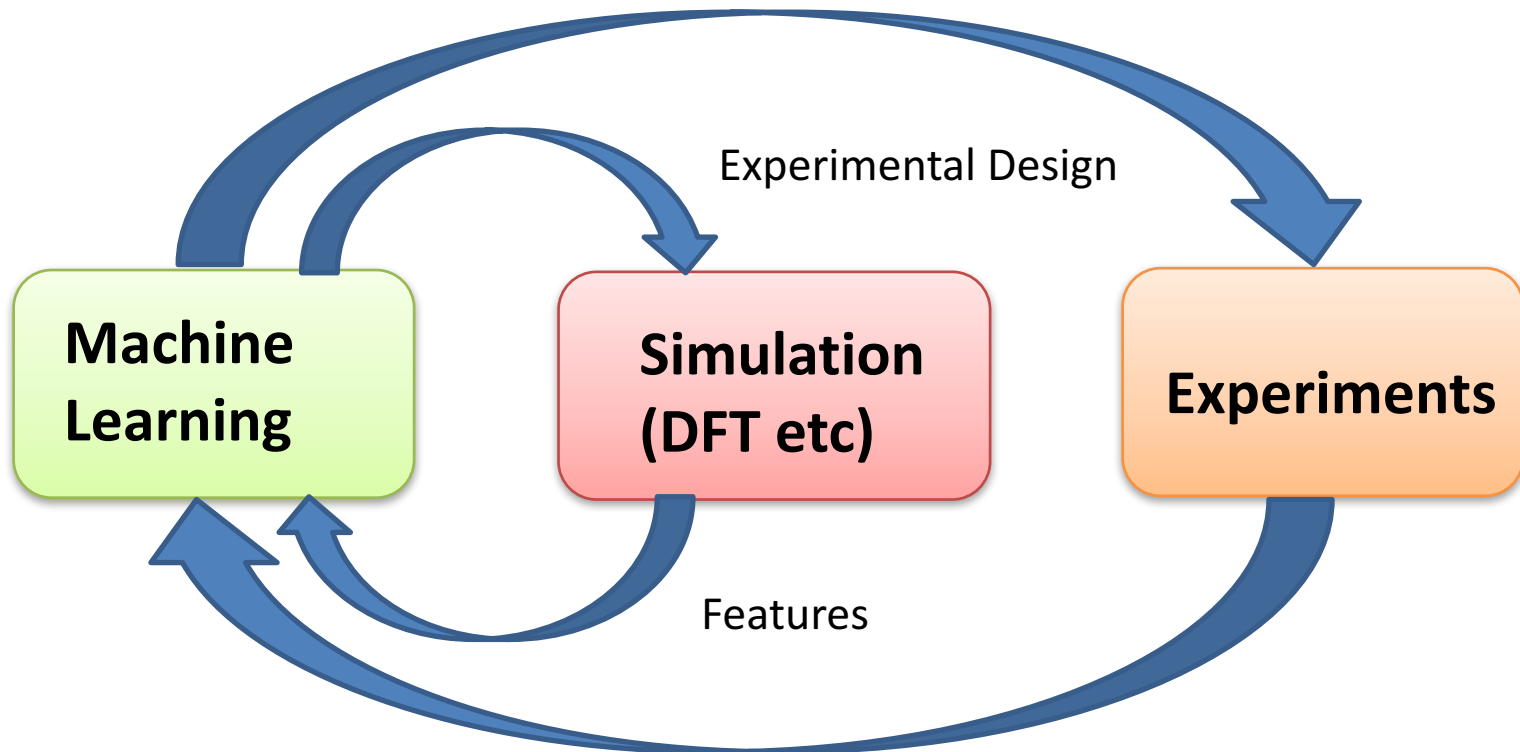


World's first commercial MOF keeps fruit fresh



Nucleic acid instability challenges RNA world hypothesis

Automatic Design by Machine Learning



Screening by first principles calculations alone

Mat. 1	Mat. 2	Mat. 3	Mat. 4	Mat. 5	Mat. 6	Mat. 7	Mat. 8	Mat. 9	Mat. 10
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First Principles Calc.



Score 1	Score 2	Score 3	Score 4	Score 5	Score 6	Score 7	Score 8	Score 9	Score 10
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Bayesian Optimization

(Jones et al., 1998)

- Find best data points with minimum number of observations
- Choose next point to observe to discover the best ones as early as possible

Bayesian Optimization (1)

Mat. 1	Mat. 2	Mat. 3	Mat. 4	Mat. 5	Mat. 6	Mat. 7	Mat. 8	Mat. 9	Mat. 10
-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	------------



First Principles Calc.



Score 1	Score 2	Score 3
------------	------------	------------

Bayesian Optimization (2)

Mat. 1	Mat. 2	Mat. 3	Mat. 4	Mat. 5	Mat. 6	Mat. 7	Mat. 8	Mat. 9	Mat. 10
-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	------------



First Principles Calc.



Predicted Scores									
Score 1	Score 2	Score 3	Pred. Score 4	Pred. Score 5	Pred. Score 6	Pred. Score 7	Pred. Score 8	Pred. Score 9	Pred. Score 10

Var. 4	Var. 5	Var. 6	Var. 7	Var. 8	Var. 9	Var. 10
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Predicted Variances

Bayesian Optimization (3)

Mat. 1	Mat. 2	Mat. 3	Mat. 8	Mat. 4	Mat. 5	Mat. 6	Mat. 7	Mat. 9	Mat. 10
-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	------------



First Principles Calc.



Score 1	Score 2	Score 3	Score 8
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Bayesian Optimization (4)

Mat. 1	Mat. 2	Mat. 3	Mat. 8	Mat. 4	Mat. 5	Mat. 6	Mat. 7	Mat. 9	Mat. 10
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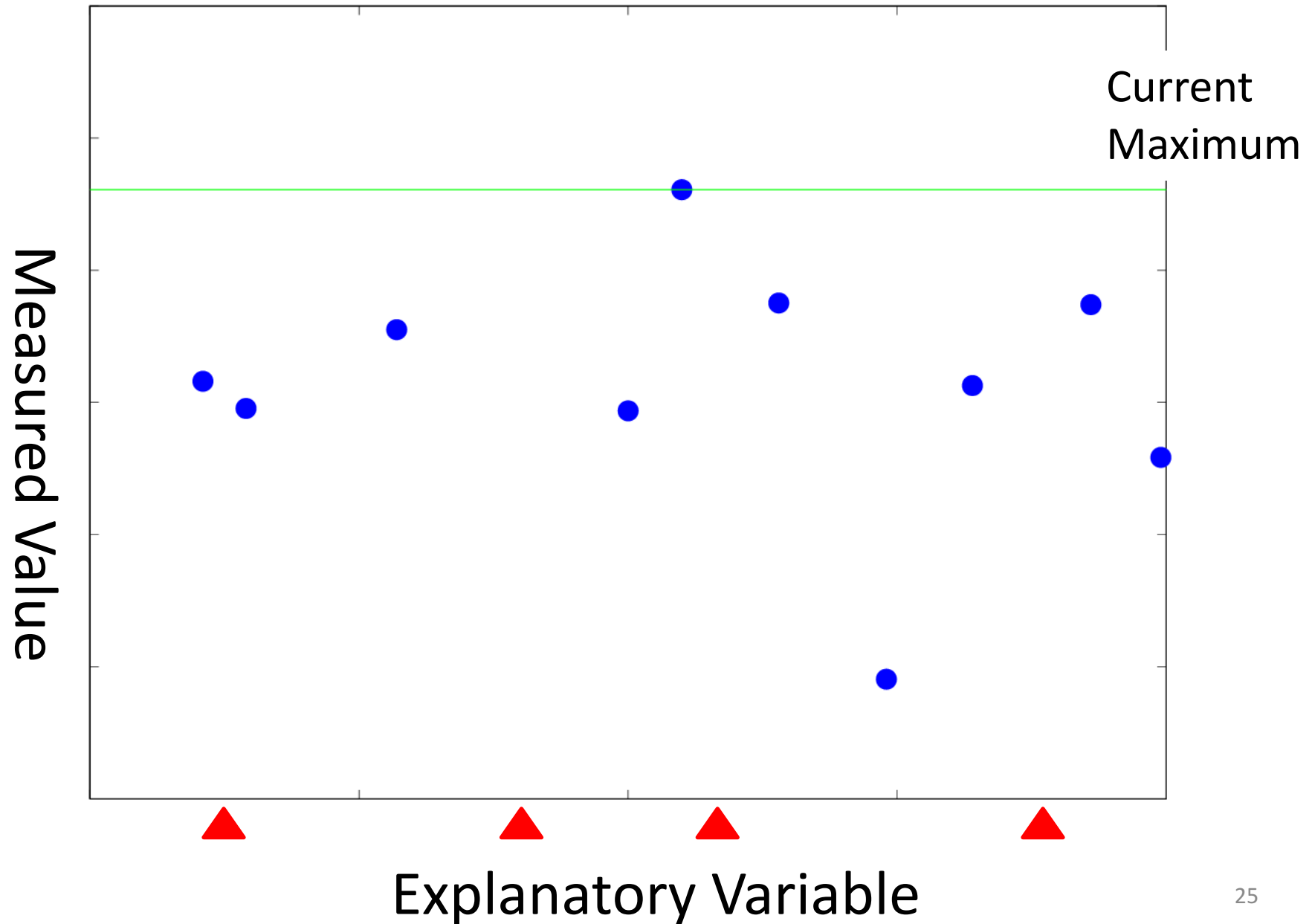


First Principles Calc.

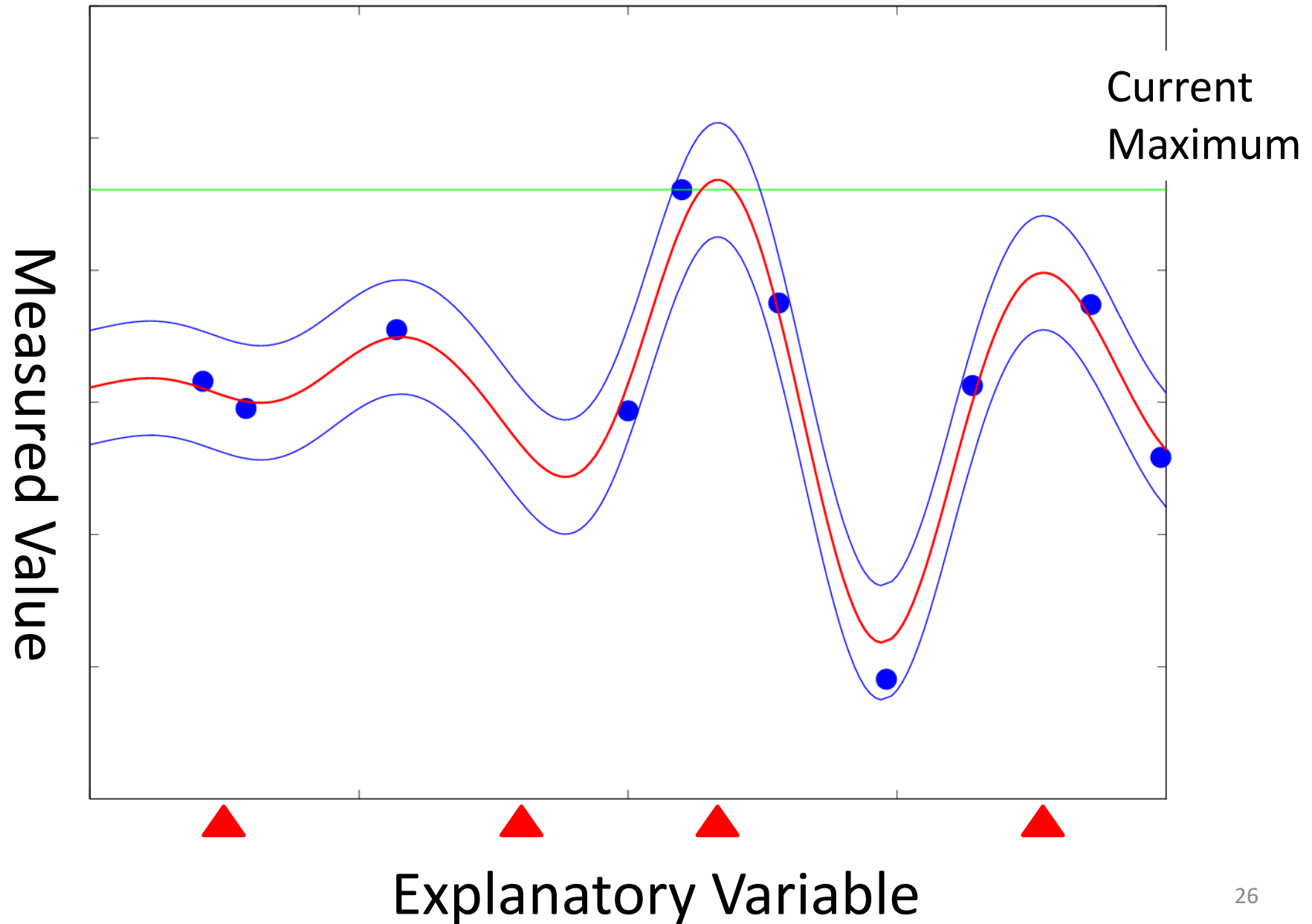


Score 1	Score 2	Score 3	Score 8	Pred. Score 4	Pred. Score 5	Pred. Score 6	Pred. Score 7	Pred. Score 9	Pred. Score 10
				Var. 4	Var. 5	Var. 6	Var. 7	Var. 9	Var. 10

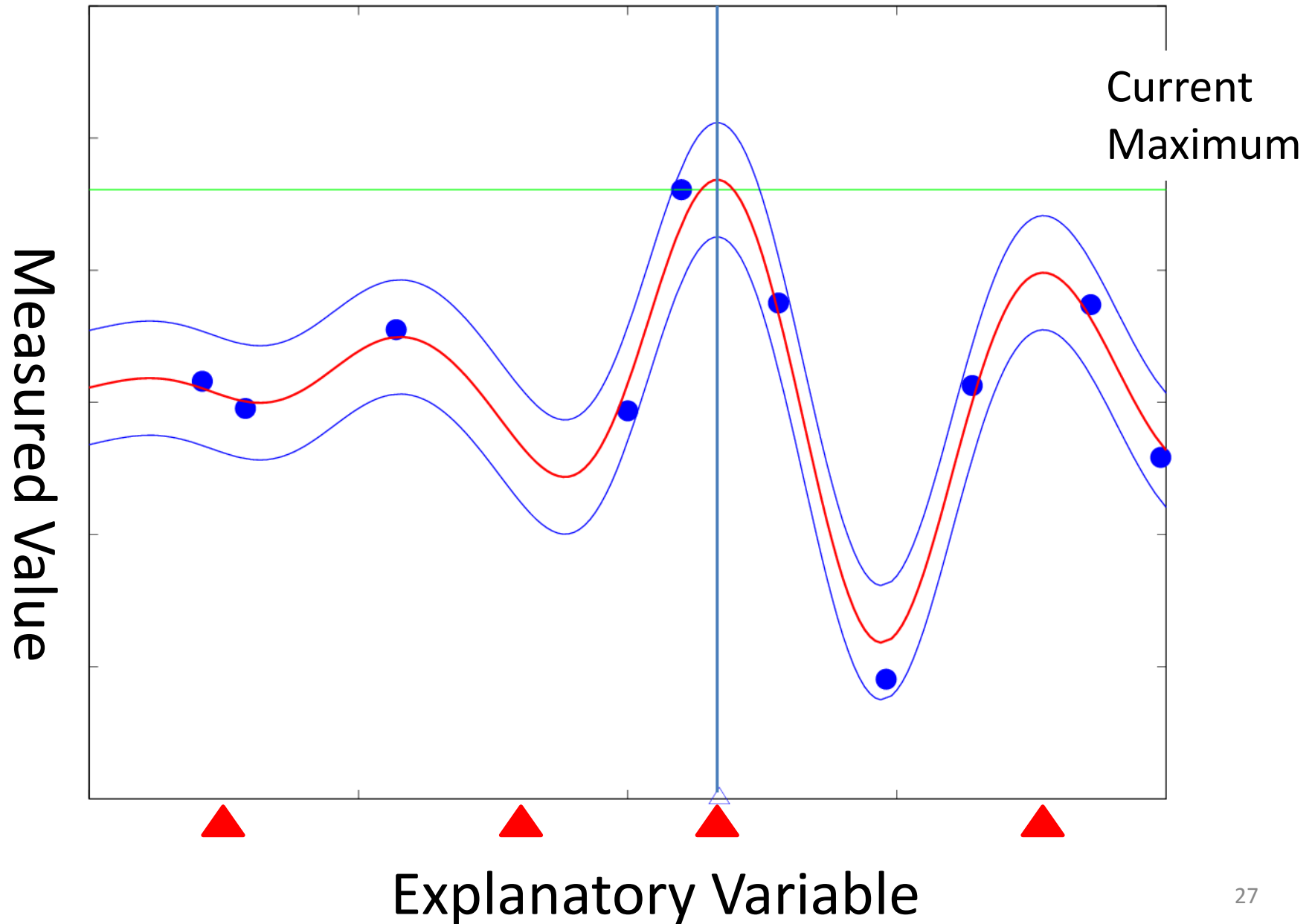
Where to observe next?



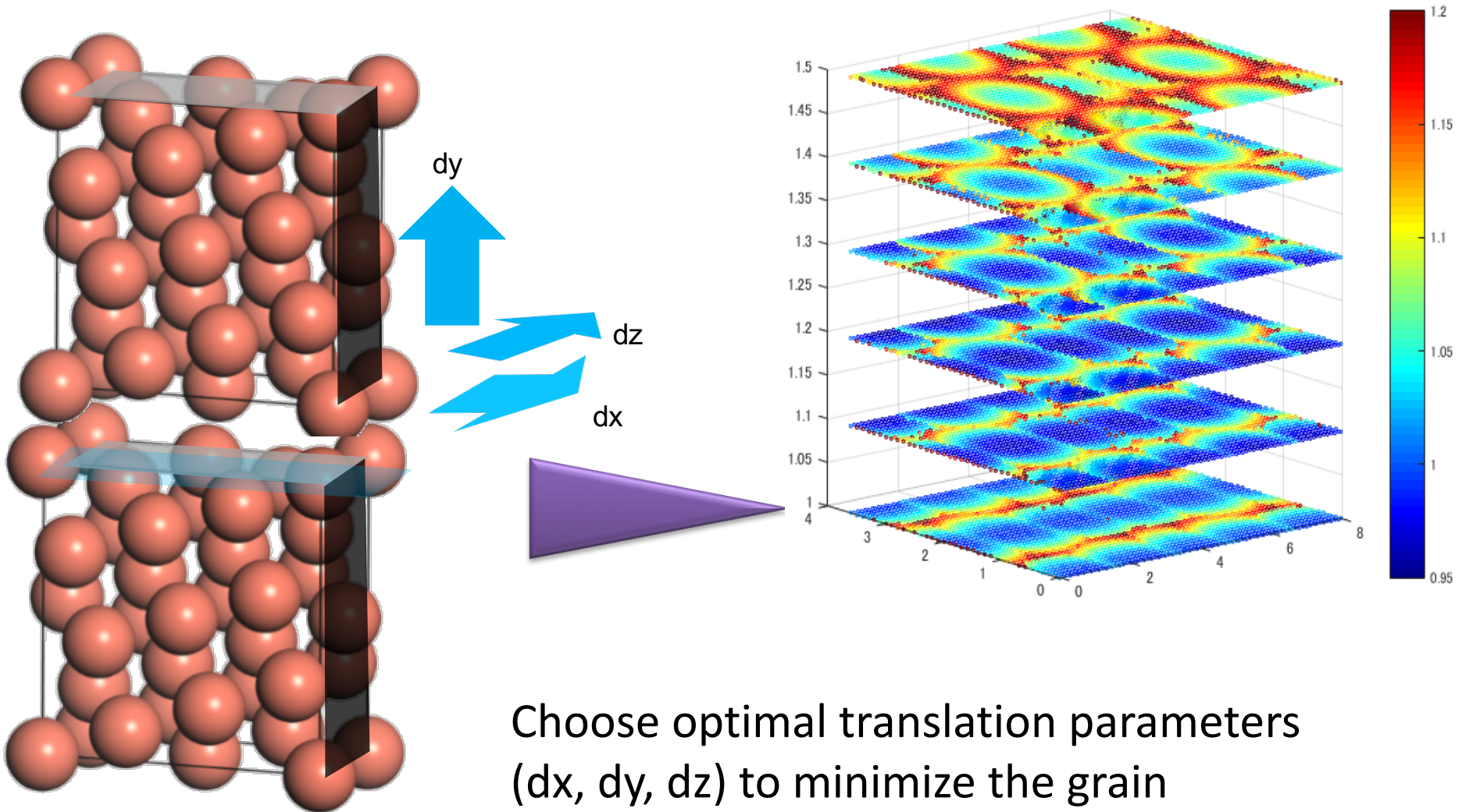
Gaussian Process



Maximum probability of improvement



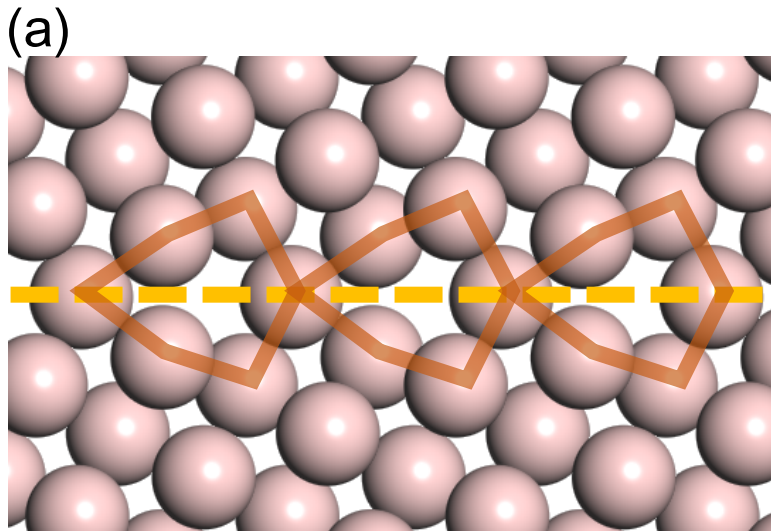
Grain boundary structure determination



Choose optimal translation parameters (dx , dy , dz) to minimize the grain boundary energy

Acceleration of Discovery

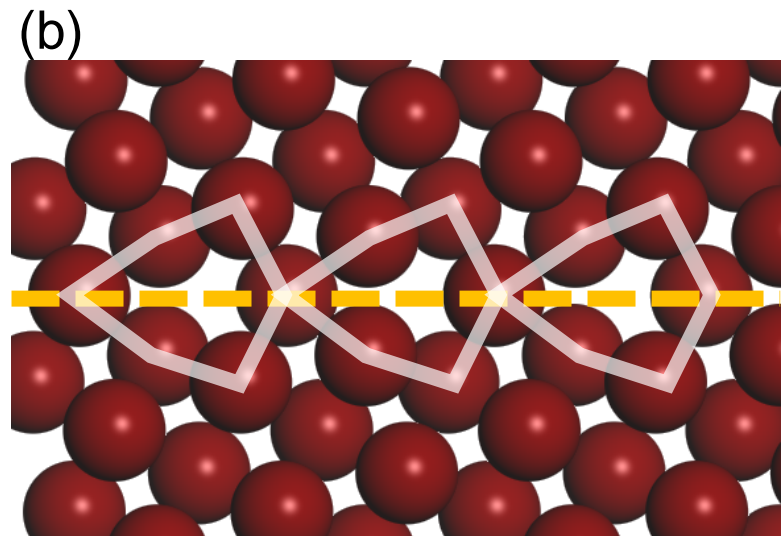
Cu [001] (210) $\Sigma 5$ grain boundary



Exhaustive calculations

GB energy=0.96J/m²

Number of energy calculations
=16,983

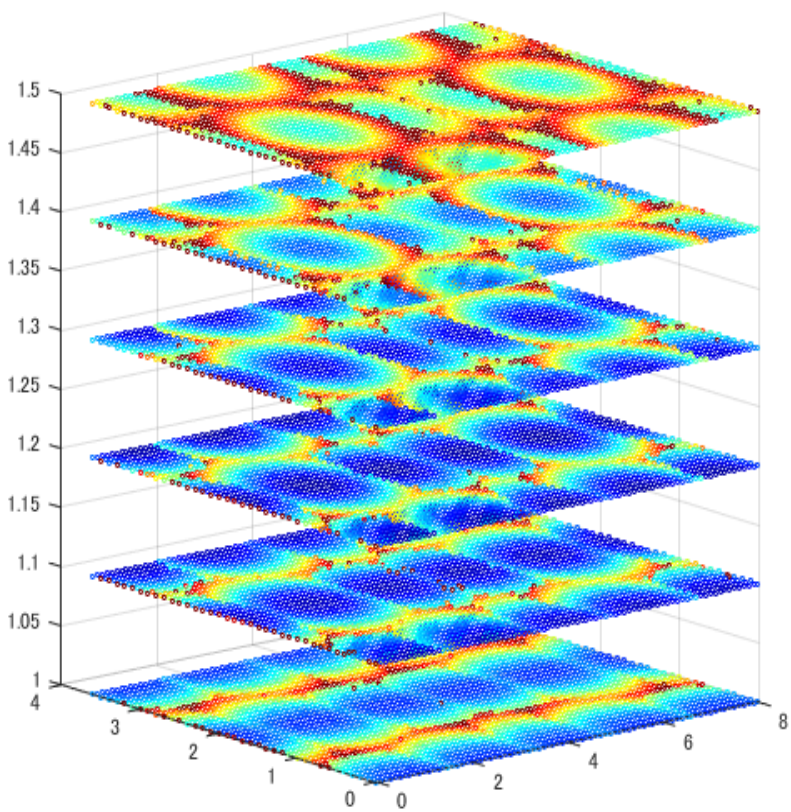


Bayesian optimization

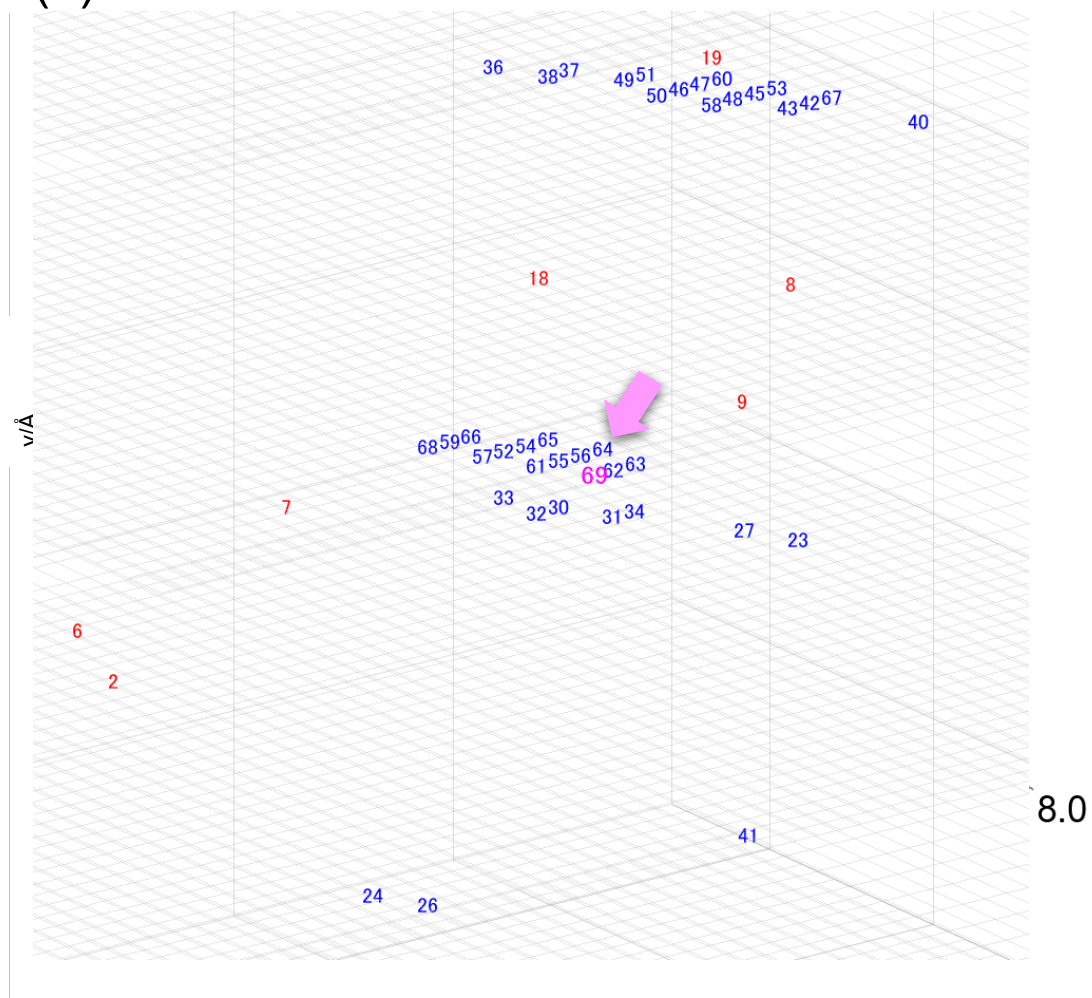
GB energy=0.96J/m²

**Number of energy calculations
=69**

S. Kiyohara et al., Jpn. J. Appl. Phys., 2016.



(b)



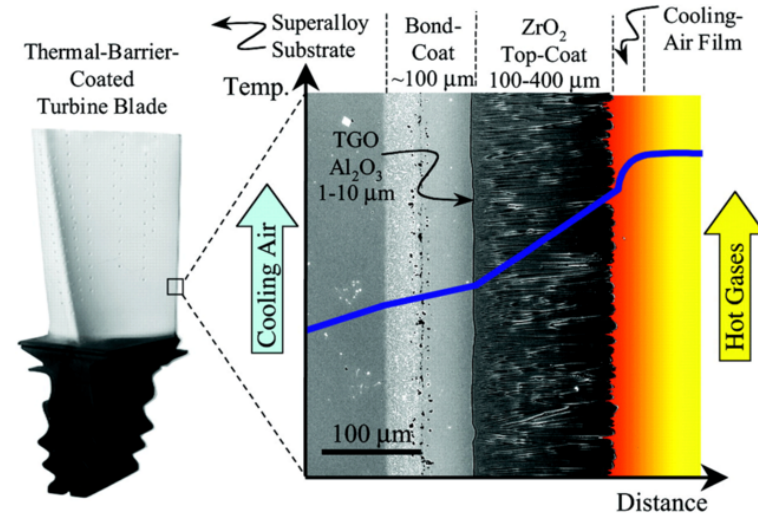
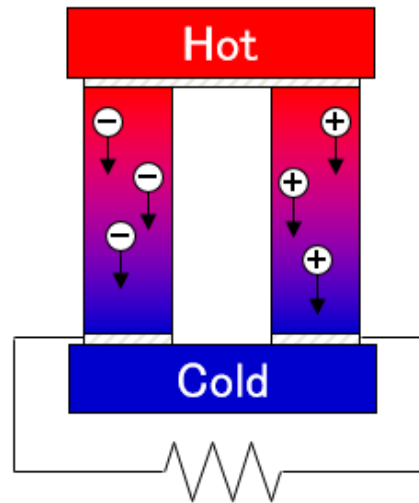
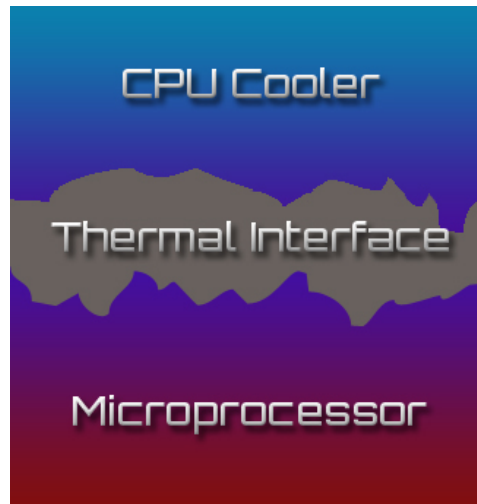
Design nanostructures for phonon transport via material informatics

Interface structure design has wide application in thermal devices.

High Conductance



Low Conductance

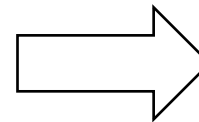


Interface materials

Thermoelectric

Thermal barrier coating

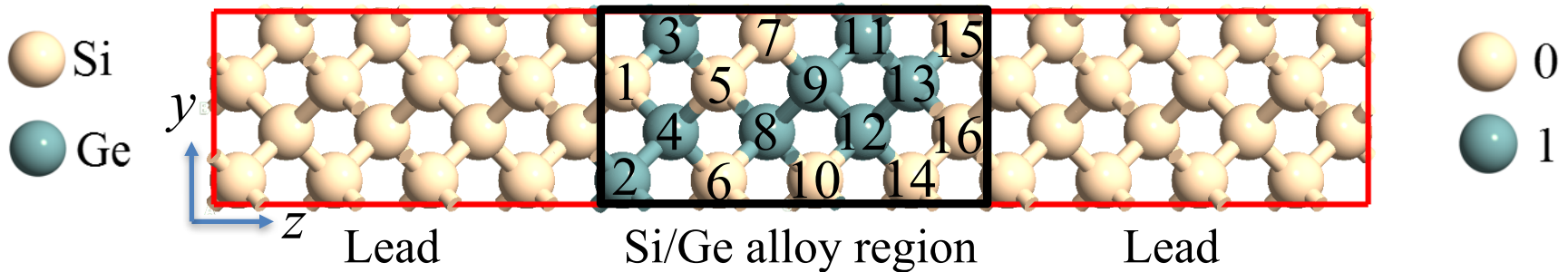
- ❑ various parameters
- ❑ parameters effect coupled
- ❑ transport vs local atomic configurations
- ❑ interference/resonance effects



- low developing efficiency
- high experimental cost
- long calculation time

Alloy Structure Optimization

Question: How to organize 16 alloy atoms (Si: 8, Ge: 8) to obtain the largest and smallest interfacial thermal conductance?



Descriptors: $C_{16}^8 = 12,870$

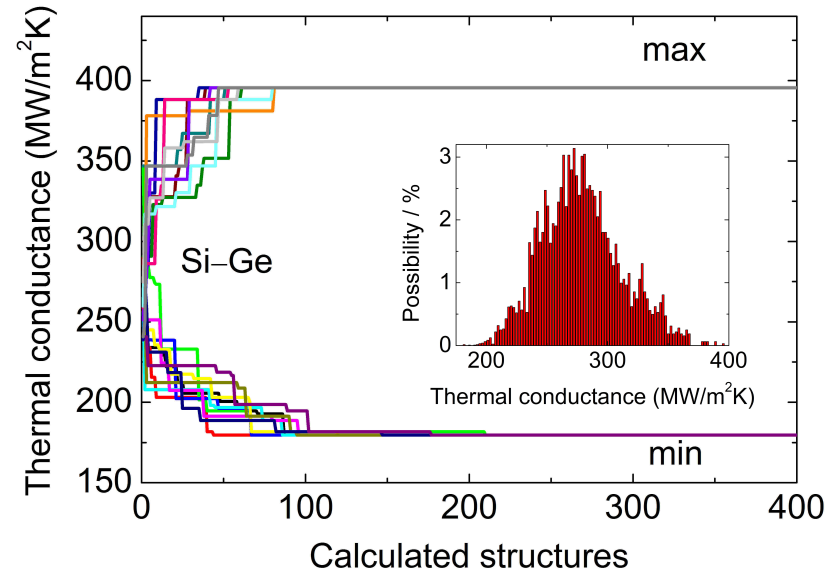
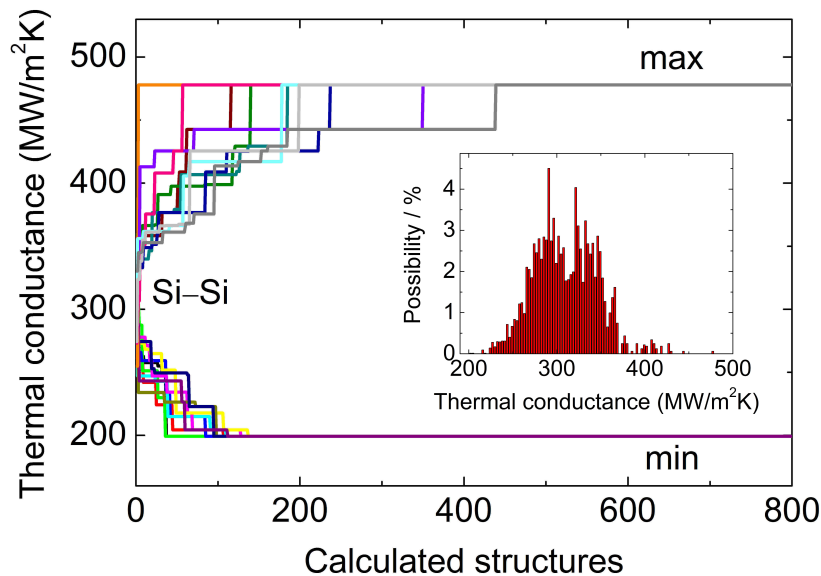
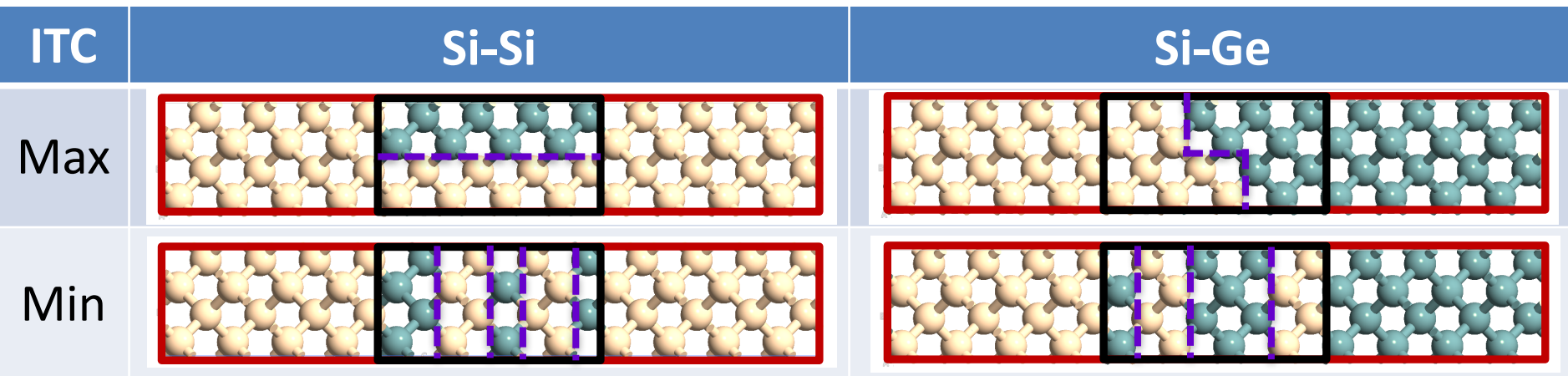
Case	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	1	1	1	1	1	1	1	1	0	0	0	0	0	0	0	0
2	1	1	1	1	1	1	1	0	1	0	0	0	0	0	0	0
3	1	1	1	1	1	1	1	0	0	1	0	0	0	0	0	0
...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...	...

Calculator: Atomistic Green's Function (AGF): Phonon transmission

Evaluator: Interfacial Thermal Conductance (ITC)

Optimization method: Thompson Sampling (Bayesian Optimization)

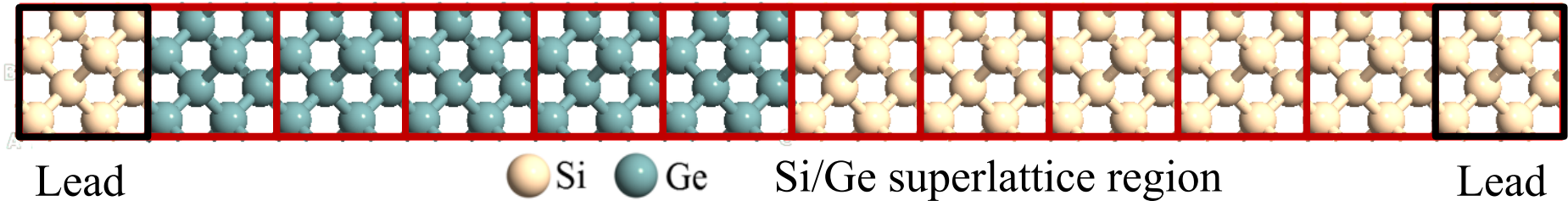
Alloy Structure Optimization



Optimal structures were obtained by calculating only 3.4% of all candidates.

Superlattices Structure Optimization

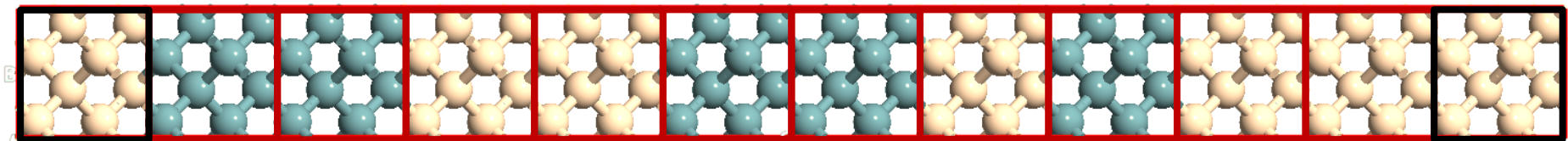
Topic: Arrange 10-layer superlattices structure (5 layers Si + 5 layers of Ge) between Si and Si to obtain minimal thermal conductance (1 layer thickness = 5.43 Å)



Descriptors: 0 1 $C_{10}^5 = 252$

Case	1	2	3	4	5	6	7	8	9	10
1	1	1	1	1	1	0	0	0	0	0
2	1	1	1	1	0	1	0	0	0	0
3	1	1	1	1	0	0	1	0	0	0
...	...	...	...	...	...	...	...	...	...	...

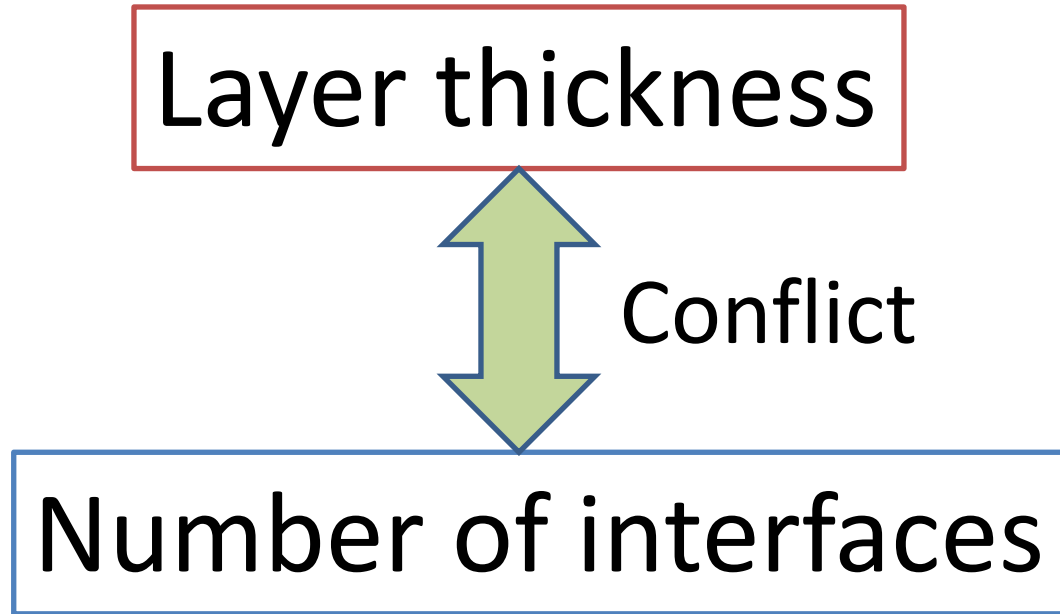
Best Structure:



Superlattices Structure Optimization

Layers	Si-Si Si:Ge=1:1	Si-Si Si:Ge=no limit	Si-Ge Si:Ge=1:1	Si-Ge Si:Ge= no limit
8	11000101 (70)	11101101 (256)	10100110 (70)	10100110 (256)
10	1101010001 (252)	1110110101 (1024)	100010110 (252)	100010110 (1024)
12	101100100101 (924)	110110101001 (4096)	100101010110 (924)	100101010110 (4096)
14	11011000101001 (3432)	11001010110111 (16384)	10011001010110 (3432)	10010101101110 (16384)
16	1100010010110101 (12870)	1100101110110101 (65536)	1010110110010010 (12870)	1001010101101110 (65536)

Why aperiodic patterns?

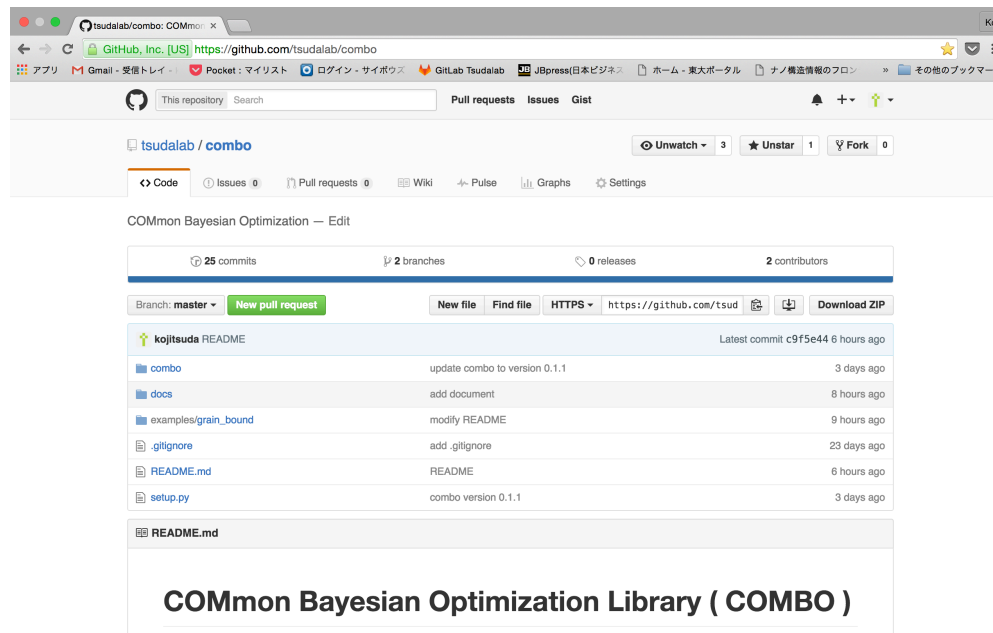


Ju et al., Arxiv 1609.04972, 2016

COMBO: COMMon Bayesian Optimization Python Library

<https://github.com/tsudalab/combo>

- Fast learning by Thompson sampling, random feature maps, one-rank Cholesky update
- Automatic hyperparameter initialization & update
- Multi-probe design



Ueno et al.,
Materials Discovery,
2016, published online.

GP = Random Feature Map + Bayesian Linear Regression

- Gaussian process (GP) is slow $O(n^3)$ due to the use of kernel function

$$k(\Delta) = \exp(-\|\Delta\|^2/2)$$

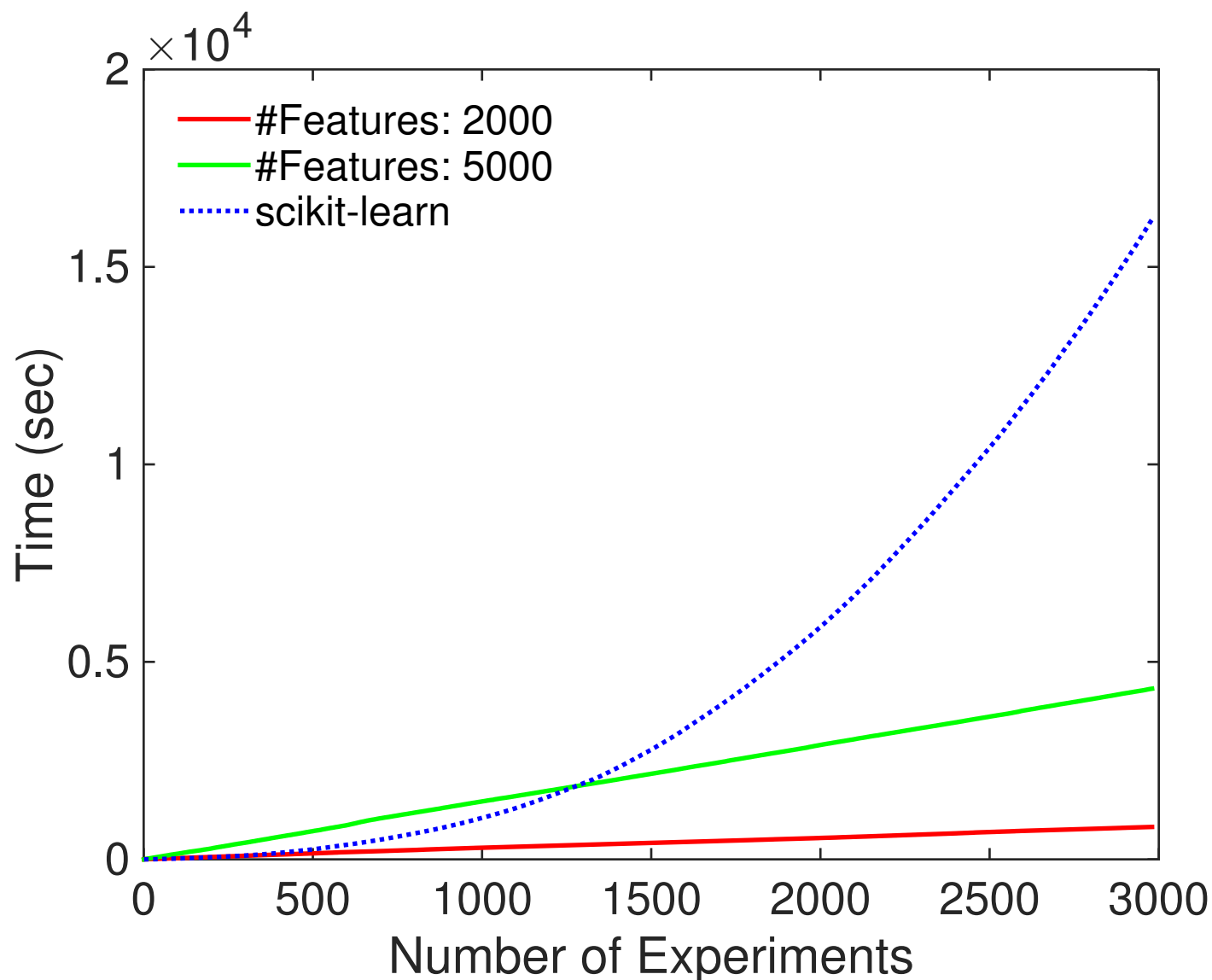
- Approximation by random feature maps
(Rahimi and Recht, NIPS 2007)

$$E[z_{\omega,b}(\mathbf{x})z_{\omega,b}(\mathbf{x}')] = k(\mathbf{x} - \mathbf{x}')$$

$$z_{\omega,b}(\mathbf{x}) = \sqrt{2} \cos(\omega^\top \mathbf{x} + b)$$

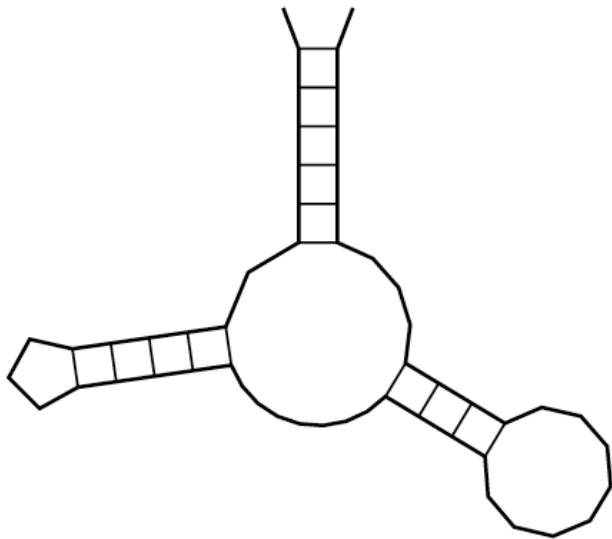
ω is a vector of random samples from unit Gaussian distribution
 b is drawn uniformly from $[0, 2\pi]$

Computational Time of COMBO

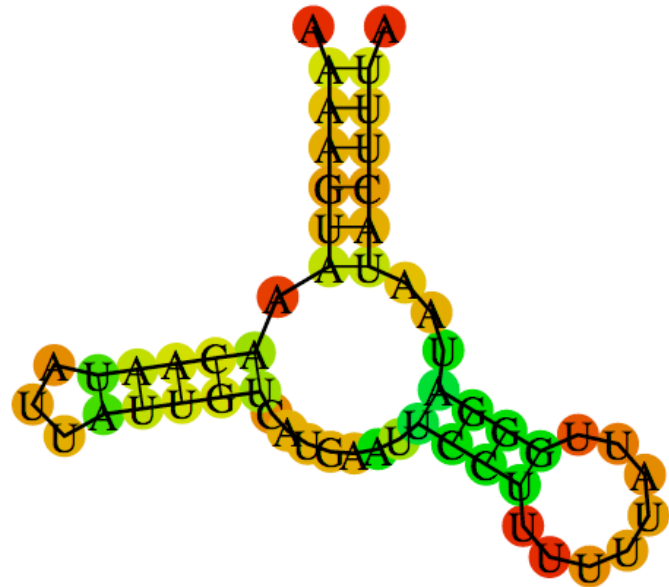
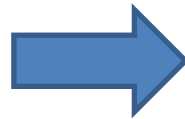


RNA Inverse Folding

- Design RNA whose structure matches target
- 4^n candidates: Too many for Bayesian Opt



Target Structure



AAAAGUAAACAAUAUUAUUGUCAUGAAUCC
UUUUUUAUUGGGAUAAUACUUUA

Monte Carlo Tree Search

ARTICLE

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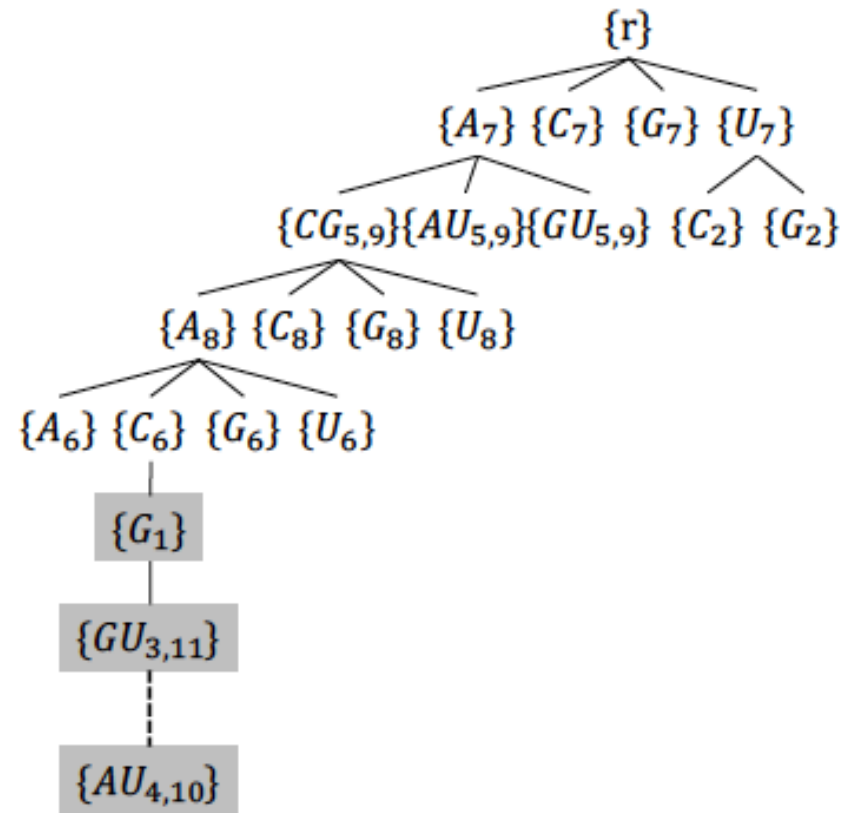
Mastering the game of Go with deep neural networks and tree search

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The game of Go has long been viewed as the most challenging of classic games for artificial intelligence owing to its enormous search space and the difficulty of evaluating board positions and moves. Here we introduce a new approach to computer Go that uses 'value networks' to evaluate board positions and 'policy networks' to select moves. These deep neural networks are trained by a novel combination of supervised learning from human expert games, and reinforcement learning from games of self-play. Without any lookahead search, the neural networks play Go at the level of state-of-the-art Monte Carlo tree search programs that simulate thousands of random games of self-play. We also introduce a new search algorithm that combines Monte Carlo simulation with value and policy networks. Using this search algorithm, our program AlphaGo achieved a 99.8% winning rate against other Go programs, and defeated the human European Go champion by 5 games to 0. This is the first time that a computer program has defeated a human professional player in the full-sized game of Go, a feat previously thought to be at least a decade away.

Monte Carlo Tree Search

- Candidates at leafs of search tree
- Reward at leafs: **Energy**
- Score at intermediate node by **Playout**
 - K random traverses to leafs
 - UCB score: Average reward + Penalty

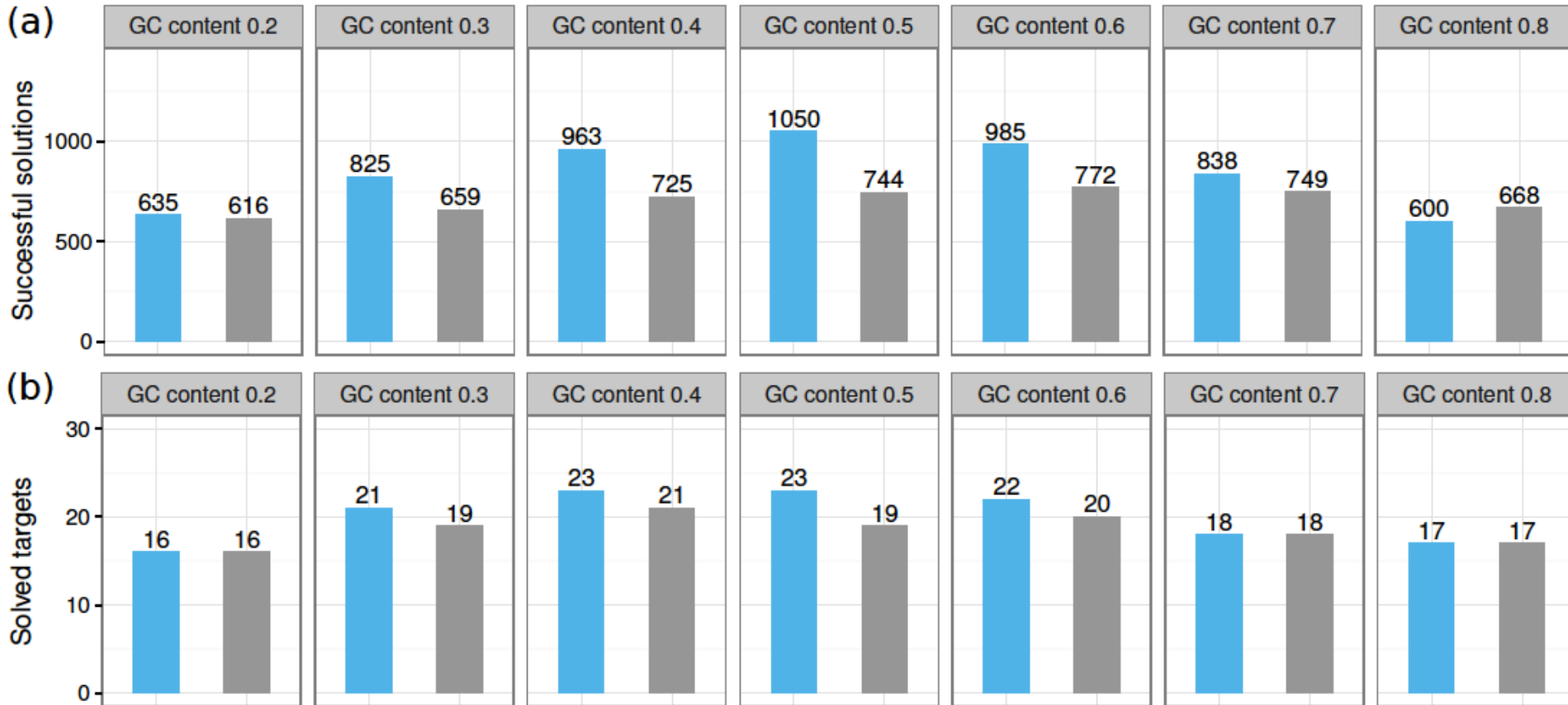


MCTS-RNA and Existing Tools

Tools	Algorithm	GC content
RNAinverse (Hofacker, 2003)	Local search	No
RNA-SSD (Andronescu <i>et al.</i> , 2004)	Stochastic local search+structure decomposition	No
INFO-RNA (Busch and Backofen, 2006)	Dynamic programming+local search	No
NUPACK (Zadeh <i>et al.</i> , 2011)	Minimization of ensemble defect and structure decomposition	No
MODENA (Taneda, 2011)	Multi-objective genetic algorithm	No
Frnakenstein (Lyngsø <i>et al.</i> , 2012)	Genetic algorithm	No
ERD (Esmaili-Taheri <i>et al.</i> , 2014)	Evolutionary algorithm and structure decomposition	No
RNAifold (Garcia-Martin <i>et al.</i> , 2013)	Constraint programming and structure decomposition	Yes
IncaRNAtion (Reinharz <i>et al.</i> , 2013)	Weighted sampling algorithm	Yes
antaRNA (Kleinkauf <i>et al.</i> , 2015)	Ant colony optimization	Yes
MCTS-RNA	Monte Carlo tree search	Yes

Comparison with antaRNA

Methods MCTS-RNA antaRNA



Data				MCTS-RNA		ERD		MODENA	
Rfam	RfamID	N	ℓ	Sc	time	Sc	time	Sc	time
RF00001	5S_rRNA	117	83	50/50	8.38	10/50	3.1	38/50	34.26
RF00002	5_8S_rRNA	151	127	32/50	88.32	12/50	3.86	41/50	35.29
RF00003	U1	161	121	48/50	83.02	0/50	–	14/50	53.86
RF00004	U2	193	149	50/50	1.35	21/50	2.62	38/50	13.16
RF00005	tRNA	74	53	50/50	0.3	31/50	1.35	48/50	14.3
RF00006	Vault	89	69	50/50	0.167	38/50	0.88	48/50	14.3
RF00007	U12	154	112	50/50	0.18	30/50	1.52	46/50	27.37
RF00008	Hammerhead_3	54	39	50/50	0.026	33/50	0.67	39/50	12.01
RF00009	RNaseP_nuc	348	293	23/50	61.7	32/50	19.25	40/50	118.85
RF00010	RNaseP_bact_a	357	255	0/50	–	0/50	–	0/50	–
RF00011	RNaseP_bact_b	382	286	0/50	–	0/50	–	0/50	–
RF00012	U3	215	176	50/50	4.08	8/50	15.3	47/50	72.14
RF00013	6S	185	137	50/50	0.6	28/50	2.43	39/50	52.12
RF00014	DsrA	87	58	50/50	0.03	32/50	0.77	45/50	15.88
RF00015	U4	140	109	50/50	0.73	25/50	1.74	45/50	24.91
RF00016	SNORD14	129	112	0/50	–	0/50	–	0/50	–
RF00017	SRP_euk_arch4	301	200	50/50	3.15	2/50	2.48	47/50	175.89
RF00018	CsrB	360	311	0/50	–	0/50	–	0/50	–
RF00019	Y_RNA	83	60	50/50	0.1	18/50	0.86	43/50	17.18
RF00020	U5	119	89	0/50	–	0/50	–	0/50	–
RF00021	Spot_42	118	81	50/50	0.06	38/50	0.83	31/50	35.07
RF00022	GcvB	148	115	50/50	1.05	31/50	1.94	34/50	29.27
RF00024	Telomerase-vert	451	346	0/50	–	0/50	–	0/50	–
RF00025	Telomerase-cil	210	173	50/50	20.23	6/50	4.59	44/50	57.59
RF00026	U6	102	97	50/50	2	50/50	0.73	44/50	14.6
RF00027	let-7	79	48	50/50	0.08	46/50	0.76	48/50	16.84
RF00028	Intron_gp	344	291	19/50	91.32	19/50	46.16	0/50	–
RF00029	Intron_gpI	73	54	50/50	1.2	25/50	0.79	46/50	10.82
RF00030	RNase_MRP	340	276	48/50	71.4	0/50	–	44/50	122.07
total				1070/1450		532/1450		909/1450	

Conclusion

- Machine learning techniques combined with first principles calculation have enormous power

