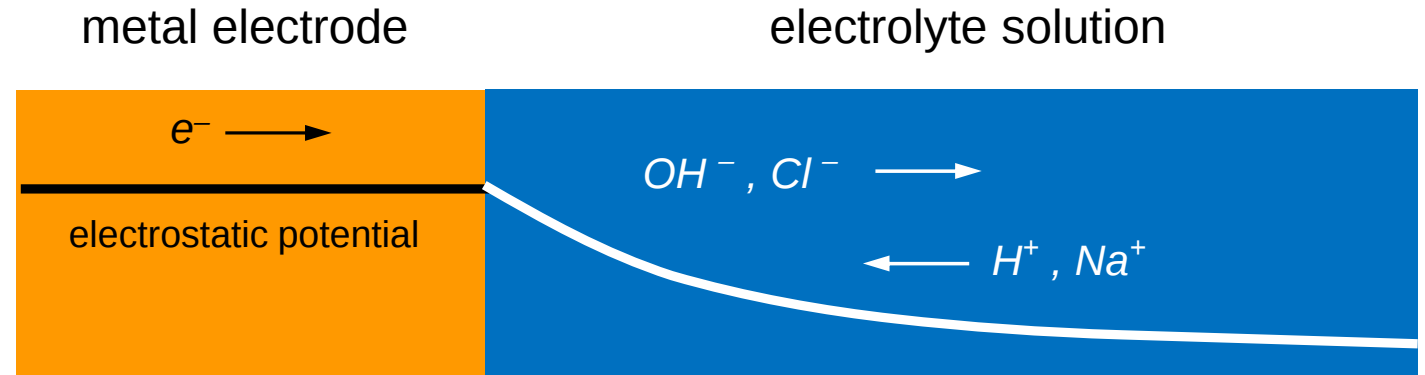
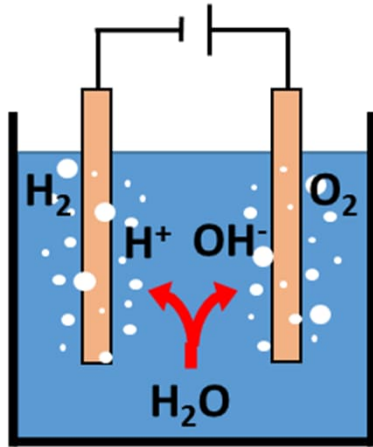




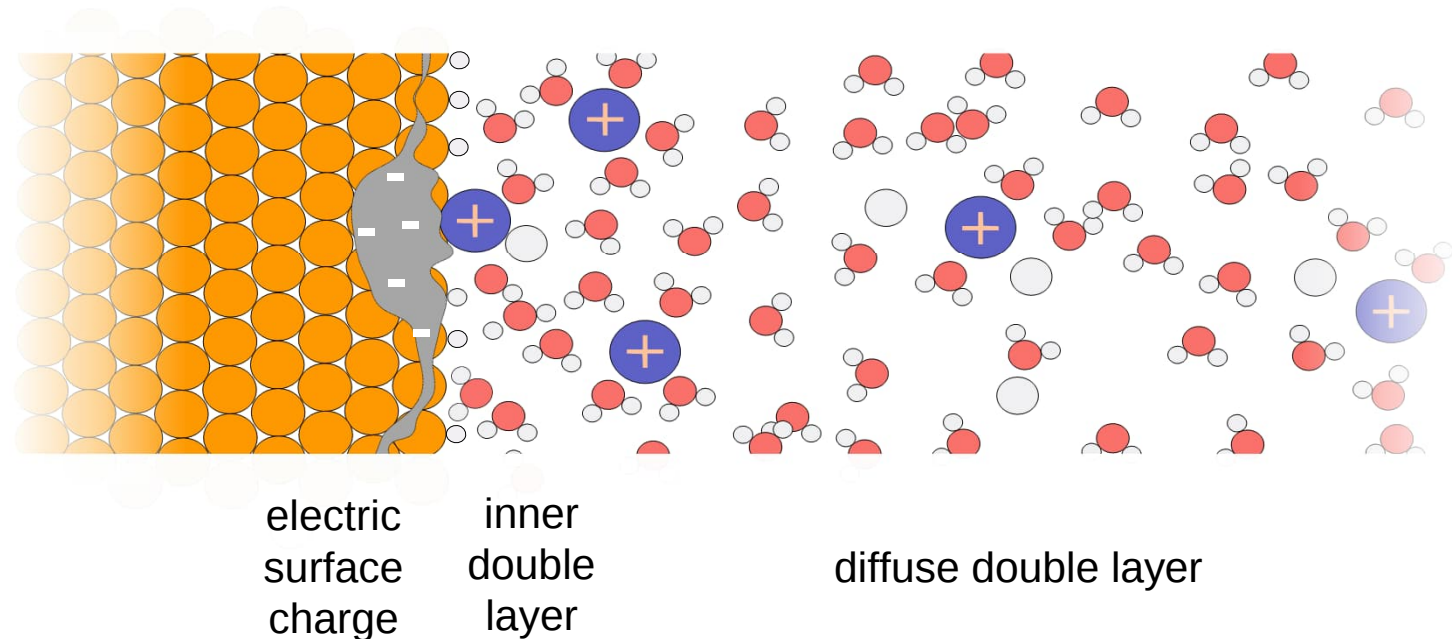
FIRST-PRINCIPLES BASED MODELLING OF ELECTROCATALYSIS BEYOND THE POTENTIAL OF ZERO CHARGE

Karsten Reuter
Fritz-Haber-Institut der Max-Planck-Gesellschaft

Solid-Liquid Interface in Electrocatalysis

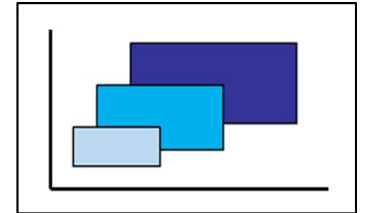


Reactive chemistry
at extended
(*operando* evolving) surface
plus
long-range electrostatics
and solvent dynamics

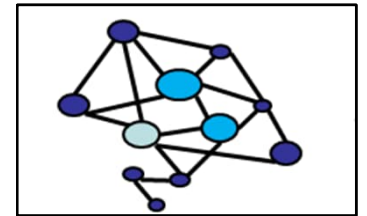




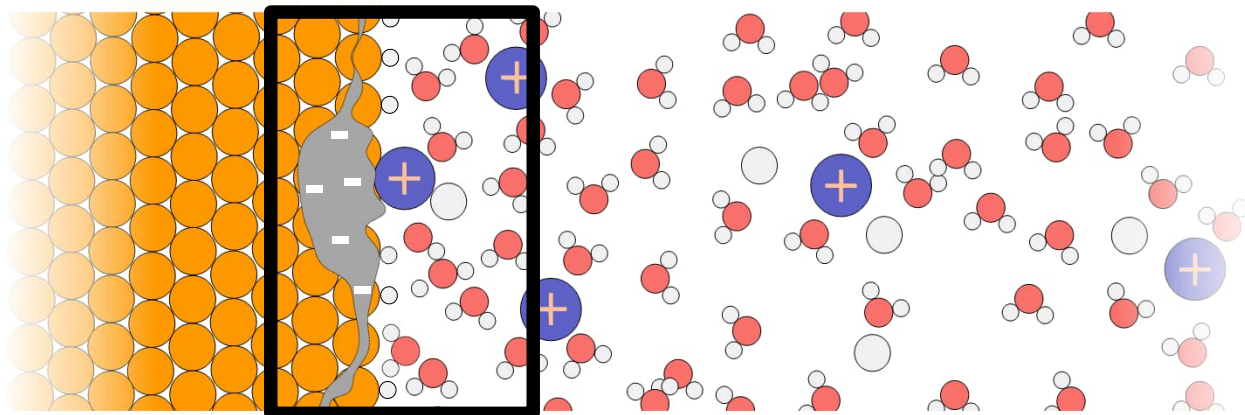
i) Implicit Solvation Models as Gateway to Capacitive Charging



ii) ML Surrogate Models as Gateway to Efficient Explicit Simulations

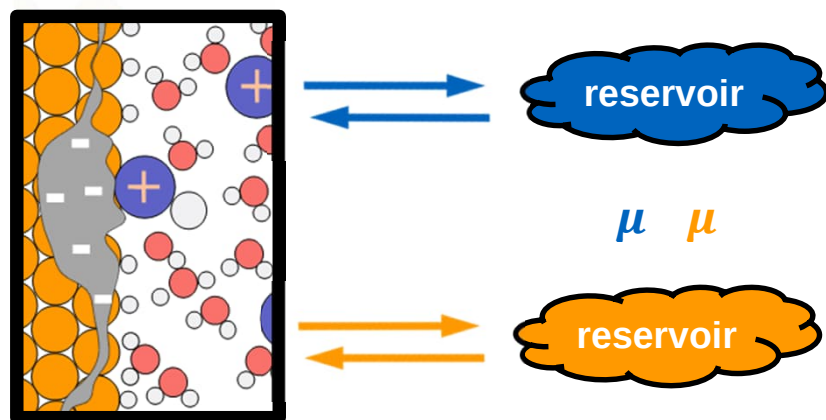


ii) Coupled Microkinetic-Continuum Models as Gateway to Mesoscale Transport



DFT supercell
(typically with periodic
boundary conditions)

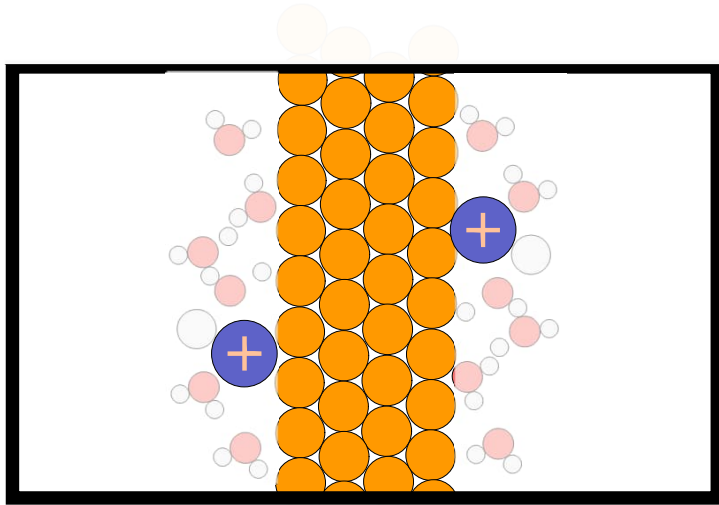
How to model a finite „ q “ in
an overall charge-neutral supercell?



$$\gamma_{\text{surf}} = \frac{1}{A} \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}} \right) - \sum_{\text{species}} N_{\text{sp}} \mu_{\text{sp}} \right\}$$

$$= \frac{1}{A} \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}}, q \right) - \sum_{\text{neutral species}} N_{\text{nsp}} \mu_{\text{nsp}} - \sum_{\text{ions}} N_{\text{i}} \tilde{\mu}_{\text{i}} - N_{\text{el}} \tilde{\mu}_{\text{el}} \right\}$$

Computational Hydrogen Electrode (CHE)



J.K. Nørskov, J. Rossmeisl, *et al.*,
J. Phys. Chem. B 108, 17886 (2004)

>9000 citations

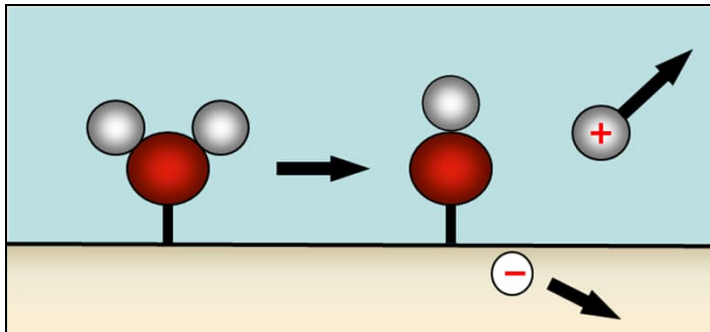
>90% of existing theory electrocatalysis work

$$\gamma_{\text{surf}} = 1/A \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}} \right) - \sum_{\text{species}} N_{\text{sp}} \mu_{\text{sp}} \right\}$$

$$= 1/A \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}}, \mathbf{q} \right) - \sum_{\text{neutral species}} N_{\text{nsp}} \mu_{\text{nsp}} - \sum_{\text{ions}} N_{\text{i}} \tilde{\mu}_{\text{i}} - N_{\text{el}} \tilde{\mu}_{\text{el}} \right\}$$

$$\tilde{\mu}_{\text{H}^+} + \tilde{\mu}_{\text{el}} = 1/2 \mu_{\text{H}_2}^{\text{gas}}(298\text{K}, 1\text{bar}) + U \quad \text{with } U \text{ the applied bias w.r.t. RHE}$$

Electron density remains as the one at the PZC

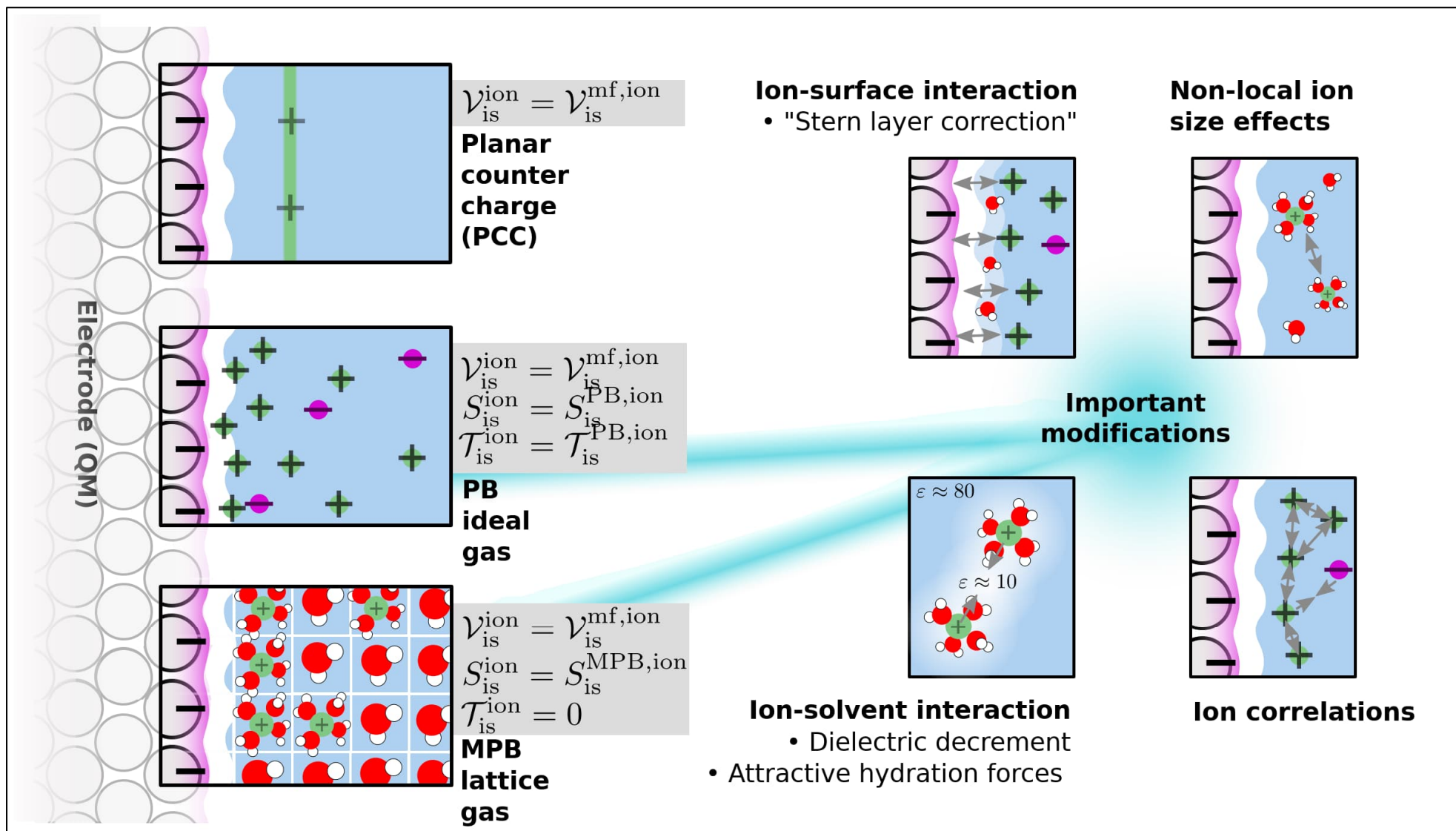


$$\mathbf{q} = \mathbf{0}: \sum_{\text{ions}} N_{\text{i}} q_{\text{i}} + N_{\text{el}} e = 0 \quad \text{no surface polarization / capacitive double layer charging}$$

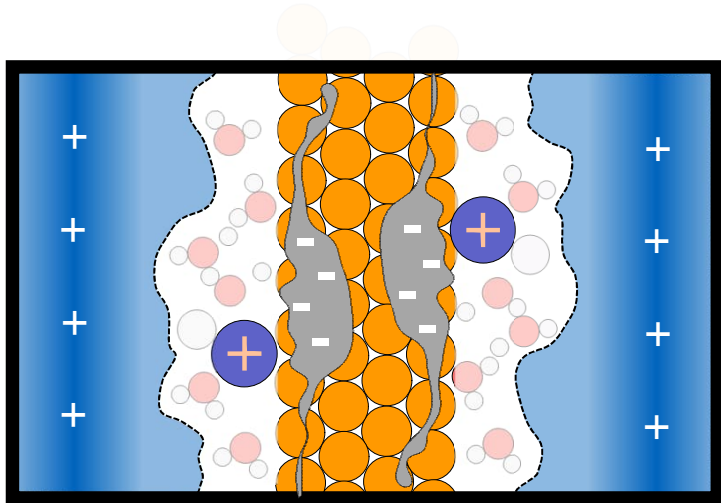
$$N_{\text{H}^+} + N_{\text{el}} = 0 \quad \text{only PCET in aqueous electrolyte}$$



Implicit Electrolyte: Modeling the Counter Charge



Fully Grand-Canonical (FGC) Simulations



N.G. Hörmann, O. Andreussi, and N. Marzari,
J. Chem. Phys. 150, 041730 (2019)

$$\begin{aligned}\gamma_{\text{surf}} &= 1/A \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}} \right) - \sum_{\text{species}} N_{\text{sp}} \mu_{\text{sp}} \right\} \\ &= 1/A \left\{ G_{\text{surf}} \left(\sum_{\text{species}} N_{\text{sp}}, \mathbf{q} \right) \right. \\ &\quad \left. - \sum_{\text{neutral species}} N_{\text{nsp}} \mu_{\text{nsp}} - \sum_{\text{ions}} N_{\text{i}} \tilde{\mu}_{\text{i}} - N_{\text{el}} \tilde{\mu}_{\text{el}} \right\}\end{aligned}$$

Electrolyte countercharges in implicit solvation model enable $\mathbf{q} \neq \mathbf{0}$ calculations at overall charge-neutral supercell ($\tilde{\mu}_{\text{el}}$ referenced to experimental SHE)

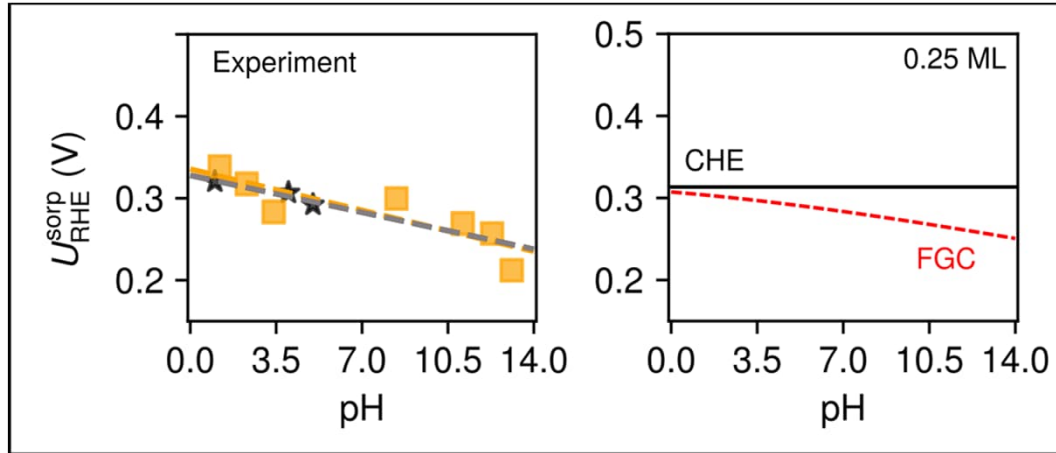
Calculations at variable $\mathbf{q}$ determine charge-equilibrated G_{surf} that accounts for capacitive charging of the double layer



Nicolas Hörmann

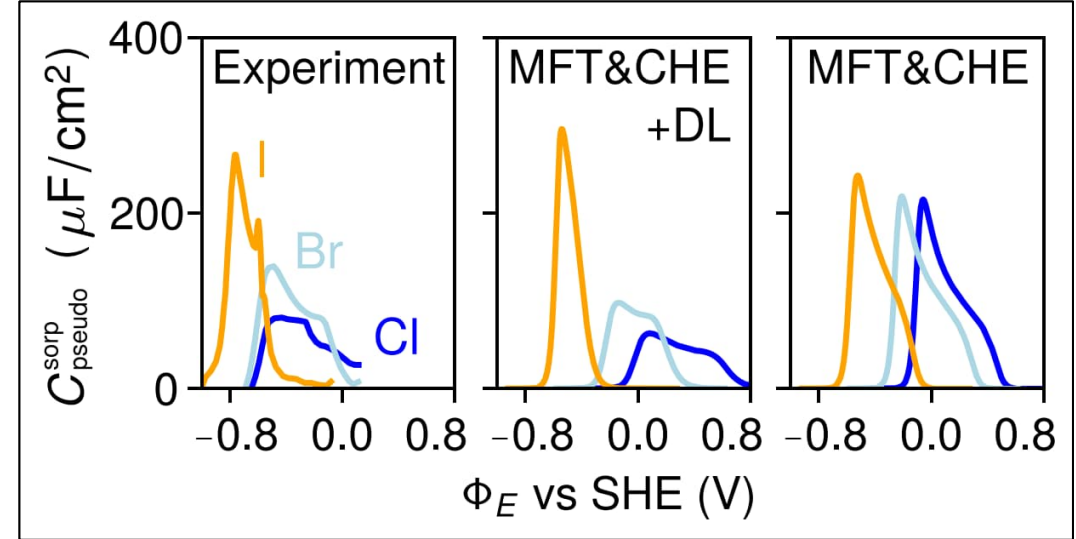


Non-Nernstian peak shifts



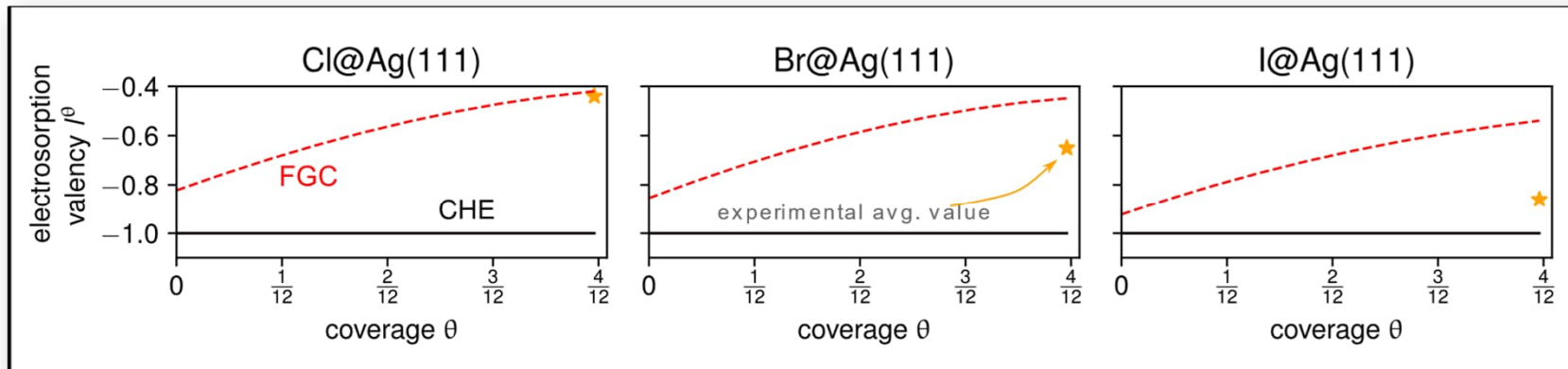
N.G. Hörmann, N. Marzari, and K. Reuter,
npj Comp. Mater. 6, 136 (2020)

Peak shapes



N.G. Hörmann and K. Reuter, J. Phys. CM 33, 264004 (2021)

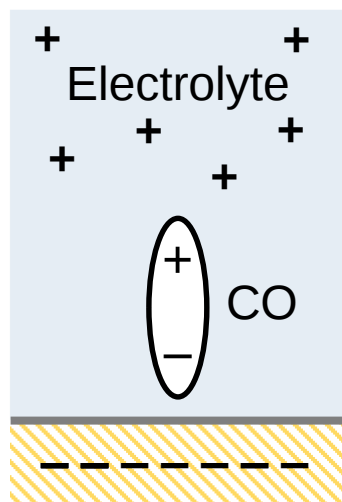
Non-integer electroadsorption valencies



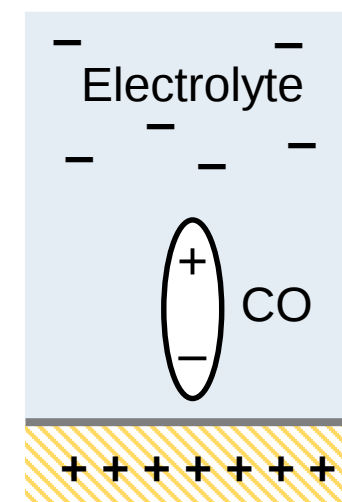
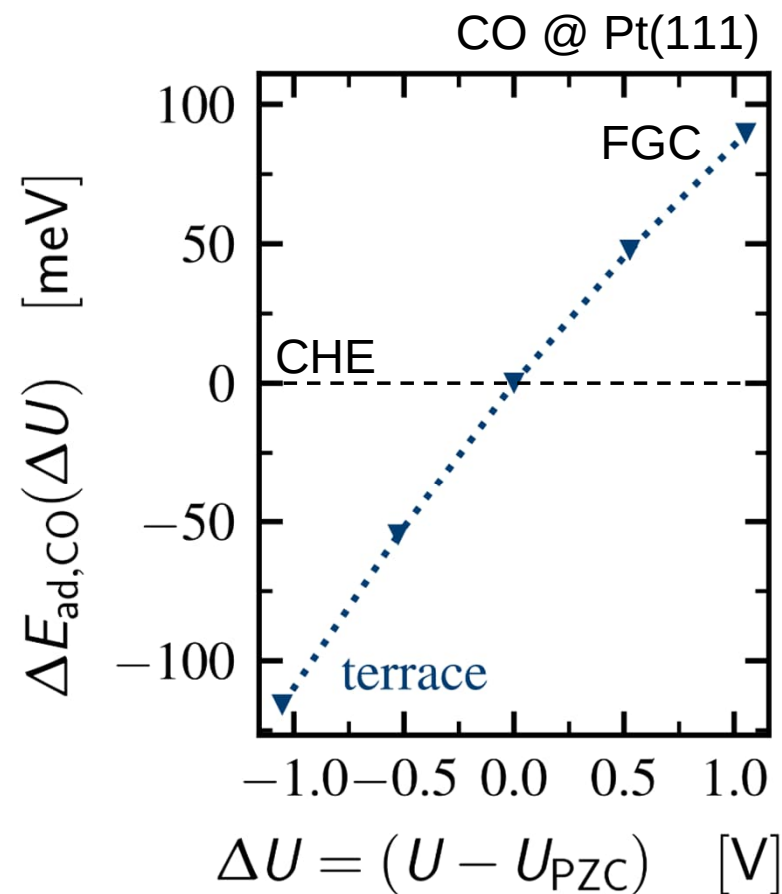
N.G. Hörmann and K. Reuter, J. Chem. Theory Comput. 17, 1782 (2021)



Potential-Dependent Adsorption Energies



$U < U_{\text{PZC}}$
weaker binding

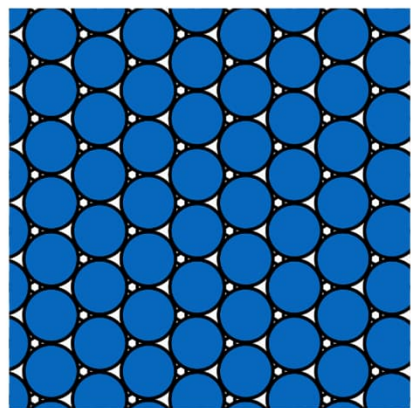


$U > U_{\text{PZC}}$
stronger binding

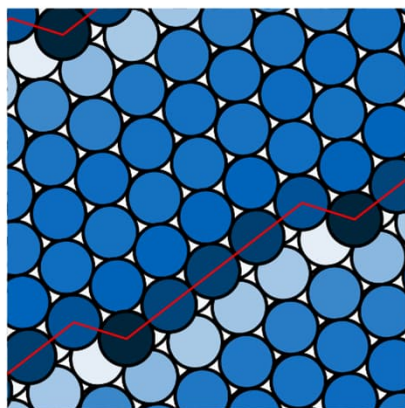
Trend and magnitude consistent with dipole-field interaction picture
($1 \text{ V/\AA} * 0.1 \text{ Debye} \approx 20 \text{ meV/V}$)



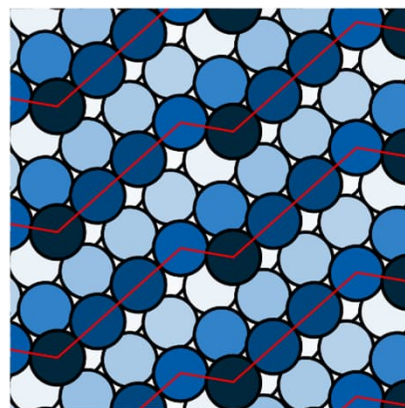
Field Effects at Protruding Sites?



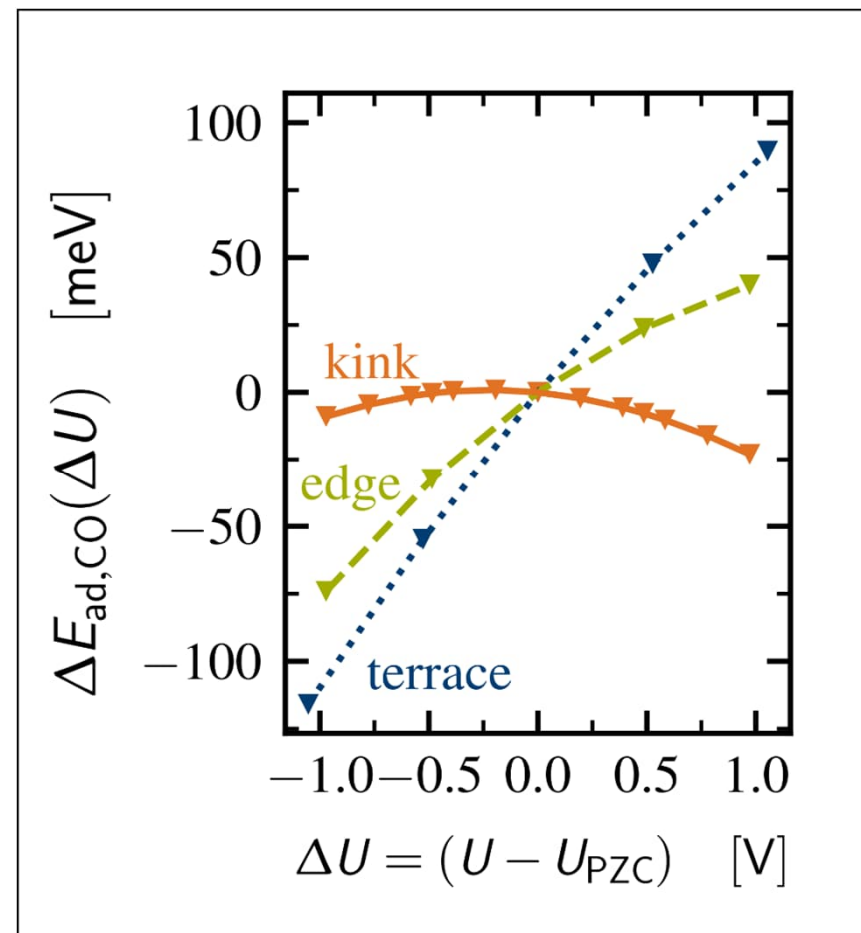
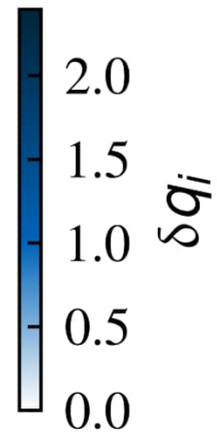
Pt(111)



Pt(17 13 12)

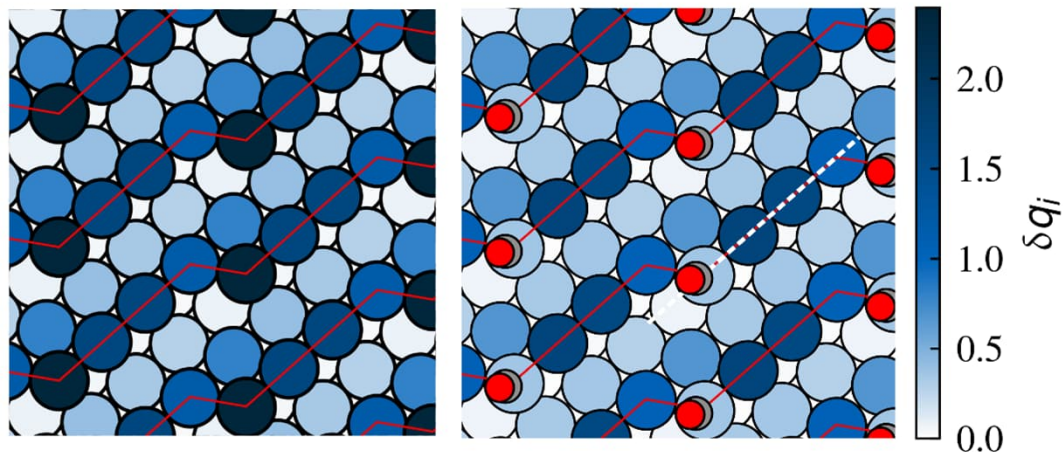


Pt(632)



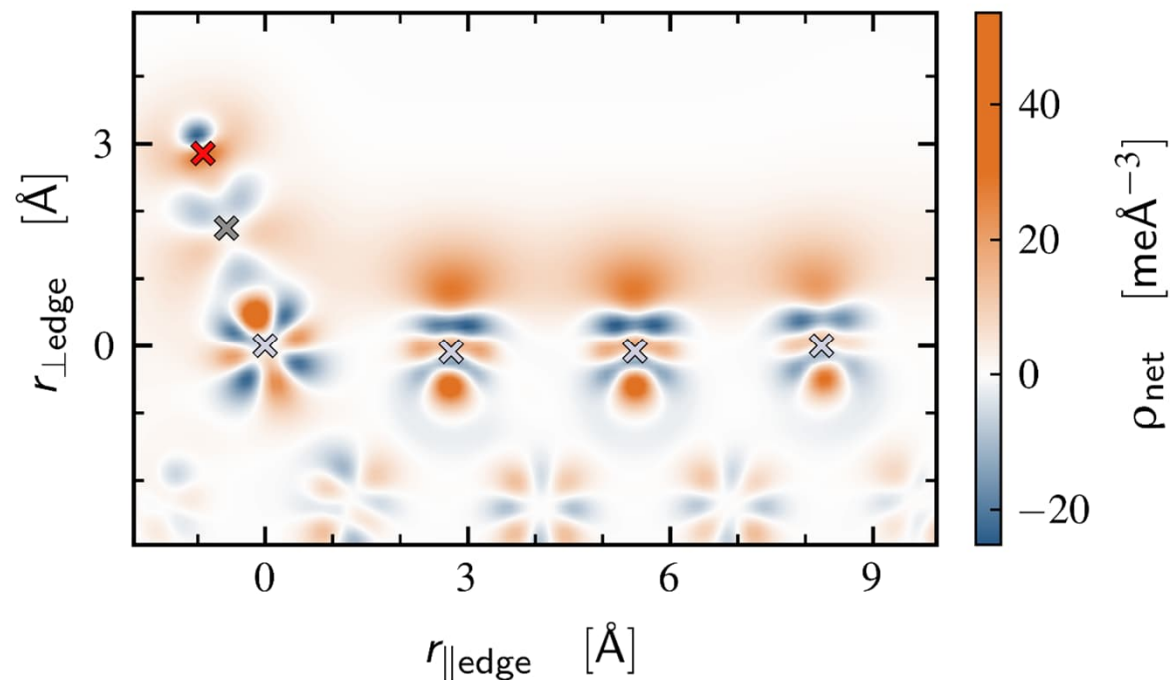


Effective Dipole-Field Picture



$$\mathbf{E}^{\text{eff}}(\Delta U(Q)) = \frac{Q}{\epsilon_o A_{\text{surf}}} \quad (\text{plate-capacitor type field})$$

$$\mathbf{d}_{\alpha}^{\text{surf}} = \epsilon_o A_{\text{surf}} \Delta \Phi_{\text{PZC},\alpha} / N_{\alpha} \quad (\text{surface dipole moment})$$



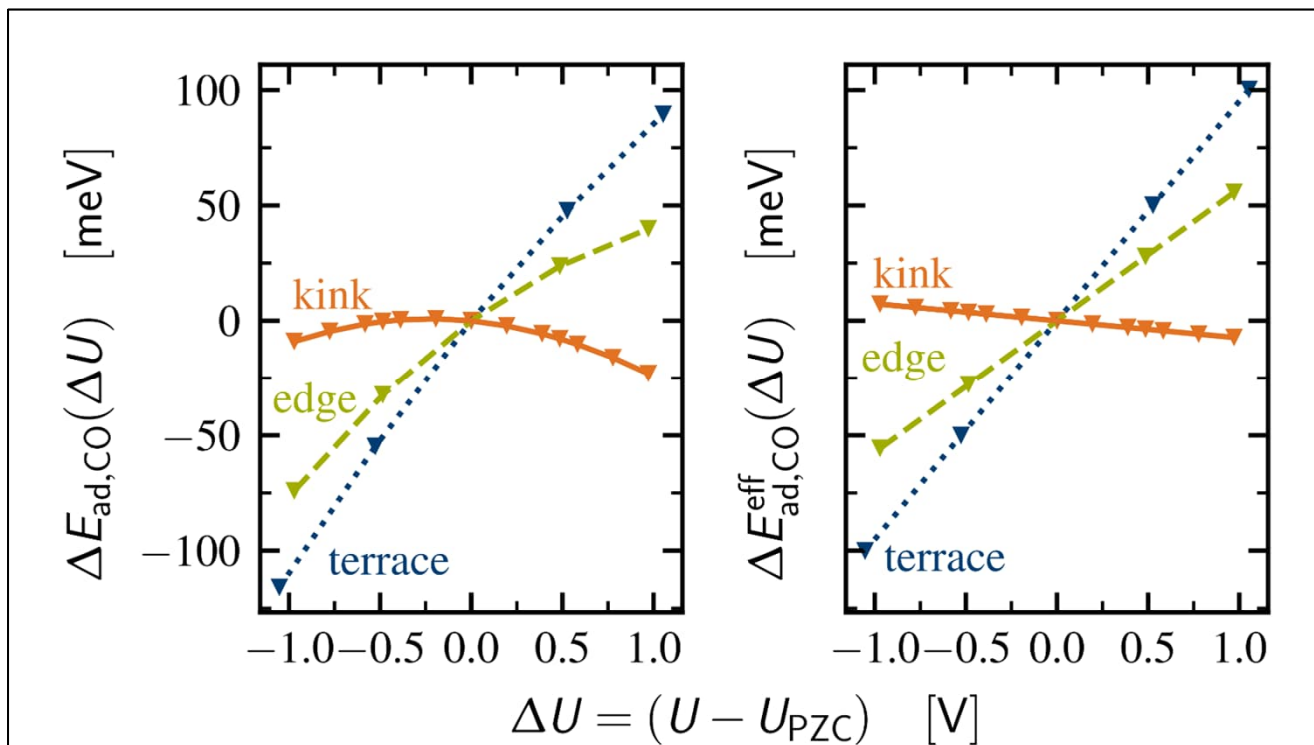
$$\begin{aligned} \Delta E_{\text{ad},\alpha}^{\text{eff}}(\Delta U(Q)) &= \mathbf{d}_{\alpha}^{\text{surf}} \cdot \mathbf{E}^{\text{eff}}(\Delta U(Q)) + \dots \\ &= \Delta \Phi_{\text{PZC},\alpha} Q / N_{\alpha} + \dots \end{aligned}$$

$$\Delta E_{\text{ad},\alpha}(\Delta U(Q)) = l_e e \Delta U$$

(work required to compensate the adsorbate-induced charge flow at constant potential...)

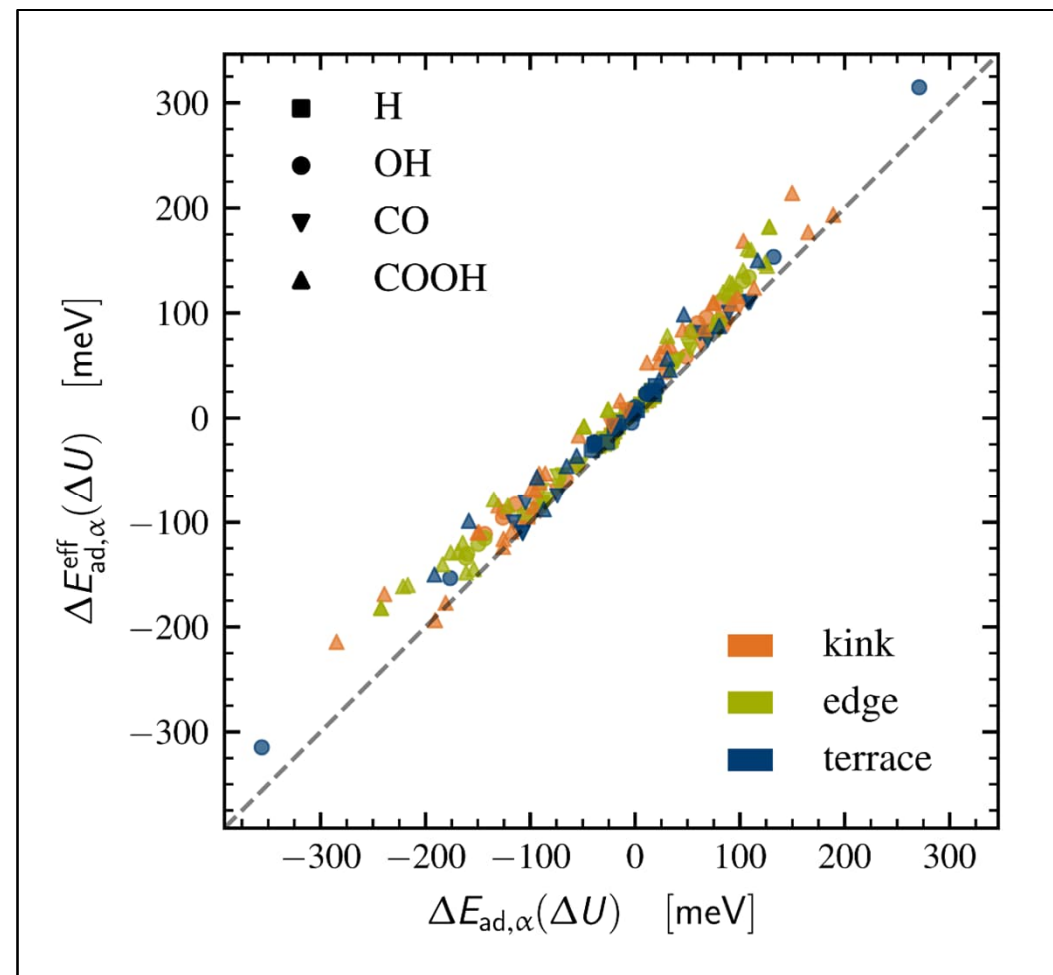


Surface Energetics Beyond the Potential of Zero Charge



Simeon Beinlich

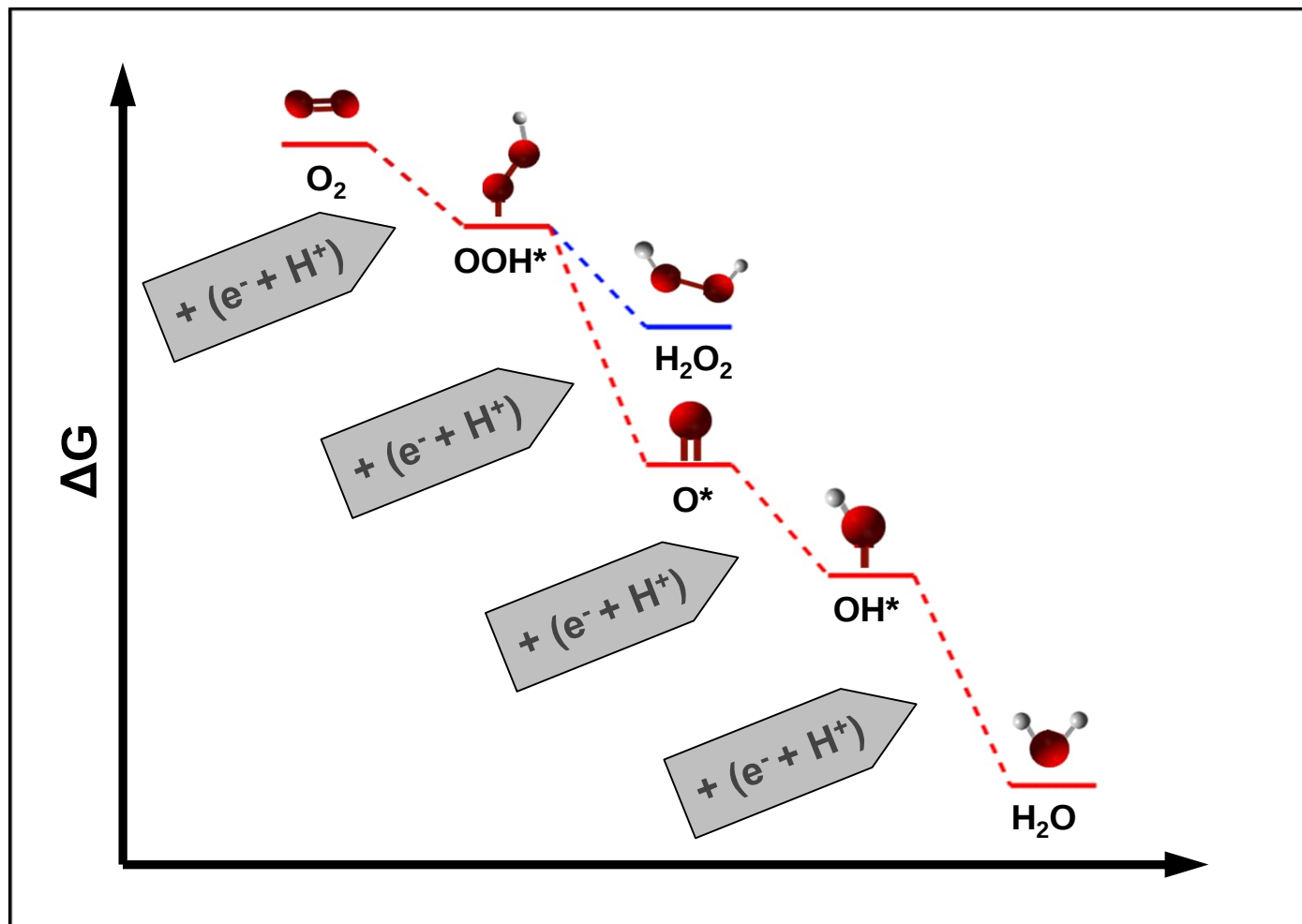
- Variations neither predictable from molecular dipole moment, nor from mere adsorption site geometry
- Magnitude large enough to critically affect reaction mechanisms



S.D. Beinlich, N.G. Hörmann, and K. Reuter,
ACS Catal. 12, 6143 (2022)



Tackling “Chemical Steps”: ORR at Au(111)



A. Kulkarni, S. Siahrostami, A. Patel, and J.K. Nørskov, Chem. Rev. 118, 2302 (2018)



Alexandra Dudzinski

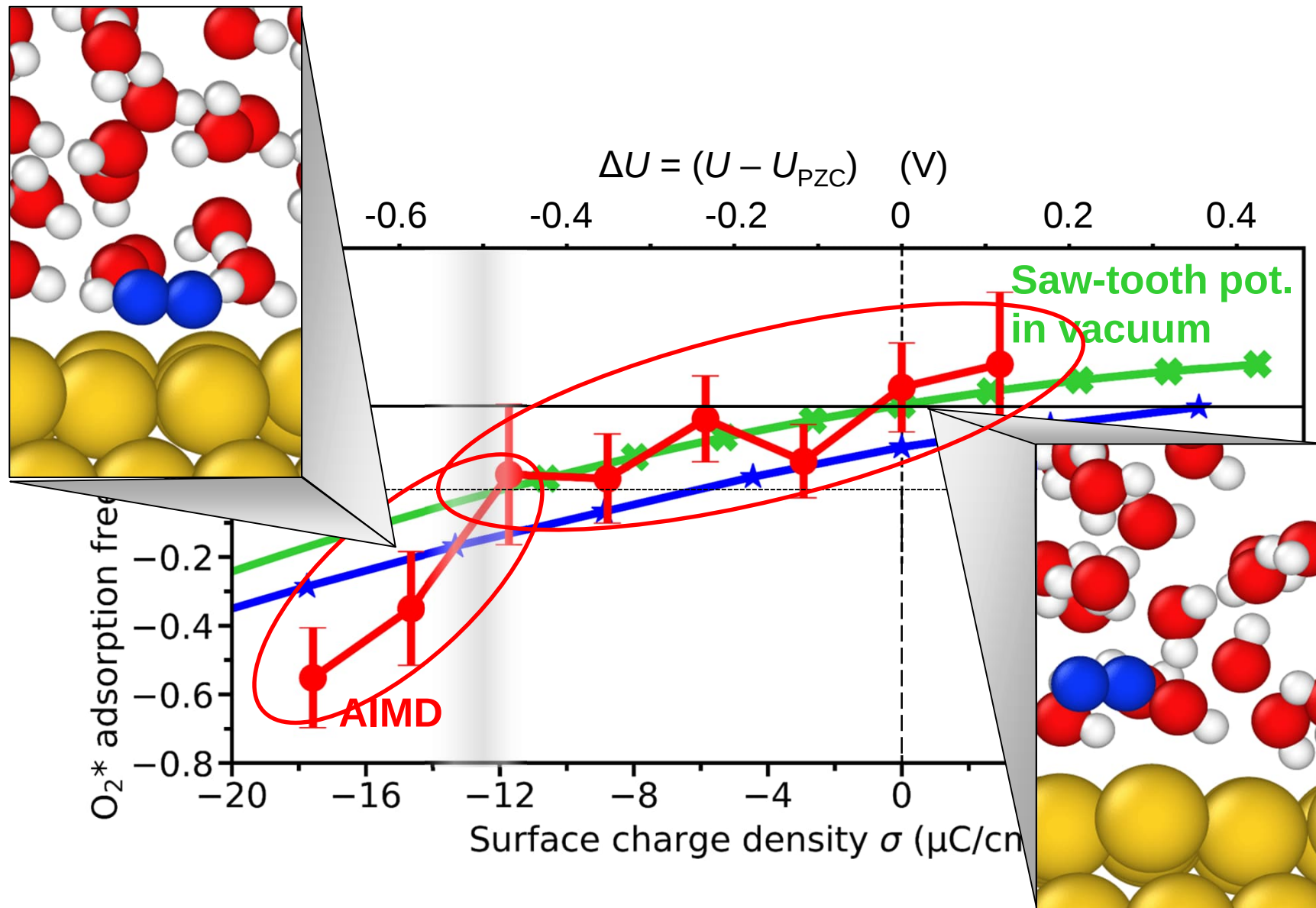


Elias Diesen

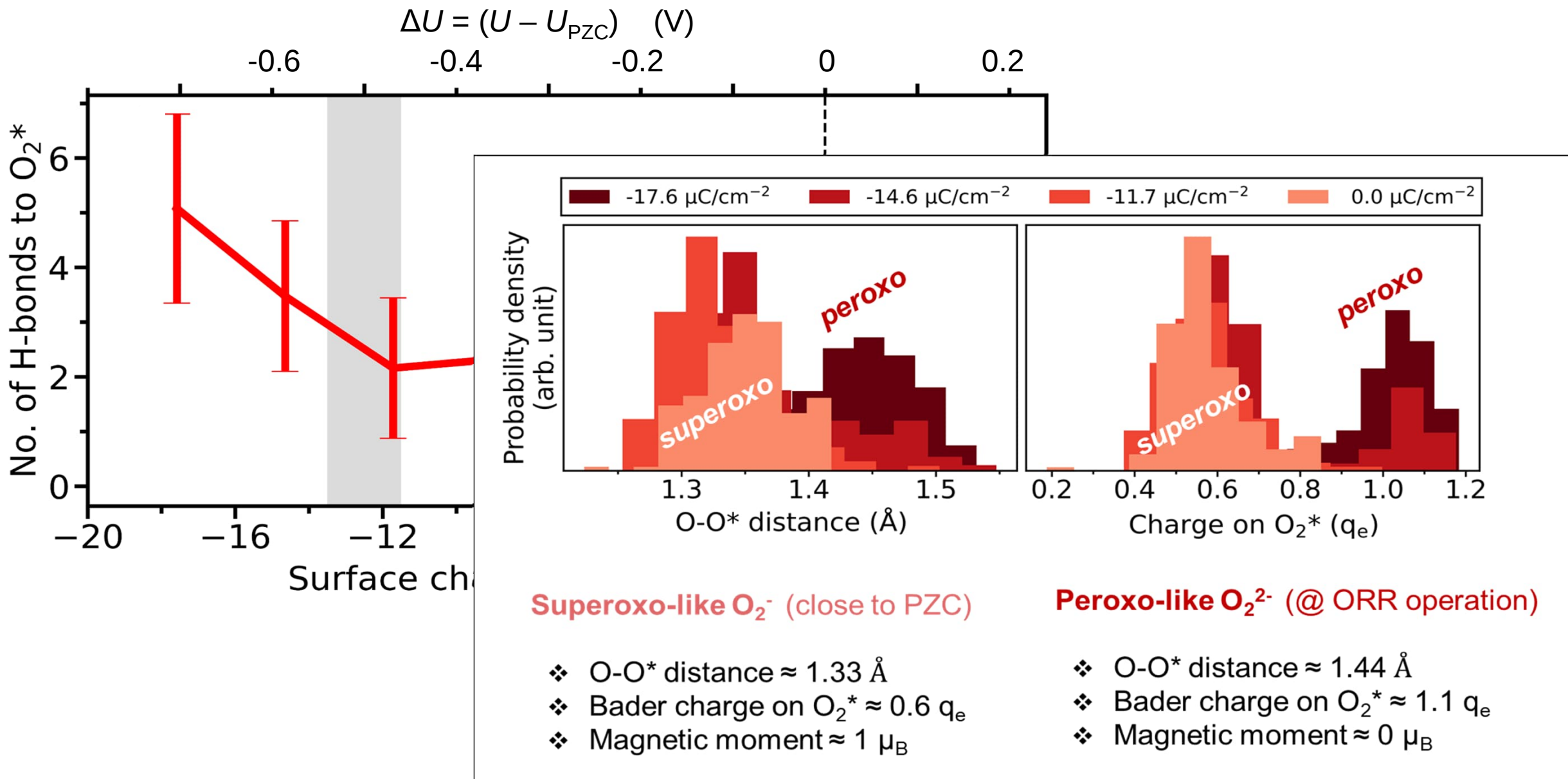
- Unclear selectivity:
$$\text{O}_2 + 4 (\text{H}^+ + \text{e}^-) \rightarrow 2 \text{H}_2\text{O}$$
$$\text{O}_2 + 2 (\text{H}^+ + \text{e}^-) \rightarrow \text{H}_2\text{O}_2$$
- 4e^- path for strong binding catalysts, e.g. Pt(111)
- 2e^- path for weak binding catalysts, e.g. Au(111)

...but how to get the O_2 at the surface in the first place?

Potential-Driven O₂ Adsorption at Au(111)

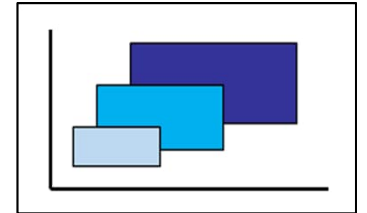


Role of the H-Bonding Network

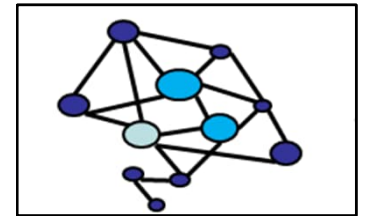




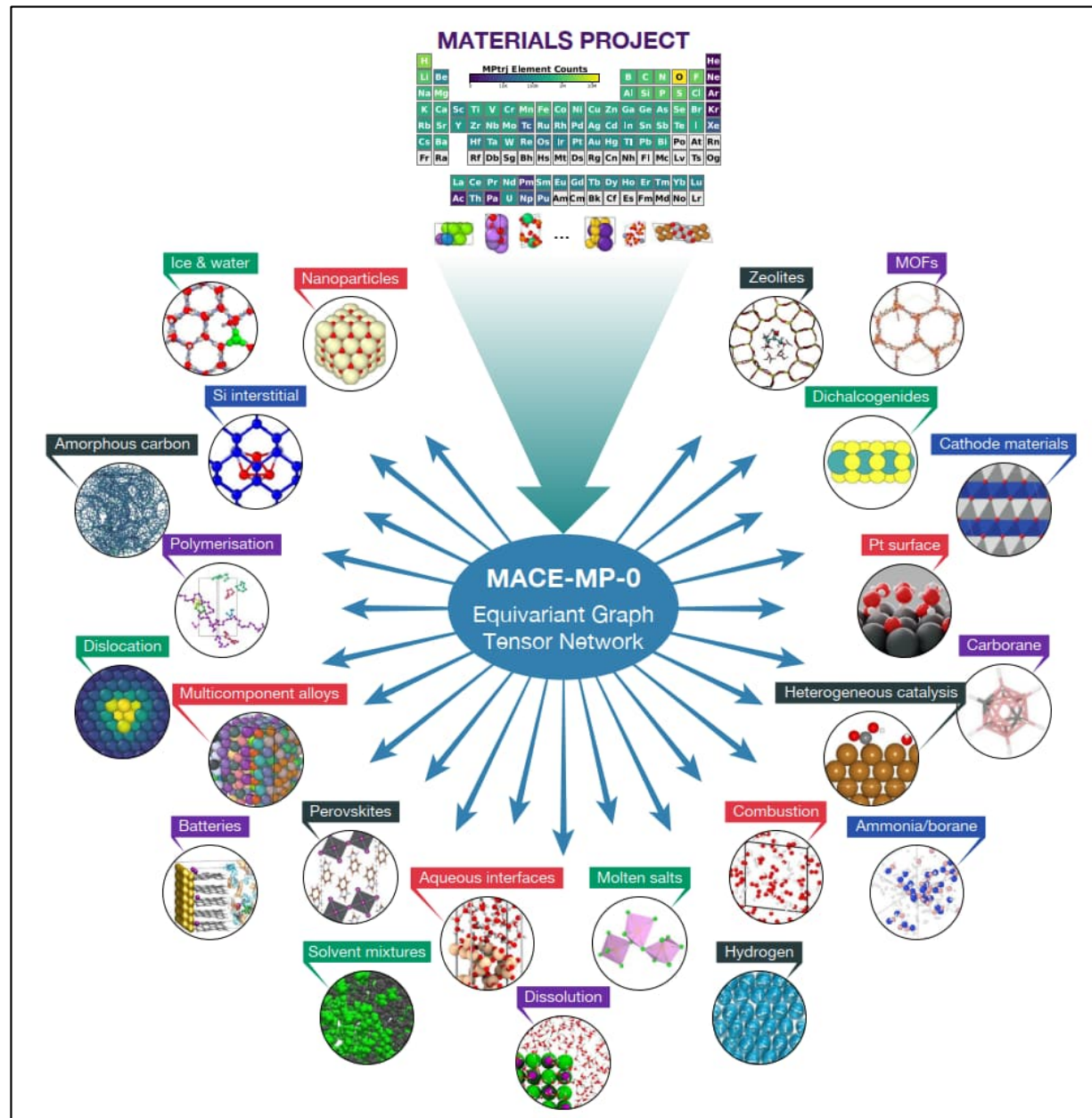
i) Implicit Solvation Models as Gateway to Capacitive Charging



ii) ML Surrogate Models as Gateway to Efficient Explicit Simulations



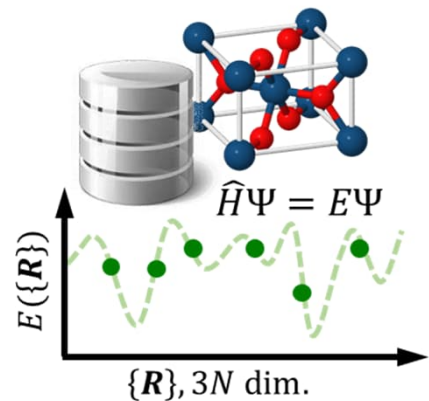
ii) Coupled Microkinetic-Continuum Models as Gateway to Mesoscale Transport



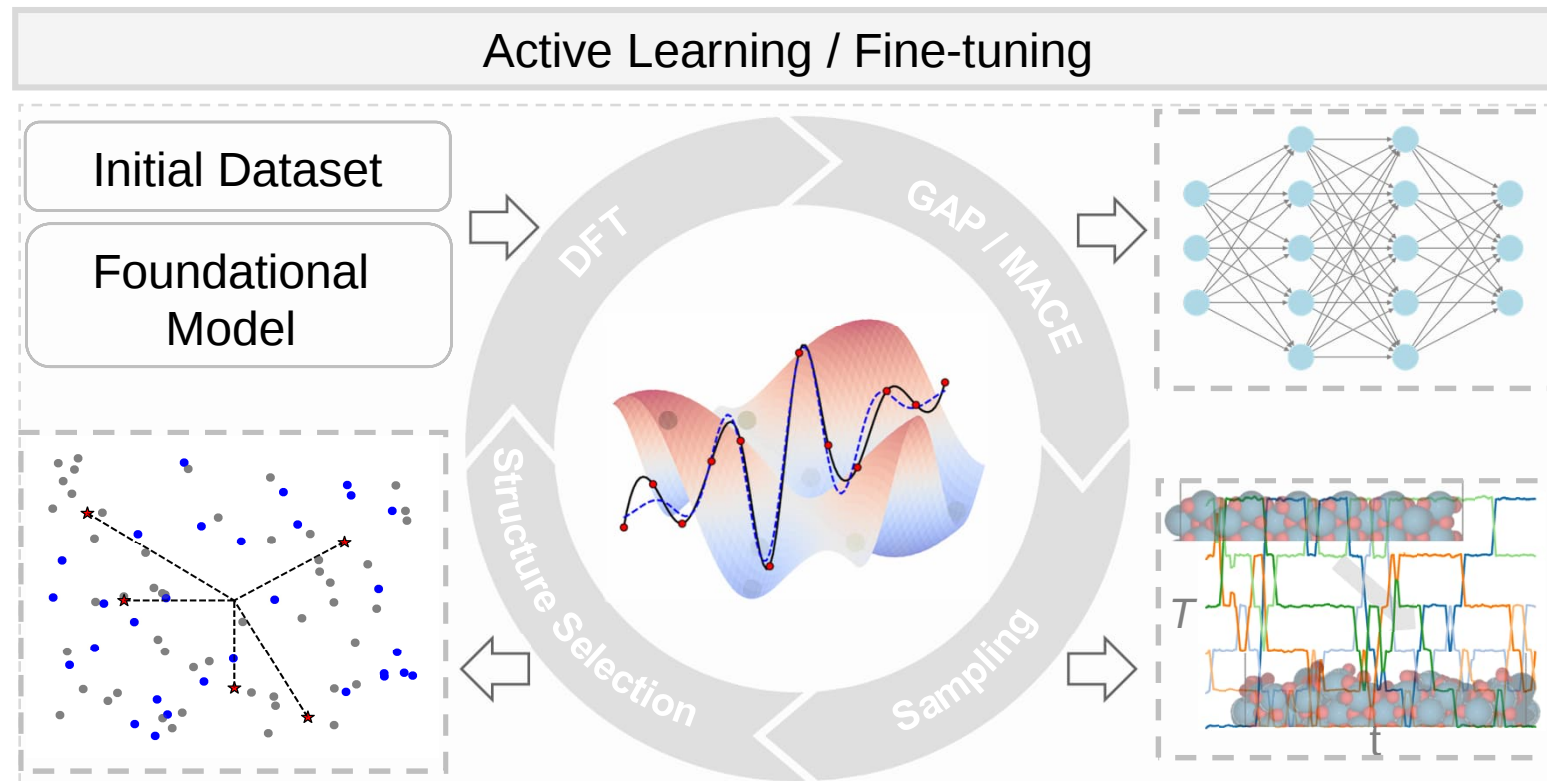
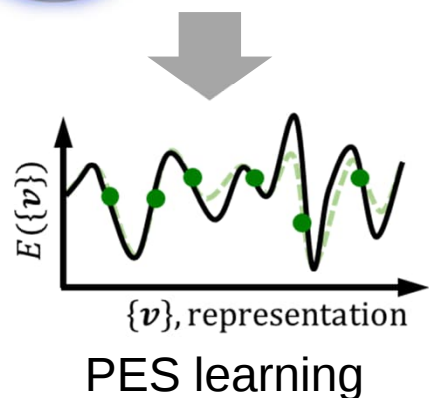
Machine-Learning Interatomic Potentials (MLIPs)



Reference database

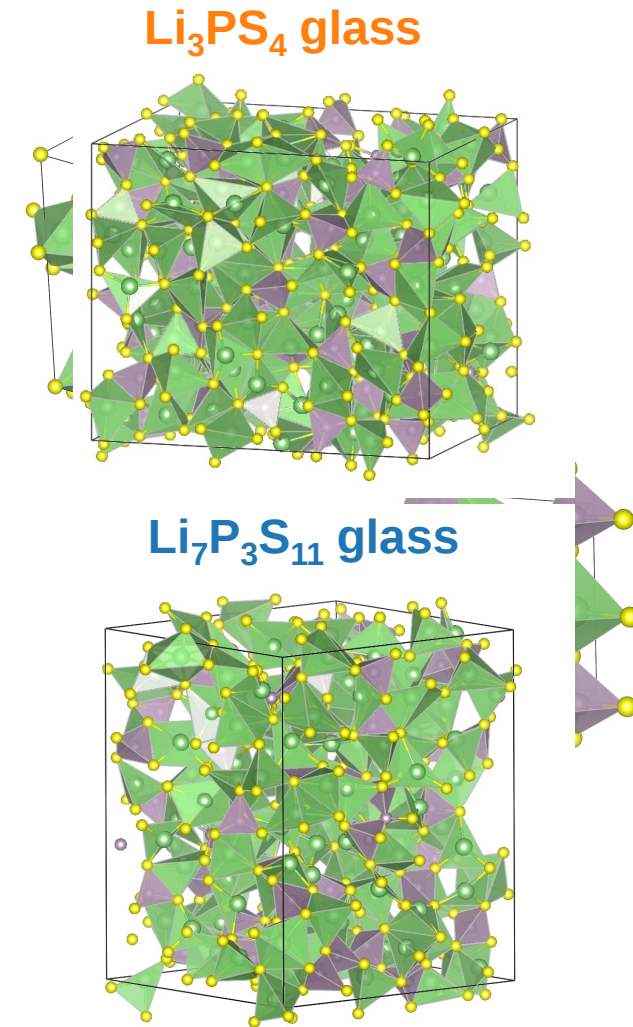
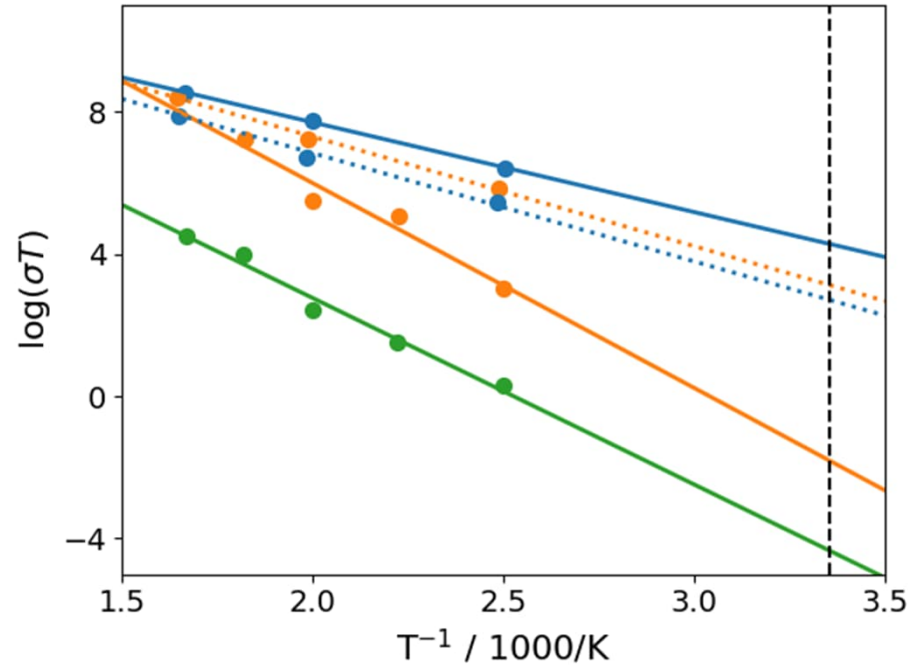
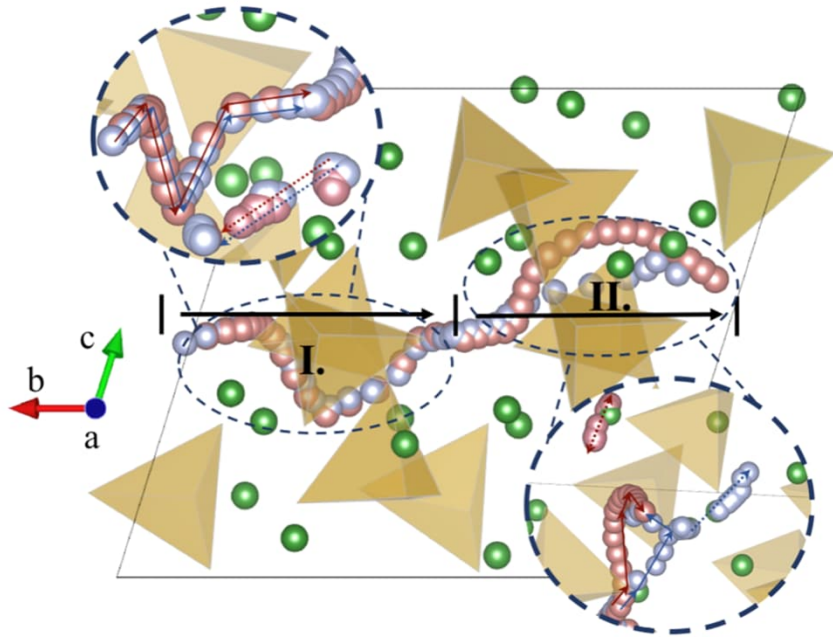


Representation
of atomic
environments



V.L. Deringer, M.A. Caro, and G. Csanyi,
Adv. Mater. 31, 1902765 (2019)
J. Timmermann *et al.*,
J. Chem. Phys. 155, 244107 (2021)

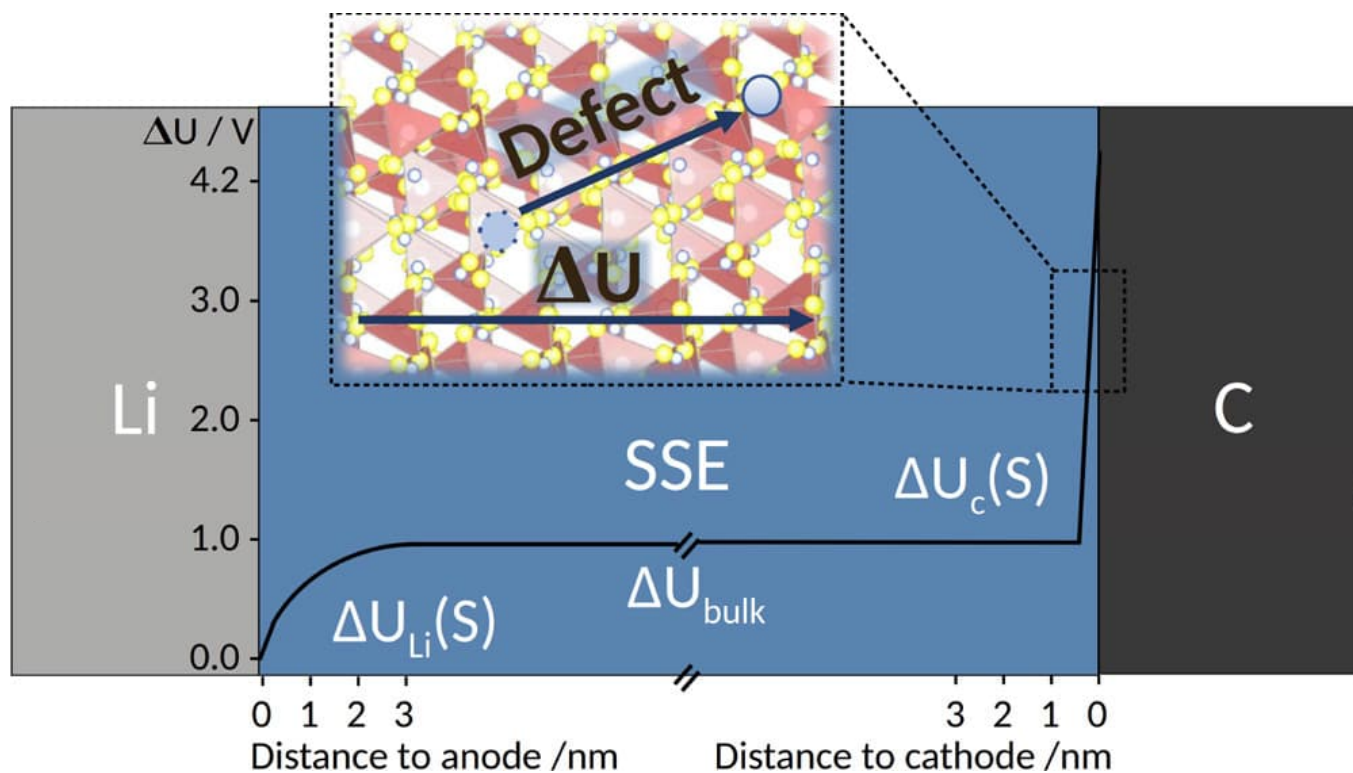
Case in Point: Ion Mobilities in LPS Solid-State Electrolytes



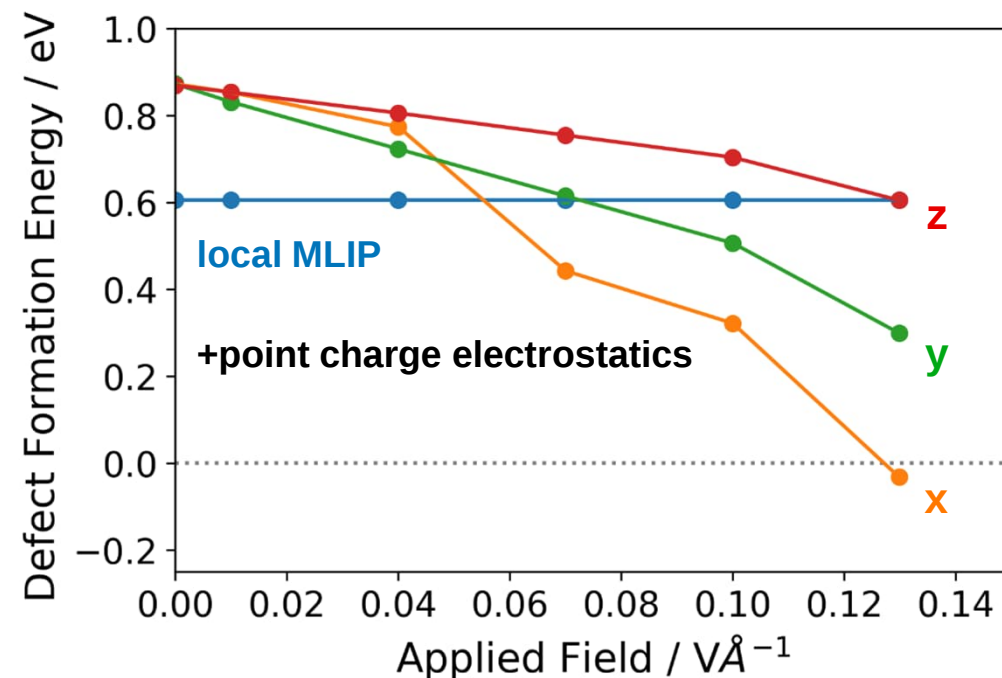
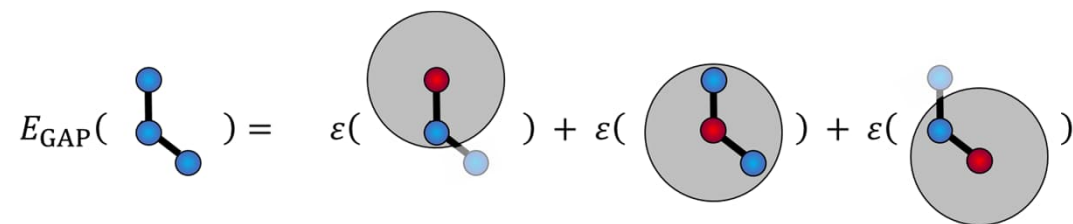
Iteratively trained ML potential
accurately predicts Li mobilities
in crystalline and amorphous Li-thiophosphate phases



Field-Dependence of $\text{Li}_7\text{P}_3\text{S}_{11}$ Defect Formation Energies



Local ML potentials cannot capture field dependencies



Fourth-Generation MLIPs: Coupling to Charge Equilibration (QEq)



$$E(q) = E_{\text{MLIP}} + E_{\text{QEq}} = E_{\text{MLIP}} + \sum_{i=1}^{N_{\text{atom}}} \left(\chi_i q_i + \frac{1}{2} J_i q_i^2 \right) + \sum_{i,j}^{N_{\text{atom}}} \frac{q_i q_j}{|\mathbf{r}_i - \mathbf{r}_j|}$$

$$\frac{\partial E_{\text{QEq}}}{\partial q_i} = 0 \quad ; \quad \sum_i^{N_{\text{atom}}} q_i = q$$

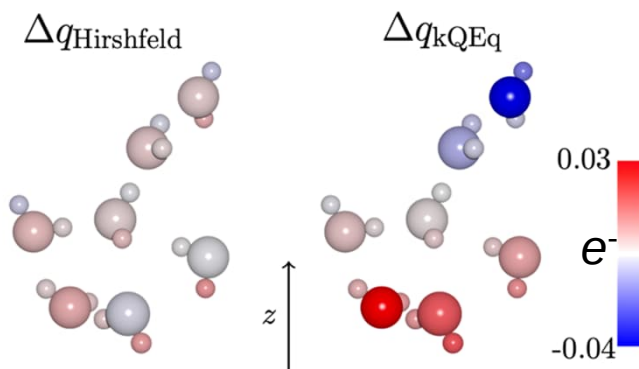
χ_i Electronegativity
 J_i Atomic Hardness

A.K. Rappe and W.A. Goddard, J. Phys. Chem. 95, 3358 (1991)

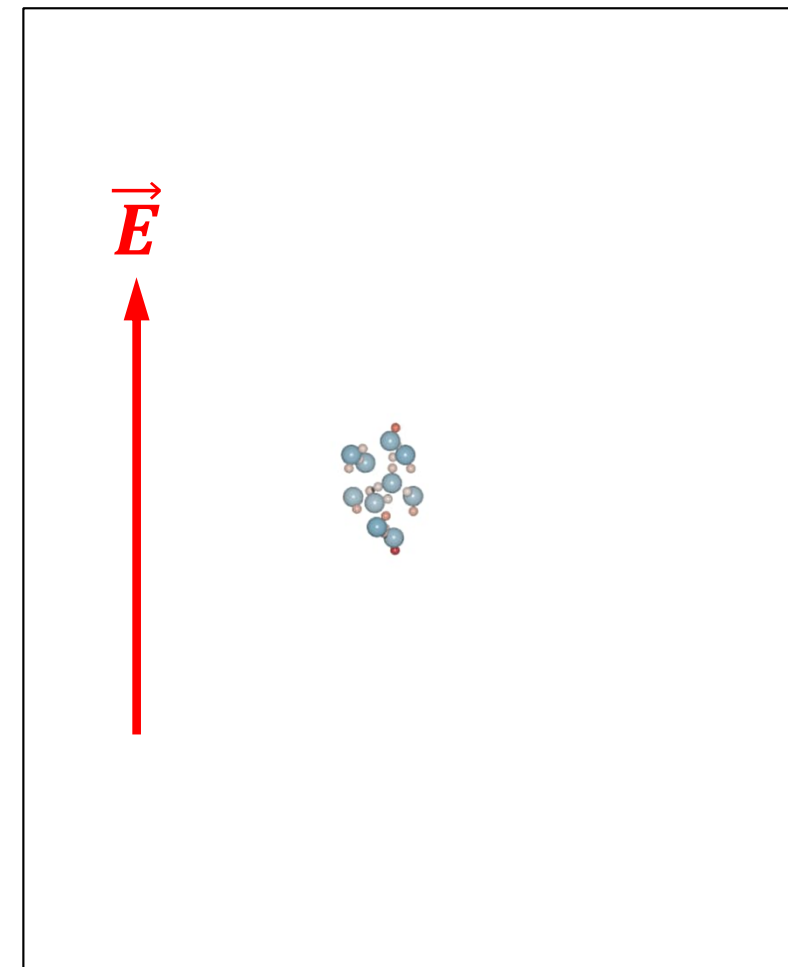
T.W. Ko, J.A. Finkler, S. Goedecker, and J. Behler, Acc. Chem. Res. 54, 808 (2021)



Martin Vondrák



Short-range MLIP + QEq fundamentally inadequate to capture polarization and charge transfer in non-metallic systems under external fields



M. Vondrak, K. Reuter, and J.T. Margraf, npj Comp. Mater 11, 288 (2025)

Machine-Learning Electrified Solid-Liquid Interfaces: RAZOR



$$E(q) = E_0 + \left. \frac{\partial E}{\partial q} \right|_0 q + \frac{1}{2} \left. \frac{\partial^2 E}{\partial q^2} \right|_0 q^2 + \dots = E_0 + \phi_0 q + \frac{1}{2} \frac{1}{C_{\text{el},0}} q^2 + \dots$$

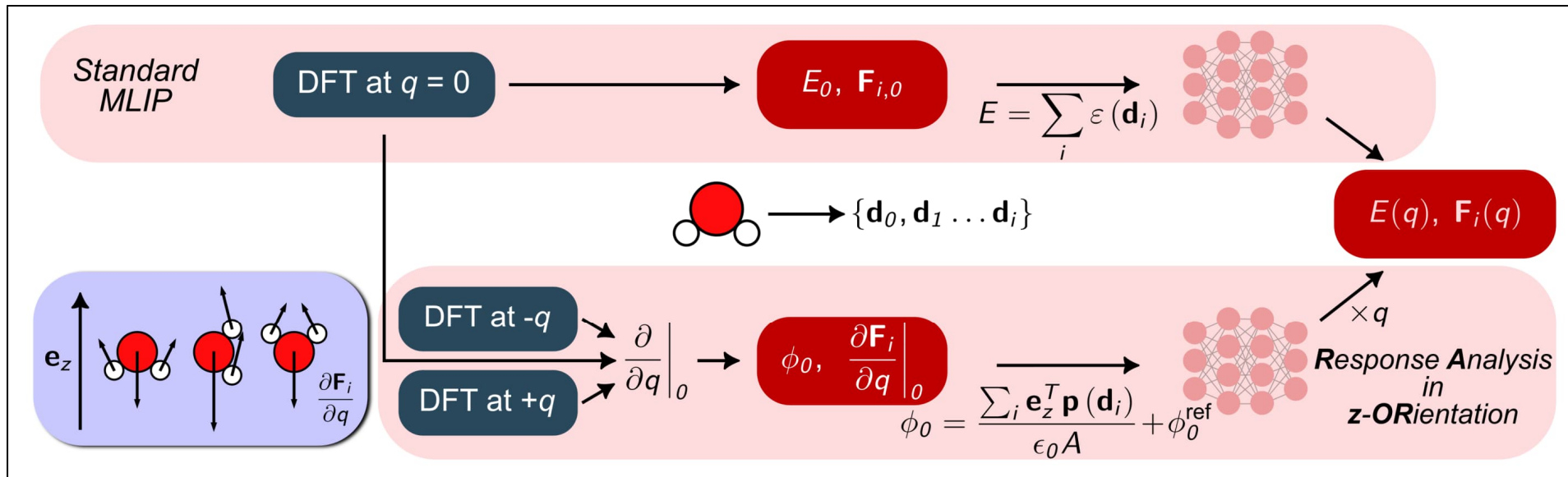
$$E_0 = \sum_{i=1}^{N_{\text{atom}}} \varepsilon_0(d_i)$$

$$\Delta\phi_0 = \frac{1}{\epsilon_0 A} P_z = \frac{1}{\epsilon_0 A} \sum_{i=1}^{N_{\text{atom}}} p_z(d_i)$$

$$\mathbf{F}_{0,i} = -\frac{\partial E_0}{\partial \mathbf{r}_i}$$

$$\mathbf{Z}_i^* = -\epsilon_0 A \frac{\partial \phi_0}{\partial \mathbf{r}_i} = \epsilon_0 A \frac{\partial \mathbf{F}_{0,i}}{\partial q}$$

$\approx$ configuration-independent,
(implicit solvent model)

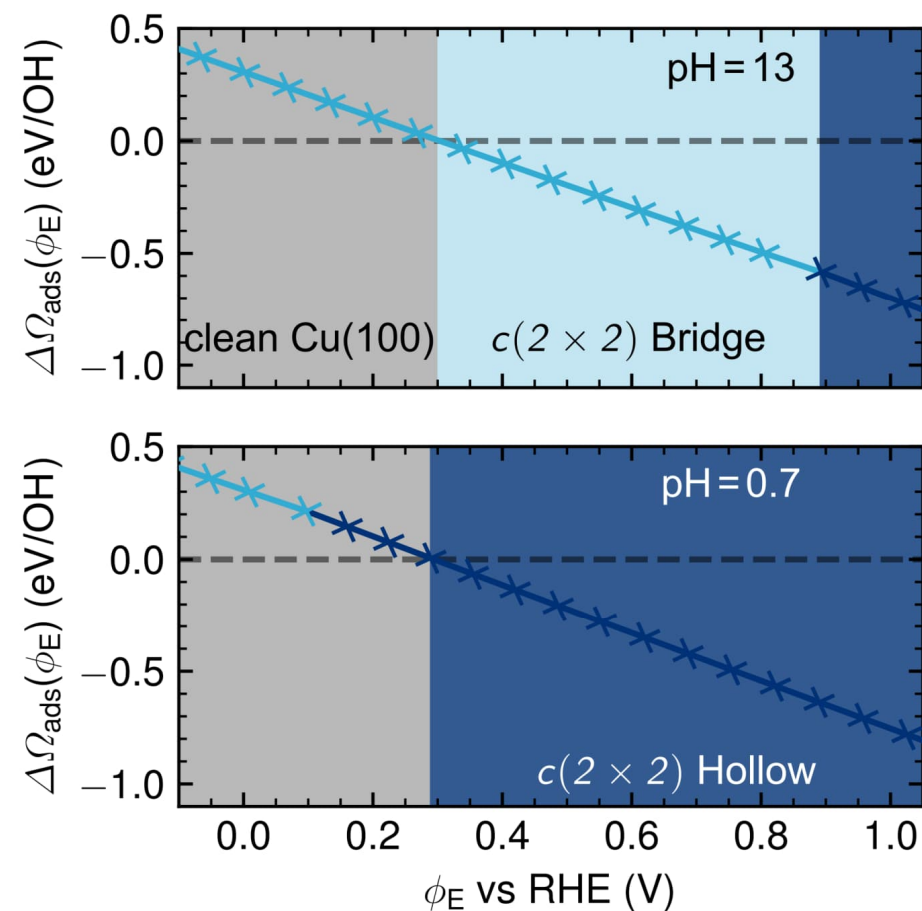
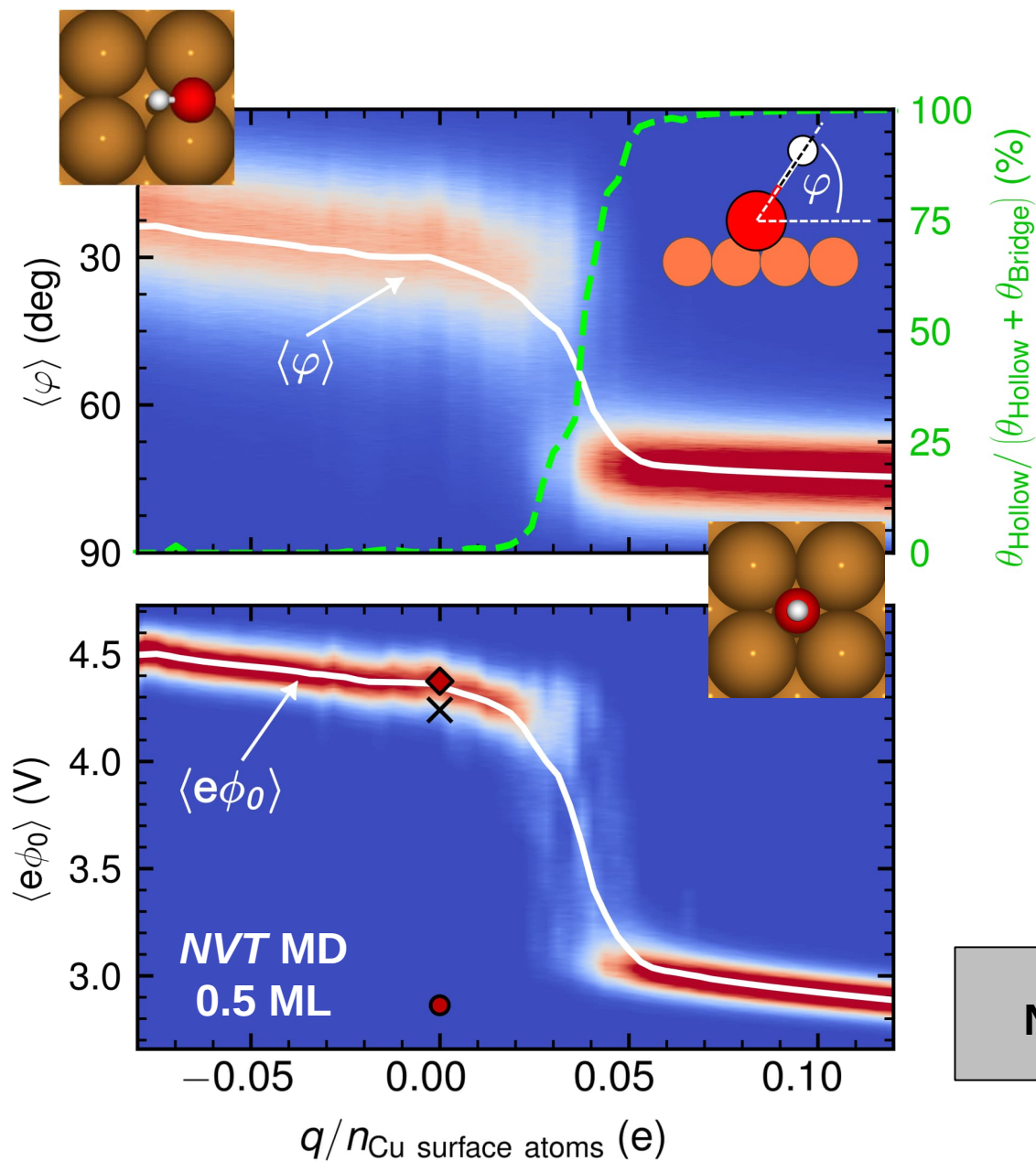




Charge-Dependent Adsorption Site Switch: OH @ Cu(100)



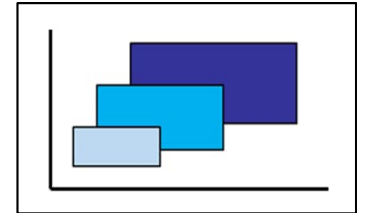
Nicolas Bergmann



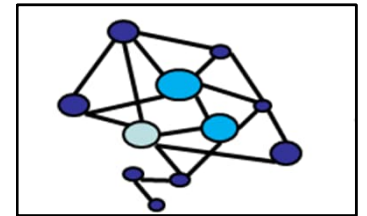
Non-Nernstian pH-dependence of on-set adsorption site



i) Implicit Solvation Models as Gateway to Capacitive Charging

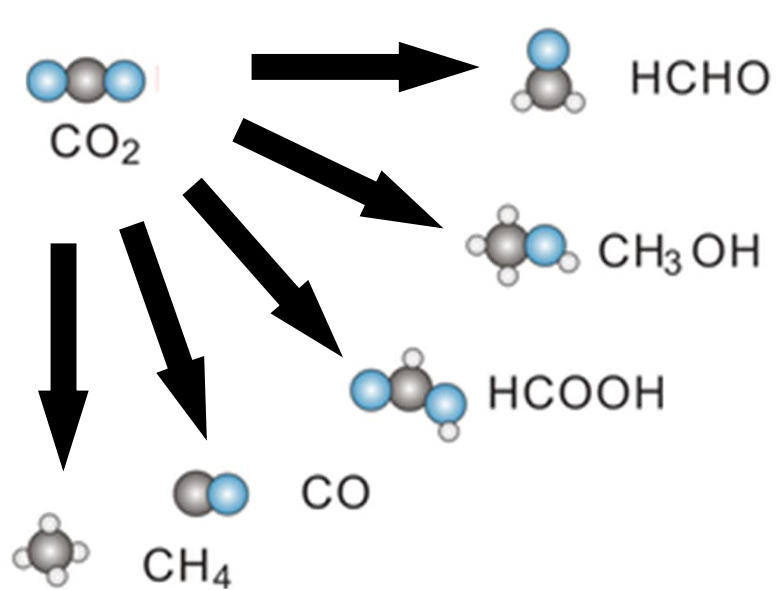


ii) ML Surrogate Models as Gateway to Efficient Explicit Simulations



ii) Coupled Microkinetic-Continuum Models as Gateway to Mesoscale Transport

Product Selectivity in Electrocatalysis



Nanoparticles

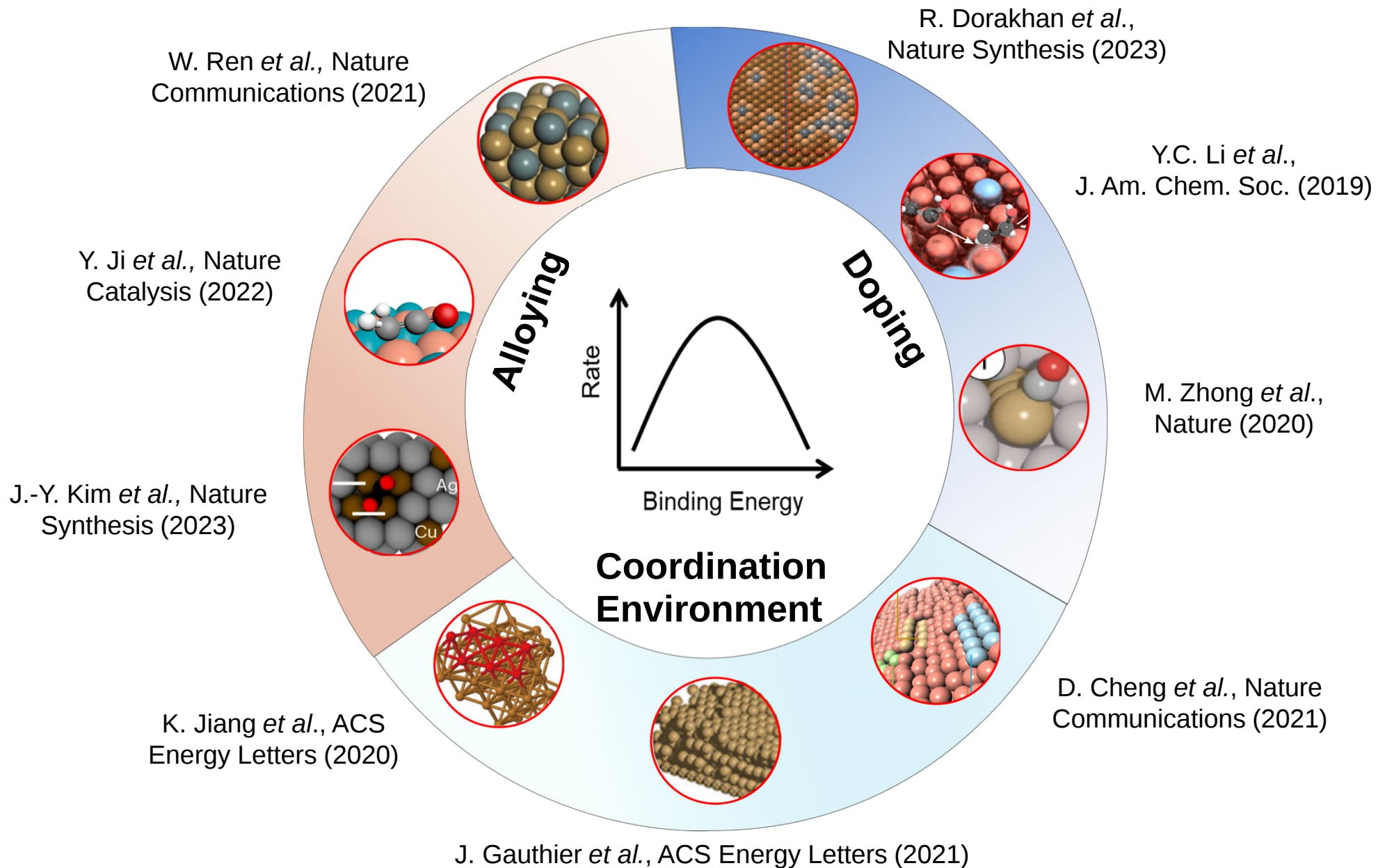
- Size, shape
- Interparticle distance, loading
- Support effects
- ...

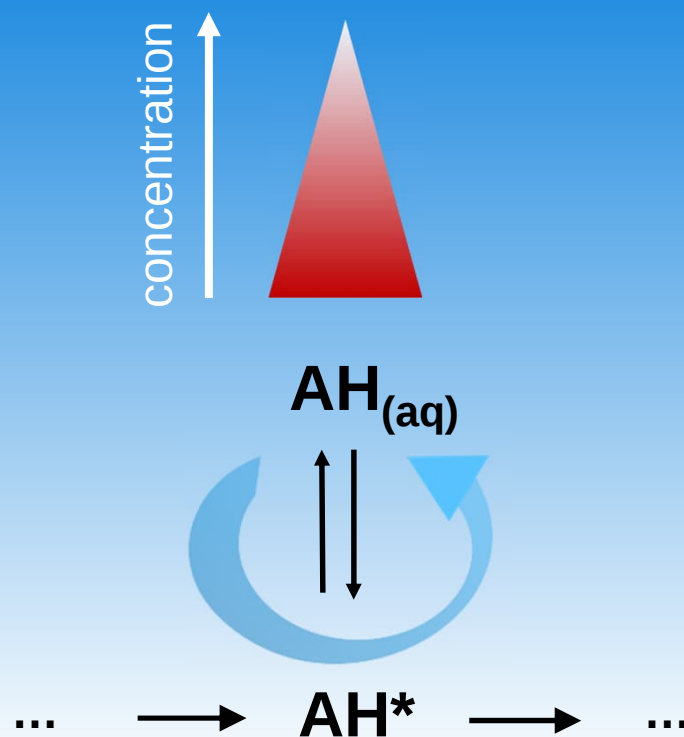
Nanostructured Electrocatalysts

3D interconnected electrodes

- Oxidation/reduction
- Sputter deposition
- Dealloying
- ...

**Nanostructuring is one key approach to tune selectivity in
CO₂RR, ORR, NRR, MeOH-OR, EtOH-OR, ...**





Diffusion

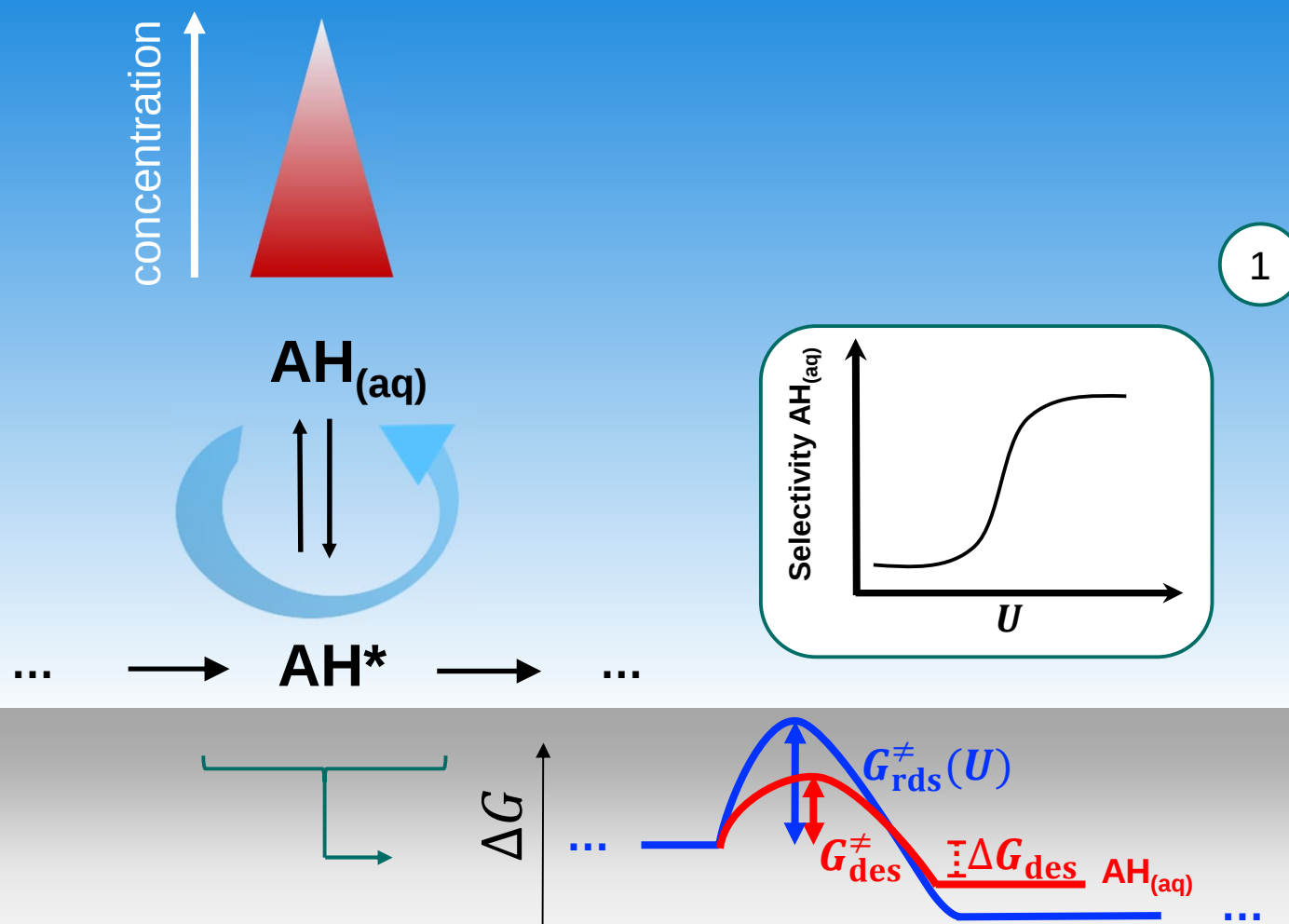
vs.

Surface Chemistry

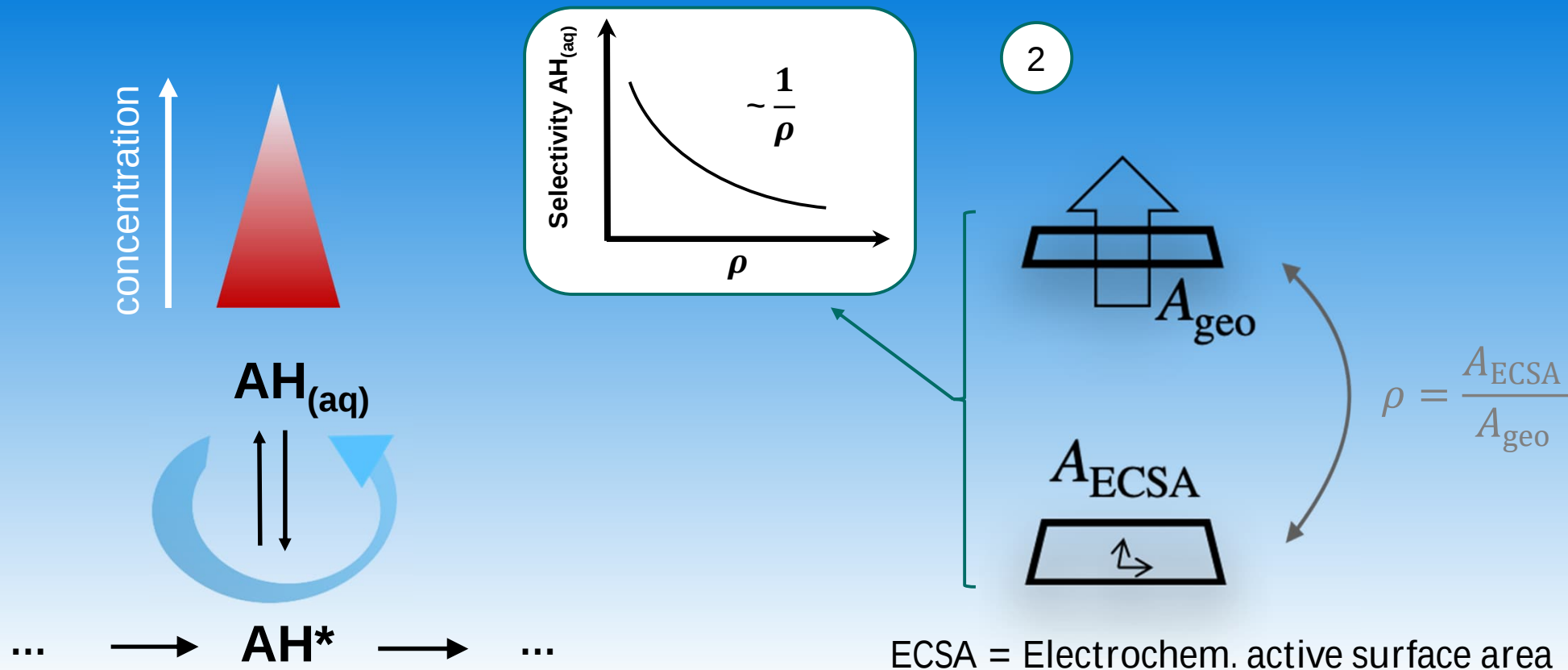
"Desorption – Diffusion – Re-adsorption"

Y. Seidel, R.J. Behm *et al.*, Faraday Discuss. 140, 1676 (2009)

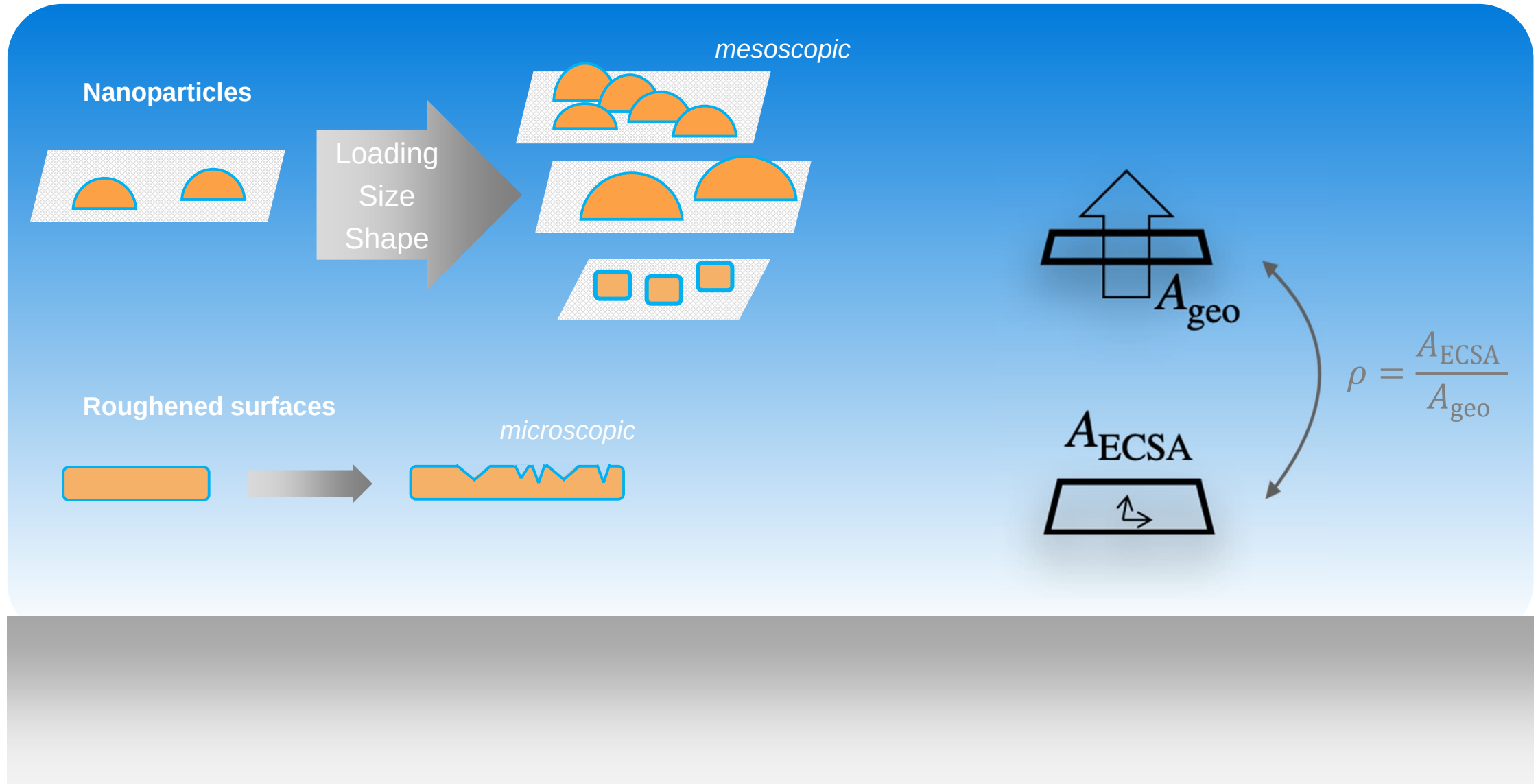
Characteristic Selectivity Trends



Characteristic Selectivity Trends



Influence of Catalyst Morphology



A Simple Kinetic Model



$$J = -D \frac{\partial c}{\partial x}$$

concentration

$$\alpha = Hc$$

diffusion length L

diffusion coeff

Diffusion

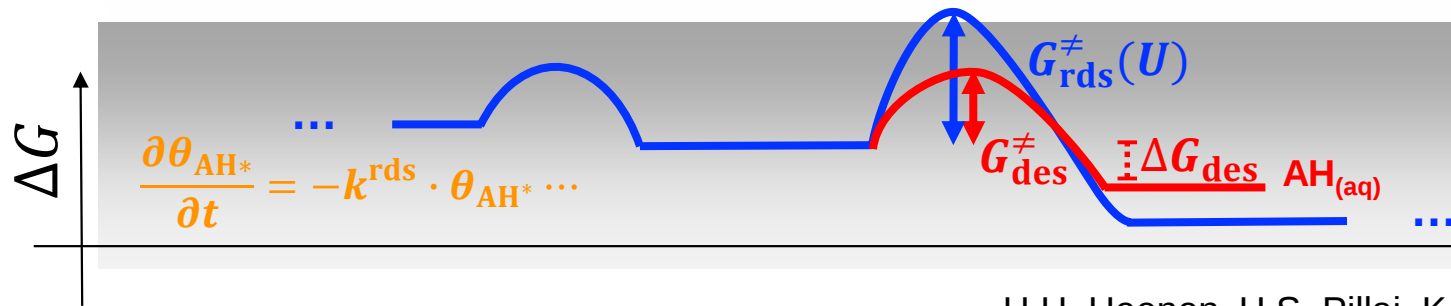
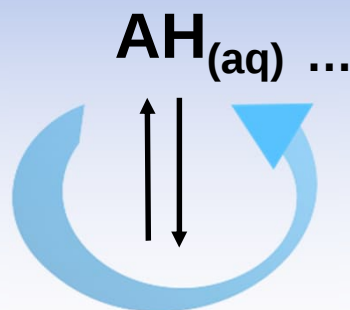
1D transport model

VS.

Surface chemistry

microkinetic model

Henry's constant (tables)
Diffusion coeff. (tables)
Diffusion length (reactor)



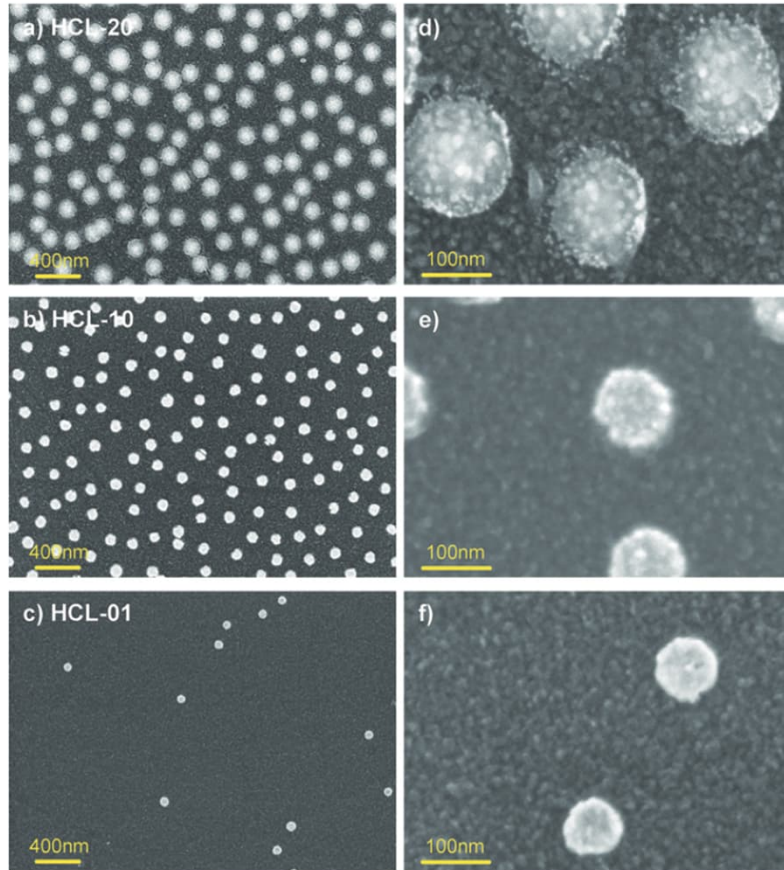
3 Barriers (DFT-PBE)
Transfer coefficient $\alpha=0.5$

Seminal Experiments: ORR on Pt Model Electrodes

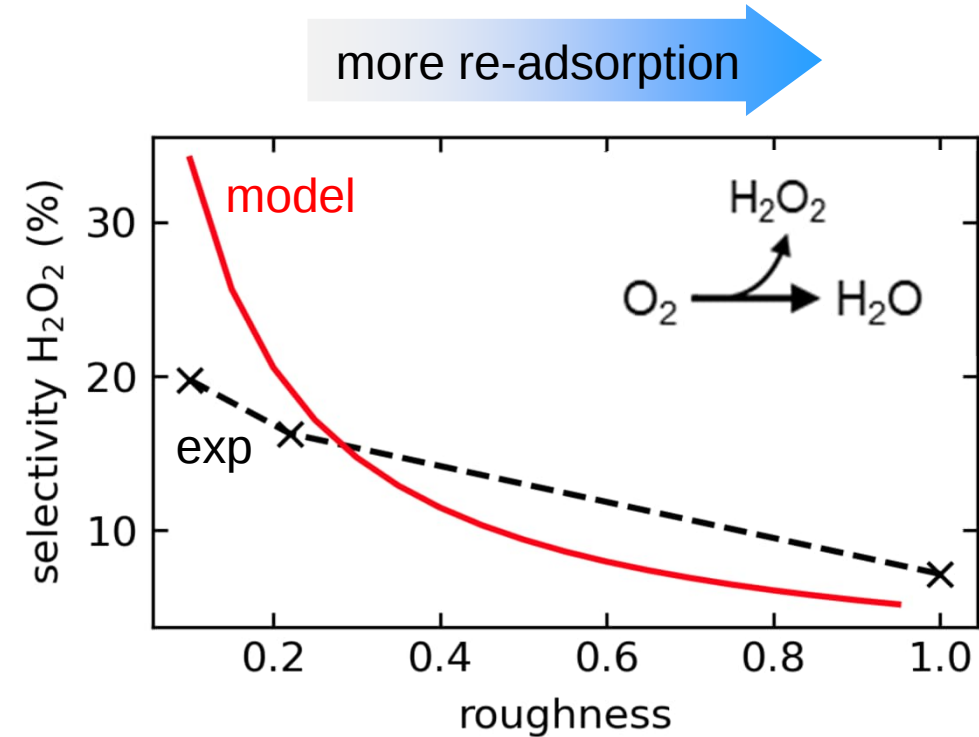


Hole-mask colloidal lithography employed to yield structurally well-defined arrays of Pt nanodiscs (~100 nm) of varying loading (= roughness)

higher roughness

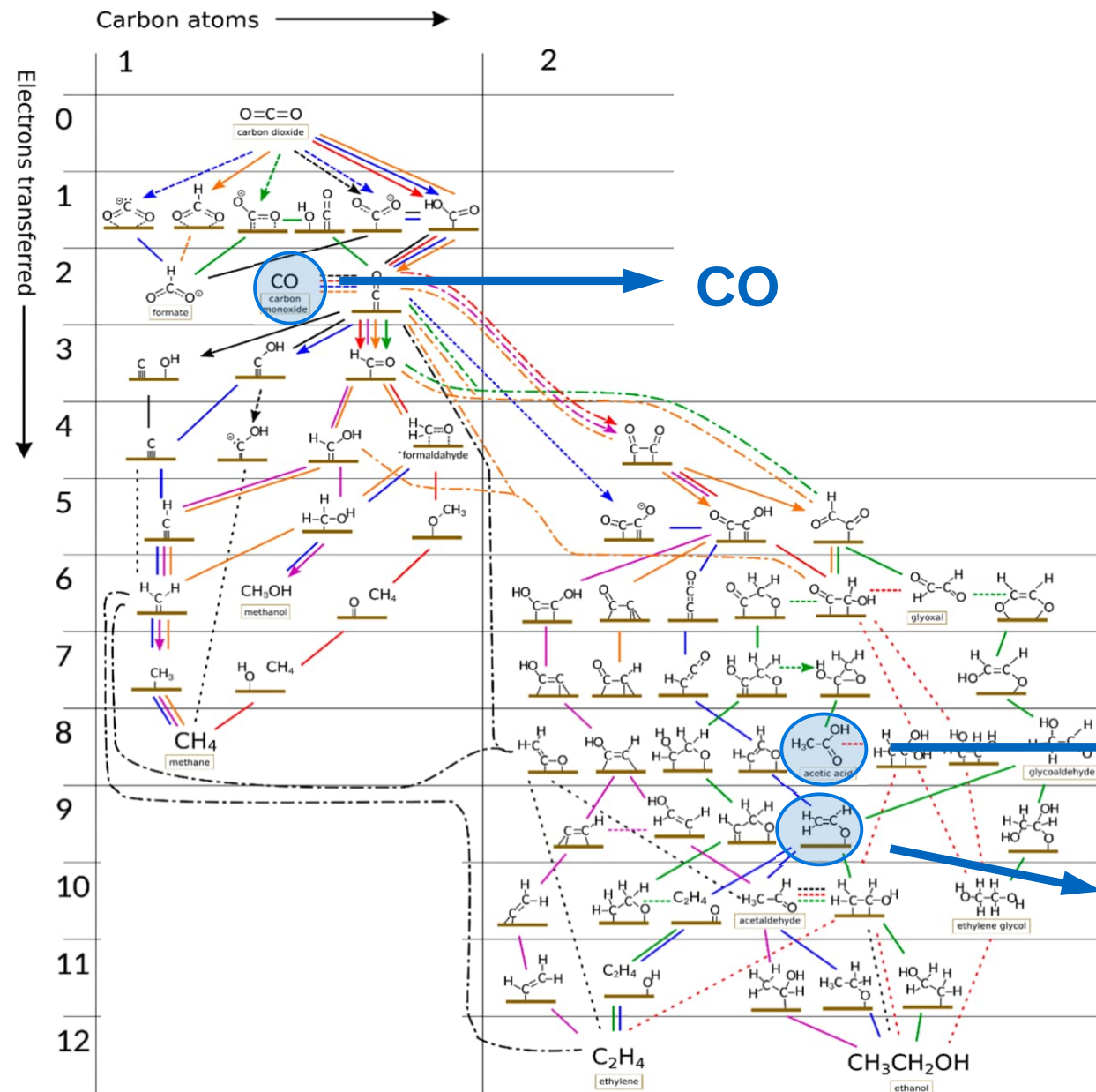


Y.E. Seidel, A. Schneider, Z. Jusys, B. Wickman, B. Kasemo, and R.J. Behm, Faraday Discuss. 140, 167 (2009)



- Model fits like a charm, but...
ultra-low loadings, model reactor,
proof-of-concept.
- Does it also work more generally?

Mesoscopic Mass Transport in CO₂RR @ Cu



- *vs. potential (U)?*
- *vs. roughness (ρ)?*

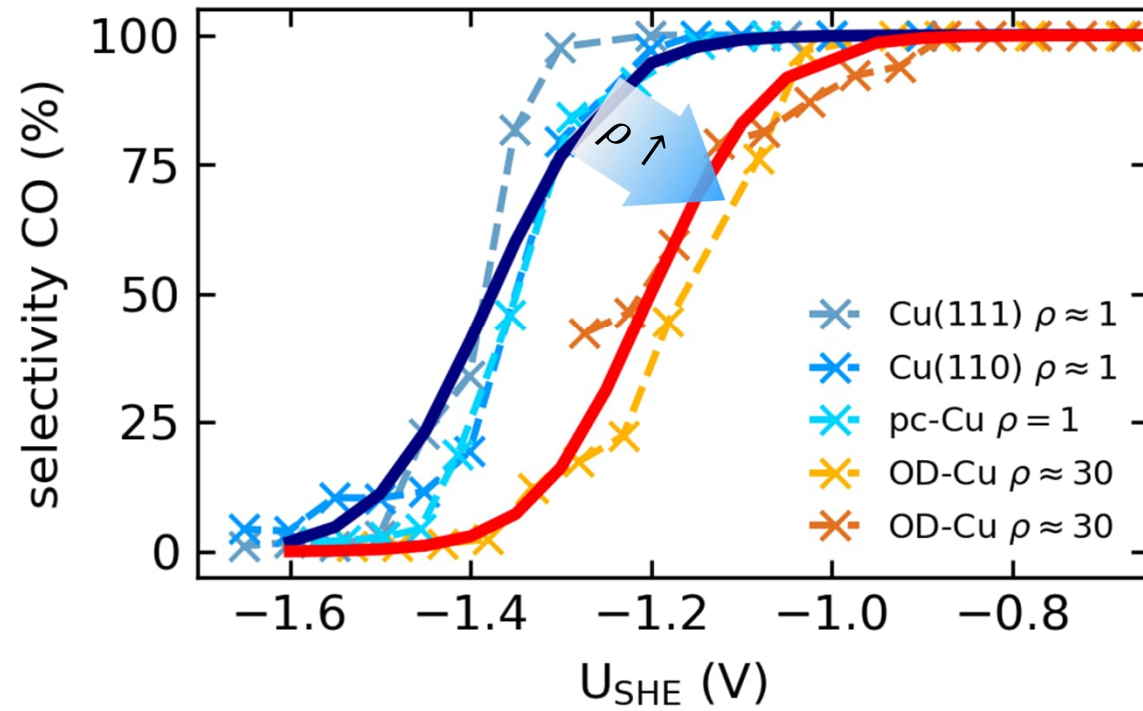
Acetate (Ac)

Acetaldehyde (MeCHO)



Lower selectivity to 'early' product:

- More reducing potentials (faster surface echem)
- Higher roughness (more re-adsorption)



K.P. Kuhl, T.F. Jaramillo *et al.*, Energy Environ. Sci. 5, 7050 (2012)

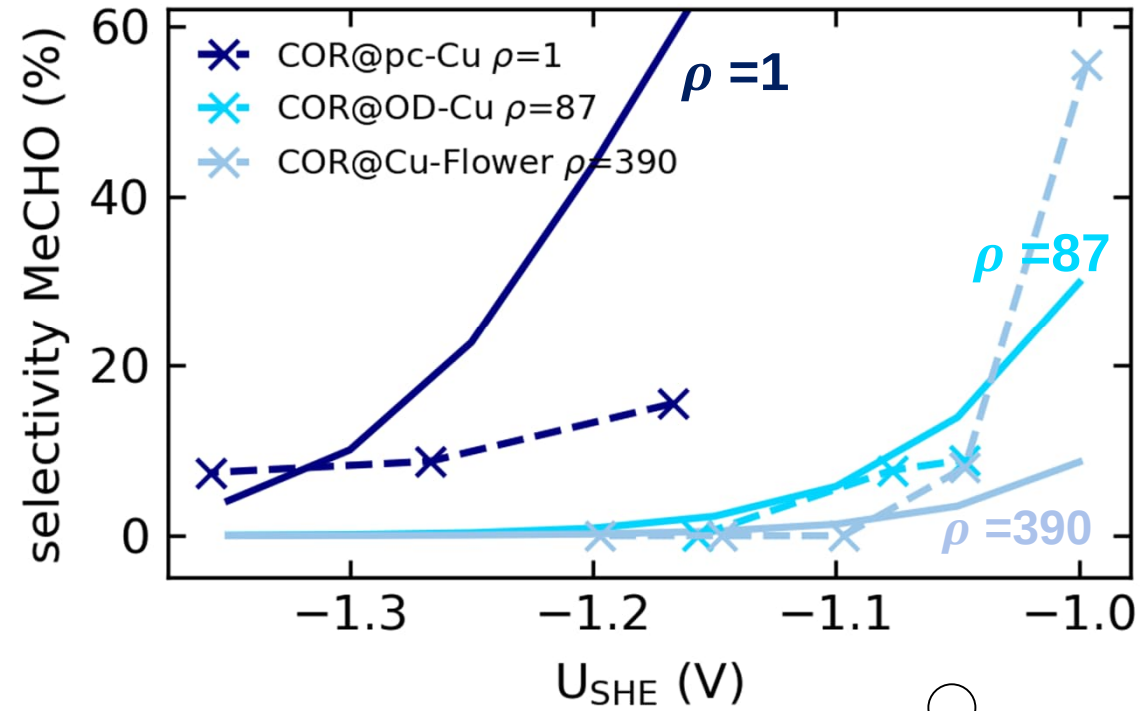
Y. Huang, B.S. Yeo *et al.*, ACS Catal. 7, 1749 (2017)

C.W. Li, M.W. Kanan, J. Am. Chem Soc. 134, 7231 (2012)

Mesoscopic Mass Transport in CO₂RR @ Cu



Same same for acetaldehyde...



E. Bertheussen, I. Chorkendorff *et al.*, Angew. Chem. Int. Ed. 128, 1472 (2016)

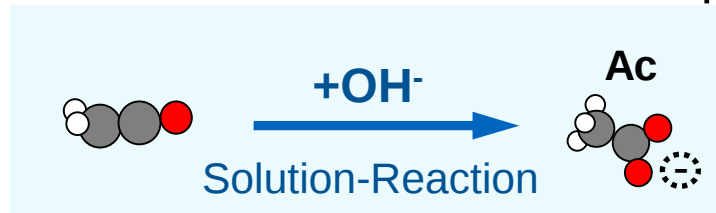
E. Bertheussen, I.E. Stephens *et al.*, ACS Energy Lett. 3, 634 (2018)

L. Wang, T.F. Jaramillo *et al.*, Nature Catal. 2, 702 (2019)

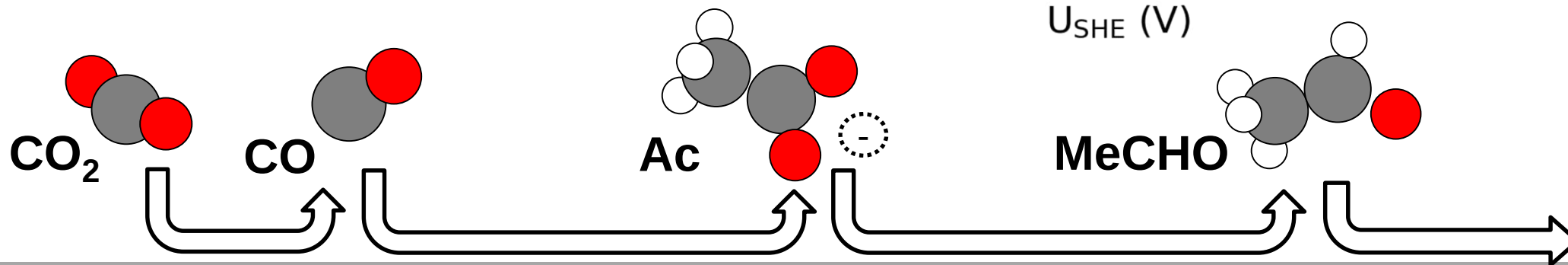
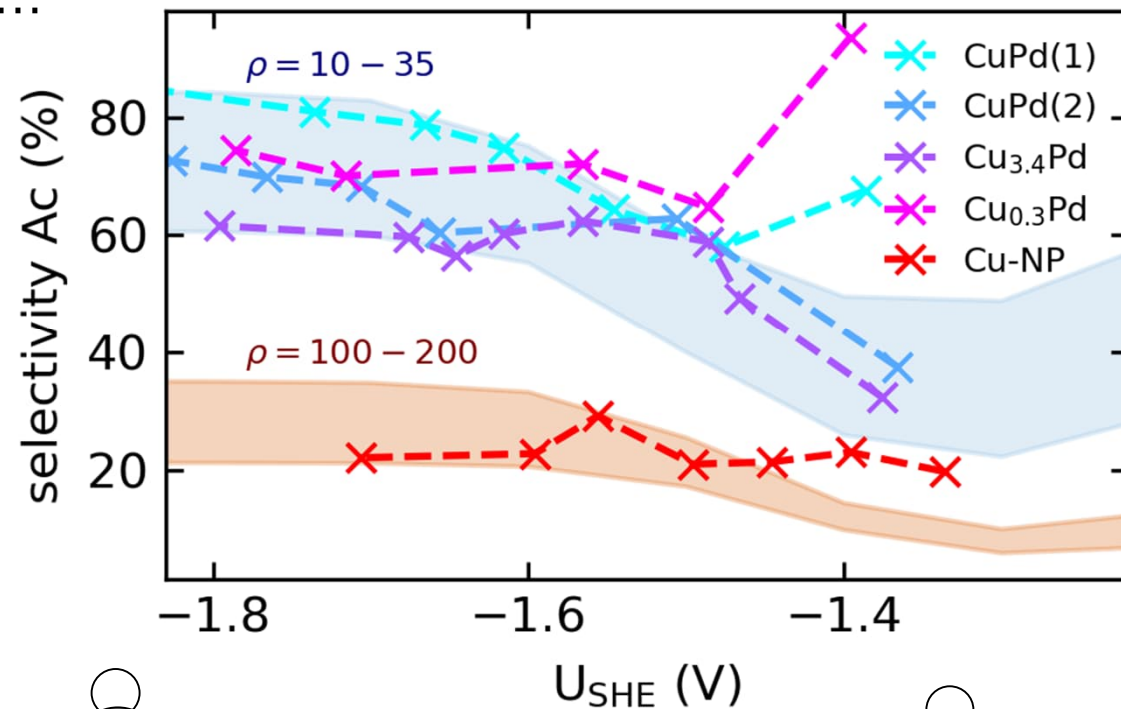
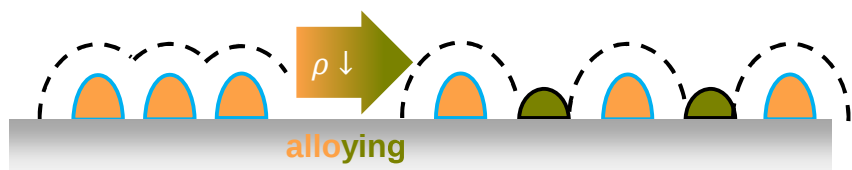
Mesososcopic Mass Transport in CO₂RR @ Cu



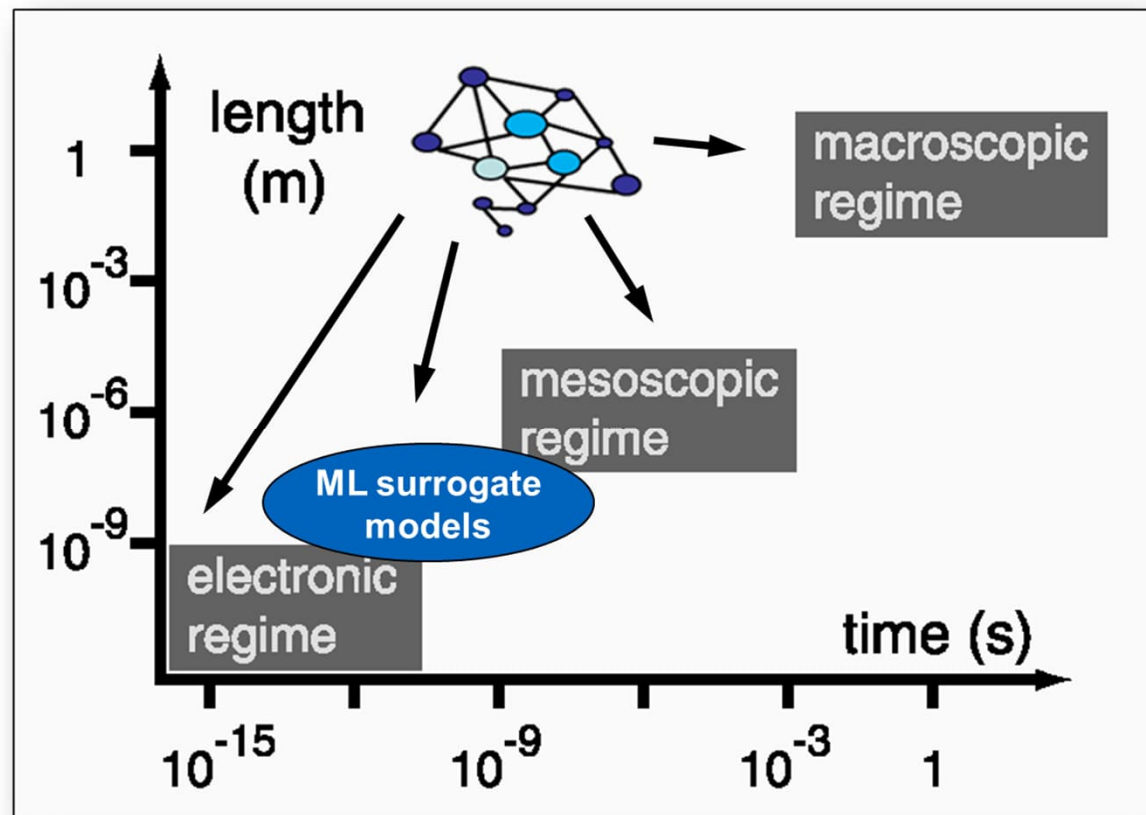
Acetate: Curves have more complex shape...



H.H. Heenen, K. Chan *et al.*,
Energy Environ. Sci. 15, 3978 (2022)

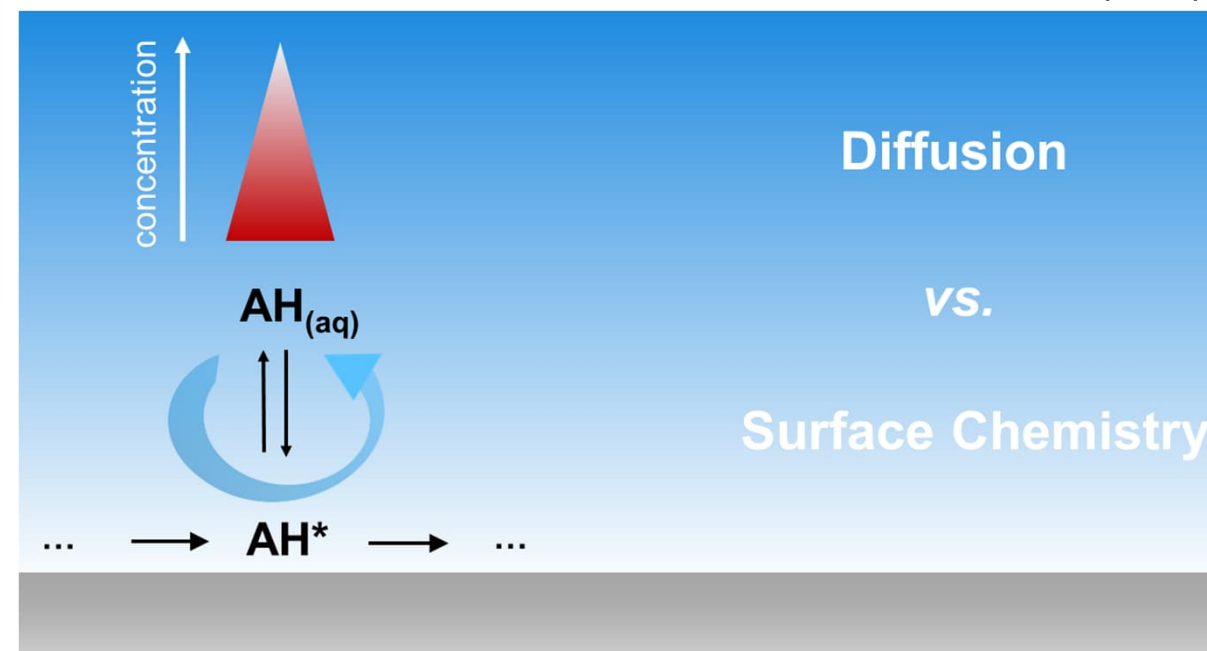


Y. Ji, G. Zheng *et al.*, Nature Catal. 5, 251 (2022)



J.T. Margraf, H. Jung, C. Scheurer, and
K. Reuter, *Nature Catal.* 6, 112 (2023)

S. Ringe, N.G. Hörmann, H. Oberhofer, and
K. Reuter, *Chem. Rev.* 122, 10777 (2022)



THANK YOU!



Nicolas
Hörmann



Vanessa
Bukas



Johannes
Margraf



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Scheurer