Flexible machine learning approaches for computer-assisted surgery

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Forewords

Most of the work presented in this talk stemmed from work from two of my PhD students

• Reuben Dorent, ongoing PhD, working on hetero-modal learning

- Guotai Wang, PhD between 2014-2018 on minimally interactive segmentation
 - Currently associate professor at the at University of Electronic Science and Technology of China





Personal impact of IPAM



http://www.ipam.ucla.edu/programs/summer-schools/summer-school-mathematics-in-brain-imaging/

Statistics Computing on Manifolds: from Riemannian Geometry to Computational Anatomy

Xavier Pennec Institut National de Recherche en Informatique Automatique (INRIA) Projet Epidaure

Computational anatomy aims at modeling the biological variability of the human anatomy.

To reach this goal, the method is to identify anatomically representative geometric features (points, tensors, curves, surfaces, volume transformations), and to describe and compare their statistical distribution in different populations. Unfortunately, geometric features often belong to manifolds that are not vector spaces. Based on a Riemannian manifold structure, we will detail how one can develop a consistent framework for statistical computing on manifolds, starting with the notions of mean value and covariance matrix of a random element, normal law, Mahalanobis distance and test. Then, we will extend the Riemannian computing framework to PDEs for smoothing and interpolation of fields of geometric elements with the example of positive define symmetric matrices (tensors). We show that the choice of a convenient Riemannian metric allows to generalize consistently to tensor fields many important geometric data processing algorithms such as interpolation, filtering, diffusion and restoration of missing data. This framework will be exemplified with the modeling of the brain variability from a dataset of lines on the cerebral cortex. The resulting dense 3D variability map can be seen as the diagonal elements of the Green's function of the Brain accross subjects. This modeling can be extended with non-diagonal element by computing significantly correlated regions in the brain. Finally we will discuss some of the methods that have been recently introduced to compute statistics on diffeomorphisms.

Audio (MP3 File, Podcast Ready) Presentation Files (Zip Archive)

Back to Summer School: Mathematics in Brain Imaging

http://www.ipam.ucla.edu/abstract/?tid=7413&pcode=MBI2008



Editorial

Special Issue on Mathematics in Brain Imaging

https://www.sciencedirect.com/science/journal/10538119/45/1/supp/S1

Diffeomorphic demons: Efficient non-parametric image registration <u>T Vercauteren</u>, <u>X Pennec</u>, A Perchant, <u>N Ayache</u> - NeuroImage, 2009 - Elsevier We propose an efficient non-parametric diffeomorphic image registration algorithm based on

Thirion's demons algorithm. In the first part of this paper, we show that Thirion's demons algorithm can be seen as an optimization procedure on the entire space of displacement ... \therefore 52 Cited by 1128 Related articles Web of Science: 653

https://doi.org/10.1016/j.neuroimage.2008.10.040

Delivering flexible patient-specific decision support tools



Image courtesy of Bilger et al.



Image courtesy of Stechison





- Key role of medical imaging
 - Pre-operative planning
 - Intra-operative navigation / guidance
 - Post-operative assessment
- Challenges
 - Only partial standardisation of imaging
 - Intra-operative changes
 - Interpretation difficulties
 - Cognitive workload
- Requirements
 - Integrate in the workflow
 - Only partial annotations for learning
 - Leave the clinical team in control

Multimodal learning in medical imaging



Hetero-modality challenge

Practical clinical workflows rarely provides all modalities for every patient

 \rightarrow Need to handle hetero-modal scenarios

Naïve solutions are suboptimal

- Exploiting only common modality
- Zero filling
- Learning imputation as preprocessing

Training datasets in medical imaging



Heterogeneous dataset challenge

Training datasets are usually task specific

 \rightarrow Need to handle multi-task learning innovatively



Quality control and human-in-the-loop for medical imaging

<u>Robustness challenge</u> Despite some predictions, robustness will remain a key issue

"If you work as a radiologist you're like the coyote that's already over the edge of the cliff. **People should stop training radiologists now**, it's just completely obvious that in five years deep learning is going to do better than radiologists. It might be ten years"

Geoffrey Hinton in 2016





Unknown ground truth



Automated

Dealing with hetero-modal inputs

Missing input modalities: the hetero-modality challenge

Goal: building a joint segmentation model for hetero-modal inputs

Possible solutions to deal with missing modalities

- Input filled with zeros
- Synthesising missing 3D modalities:
 → Generative models (ex: GAN, VAE)
- Creating a common feature space that encodes the shared information
 - \rightarrow Arithmetic operations (moments)
 - \rightarrow Hetero-modal variational encoder-decoder

Treat the segmentation as a missing modality



Hetero-modal architecture via arithmetic fusion

- Extract features from each modality independently
- Fuse *modality-agnostic* latent features using arithmetic operations (e.g. mean)
- Can we formalise the fusion in a probabilistic graphical model?



Havaei, *et al.* HeMIS: Hetero-modal image segmentation. MICCAI 2016.

Graphical model for multi-modal data auto-encoding

All modalities **and the segmentation** considered conditionally independent given latent features **z**

 $\begin{array}{c} z \\ \hline x_1 \\ \hline x_2 \\ \hline x_3 \\ \hline x_4 \\ \hline x_5 \\ \hline x_5 \\ \hline x_1 \\ \hline x_2 \\ \hline x_3 \\ \hline x_4 \\ \hline x_5 \\ \hline x_5 \\ \hline x_1 \\ \hline x_5 \\ \hline x_1 \\ \hline x_1 \\ \hline x_2 \\ \hline x_3 \\ \hline x_4 \\ \hline x_5 \\ \hline x_5 \\ \hline x_1 \\ \hline x_5 \\ \hline x_1 \\ \hline x_1 \\ \hline x_2 \\ \hline x_3 \\ \hline x_4 \\ \hline x_5 \\ \hline x$

R Dorent et al. Hetero-modal variational encoder-decoder for joint modality completion and segmentation. Proc. MICCAI 2019.

$$p_{\theta}(z, x_1, ..., x_n) = p(z) \prod_{i=1}^{n} p_{\theta}(x_i | z)$$

$$Prior$$
(Typically modelled
as Gaussian)
Parametrised with
a neural network
(decoder recons.)

Auto-encoder objective: maximize the marginal log-likelihood

$$\mathcal{L}(\mathbf{x};\theta) = \log(p_{\theta}(x_1, ..., x_n)) = \log\left(\int p_{\theta}(\mathbf{x}|z)p(z)\right)$$

$$\downarrow$$
intractable

Variational auto-encoder

Introduction of another parametric distribution (**encoder** provides parameters). Typically: $q_{\phi}(z|\mathbf{x}) = \mathcal{N}(z; \mu_{\phi}(\mathbf{x}), \Sigma_{\phi}(\mathbf{x}))$

For any distribution $q_{\phi}(z|\mathbf{x})$ one can exploit the following lower-bound of the log-likelihood:

$$\mathcal{L}(\mathbf{x};\theta) \ge \text{ELBO}(\mathbf{x};\theta,\phi) \triangleq E_{q_{\phi}(z|\mathbf{x})_{z}}[\log(p_{\theta}(\mathbf{x}|z))] - \text{KL}[q_{\phi}(z|\mathbf{x})||p(z)]$$

Reconstruction loss Estimated by sampling from Gaussian $q_{\phi}(z|\mathbf{x})$

Regularization term Closed form between parameters (Gaussians)

ELBO maximal w.r.t. ϕ when $q_{\phi}(z|\mathbf{x}) = p_{\theta}(z|\mathbf{x})$

Kingma, D.P., Welling, M. Auto-encoding variational Bayes. ICLR 2014

Multi-modal variational encoder-decoder

Generalising multi-modal auto-encoder to missing modalities (including segmentation) by decomposing the latent posteriors as modality-specific latent posteriors



$$p_{\theta}(z|\mathbf{x}) \propto p(z) \prod_{i=1}^{n} \frac{p_{\theta}(z|x_{i})}{p(z)}$$

$$q_{\phi}(z|\mathbf{x}) \propto p(z) \prod_{i=1}^{n} q_{\phi_{i}}(z|x_{i})$$

$$\uparrow \qquad \uparrow$$
Prior Use modality-specific probabilistic encoder

Assume all modality-specific variational posteriors modeled with Gaussians:

$$q_i(z|x_i) = \mathcal{N}(z; \mu_{\phi_i}(x_i), \Sigma_{\phi_i}(x_i)) \qquad p(z) = \mathcal{N}(0, I)$$

 $q_{\phi}(z|\mathbf{x})$ is Gaussian with mean and covariance defined by a closed-form formula:

$$\Sigma_{\phi} = (I + \sum_{i} \Sigma_{\phi_i}^{-1})^{-1} \text{ and } \mu_{\phi} = \Sigma_{\phi}^{-1} (\sum_{i} \Sigma_{\phi_i}^{-1} \mu_{\phi_i})$$
 Principled fusion operation

Hetero-modal variational encoder-decoder

Let \mathcal{P} denote the set of all possible non-empty combinations of the *n* modalities.

Goal: optimizing the log-likelihood when \mathcal{Z} encoded with a random subset $\pi \in \mathcal{P}$ drawn with a probability α_{π}

 \rightarrow we model $q_{\phi}(z|\mathbf{x})$ as a mixture of Gaussian

$$q_{\phi}(z|\mathbf{x}) = \sum_{\pi \in \mathcal{P}} \alpha_{\pi} q_{\phi}^{\pi}(z|\mathbf{x}_{\pi})$$

 \rightarrow Given the convexity of the KL divergence and $\sum_{\pi \in \mathcal{P}} \alpha_{\pi} = 1$

$$\mathcal{L}(\mathbf{x};\theta,\phi) \ge \sum_{\pi \in \mathcal{P}} \alpha_{\pi} (\underbrace{E_{q_{\phi}^{\pi}(z|\mathbf{x}_{\pi})}[\log(p_{\theta}(\mathbf{x}|z))] - \mathrm{KL}[q_{\phi}^{\pi}(z|\mathbf{x}_{\pi})||p(z)])}_{\mathrm{ELBO}\pi(\mathbf{x})}$$

Multi-level hetero-modal variational encoder-decoder

All observed (non-missing) modalities encoded independently
 Modality-specific features maps combined to produce a multi-resolution hidden variable
 All modalities and segmentation independently decoded



Example of outputs (segmentation and reconstructions)



Comparing the hetero-modal architectures

• Models comparison:

- HeMIS: architecture in [2] fusing modality-specific maps via arithmetic operations.
- **U-HeMIS**: U-Net + modality specific features fused with first moment.
- U-HVED: the hetero-modal multi-level variational auto-encoder
- Sing: U-Net (1 encoder, 1 decoder) trained for each modality specific subset (i.e. 15 models)

Modalities				Complete				Core				Enhancing			
F	T_1	T_1c	T_2	HeMIS	U-HeMIS	U-HVED	Sing	HeMIS	U-HeMIS	U-HVED	Sing	HeMIS	U-HeMIS	U-HVED	Sing
0	0	0	٠	38.6	79.2	80.9^{*}	82.6	19.5	50.0	54.1^*	54.9	0.0	23.3	30.8^{*}	34.2
0	0	•	0	2.6	58.5	62.4^*	70.4	6.5	58.5	66.7^*	71.5	11.1	60.8	65.5^*	70.4
0	٠	0	0	0.0	54.3^{*}	52.4	72.7	0.0	37.9	37.2	59.2	0.0	12.4	$\boldsymbol{13.7^*}$	32.2
•	0	0	0	55.2	79.9	82.1^*	81.5	16.2	49.8	50.4	55.5	6.6	24.9	24.8	26.3
0	0	٠	٠	48.2	81.0	82.7^{*}	83.2	45.8	69.1	73.7^*	73.3	55.8	68.6	70.2^{*}	70.1
0	•	٠	0	15.4	63.8	66.8^*	70.6	30.4	64.0	69.7^*	73.9	42.6	65.3	67.0^{*}	71.9
٠	٠	0	0	71.1	83.9	84.3	83.3	11.9	56.7^*	55.3	54.3	1.2	29.0^{*}	24.2	30.7
0	•	0	٠	47.3	80.8	82.2^*	83.1	17.2	53.4	57.2^*	59.7	0.6	28.3	30.7^*	33.4
٠	0	0	٠	74.8	86.0	87.5^*	86.3	17.7	58.7	59.7	57.7	0.8	28.0	34.6^*	31.0
•	0	•	0	68.4	83.3	85.5^*	85.3	41.4	67.6	72.9^*	72.0	53.8	68.0	70.3^{*}	69.9
٠	٠	•	0	70.2	85.1	86.2^*	85.1	48.8	70.7	74.2^{*}	74.9	60.9	69.9	71.1	70.1
•	•	0	•	75.2	87.0	88.0^{*}	85.7	18.7	61.0	61.5	57.9	1.0	33.4	34.1	34.1
٠	0	•	٠	75.6	87.0	$\boldsymbol{88.6^*}$	85.8	54.9	72.2	75.6^{*}	75.2	60.5	69.7	71.2^{*}	72.2
0	٠	•	٠	44.2	82.1	83.3^*	81.5	46.6	70.7	75.3^*	74.7	55.1	69.7	71.1^{*}	71.1
٠	٠	٠	٠	73.8	87.6	88.8^{*}	87.5	55.3	73.4	76.4^{*}	78.4	61.1	70.8	71.7^{*}	72.7
Means				50.7	78.6	80.1^{*}	81.6	28.7	59.7	64.0^{*}	66.2	27.4	48.1	50.0^{*}	52.7

Dice (%) for combinations of available (●) and missing (○) modalities. * significant improvement – Wilcoxon test p<0.05

Dealing with heterogenous labelling

Learning a joint model for tissue and lesion segmentation



- Challenge: No large fully annotated dataset for joint tissue and lesion segmentation
- Can we leverage task-specific datasets?
 - Maybe, but these are also often hetero-modal
 - May even display domain shift in the common modalities (Not covered in this lecture)

Learning from task-specific hetero-modal and domain-shifted data

Neuromorphometrics



Available modalities: Illustrated modalities: Hereby referred to as: T1 T1 Protocol 1 *Control* BraTS18



T1, T1c, T2, FLAIR T1 Protocol 2 *Lesion*

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Loss decomposition: Tissue & lesion

R Dorent et al. Learning joint lesion and tissue segmentation from task-specific hetero-modal datasets. PMLR 102:164-174, 2019



Decomposed loss and task-specific datasets

Focus on data distribution from the patient group: $(X,Y) \sim \mathcal{D}_{lesion}$

$$\begin{split} \theta^* &= argmin_{\theta} \underbrace{\mathcal{E}_{\mathcal{D}_{lesion}}[\mathcal{L}^t(h_{\theta}(X^{T1}, \overline{X^{Flair}}), Y^t)]}_{\mathcal{R}^t(\theta)} + \underbrace{\mathcal{E}_{\mathcal{D}_{lesion}}[\mathcal{L}^l(h_{\theta}(X^{T1}, X^{Flair}), Y^l)]}_{\mathcal{R}^l(\theta)} \\ & \underbrace{\mathbf{Missing\ tissue\ annotations}}_{\mathbf{Could\ we\ use\ the\ Control\ dataset?}} \underbrace{\mathbf{E}_{\mathcal{D}_{lesion}}[\mathcal{L}^l(h_{\theta}(X^{T1}, X^{Flair}), Y^l)]}_{\mathbf{dataset}} \end{split}$$

Tissue loss upper-bound for missing modalities



Exploiting control data for tissue loss

Tissue loss only evaluated on healthy tissues

Scenario 1: T1 scans have been acquired with a similar setting Intensity distribution similar on non-lesion parts of the brain

$$P_{\mathcal{D}_{lesion}}(x_i^{T_1}, y_i | y_i \in \mathcal{C}_T) = P_{\mathcal{D}_{control}}(x_i^{T_1}, y_i | y_i \in \mathcal{C}_T)$$

Assume the network outputs similar predictions on healthy tissues

$$\underbrace{\mathcal{E}_{(X,Y)\sim\mathcal{D}_{lesion}}[\mathcal{L}^{t}(h_{\theta}(X^{T1}),Y^{t})]}_{\mathcal{R}_{2}^{t}(\theta)} = \underbrace{\mathcal{E}_{(X,Y)\sim\mathcal{D}_{control}}[\mathcal{L}^{t}(h_{\theta}(X^{T1}),Y^{t})]}_{\mathcal{R}_{2}^{t}(\theta)}$$
Estimation using the Control dataset

Heterogeneous labelling learning summary



White matter lesions: Datasets

Classes: White Matter Lesion + GM, WM, Cerebellum, Basal Ganglia, Brain Stem, Ventricles

Neuromorphometrics



 $28+32 = 60^*$



MRBrainS18



T1, Flair 7

[*] Cardoso, et al. Geodesic information flows: Spatially-variant graphs and their application to segmentation and fusion. 2015

Model comparison

Joint models:

- FS-MRB: joint model trained on the 7 training scans of MRBrainS18 (T1+Flair)
- *jSTABL*: our model trained on WMH and Neuromophometrics (T1+Flair)

Task-specific models:

- *Tissue*: tissue segmentation model trained on Neuromorphometrics (T1)
- Lesion: lesion segmentation model trained on WMH (T1+Flair)
- Pipeline = Tissue + Lesion

Classes	Neuromorphometrics				\mathbf{WMH}		MRBrainS18			
Crabbes	Tissue FS-MRB jSTABL		Pipeline	FS-MRB	jSTABL	SPM	FS-MRB	jSTABL		
Grey matter	91.8(1.6)	28.0(4.4)	90.9(1.5)	84.6 (3.2)	52.3(21.8)	83.4(1.9)	76.5	81.1(2.0)	78.6(3.1)	
White mater	93.1(1.6)	58.2(6.3)	92.7(1.3)	90.3(1.9)	55.1(21.5)	90.4(1.4)	75.7	83.8(2.1)	84.6(2.4)	
Brainstem	93.3(0.9)	26.5(5.4)	93.2(0.8)	89.6(3.9)	29.3(34.8)	91.4(2.6)	76.5	88.4(1.8)	72.5(1.7)	
Basal ganglia	88.4(2.5)	29.8(6.1)	87.8(2.1)	80.2(7.2)	39.7(20.9)	81.9(3.9)	74.7	80.2(2.9)	78.7(2.7)	
Ventricles	89.3(4.3)	6.4(5.0)	88.7(4.6)	91.1(6.0)	62.2(25.6)	94.0(2.3)	80.9	91.2(3.9)	92.0(2.5)	
Cerebellum	95.7(0.8)	18.6(6.9)	95.4(1.1)	93.3(2.0)	30.7(39.8)	93.7 (1.9)	89.4	89.8(2.5)	89.9(2.1)	
White matter lesion				$76.4 \ (8.7)$	37.4(26.9)	$76.4 \ (8.7)$	40.8	52.9(22.5)	57.3(23.5)	

Evaluation of our framework (jSTABL) on patients with White Matter Lesion (Bronze standard for WMH tissues) Means and standard deviations for Dice scores

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Brain tumour: Datasets

Classes: Whole tumour, Core tumour, Enhancing tumour + GM, WM, Cerebellum, Basal Ganglia, Brain Stem, Ventricles



[*] Cardoso, et al. Geodesic information flows: Spatially-variant graphs and their application to segmentation and fusion. 2015

[*] Cardoso, et al. Geodesic information flows: Spatially-variant graphs and their application to segmentation and fusion. 2015

Glioma: qualitative comparison



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Model comparison

Joint models:

- *jSTABL:* joint model trained without Domain Adaptation (DA)
- *jSTABL-d5:* joint model trained with 5 symmetrised samples for DA
- *jSTABL-d5:* joint model trained with 10 symmetrised samples for DA
- *jSTABL-dall:* joint model trained with 129 symmetrised samples for DA

Models		Neuromo	orphometrics		BRaTS18				
	jSTABL	$jSTABL-d_5$	$jSTABL-d_{10}$	jSTABL- d_{all}	jSTABL	$jSTABL-d_5$	jSTABL- d_{10}	jSTABL- d_{all}	
Grey matter	93.1(1.8)	92.3(1.8)	92.2(1.6)	92.6(1.6)	67.0(12.1)	87.1 (4.5)	86.9(4.4)	87.8 (4.0)	
Brainstem	92.9(2.3)	91.6(2.3)	92.4(1.8)	89.8(3.8)	0.0(0.1)	80.5(8.6)	86.2(6.7)	81.9(9.0)	
Basal ganglia	86.6(2.8)	83.7(2.9)	85.4(2.3)	85.8(2.0)	2.1(4.0)	73.6(9.1)	76.8(8.5)	80.7(6.9)	
Ventricules	89.5(4.0)	88.5(4.5)	88.8 (4.1)	89.0(4.1)	0.3(1.4)	91.4(5.5)	91.5(5.6)	92.0(4.9)	
Cerebellum	96.5(1.6)	94.8(2.1)	95.8(1.3)	95.2(1.7)	11.0 (8.4)	88.8 (6.2)	89.5(5.0)	88.2(5.3)	
Whole tumour					86.3(9.8)	86.1(9.1)	86.3(8.6)	86.4(8.9)	
Core tumour					78.3(19.7)	75.2(21.3)	76.4(21.0)	76.8(19.4)	
Enhancing tumour					74.7 (20.2)	73.8(21.2)	74.0 (21.0)	74.2 (20.4)	

Evaluation of our framework (jSTABL) on patients with glioma in comparison. Means and standard deviations for Dice scores.

Dealing with user corrections

Interactive corrections pipeline



Classical geodesic interactive segmentation



Combining geodesic maps and deep learning

G Wang et al. DeepIGeoS: A Deep Interactive Geodesic Framework for Medical Image Segmentation. IEEE Trans Pattern Anal Mach Intell. 2019 Jul;41(7):1559-1572



Input image



Scribbles as hard constraints

• Rely on conditional random field (CRF) for spatial regularisation and to impose hard constraints

$$E(\mathbf{x}) = \sum_{i} \psi_{u}(x_{i}) + \sum_{(i,j) \in \mathcal{N}} \psi_{p}(x_{i}, x_{j})$$
Optimisation:
CRF-RNN
Unary term:
ConvNet output
or Scribbles (\infty)

• Trainable pairwise potentials

$$\psi_p(x_i, x_j) = \frac{\mu(l_i, l_j) f(\mathbf{\tilde{f}}_{ij}, d_{ij})}{\underset{\text{compat. function}}{\text{Label Free-form function}}}$$

$$\tilde{\mathbf{f}}_{ij} = \mathbf{f}_i - \mathbf{f}_j$$
Features
$$d_{ij}$$
Euclid. Dist.

Classical image-specific fine-tuning for segmentation

- Motivation
 - Interactive segmentation
 - Learn from specific image context
- GrabCut
 - Rother et al. ACM Trans. Graph. 2004
 - Adapt a GMM to a specific image
 - Use a conditional random field (CRF) for spatial regularisation
 - Bounding box + refinement

- Deal with unseen objects
- Update the model on the fly



ConvNet: Pre-trained feature extraction + classifier



Image-specific fine-tuning with deep learning

- Method
 - Pre-train a ConvNet using cropped images of different organs
 - 1, Use ConvNet to get an initial segmentation inside a user-provided bounding box
 - 2, Fine-tune the ConvNet with optional scribbles
- Can deal with previously unseen objects

G Wang et al. Interactive Medical Image Segmentation Using Deep Learning With Image-Specific Fine Tuning. IEEE Trans Med Imaging. 2018 Jul;37(7):1562-1573.



Alternate optimization for image-specific fine-tuning

• Joint optimization problem:

$$\arg\min_{\hat{Y},\theta} \left\{ E(\hat{Y},\theta) = \sum_{i} \phi(\hat{y}_{i}|\hat{X},\theta) + \lambda \sum_{i,j} \psi(\hat{y}_{i},\hat{y}_{j}|\hat{X}) \right\}$$

subject to : $\hat{y}_{i} = s_{i}$ if $i \in S$

.

When θ is fixed
 (Graph Cut type problem)

$$\arg\min_{\hat{Y}} \left\{ \sum_{i} \phi'(\hat{y}_{i} | \hat{X}, \theta) + \lambda \sum_{i,j} \psi(\hat{y}_{i}, \hat{y}_{j} | \hat{X}) \right\}$$
(5)

$$\phi'(\hat{y}_i|\hat{X},\theta) = \begin{cases} +\infty & \text{if } i \in S \text{ and } \hat{y}_i = s_i \\ 0 & \text{if } i \in S \text{ and } \hat{y}_i \neq s_i \\ -\log P(\hat{y}_i|\hat{X},\theta) & \text{otherwise} \end{cases}$$

When Ŷ is fixed
 (Back propagation)

$$\arg\min_{\theta} \left\{ -\sum_{i} \left(\hat{y}_i \log p_i + (1 - \hat{y}_i) \log(1 - p_i) \right) \right\}$$

Image-specific fine-tuning for interactive corrections

Wang et al. IEEE TPAMI 2018

Wang et al. IEEE TMI 2018

DEEPIGEOS

3D SEGMENTATION OF BRAIN TUMOR

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Take-home messages



- Flexible machine learning solutions are needed to address the complexity of clinical workflows
- Principled approaches can help us go beyond initial limitations of existing approaches
- Multi-disciplinarity is required to drive machine leaning towards patient impact



Thank you





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