

MJO AND CONVECTIVELY COUPLED WAVES IN A COARSE RESOLUTION GCM WITH A SIMPLE MULTI-CLOUD MODEL



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OUTLINE

- **Introduction: Organized tropical convection**
- **Detour: the (stochastic) multcloud model**
- **The multcloud model in HOMME**
- **General Set up**
- **Numerical simulations**
- **Summary & Concluding Remarks**

Related Papers (some)

❖ Deterministic Multicloud model

- ✓ K. and Majda, J. Atmos. Sci. (2006, 2007, 2008, 2008)
- ✓ Majda, Stechmann, and K., PNAS (2007): MJO analog
- ✓ Majda and Stechmann (2009): gravity waves-mean shear interactions and CMT
- ✓ Waite and K., J. Atmos. (2009): Boundary layer dynamics
- ✓ Han and K., J. Atmos. (2010): CCW's in sheared environment
- ✓ K., St Cyr, Majda, and Tribbia, J. Atmos. Sci. (2010): MJO and CCW's in HOMME

❖ Stochastic Models for convection

- ✓ Majda and K., PNAS, (2001): Mesoscopic and Stochastic models for CIN
- ✓ K., Majda and Katsoulakis, PNAS (2003): Coarse-grained stochastic models for CIN,
- ➡ Being implemented in Zhang&McFarlane parametrization (Ian Ross).
- ✓ K., Biello, and Majda, CMS, (2009): **Stochastic multicloud model**, 2009

INTRODUCTION

- **Convection in tropics organized on a hierarchy of scales**

- ✓ **individual clouds (hrs, 1-10, km),**
- ✓ **mesoscale clusters (1-2 days, 500 km),**
- ✓ **superclusters (2-5 days, 2000 km)--convectively coupled waves,**
- ✓ **planetary scale envelopes--
Madden Julian oscillation (40 days, 20,000 km)**



Satellite Observations: OLR

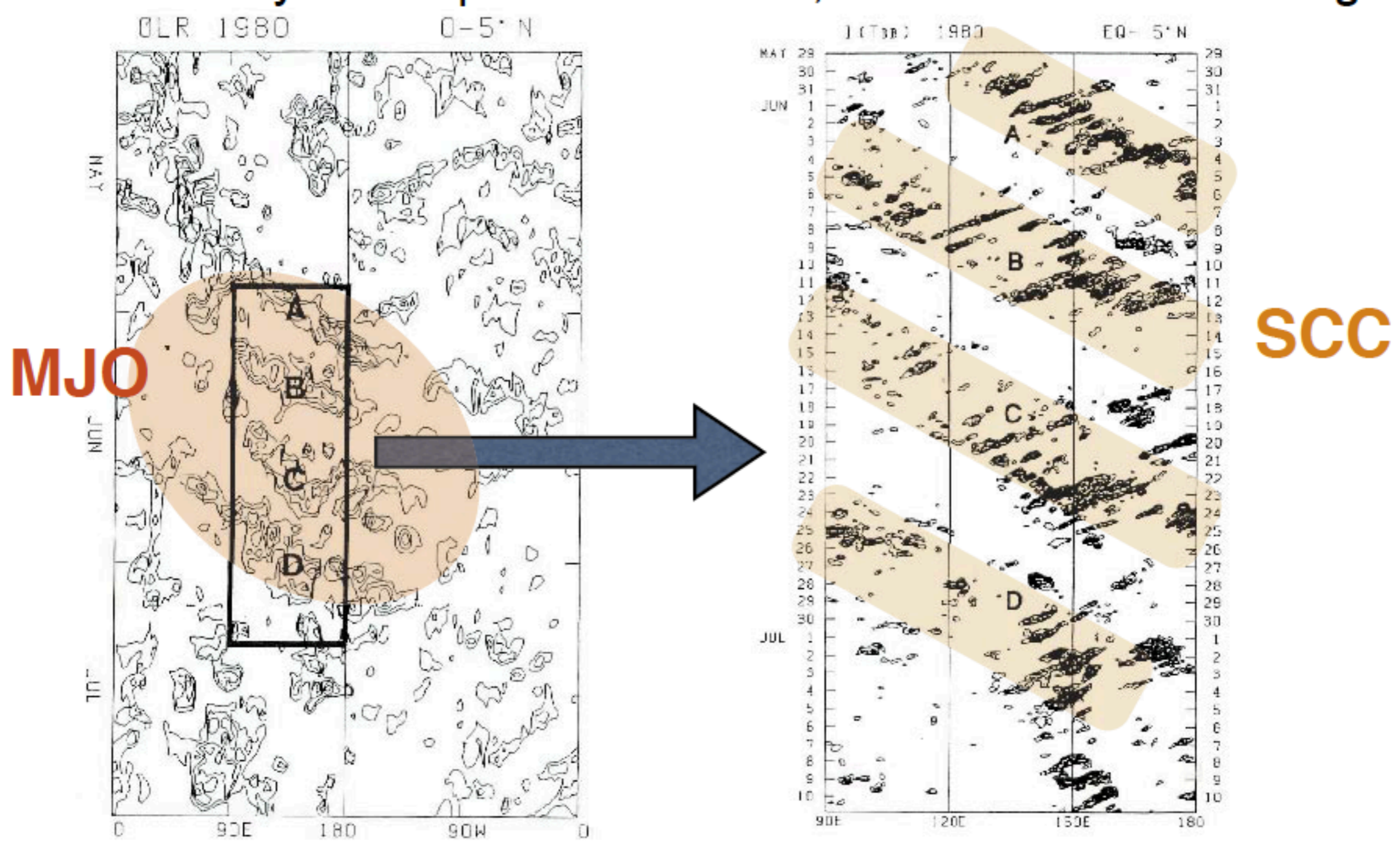
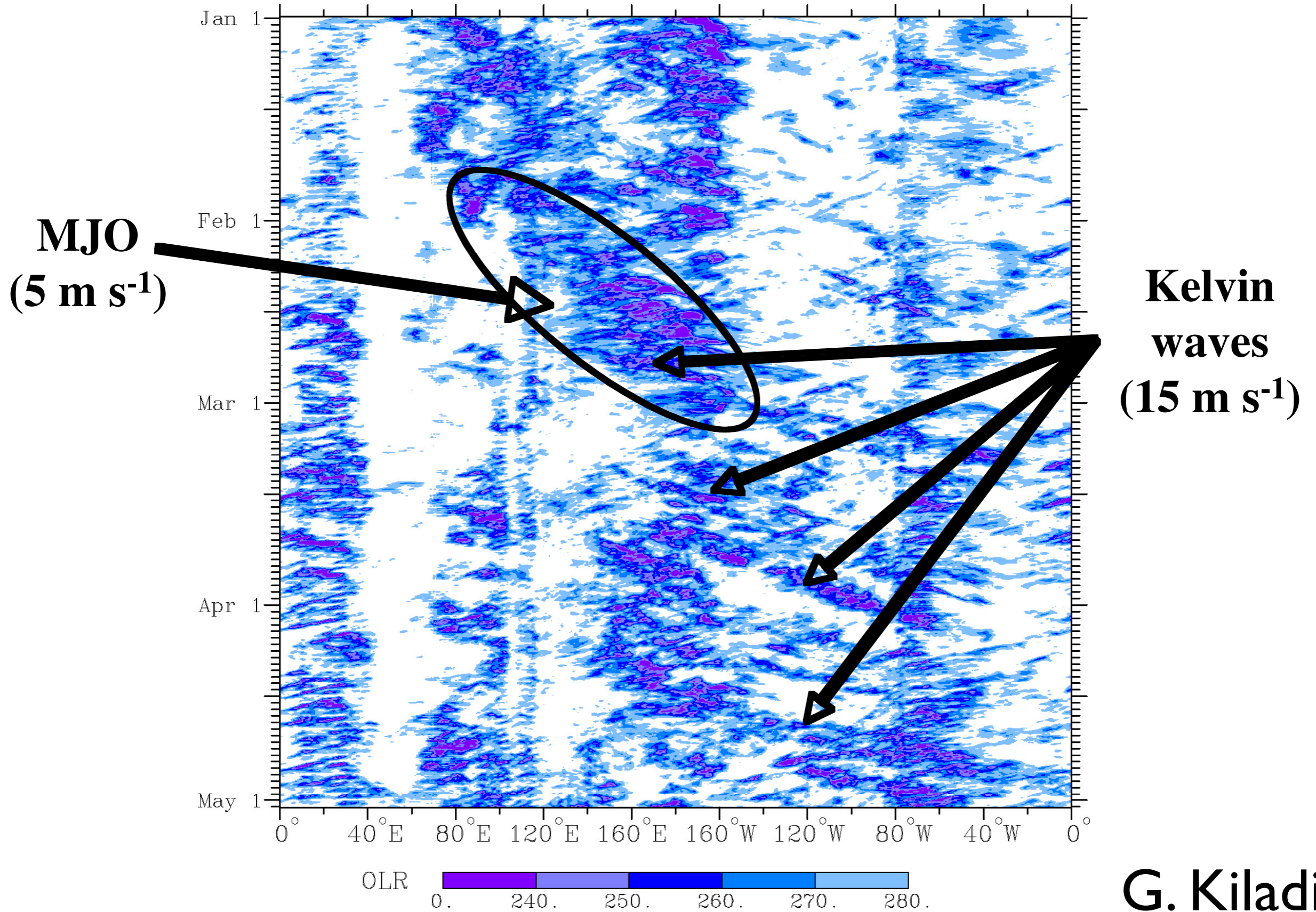


Fig. 1: MJO consists of Super Cloud Clusters (Nakazawa, 1988)

OBSERVATIONS OF KELVIN WAVES AND THE MJO

Time-longitude diagram of CLAU S Tb (2.5S–7.5N), January–April 1987



G. Kiladis

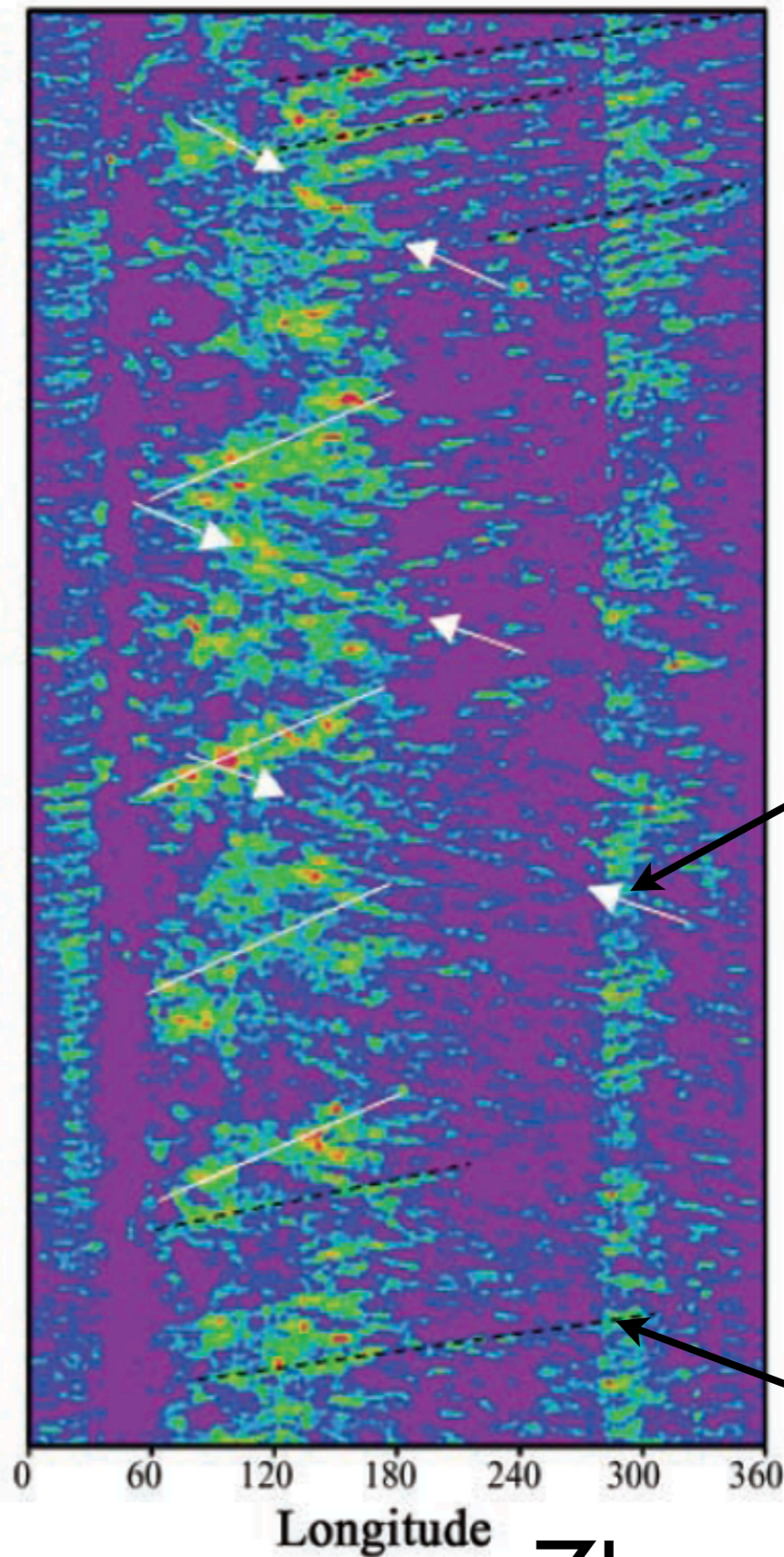
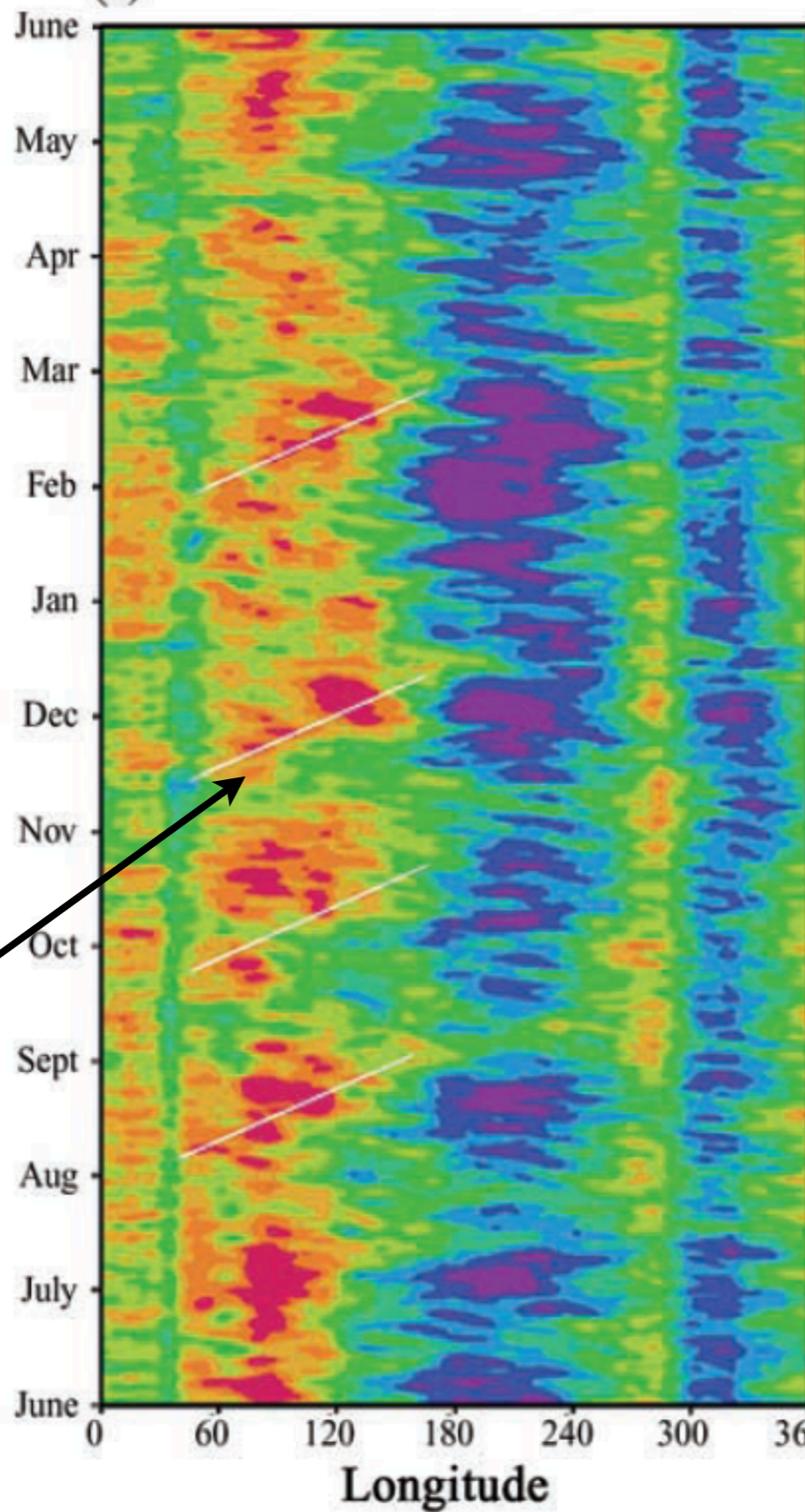
U (850 hPa)

Precipitation

(a)

(b)

MJO

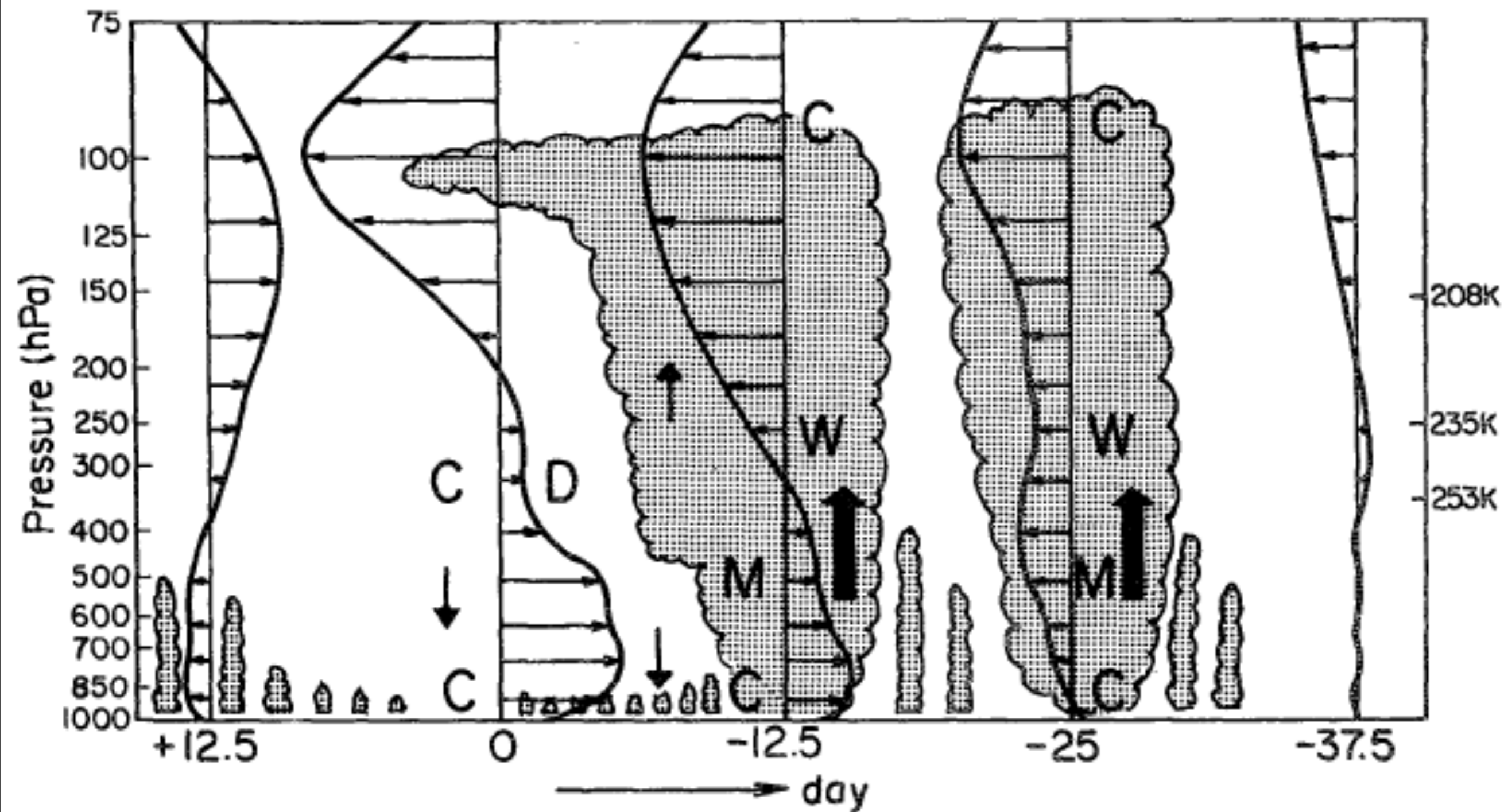


Zhang (2005)

INTRODUCTION (CTND)

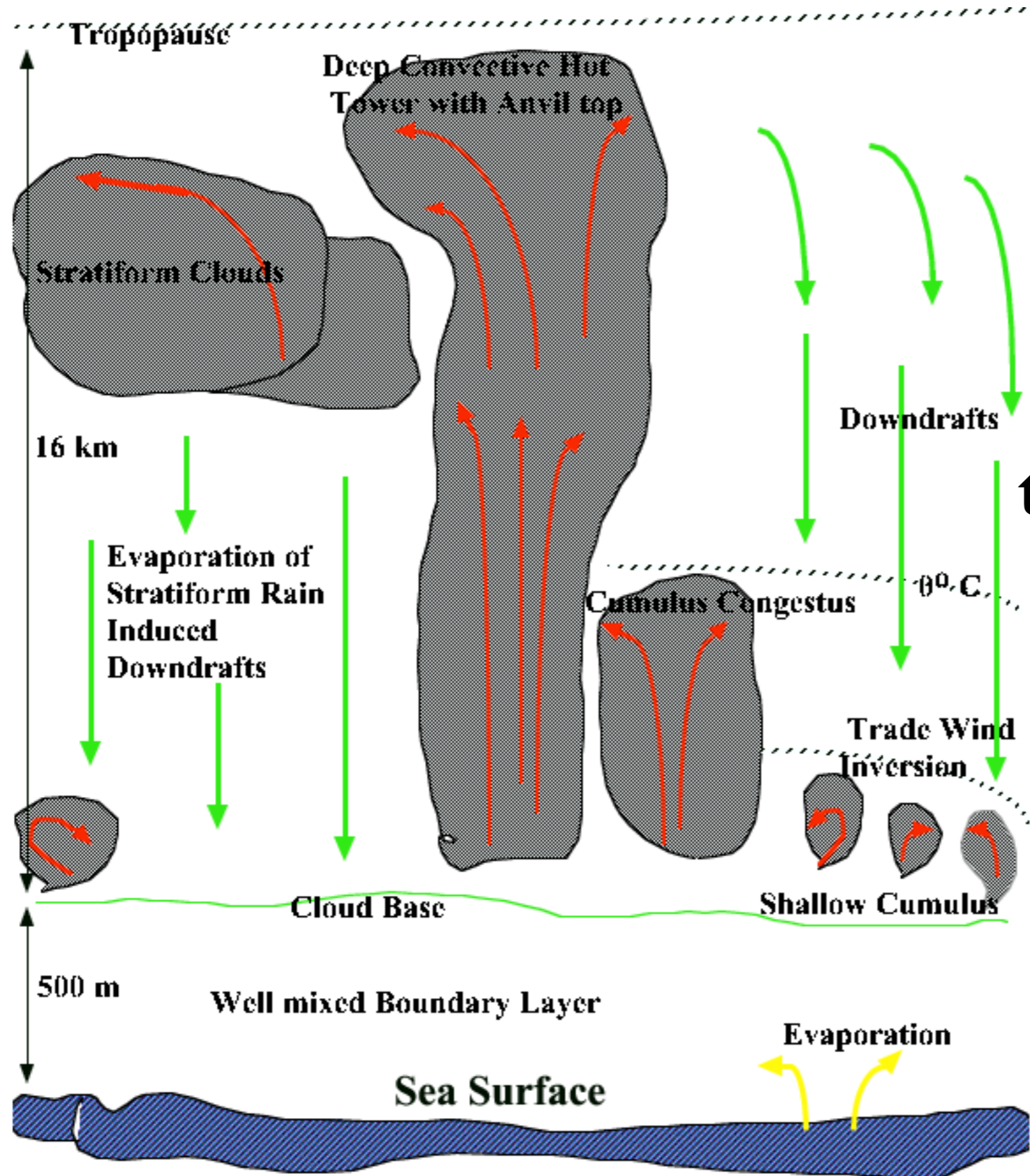
- **MJO affects tropical and extra-tropical climate and weather patterns: monsoons, ENSO, & extratropical weather patterns.**
- **GCMs represent poorly MJO and CCW's due to inadequate treatment of organized convection**
- **Superclusters are moist analogues of the equatorially trapped waves but with important differences (Takayabu 1994, Wheeler & Kiladis 1999).**
- **Multicloud model convectively coupled waves**
- **Multicloud model used here as cumulus parameterization in next generation NCAR GCM (HOMME)**

Physical and dynamical structure of MJO



Lin and Johnson 1996

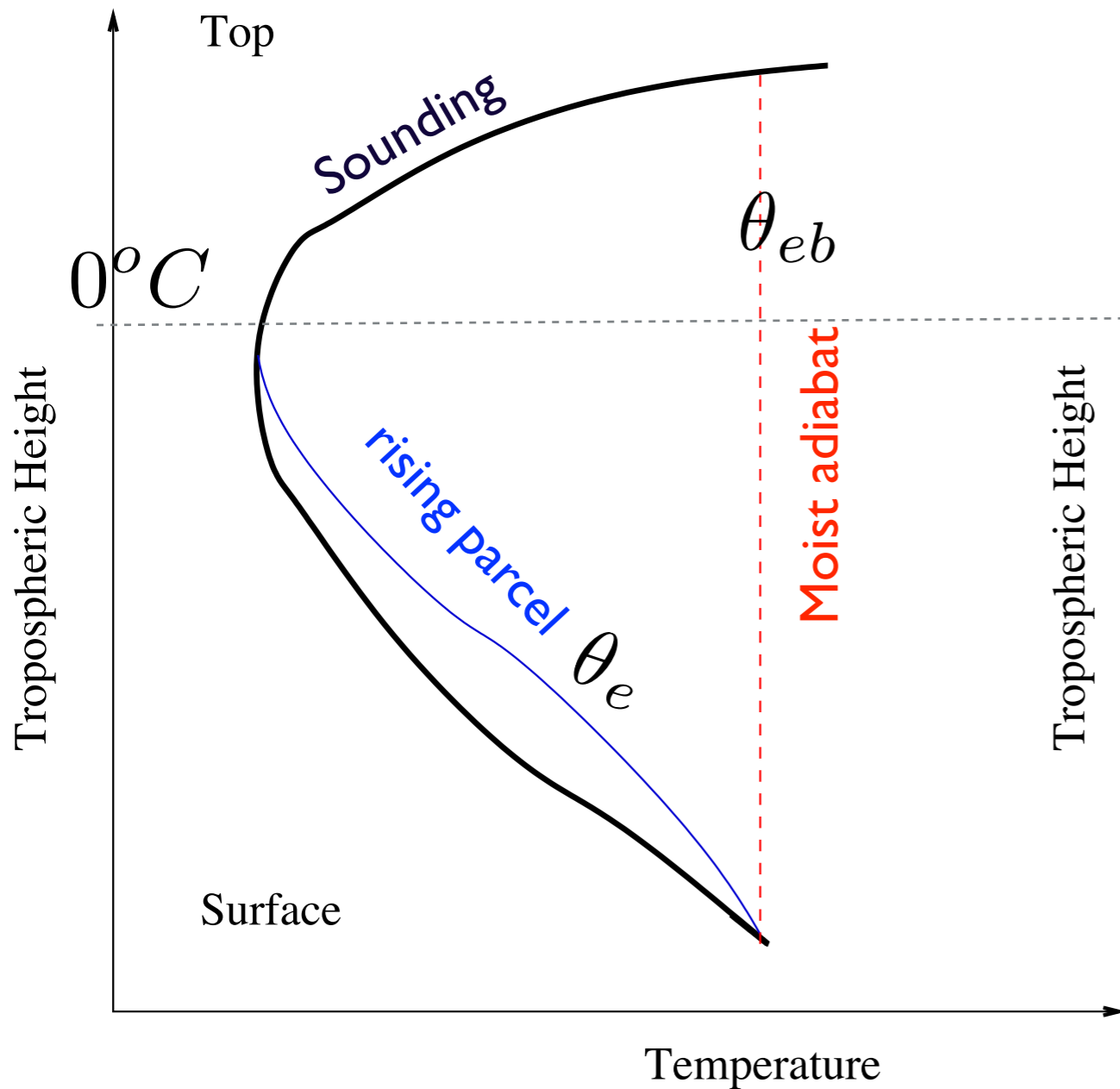
CARTOON VIEW OF THE MULTICLOUD MODEL



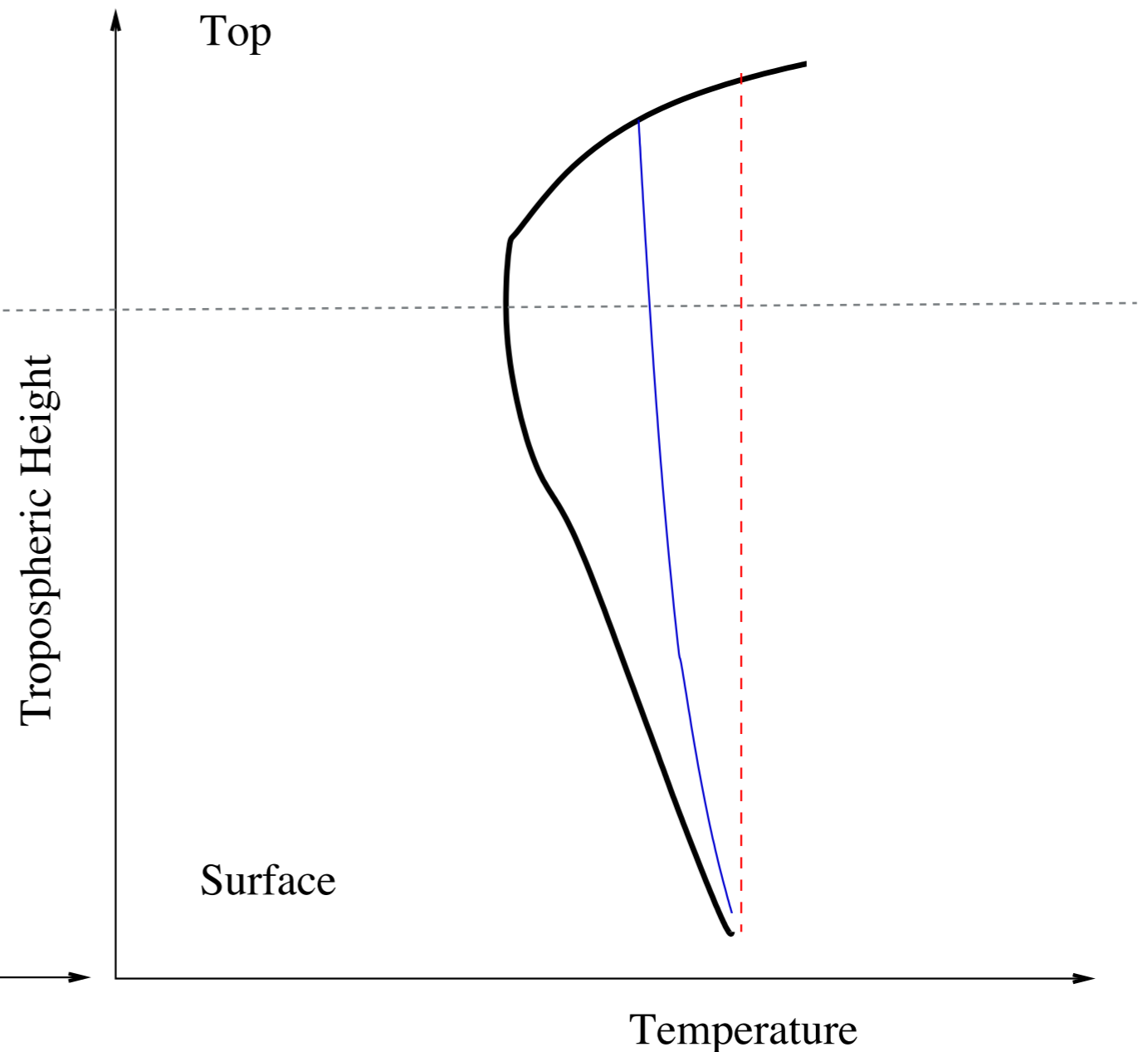
Self-similarity of tropical convective systems

Dilute parcel lifting

Dry environment



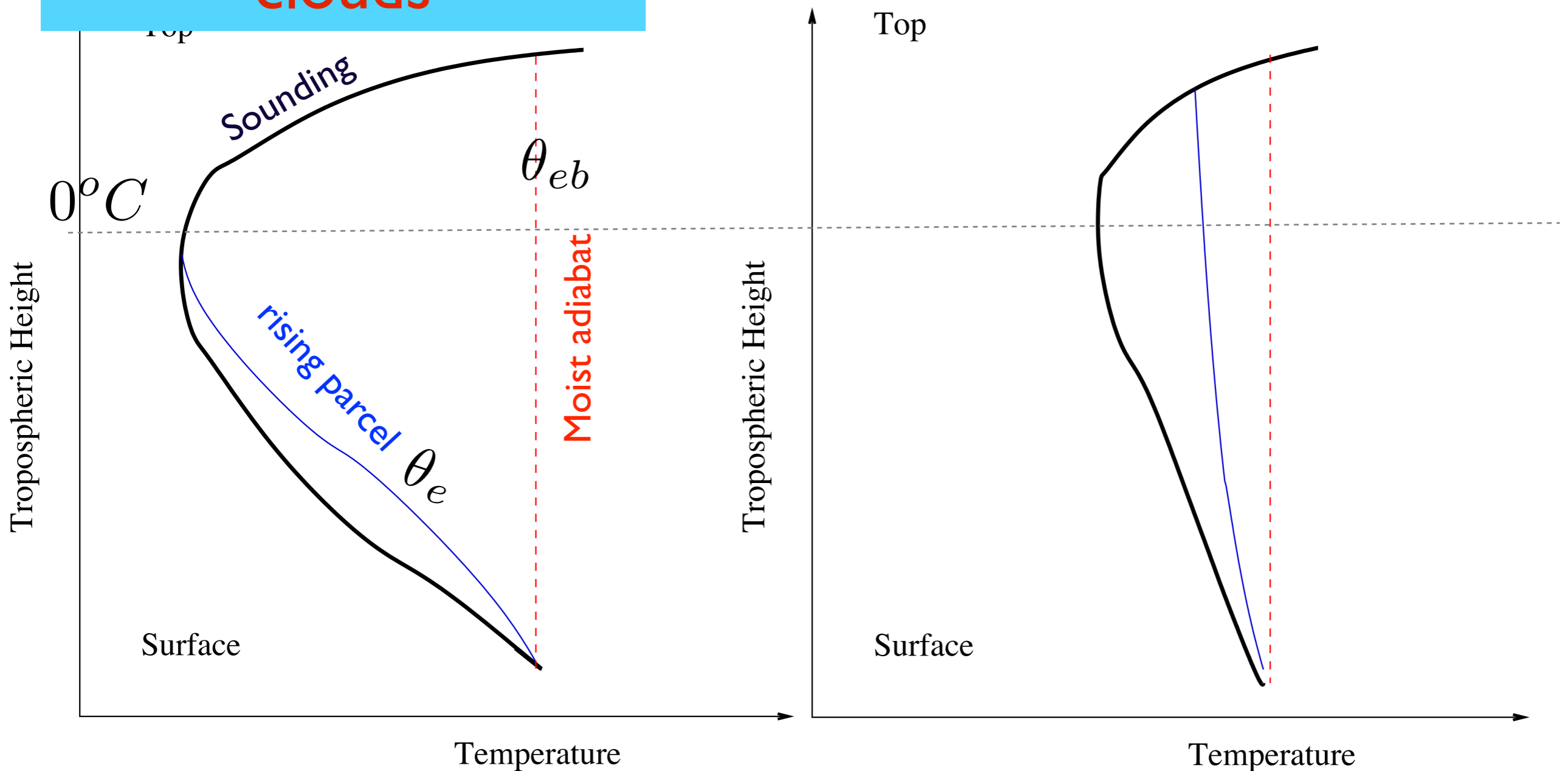
Moist environment



Dilute parcel lifting

Dry troposphere
with positive CAPE
will favor congestus
clouds

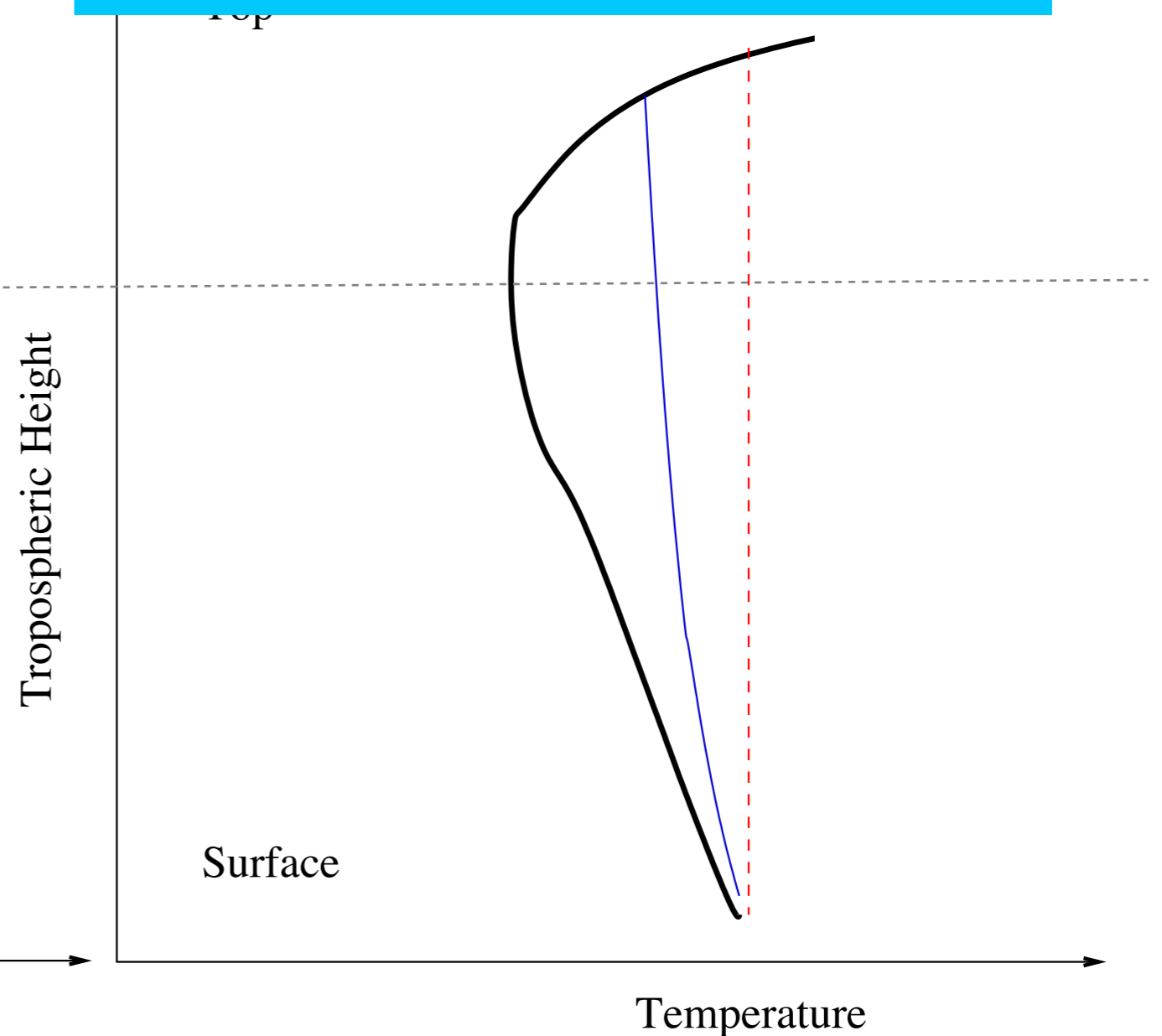
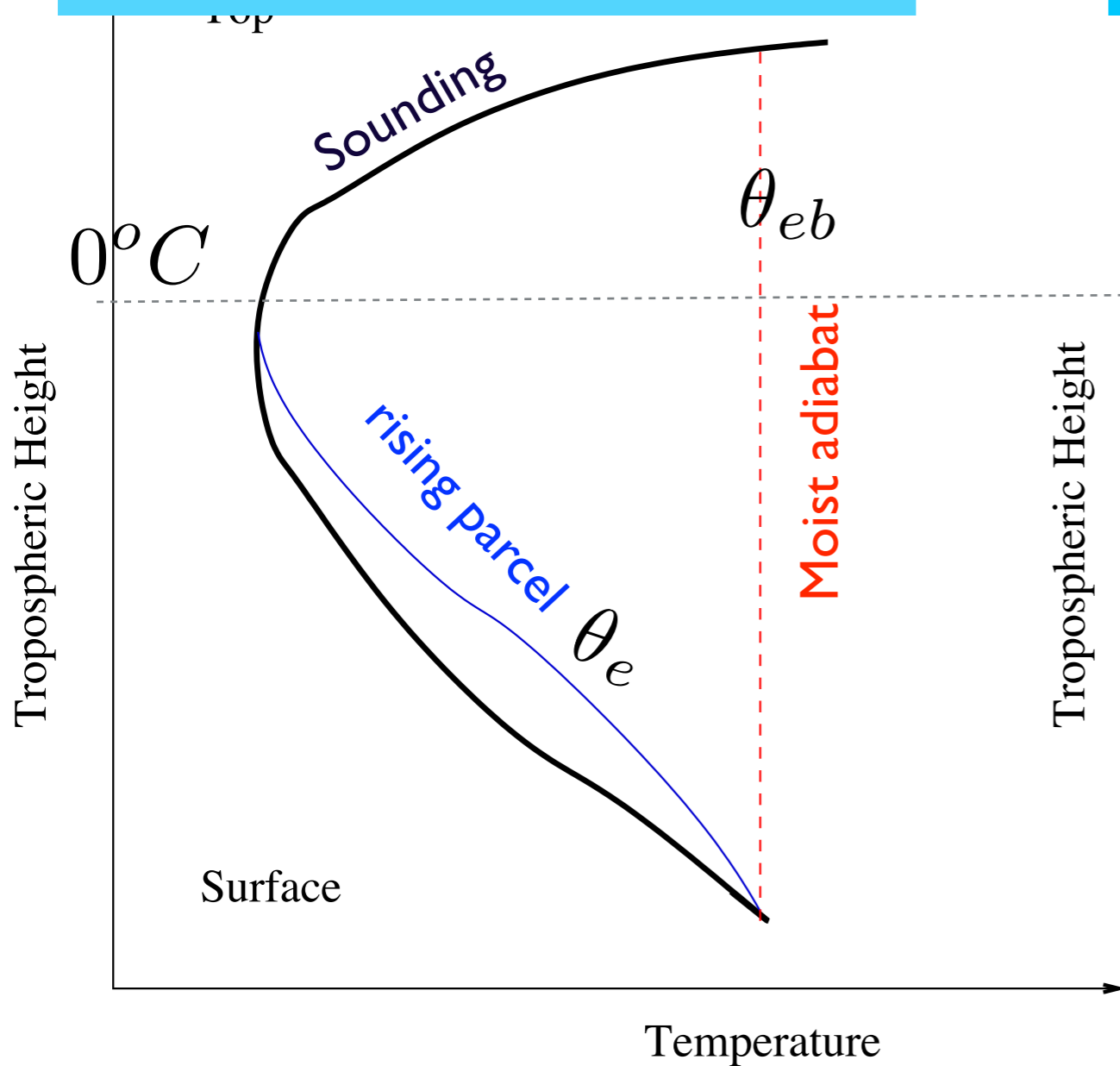
Moist
environment



Dilute parcel lifting

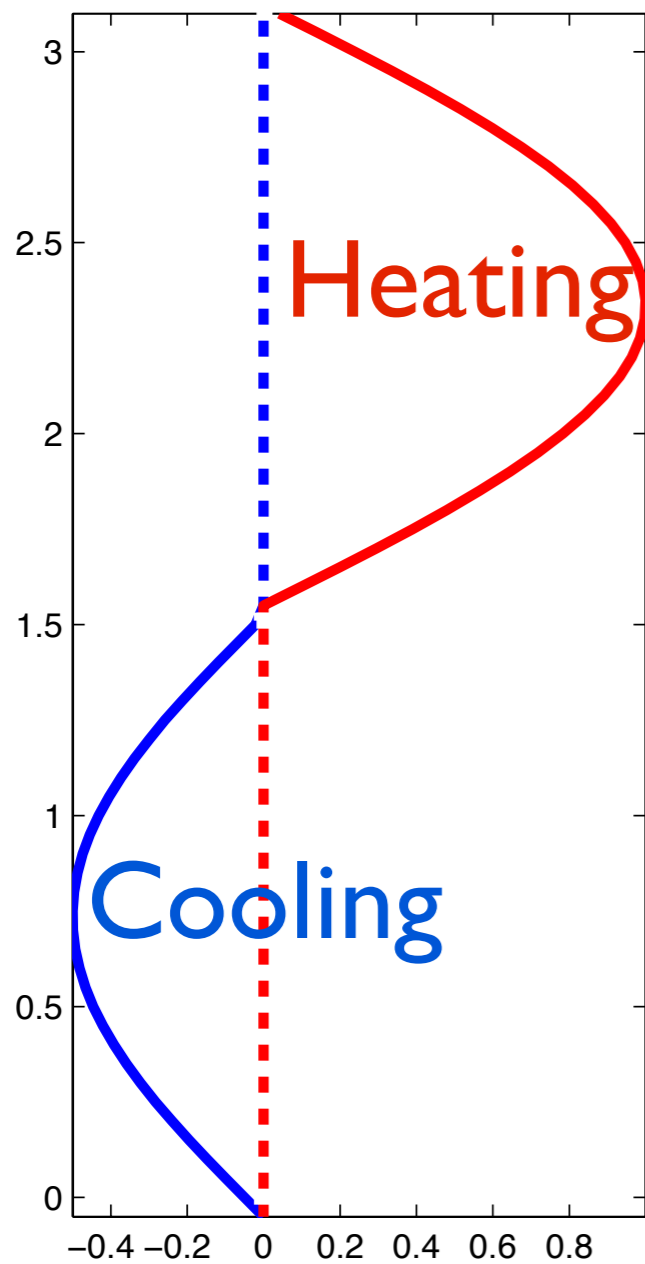
Dry troposphere with positive CAPE will favor congestus clouds

Deep convection is allowed (beyond freezing level) when troposphere is moist

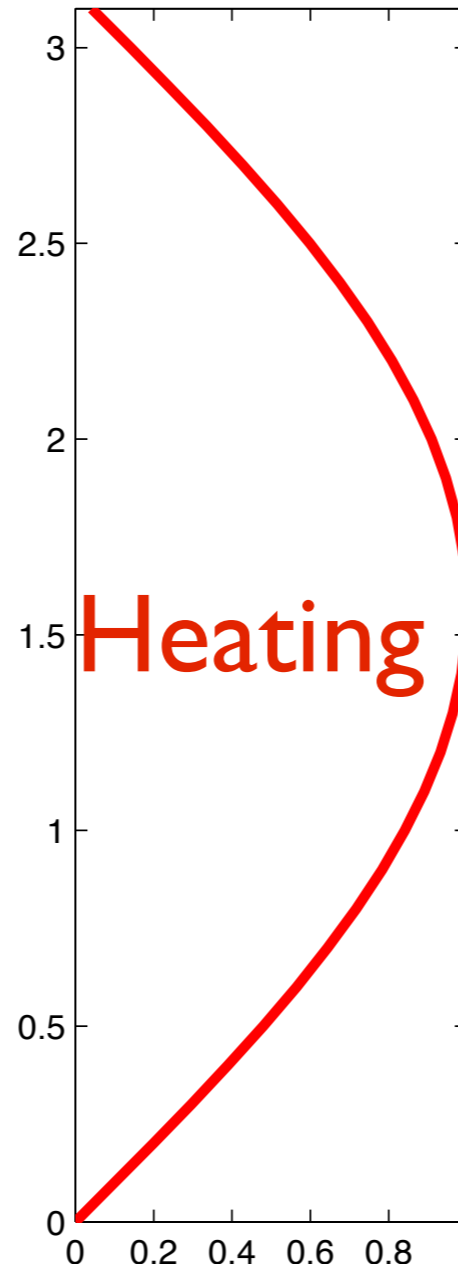


Idealized heating profiles

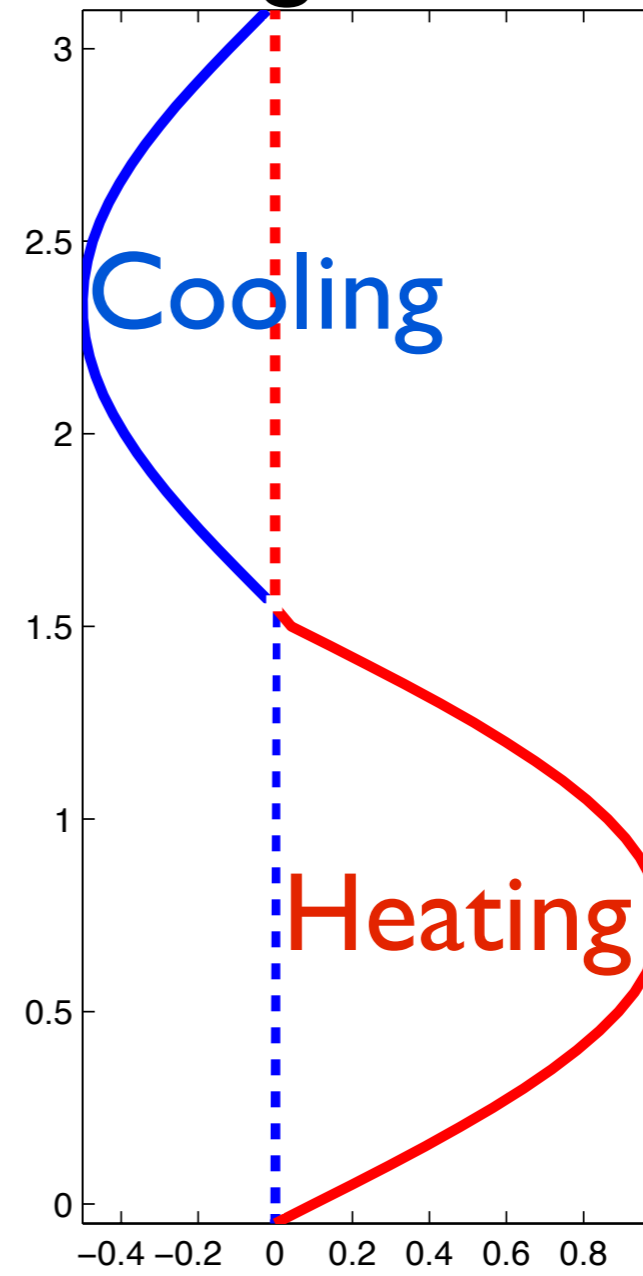
Stratiform



Deep

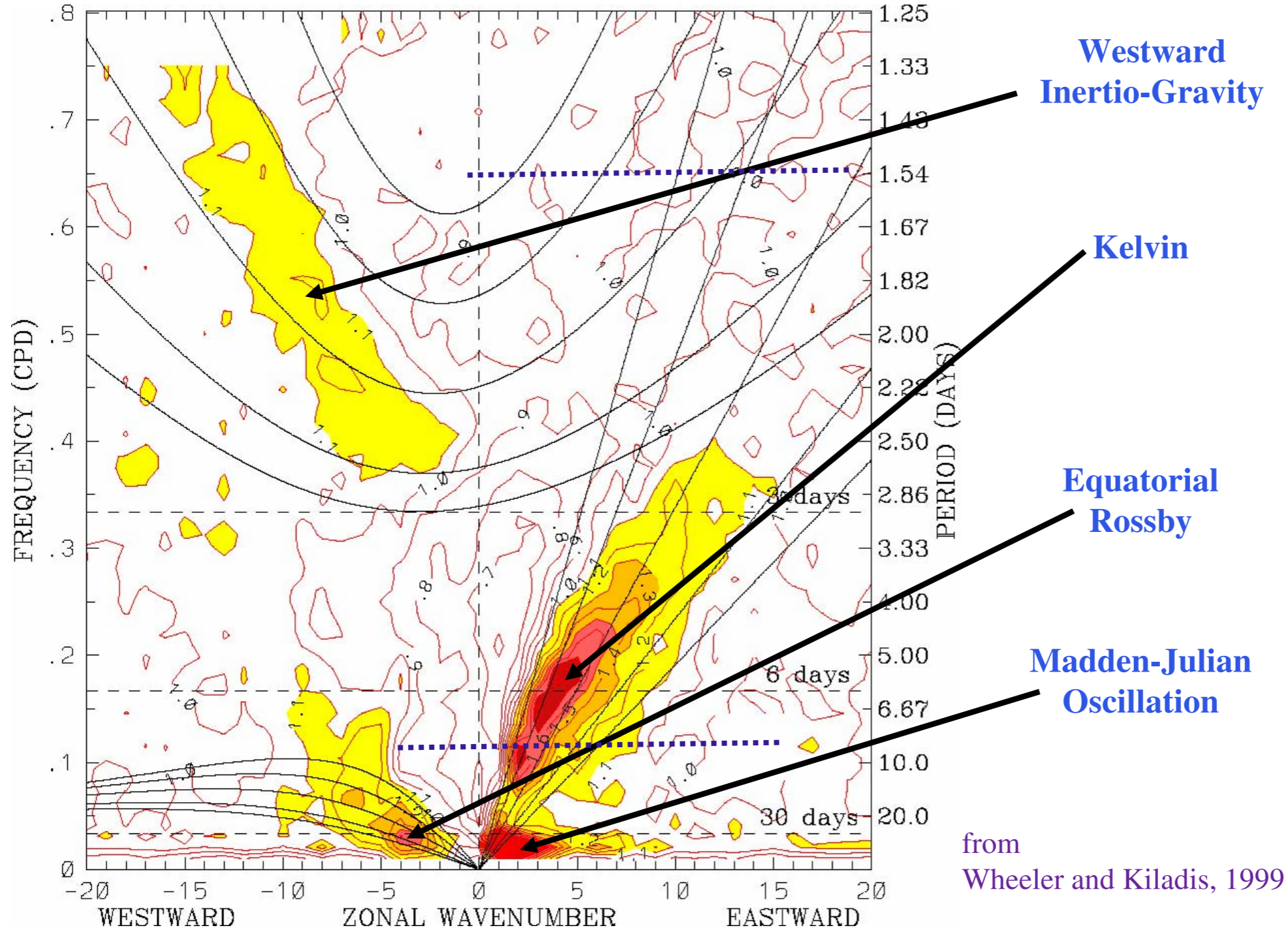


Congestus



Linear Instabilities and Waves

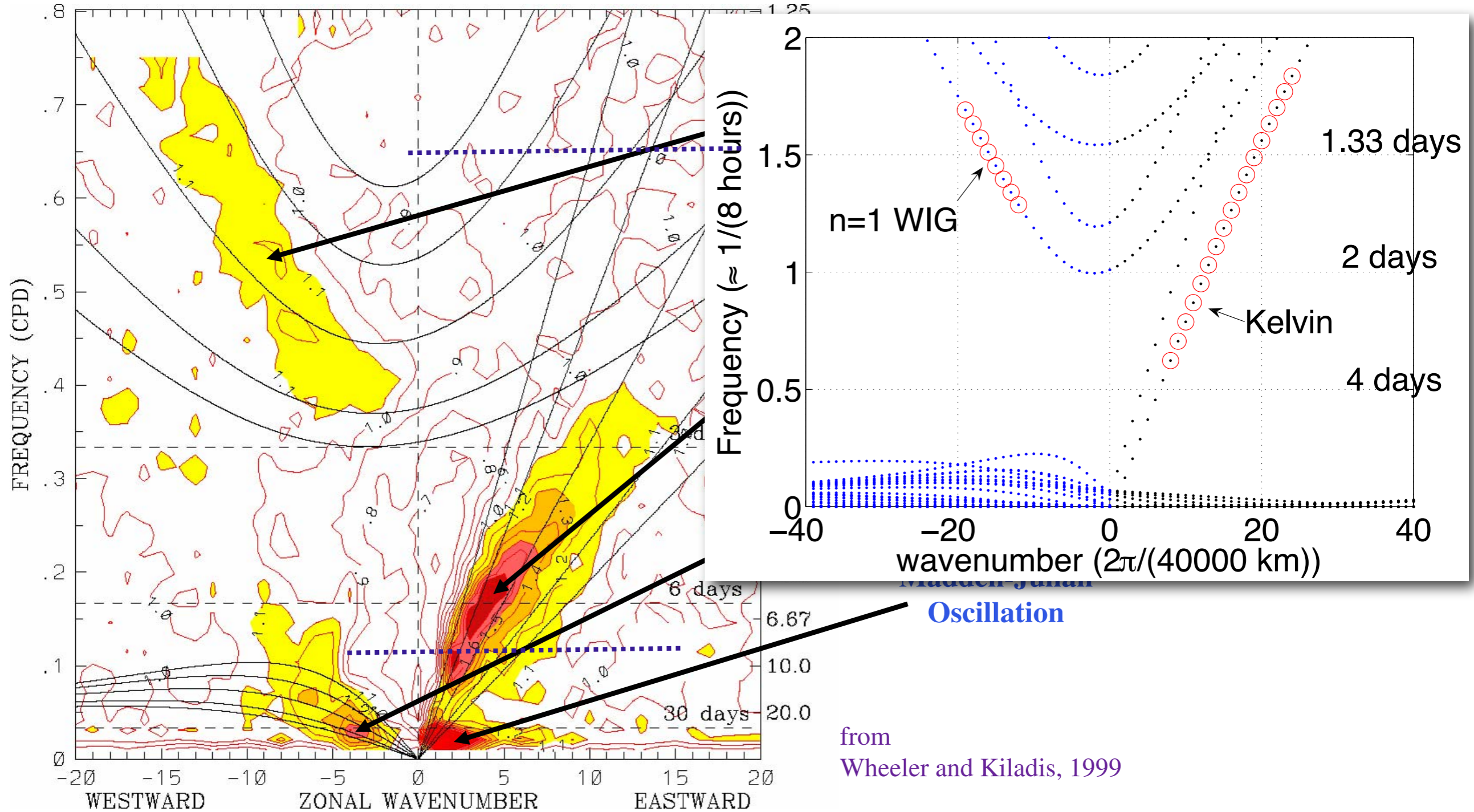
OLR power spectrum, 1979–2001 (Symmetric)



from
Wheeler and Kiladis, 1999

Linear Instabilities and Waves

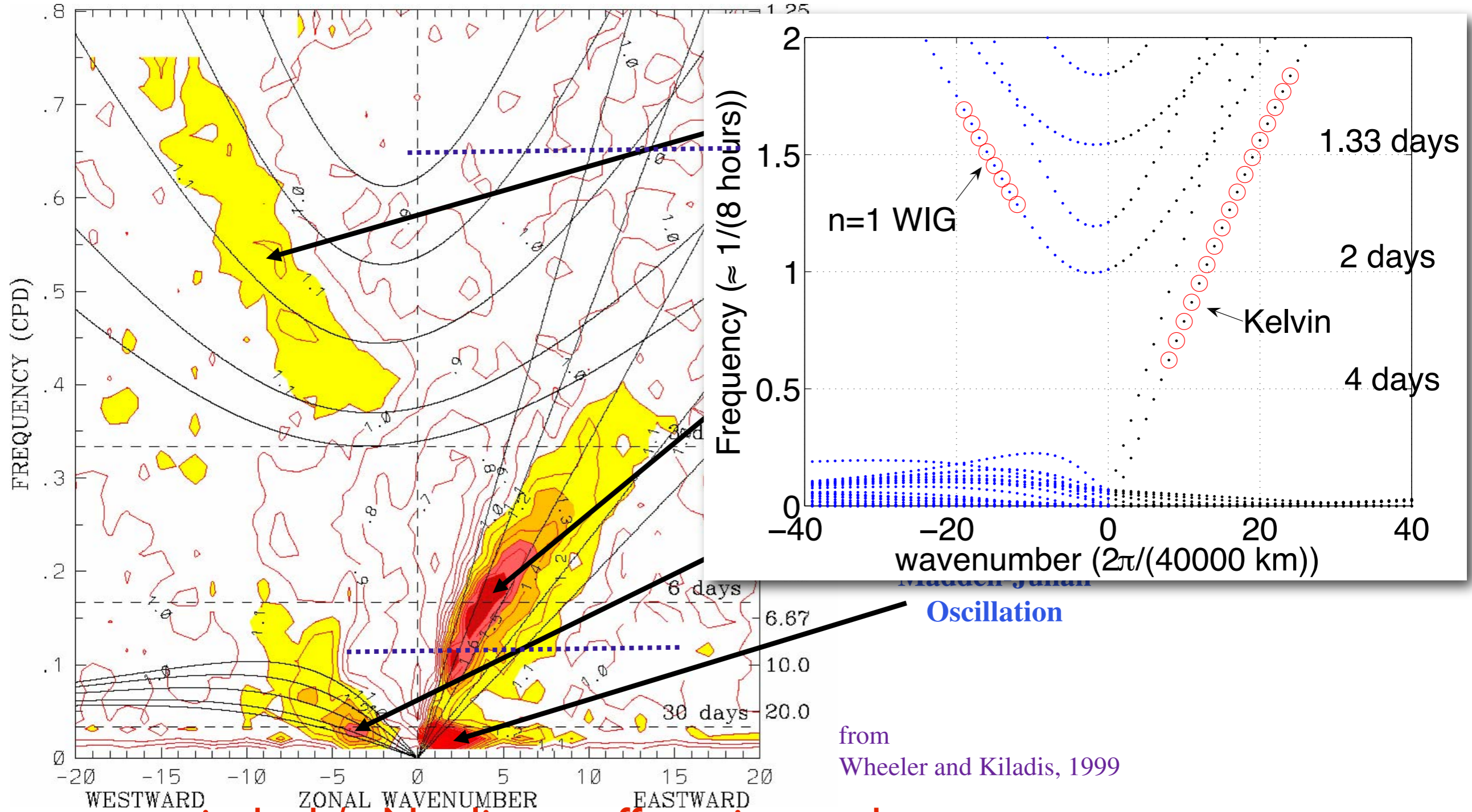
OLR power spectrum, 1979–2001 (Symmetric)



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Linear Instabilities and Waves

OLR power spectrum, 1979–2001 (Symmetric)



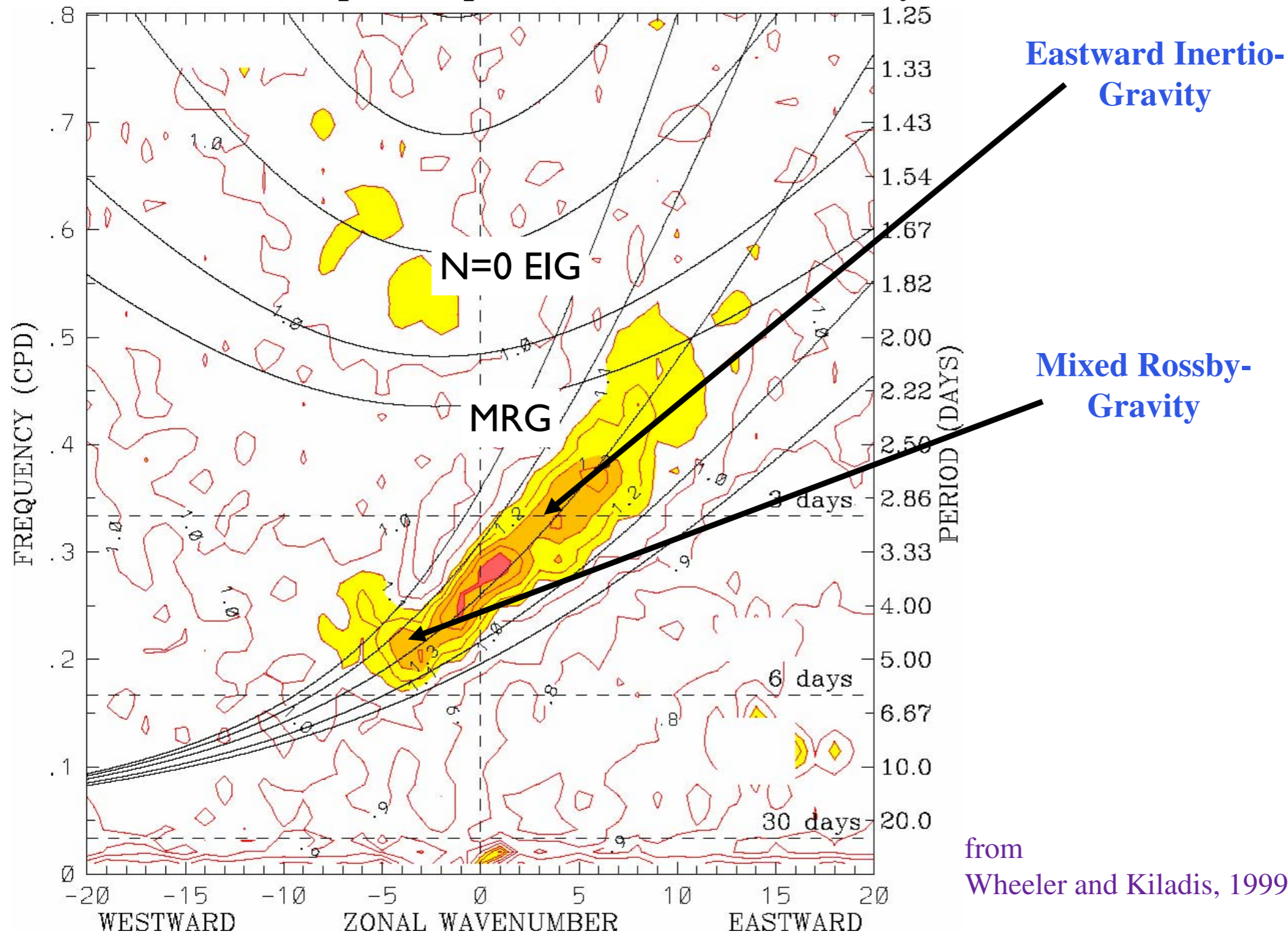
from
Wheeler and Kiladis, 1999

Shorter periods b/c Nonlinear effects ignored.

Model has no Rossby wave instability due to Lack of barotropic flow (Han and K. 2010), GCM results presented next.

Waves and Instabilities: Anti-symmetric

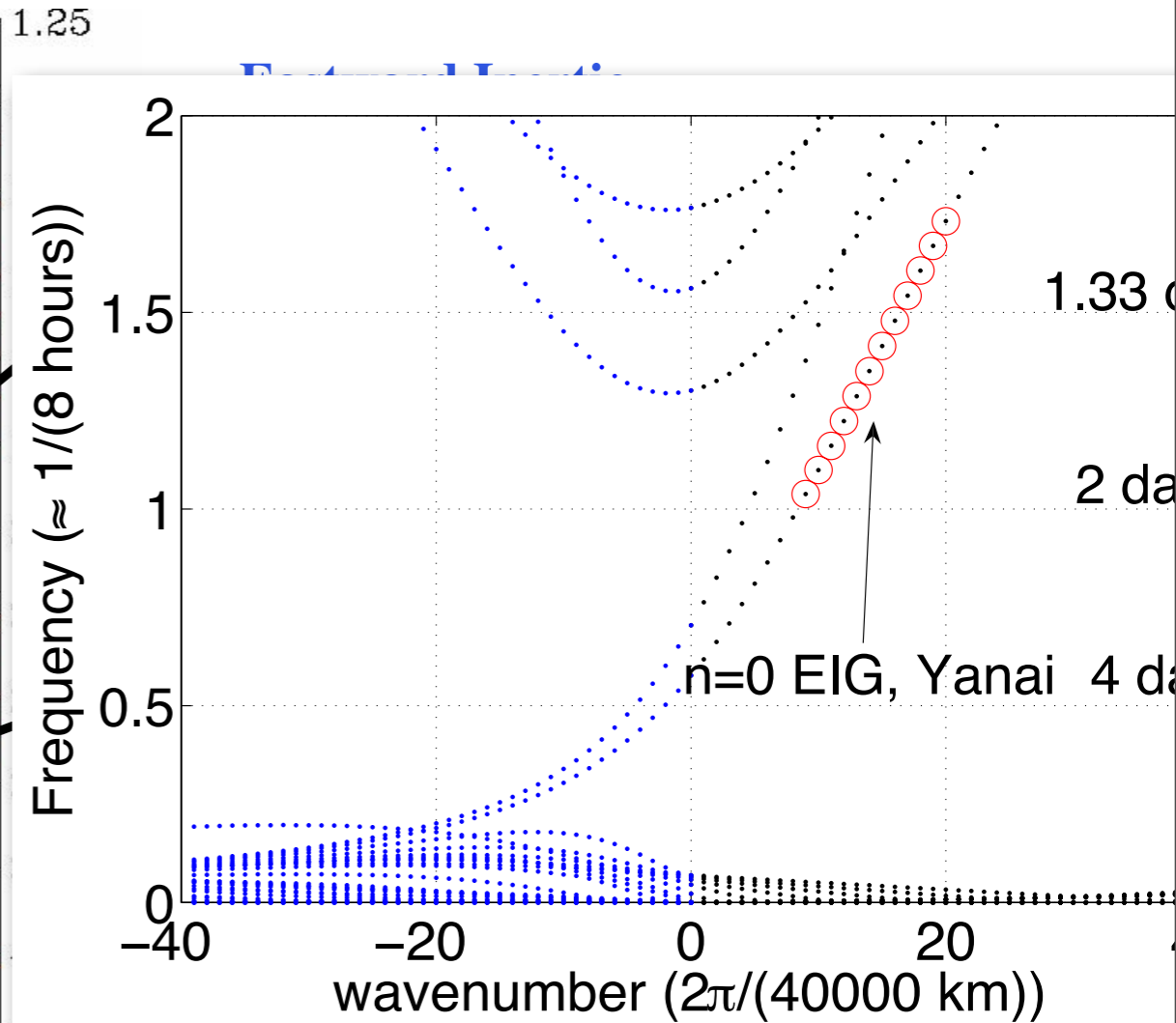
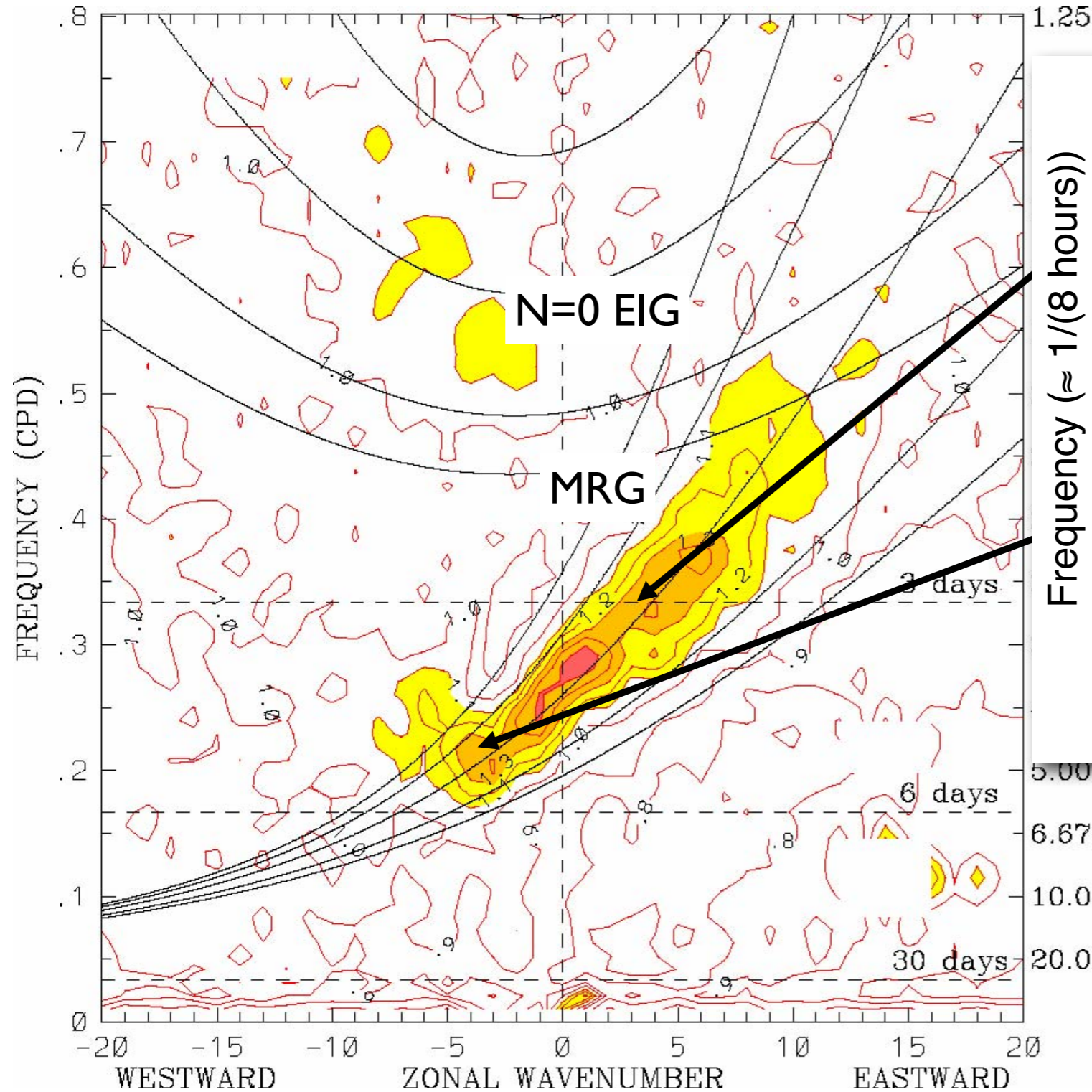
OLR power spectrum, 1979–2001 (Antisymmetric)



from
Wheeler and Kiladis, 1999

Waves and Instabilities: Anti-symmetric

OLR power spectrum, 1979–2001 (Antisymmetric)



from Wheeler and Kiladis, 1999

Stochastic Multicloud Model

As a way of modeling/capturing randomness of cloud-cloud complex interactions and transitions.

- Lattice points take values 0, 1, 2, or 3 \implies a **Four state Markov chain**
- **Three order parameters c,d,s** taking values 1 or 0, at a given lattice point according to whether there is a congestus, a deep, a stratiform cloud or none: **multivariable stochastic process**

| | | |
|---|---|---|
| C | | S |
| | D | |
| C | | |
| | C | |
| S | | D |

Intuitive transition rules

- A clear sky site turns into a congestus site with high probability if $CAPE > 0$ and middle troposphere is dry.
- A congestus or clear sky site turns into a deep site with high probability if $CAPE > 0$ and middle troposphere is moist.
- A deep site turns into a stratiform site with high probability.
- All three cloud types decay naturally according to prescribed decay rates.

Transition probabilities

- Four state Markov chain at given site

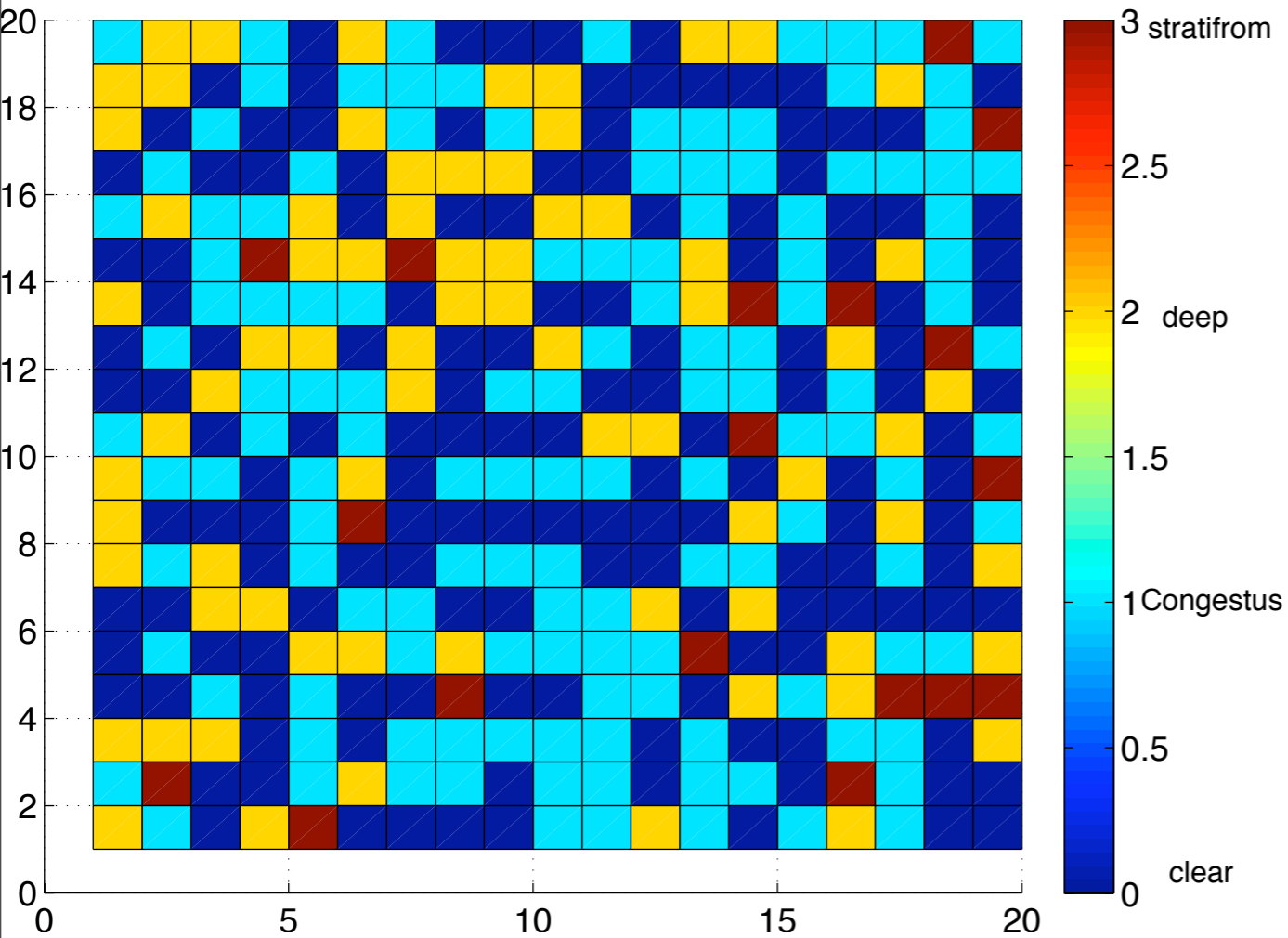
$$X_t = \begin{cases} 0 & \text{at clear sky site} \\ 1 & \text{at congestus site} \\ 2 & \text{at deep site} \\ 3 & \text{at stratiform site} \end{cases}$$

- $\text{Prob}\{X_{t+\Delta t} = k / X_t = l\} = R_{lk}\Delta t + O(\Delta t^2), l \neq k$
- Transition probability matrix, with $P_{lk} = R_{lk}\Delta t$

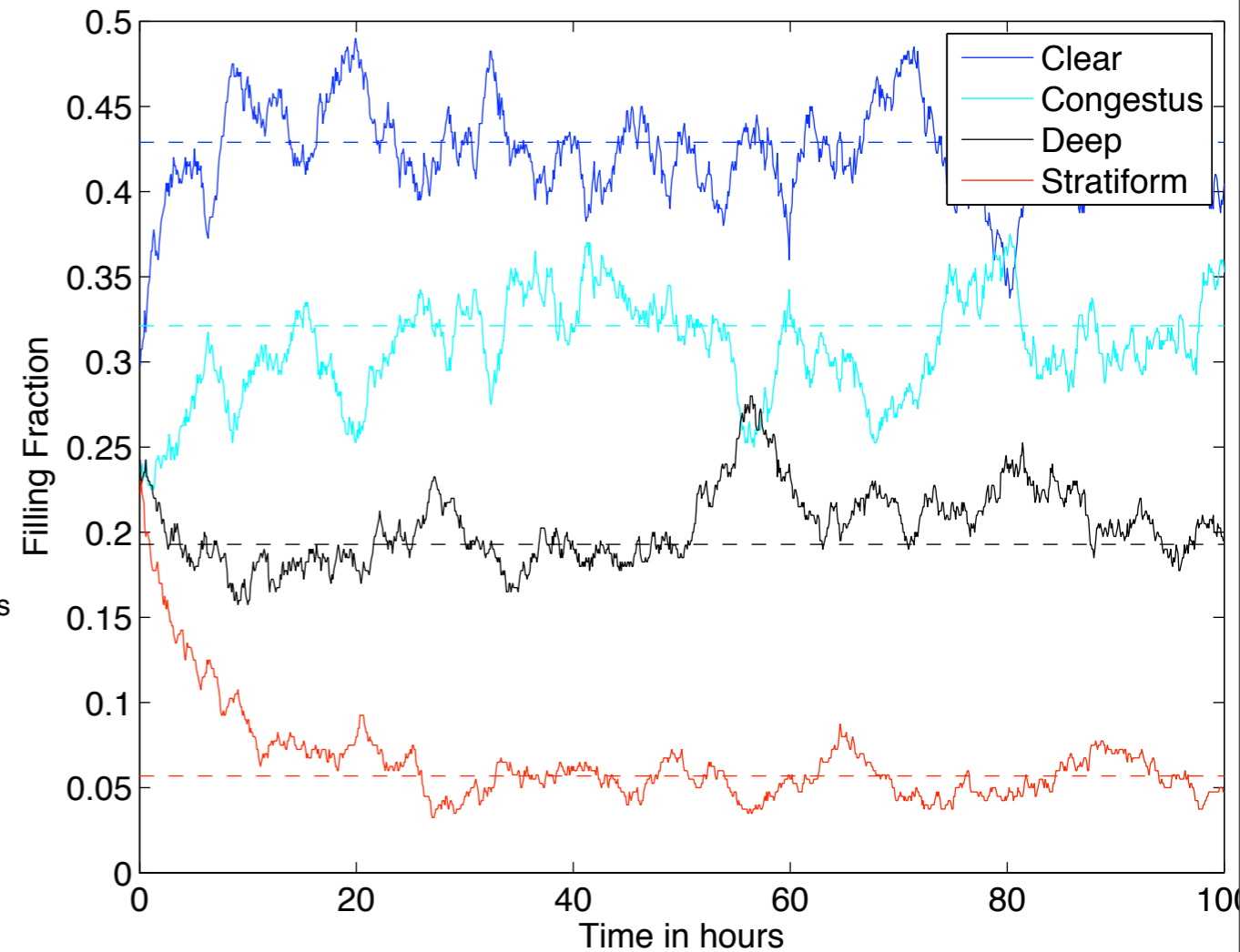
$$M = \begin{bmatrix} 1 - P_{01} - P_{02} & P_{01} & P_{02} & 0 \\ P_{10} & 1 - P_{10} - P_{12} & P_{12} & 0 \\ P_{20} & 0 & 1 - P_{20} - P_{23} & P_{23} \\ P_{30} & 0 & 0 & 1 - P_{30} \end{bmatrix}$$

Time evolution and statistics of filling fraction

Cloud cover Realization on 20x 20 points lattice: $C=0.25$, $D=1.2$

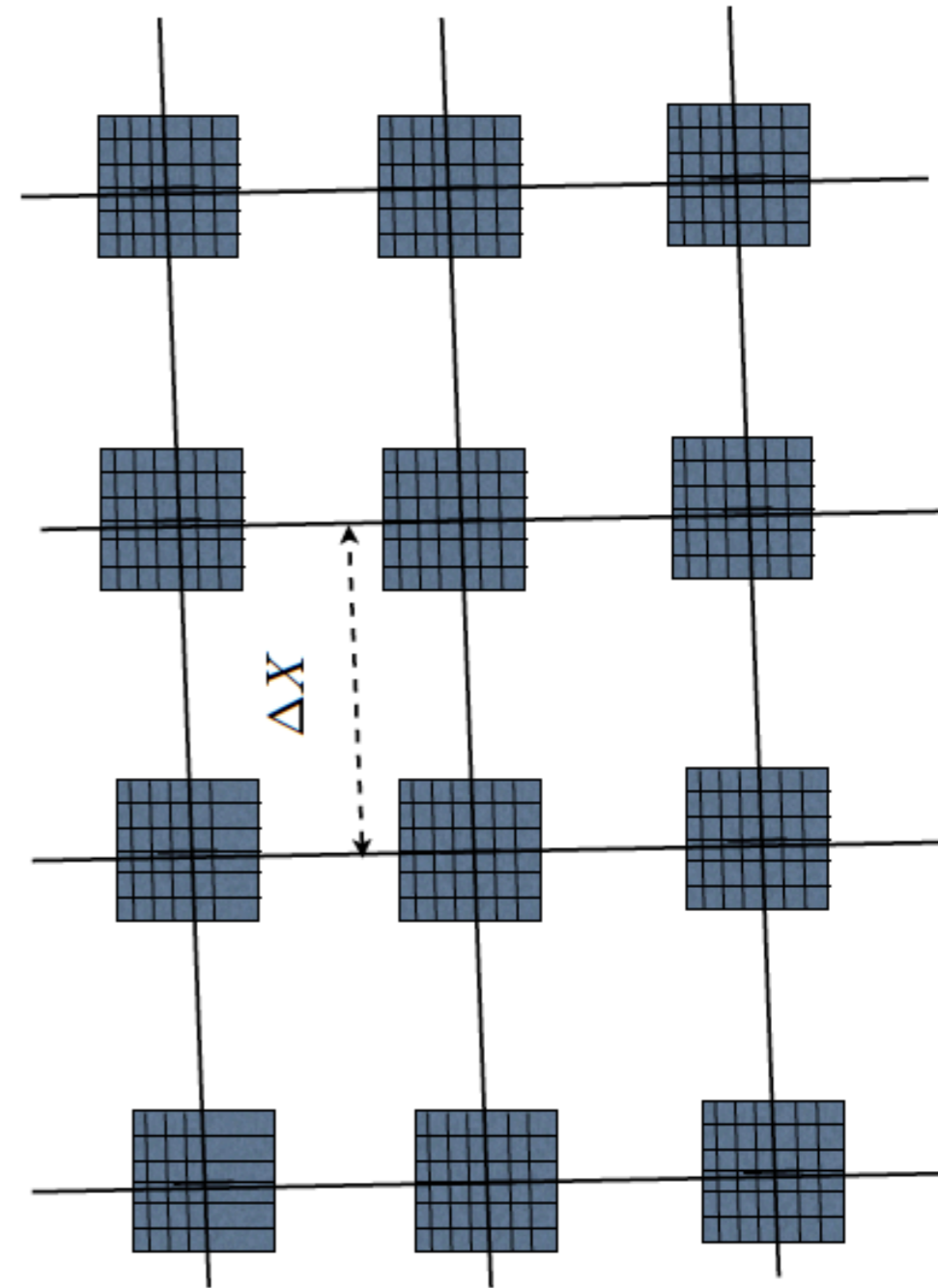


$C=0.25$, $\Delta = 1.2$



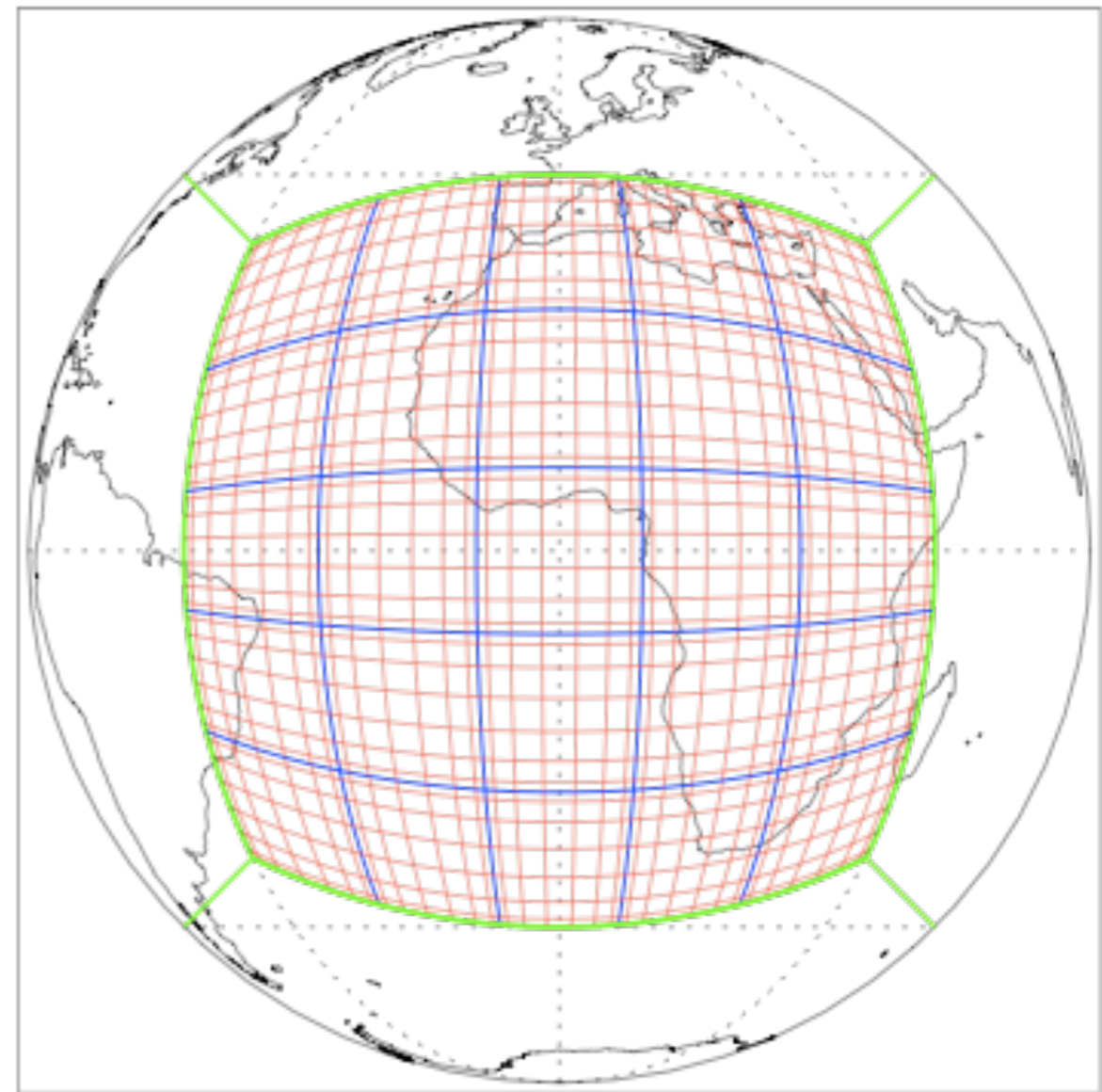
Coupling to deterministic Multicloud Equations

- Couple stochastic multicloud model to deterministic convective parametrization-- based on such cloud-type population
- A lattice of convective sites is imbedded within each coarse grid cell
- Filling fractions modify strength of heating/cooling associated with each cloud type



HOMME: Next generation NCAR AGCM

- **HOMME: High-Order Methods Modelling Environment**
- Spectral elements, Continuous or discontinuous Galerkin on cubed sphere
- Explicit or semi-implicit time integration
- Vertical discretization: finite-differences (CAM)
- Proven to be highly scalable on MP systems $O(90000)$ cpus



Extract vertical modes from initial sounding GATE

- Vertical normal mode expansion (Kasahara & Puri, 1981)

$$\mathbf{u}(x, y, p, t) = \sum_n \mathbf{u}_n(x, y, t) \phi_n(p)$$

$$-\frac{d}{dp} \left(p^2 N^2 \frac{d\phi_n}{dp} \right) = \frac{1}{c_n^2} \phi_n,$$

- Vertical velocity

$$\omega(x, y, p, t) = \sum_n \omega_n(x, y, t) \psi_n(p)$$

$$\psi_n(p) = -\frac{1}{p_B - p_T} \int_{p_T}^p \phi_n(p') dp'$$

Heating profiles from GATE background

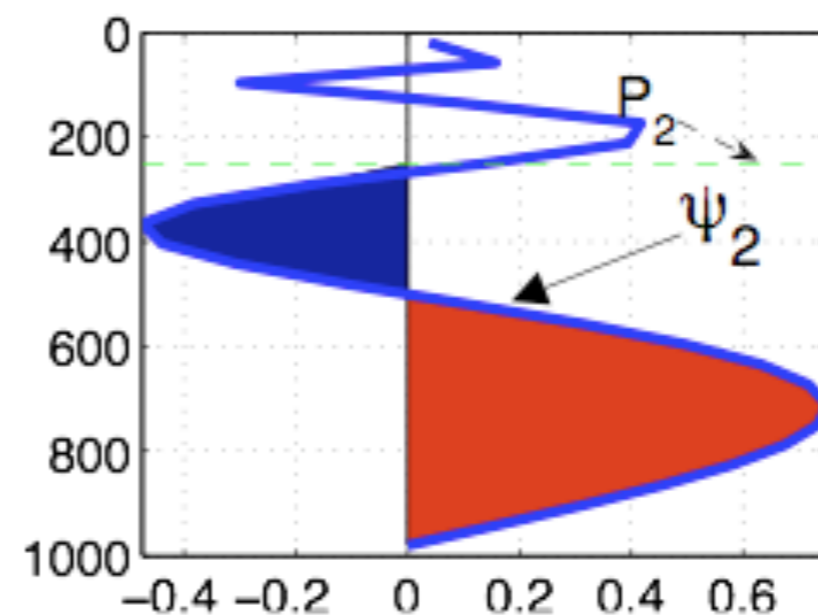
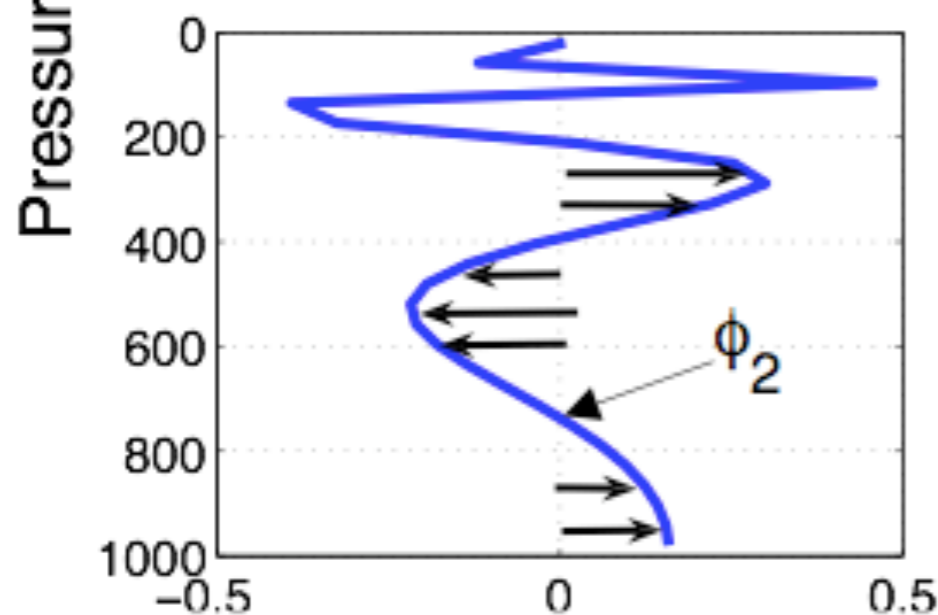
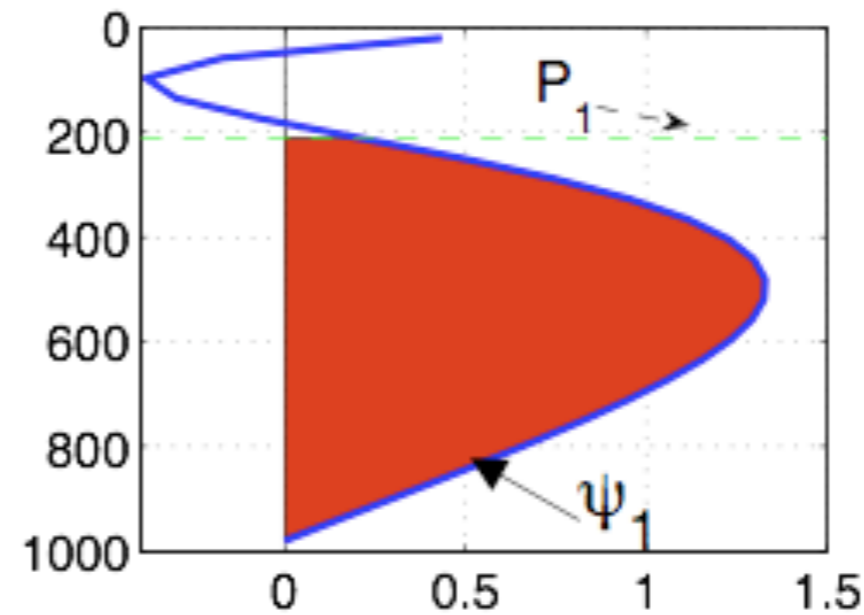
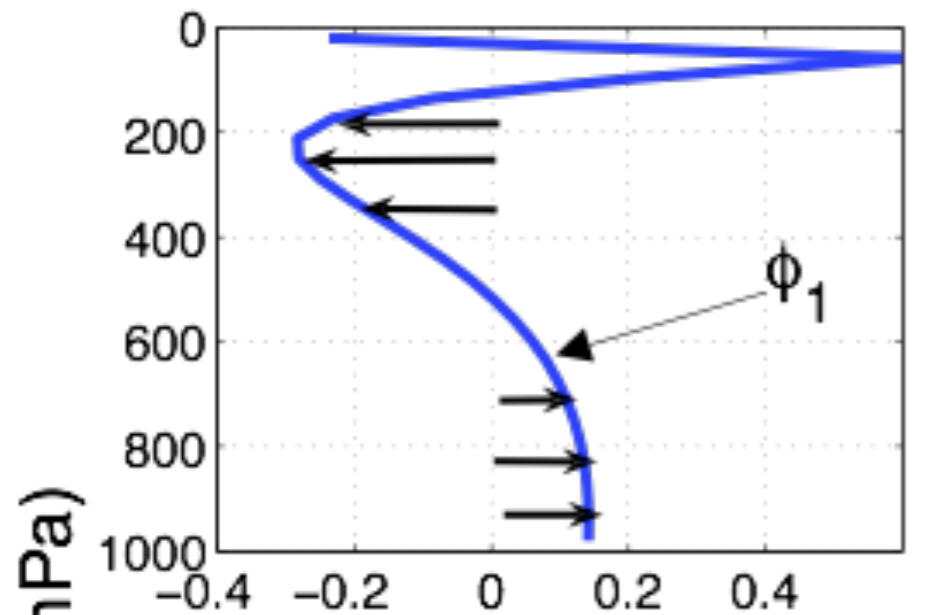
$$\mathcal{H}^{\text{tot}} = \mathcal{H}_d \tilde{\psi}_1(p) + (\mathcal{H}_c - \mathcal{H}_s) \tilde{\psi}_2(p).$$

$$\psi_j(p) = - \int_{p_T}^p \phi_j(p') dp'$$

Heating profiles from GATE background

$$\mathcal{H}^{\text{tot}} = \mathcal{H}_d \tilde{\psi}_1(p) + (\mathcal{H}_c - \mathcal{H}_s) \tilde{\psi}_2(p).$$

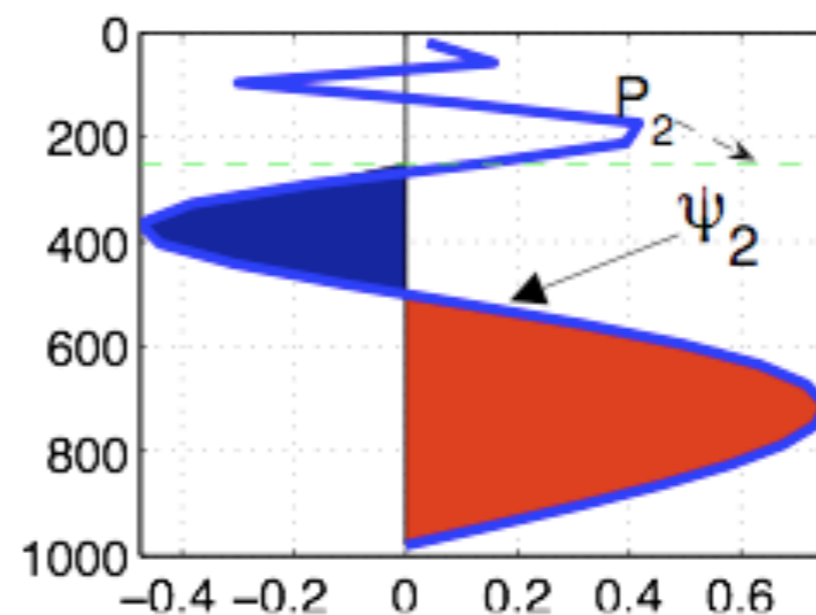
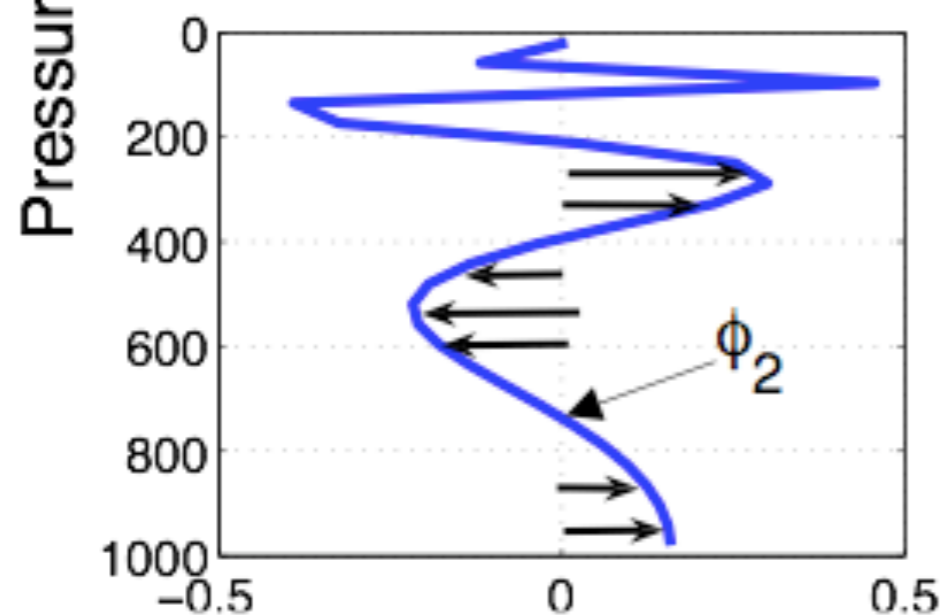
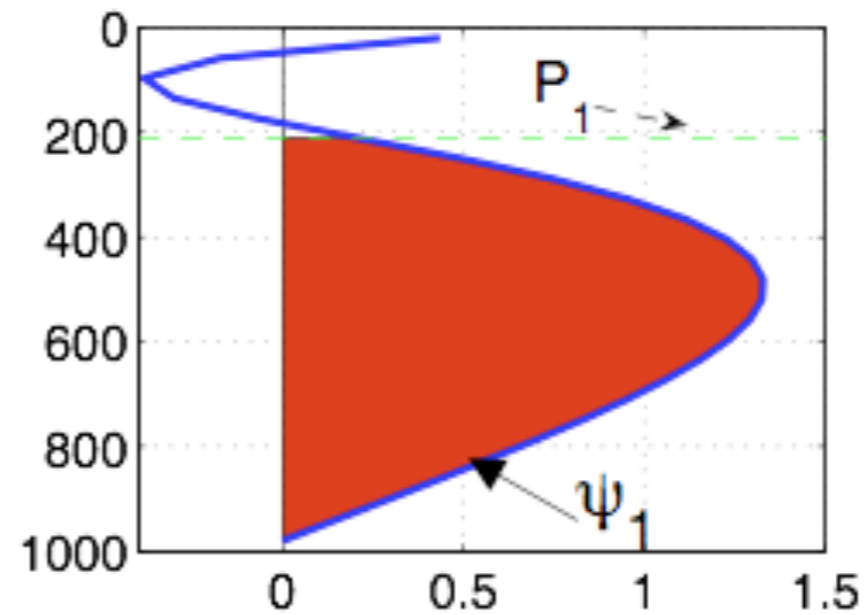
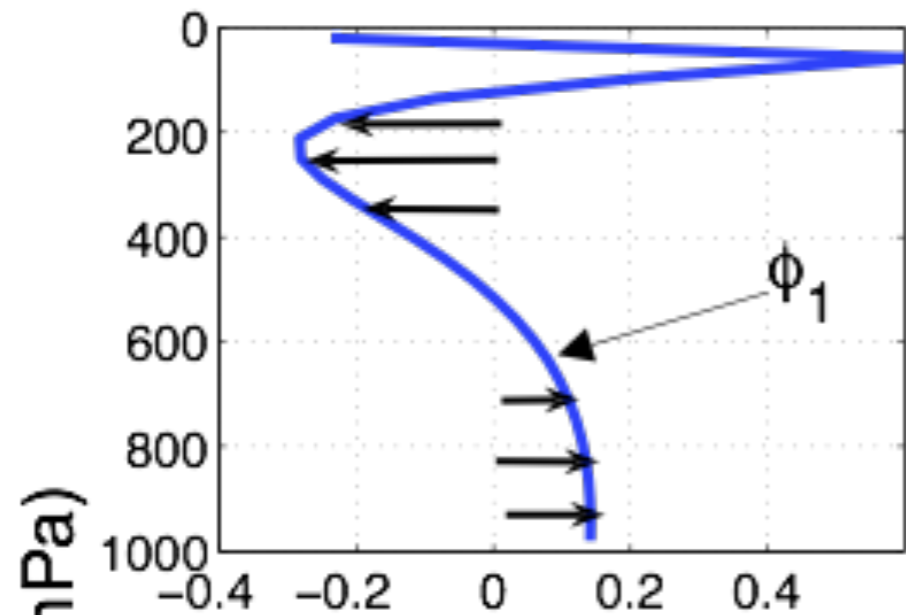
$$\psi_j(p) = - \int_{p_T}^p \phi_j(p') dp'$$



Heating profiles from GATE background

$$\mathcal{H}^{\text{tot}} = \mathcal{H}_d \tilde{\psi}_1(p) + (\mathcal{H}_c - \mathcal{H}_s) \tilde{\psi}_2(p).$$

$$\psi_j(p) = - \int_{p_T}^p \phi_j(p') dp'$$



Note: Here switch between cloud types is deterministic!

Moist Thermodynamics

- Vertical average moisture equation:

$$\frac{\partial q}{\partial t} + \nabla \cdot (q(\bar{\mathbf{u}} + \mathbf{u}_1 + 0.1\mathbf{u}_2)) + \tilde{Q}_1 \nabla \cdot \mathbf{u}_1 + \tilde{Q}_2 \nabla \cdot \mathbf{u}_2 = -P + \langle E \rangle$$

$$\tilde{Q}_j = \int_{p_T}^{p_B} \frac{d\tilde{Q}}{dp} \psi_j(p) dp, j = 1, 2.$$

q: Free troposphere

- Boundary layer theta_{eb}

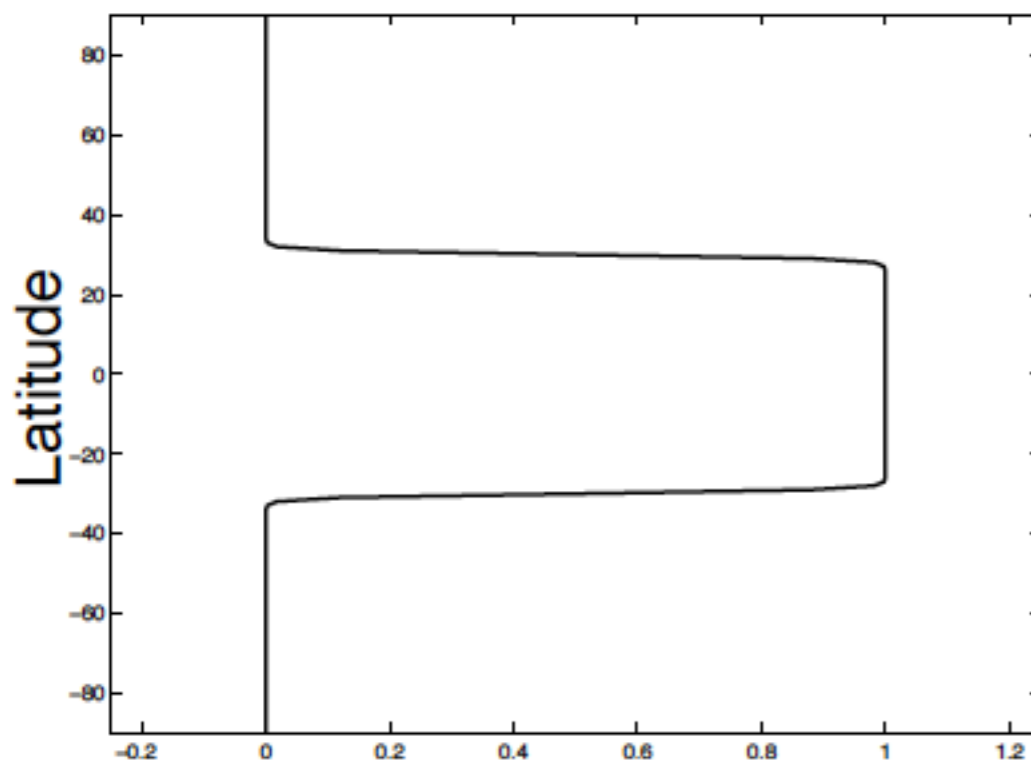
teb: Boundary Layer

$$\frac{\partial \theta_{eb}}{\partial t} + \mathbf{u}(x, y, p_1, t) \nabla \theta_{eb} = \frac{1}{h_b} E_s - \frac{1}{h} D$$

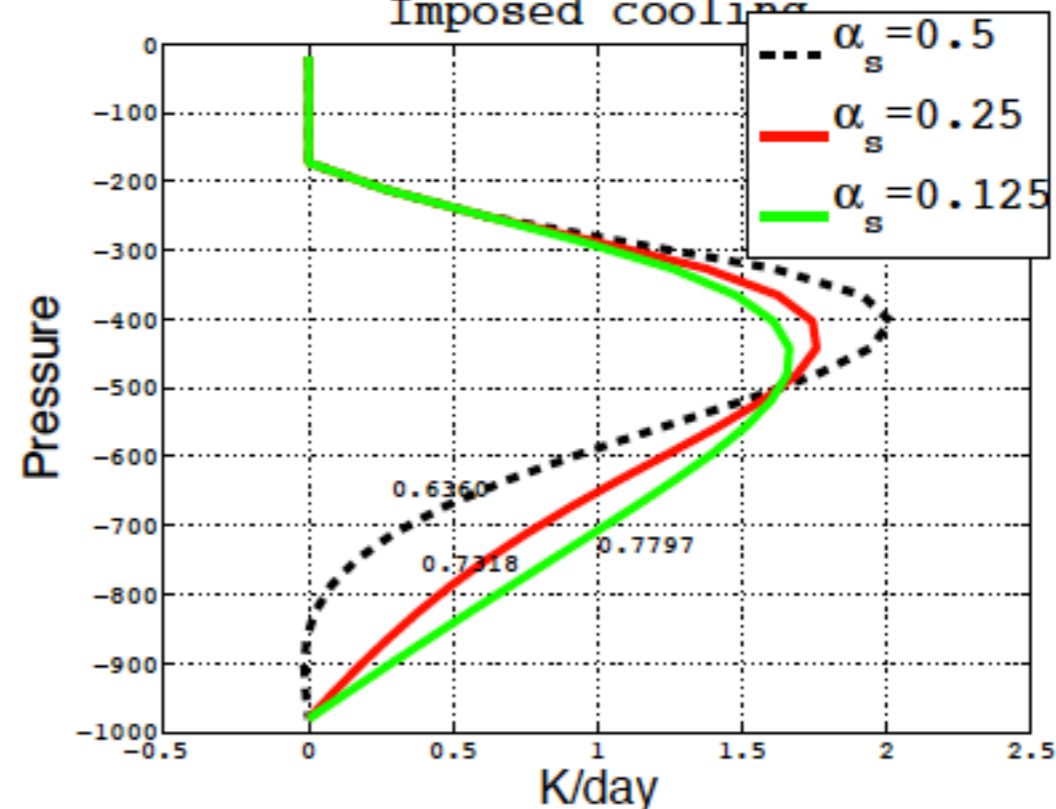
General Set up

- Background: GARP-GATE
- Imposed Cooling has profile of heating for RCE solution to exist
- Aquaplanet (sea everywhere)
- Tropical mask for heating
- Resolution: equiv. to 167 km
- 26 vertical levels
- Time step: 30 seconds

Multicloud Mask



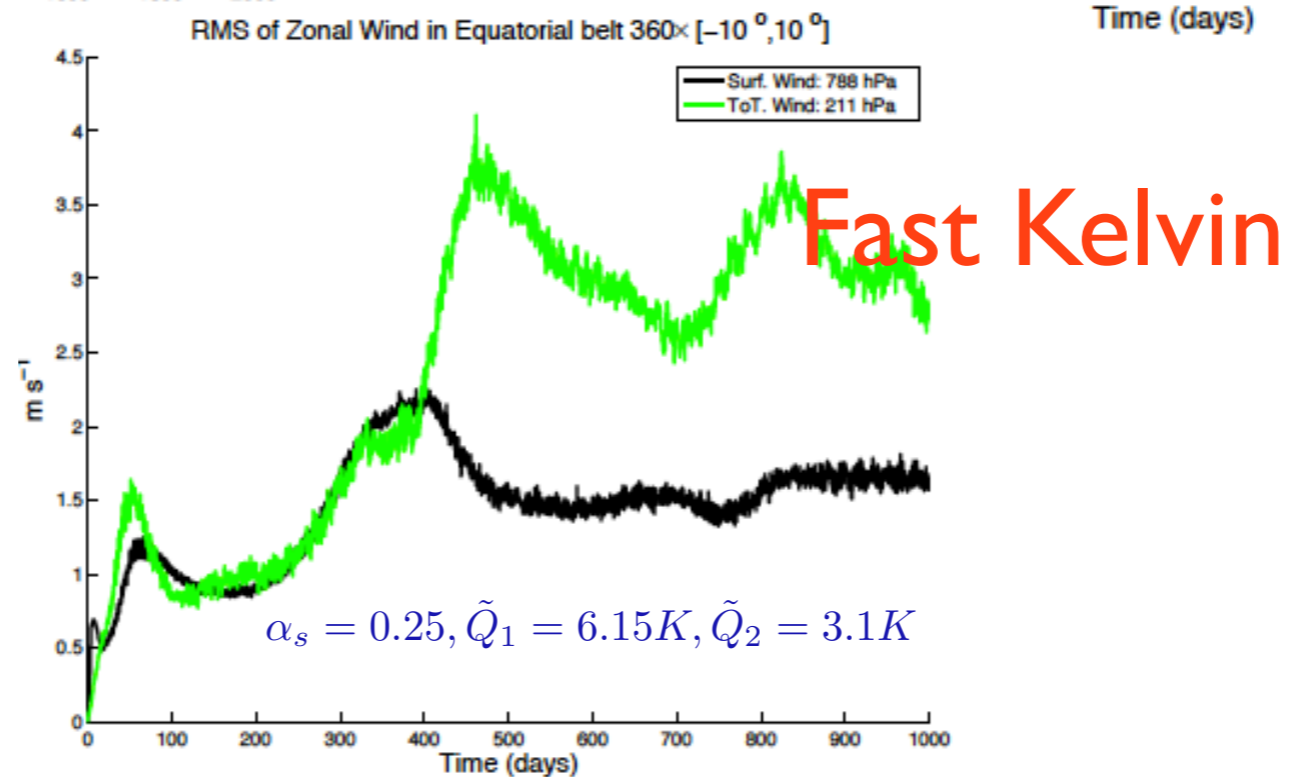
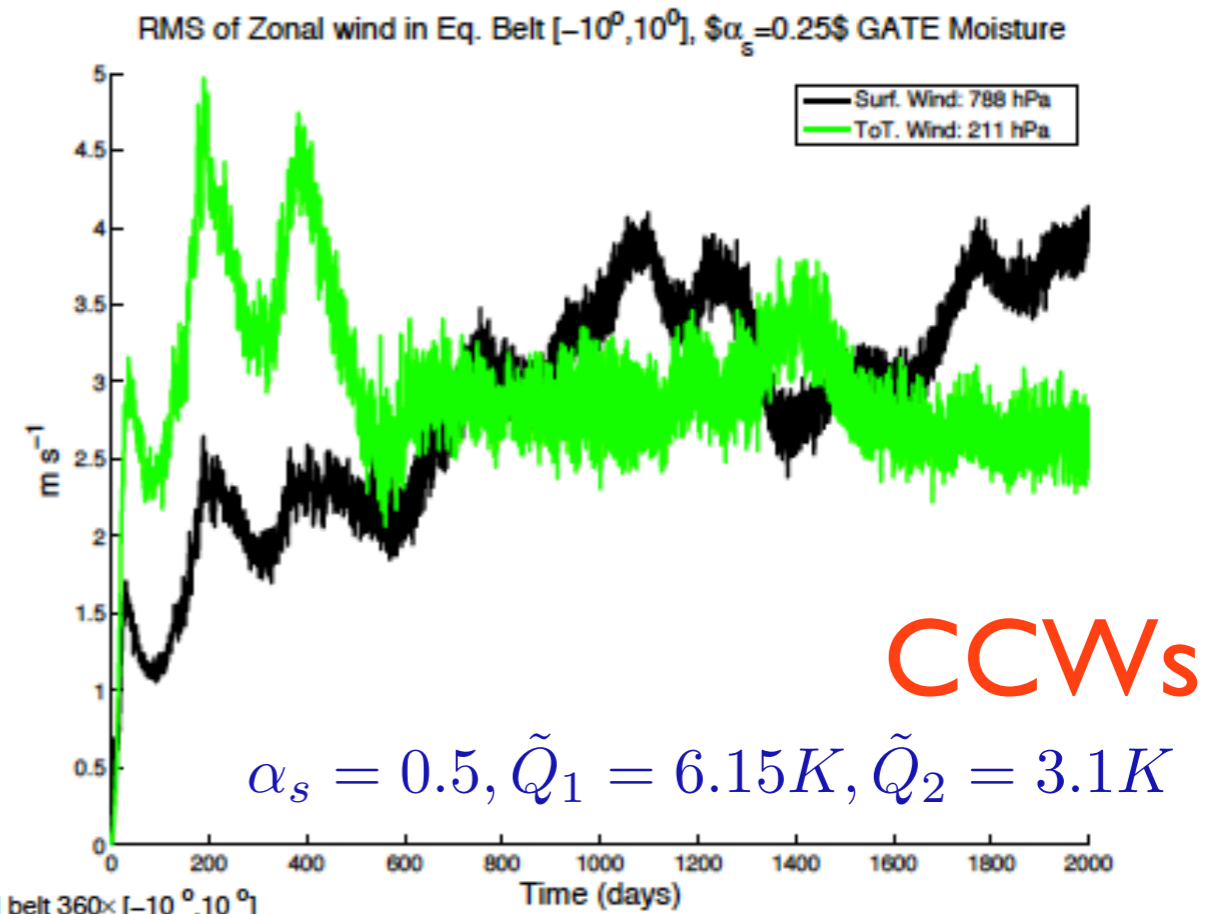
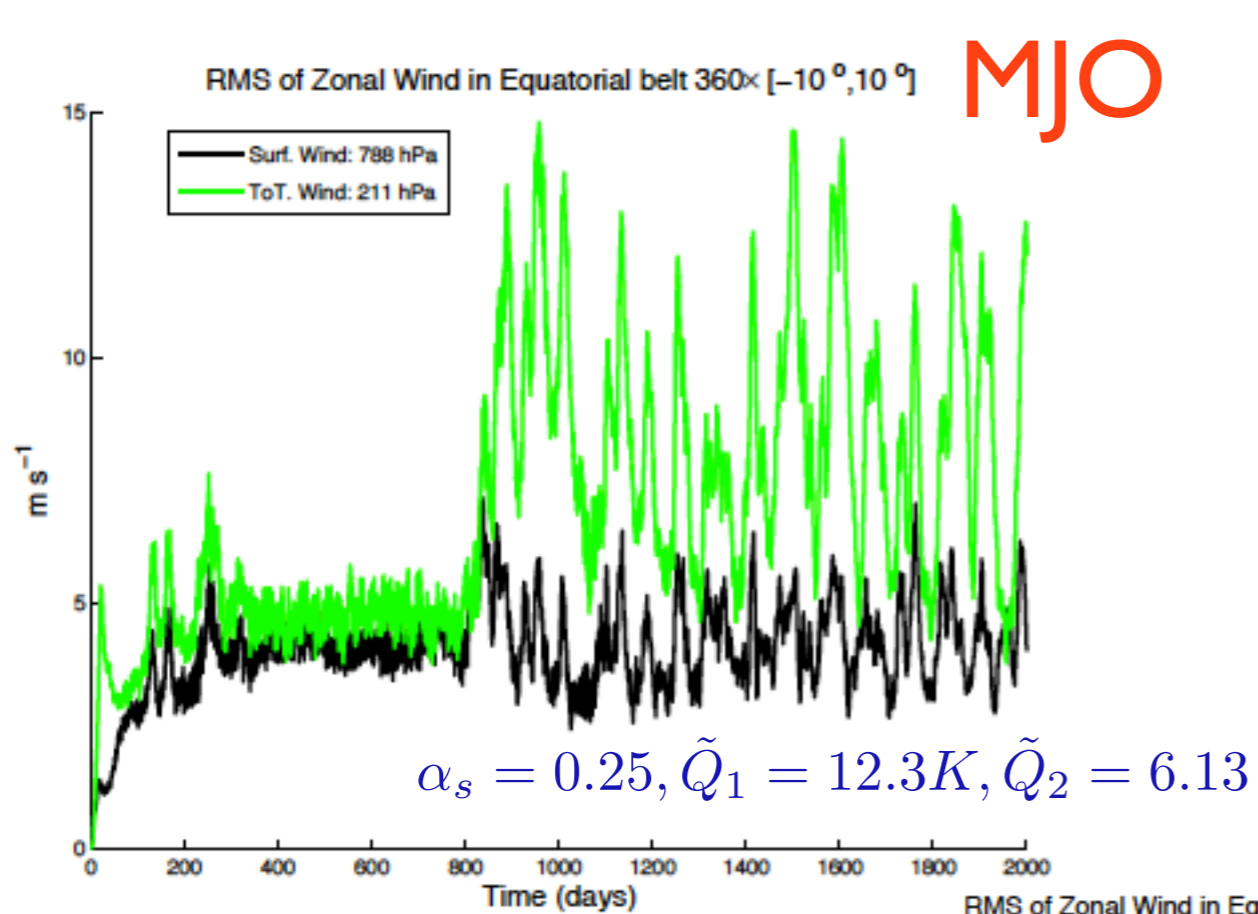
Imposed cooling



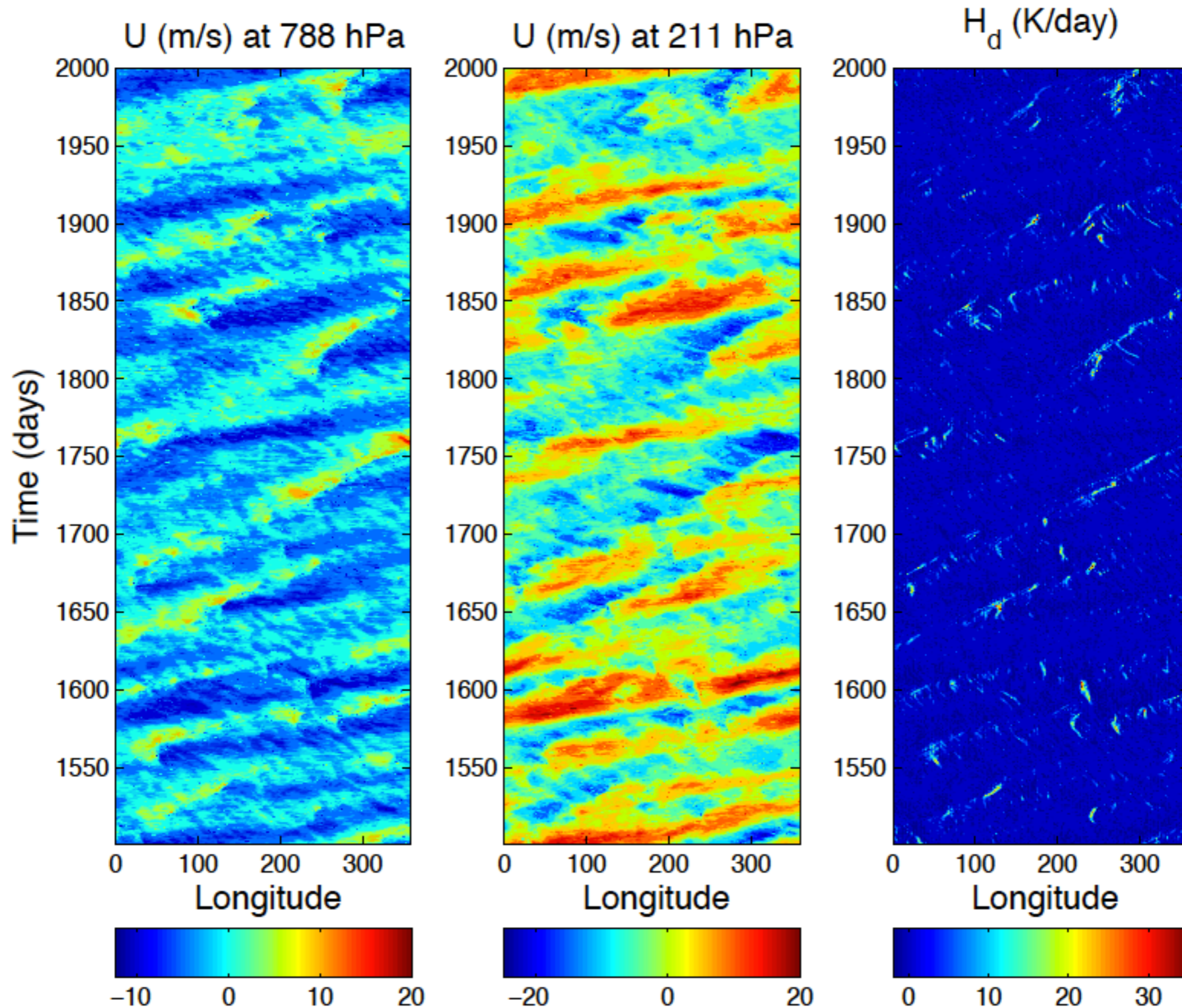
Results: Simulate Three Regimes

| Stratiform fraction | Background moisture gradient → Strength of vertical advection of moisture | Solution |
|---------------------|--|----------------------------|
| Small (0.25) | 2xGATE | MJO |
| Large (0.5) | GATE | Convectively Coupled Waves |
| Small (0.25) | GATE | Fast Kelvin |

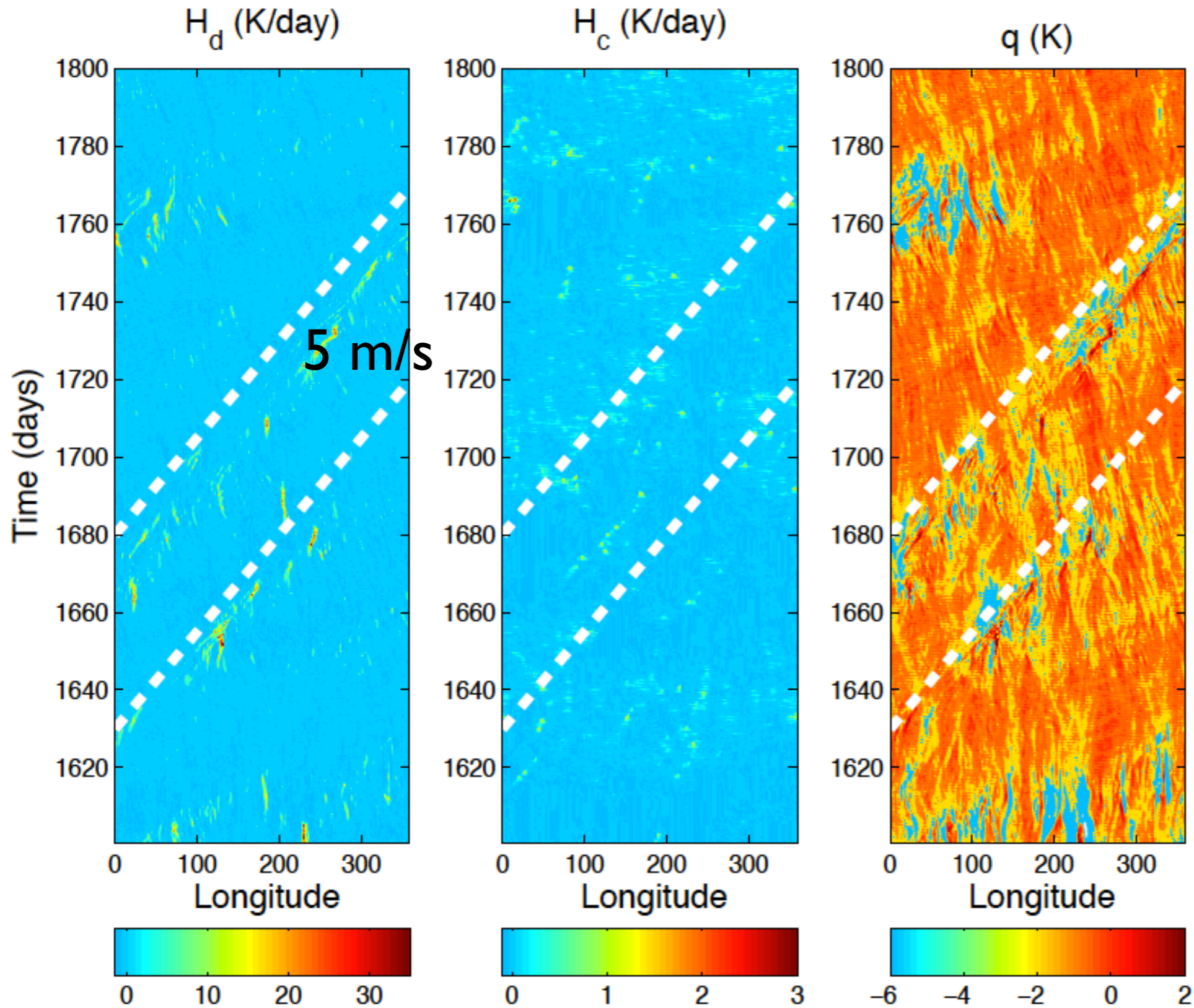
Zonal Wind RMS



Hovmoller diagram (North-South Average): MJO

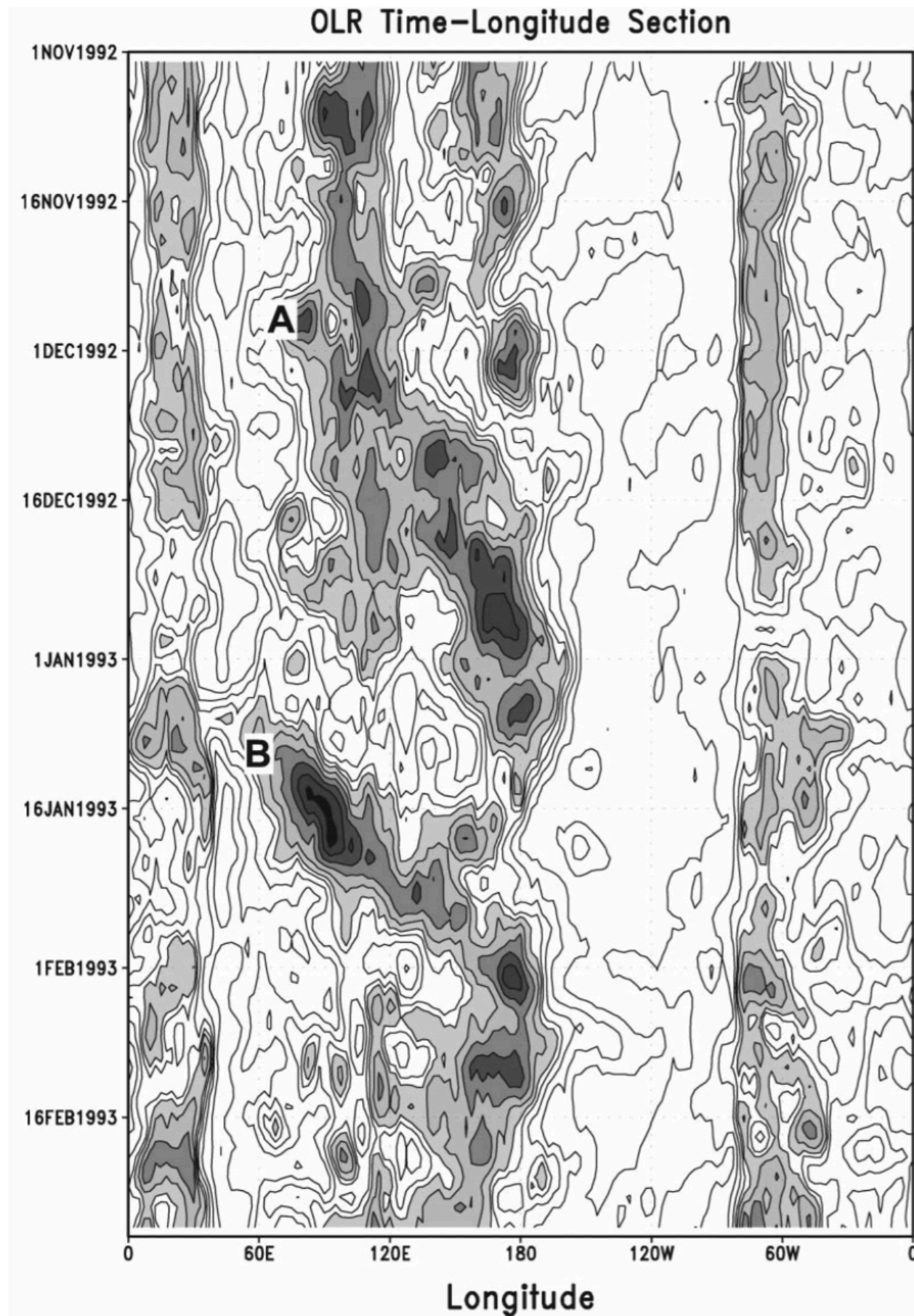


Focussing on two MJO events



Standing spikes of deep convection reminiscent of zero group velocity of MJO. Deep convective event resonate with moisture variation as in Harmonic Oscillator like model of Majda and Stechmann (2009)

...as seen in TOGA-COARE data

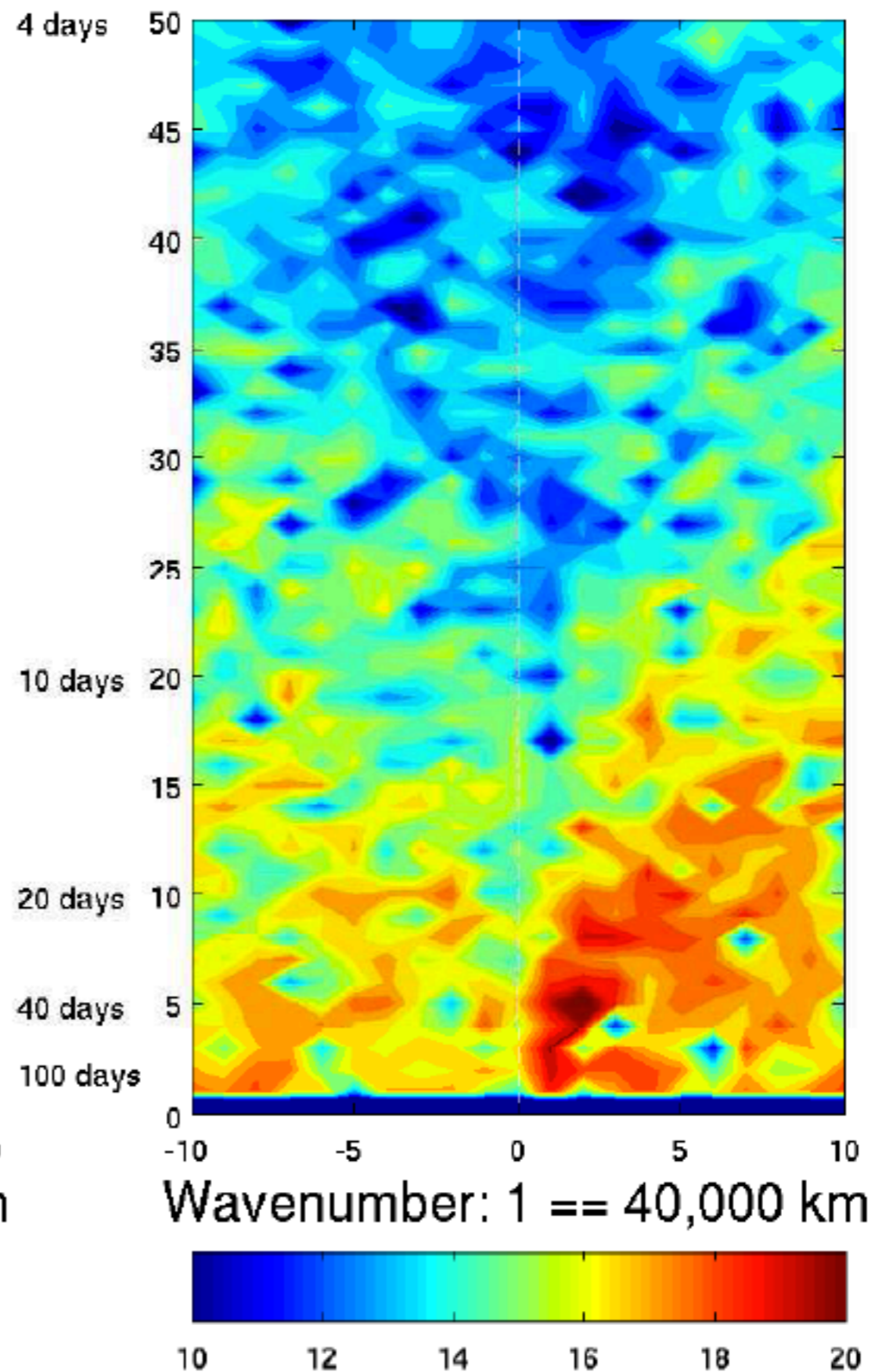
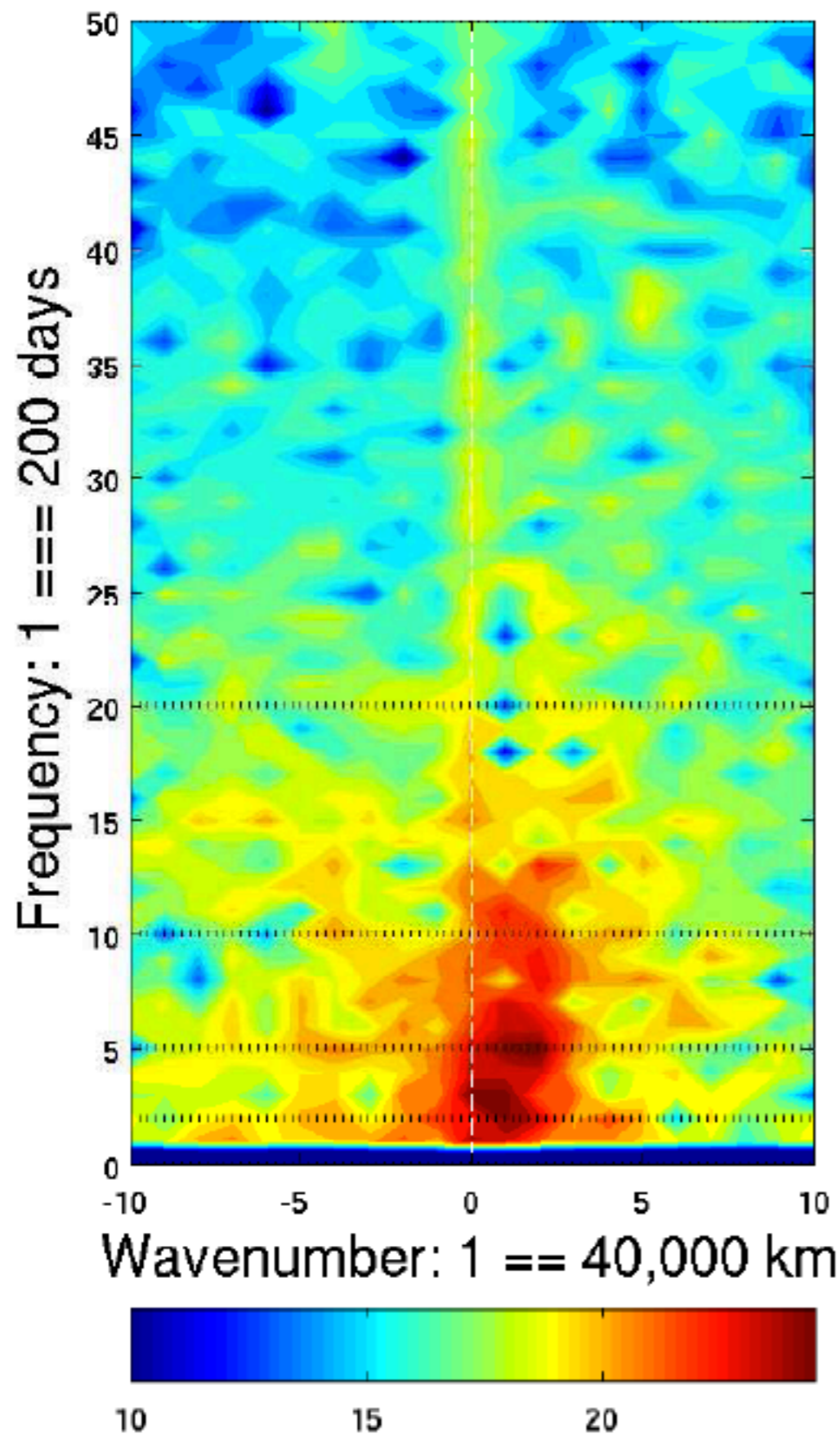


Yanai et al. 2000

Wheeler-Kiladis-Takayabu Diagram

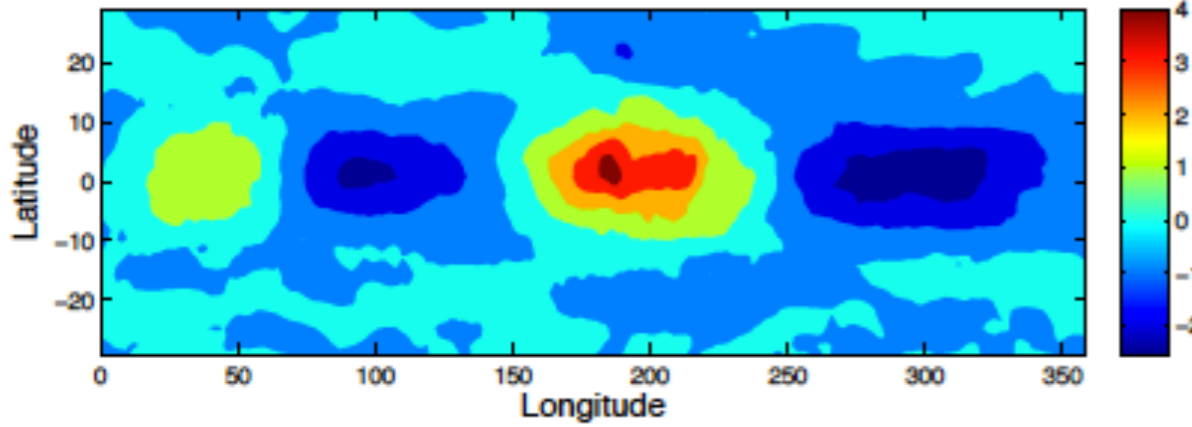
Log of spectral power: 250 hPa U

Log of spectral power: H_d

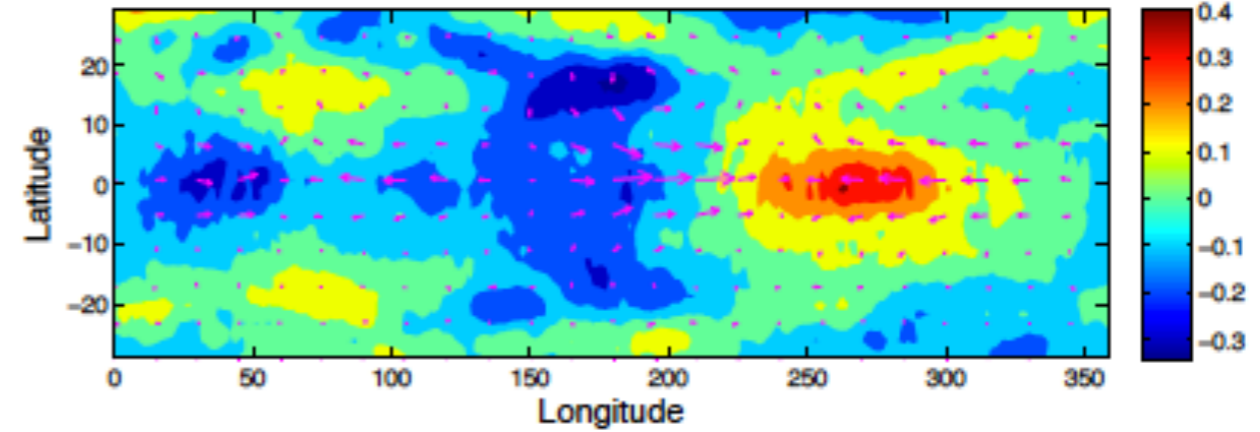


MJO Filtered Horizontal Structure

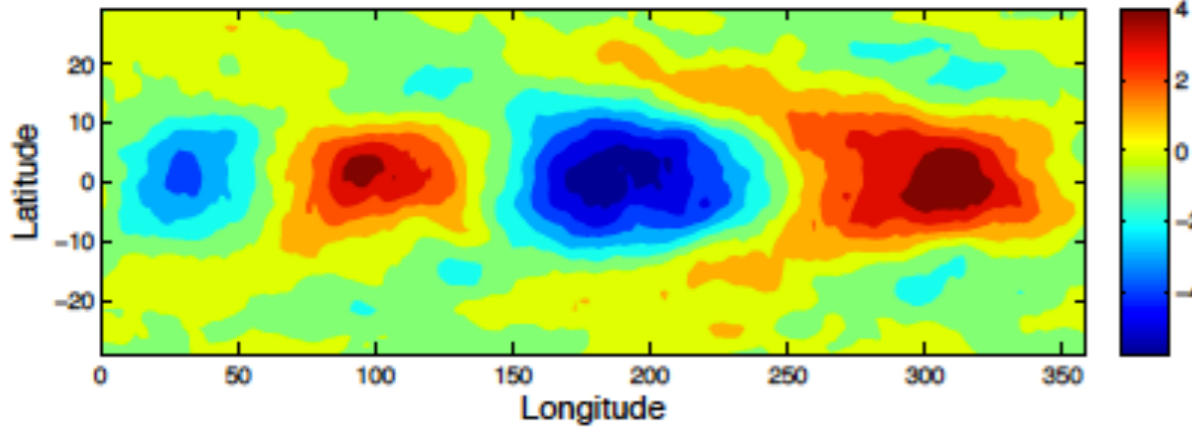
MJO composite: 827 hPa Zonal wind (m/s)



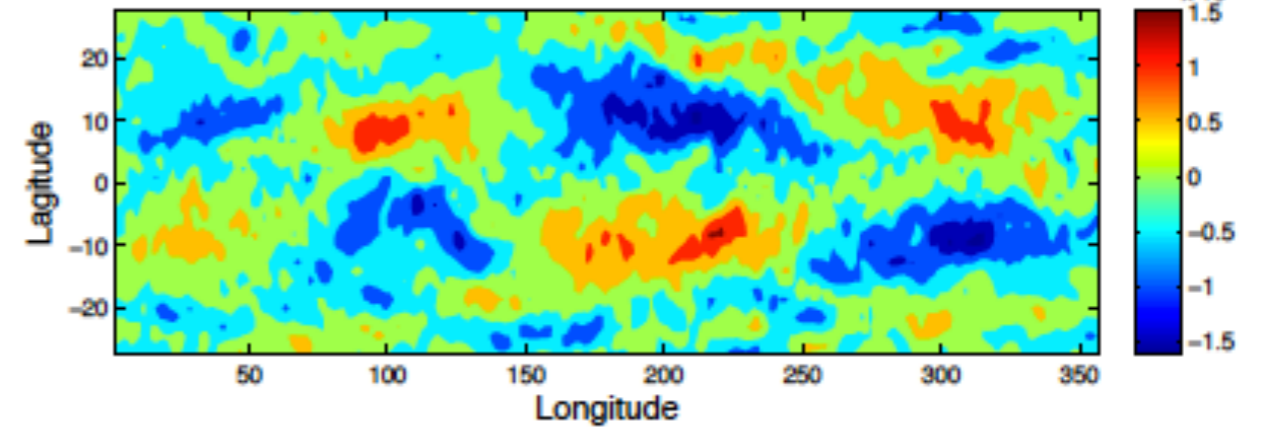
MJO composite: 827 Temperature (K)



MJO composite: 250 hPa Zonal wind (m/s)

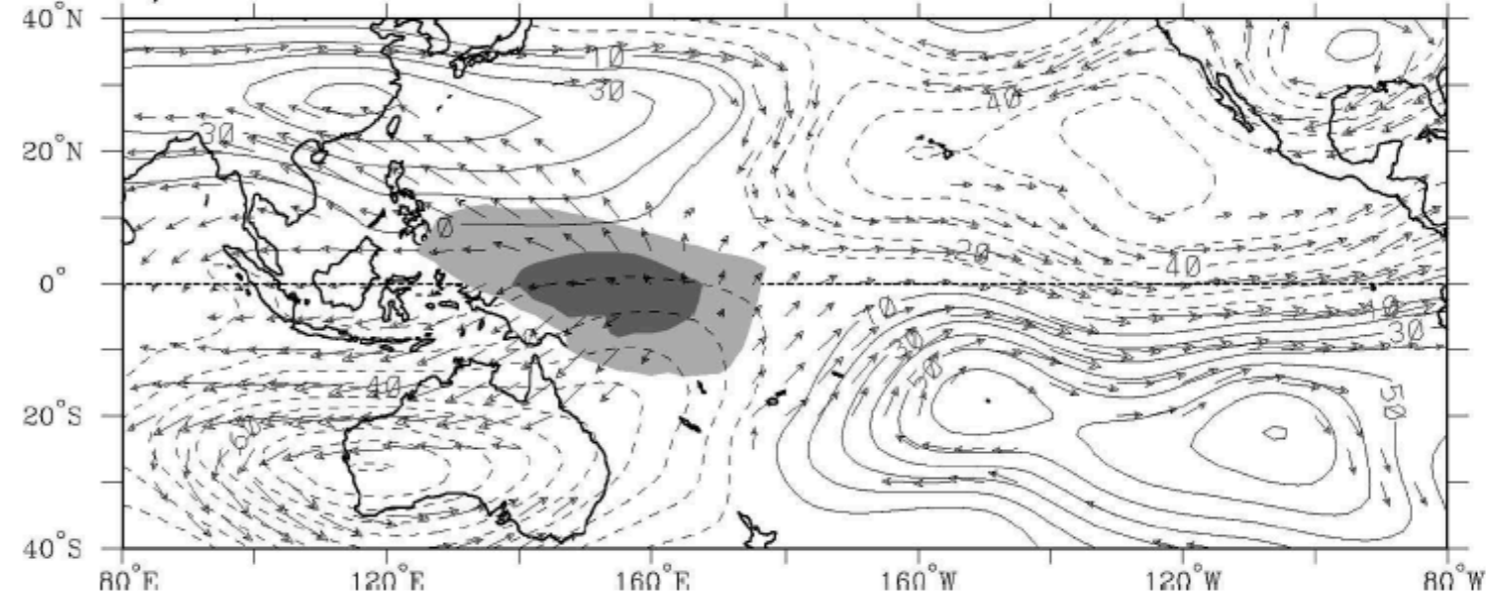


MJO composite: 250 hPa Vorticity (1/s)



Obs. Kiladis et al. 2005

b) 200 hPa

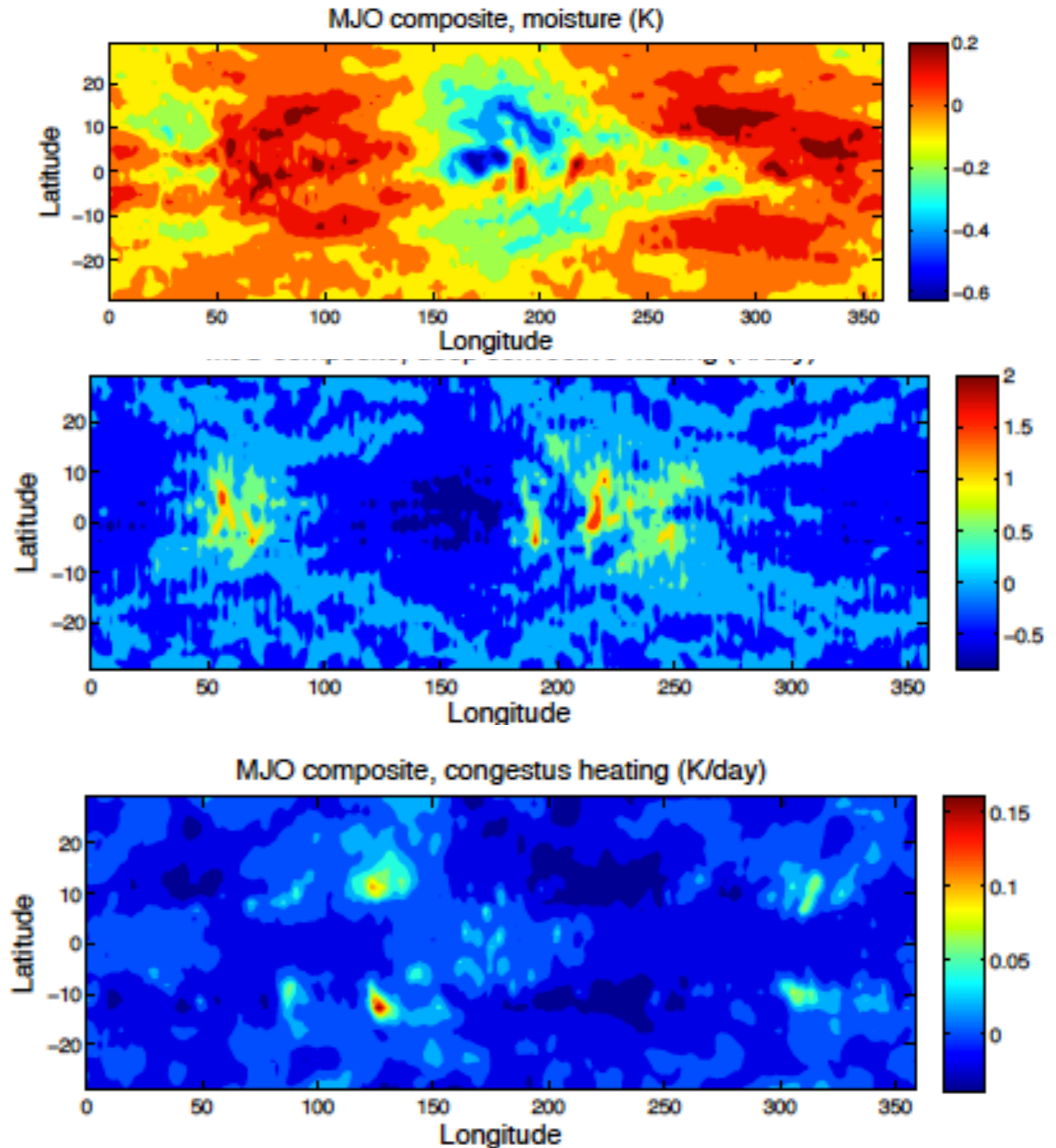


MJO Filtered Heating and Moisture Cycle

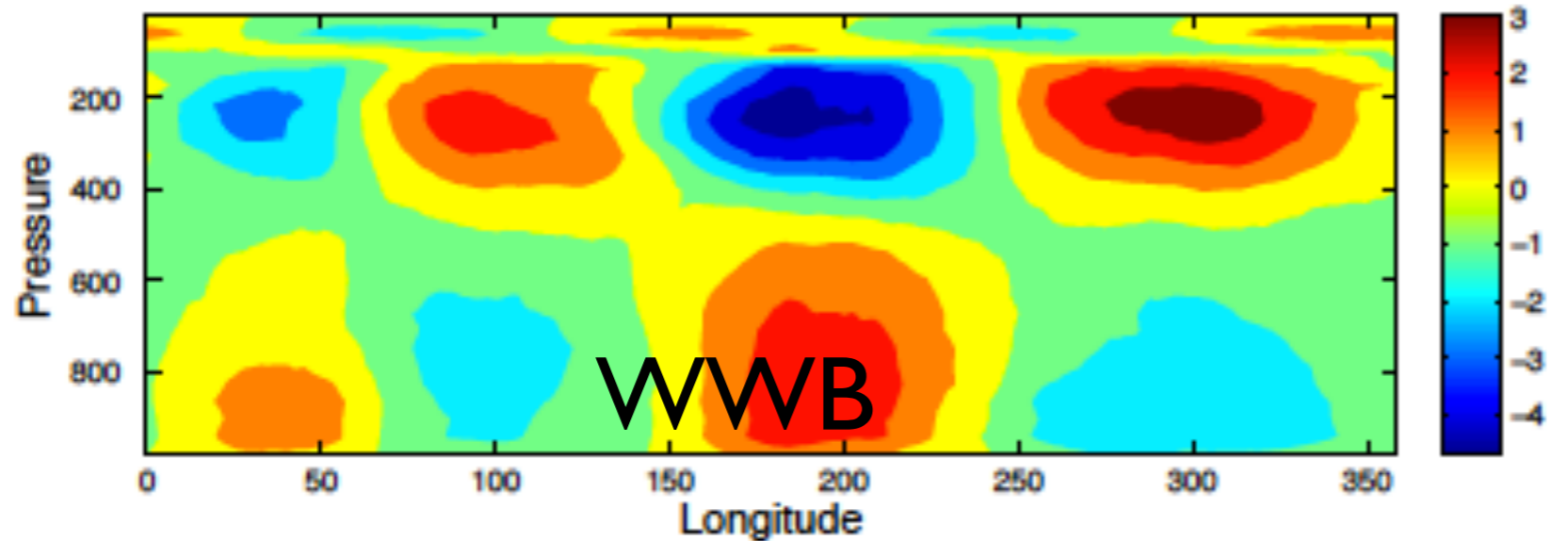
Moisture leads
convection

Deep Convection drives
the circulation and dries
environment through
precipitation

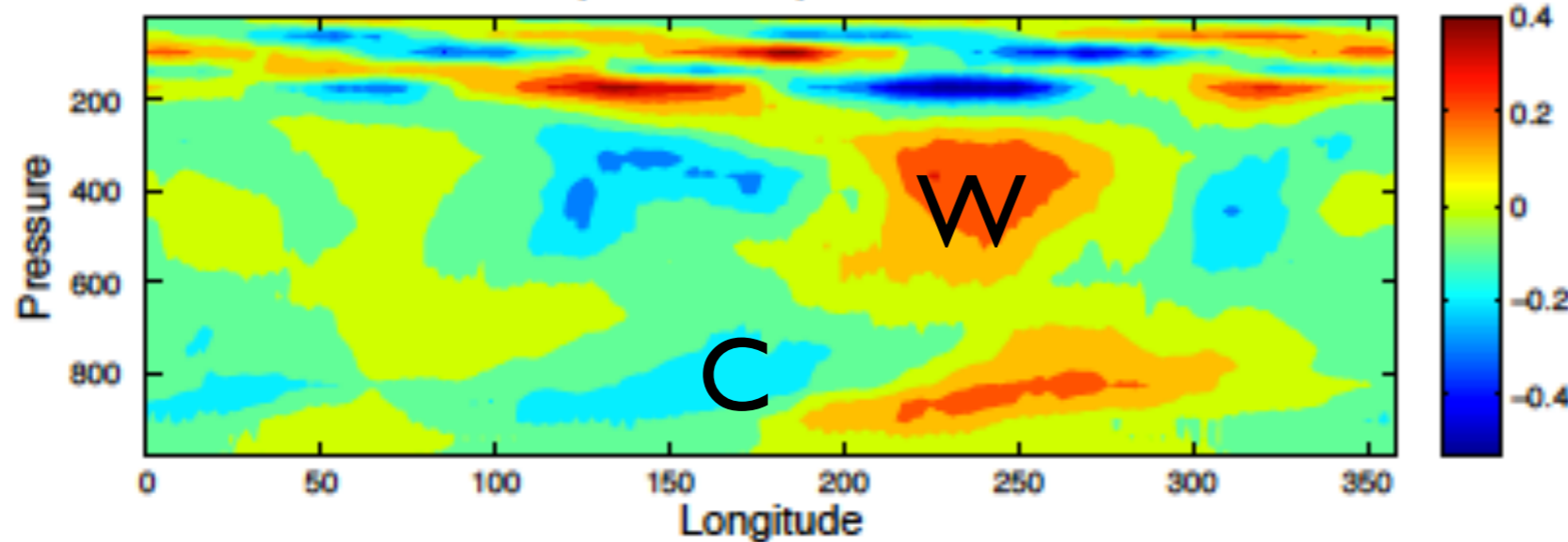
Congestus on the flanks
remoistens
environment for next
MJO event



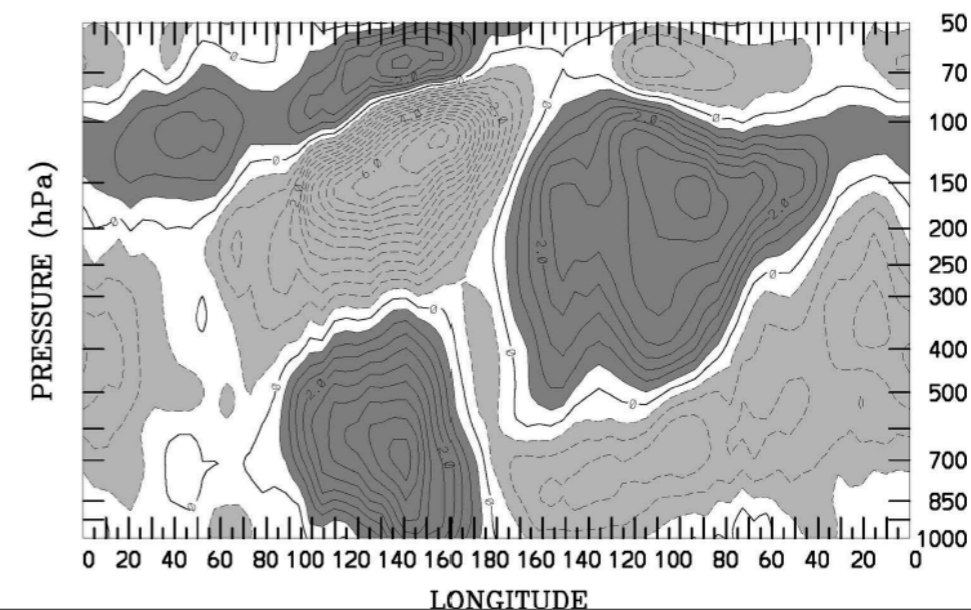
MJO composite: Zonal wind anomalies averaged over [-10 deg , 10 deg]



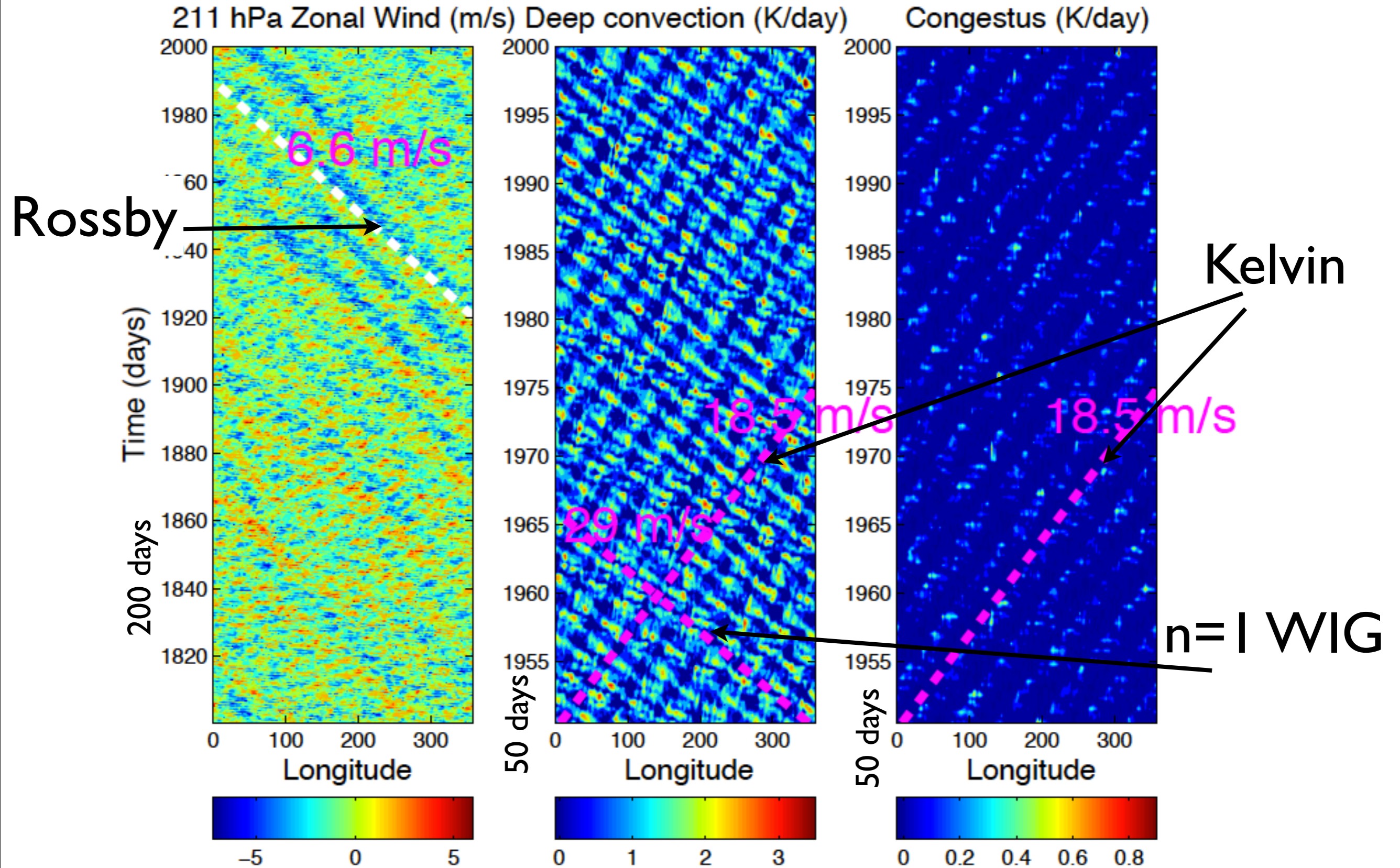
MJO composite: Temperature anomalies



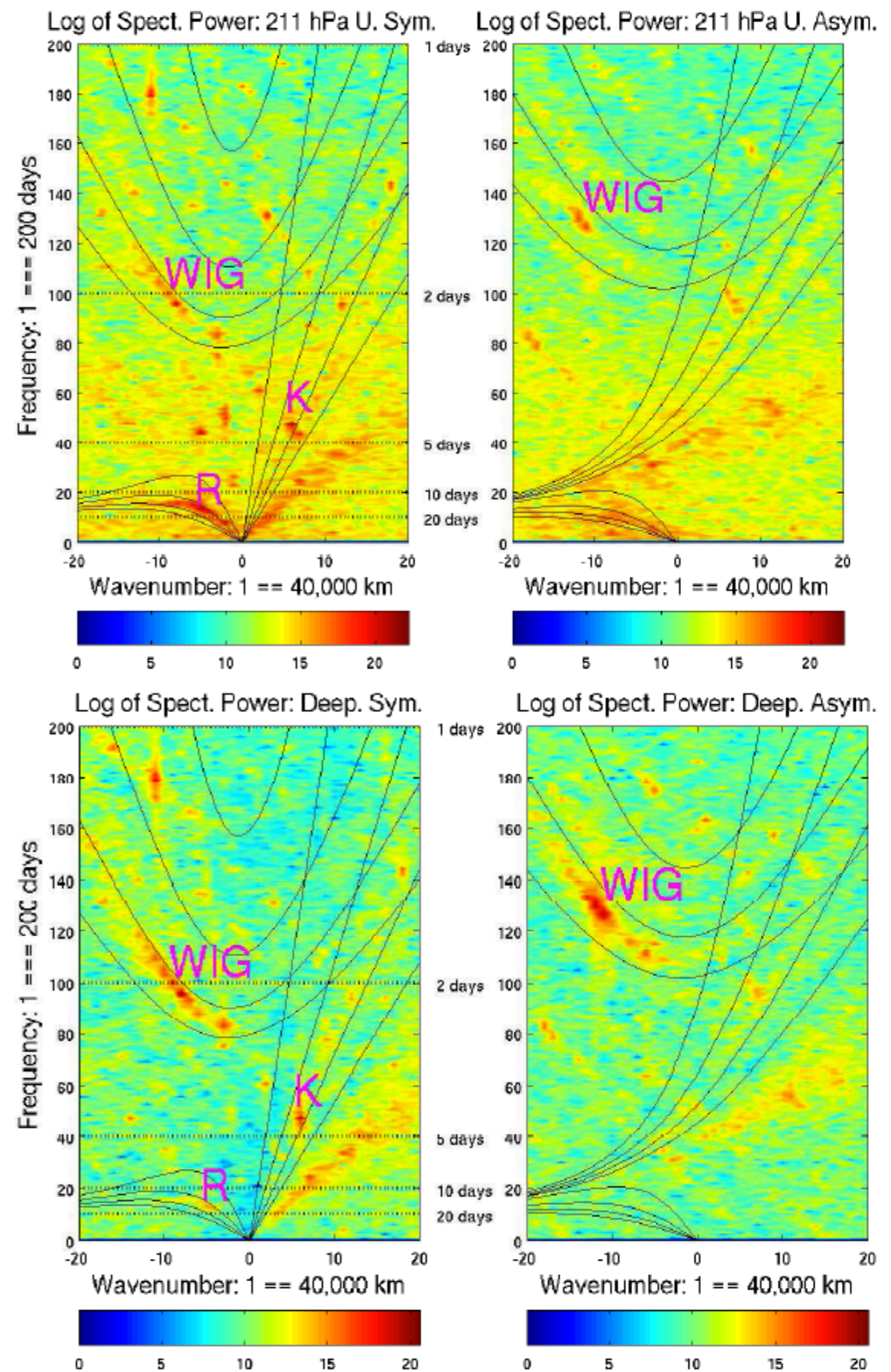
Zonal Wind along Equator



Convectively Coupled Waves Regime



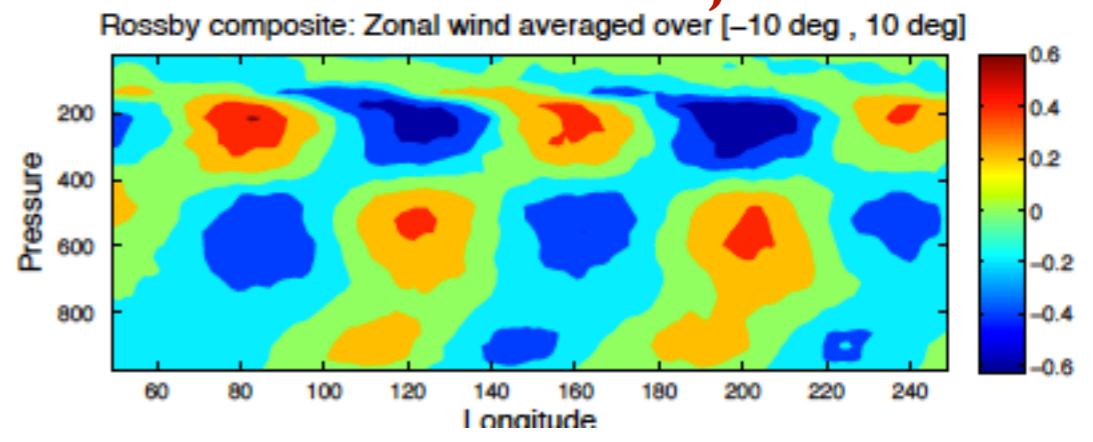
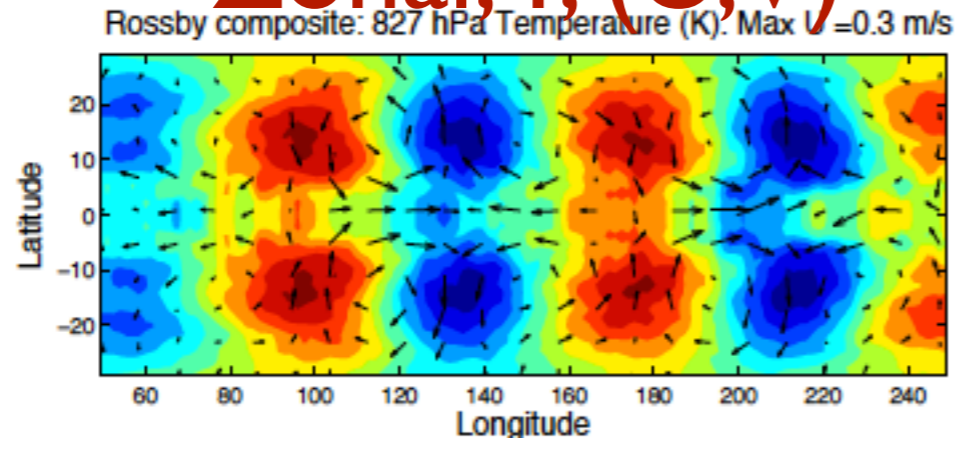
- Rossby (& Kelvin) waves dominate Zonal wind power
- $n=1$ WIG waves dominate the power of deep convection
- Rossby and Kelvin waves are large-scale envelopes of WIG waves
- WIG waves play role of MCS's at such coarse resolution



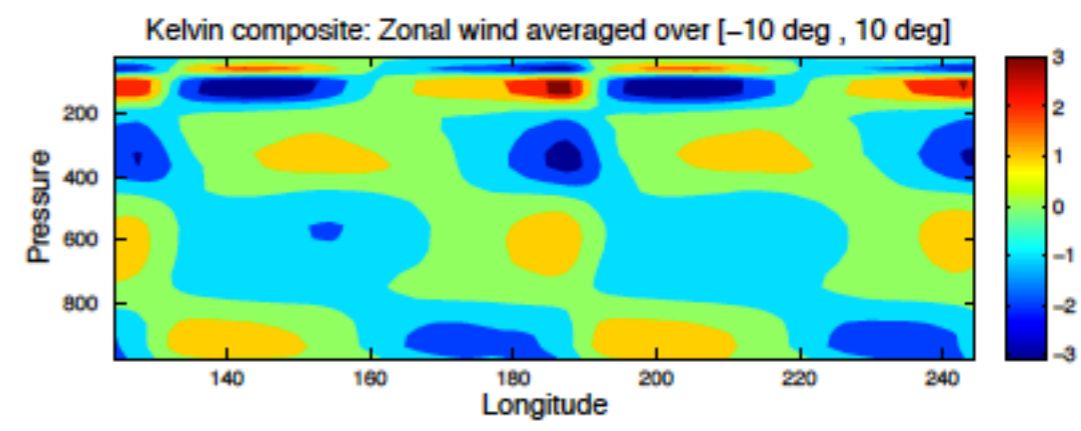
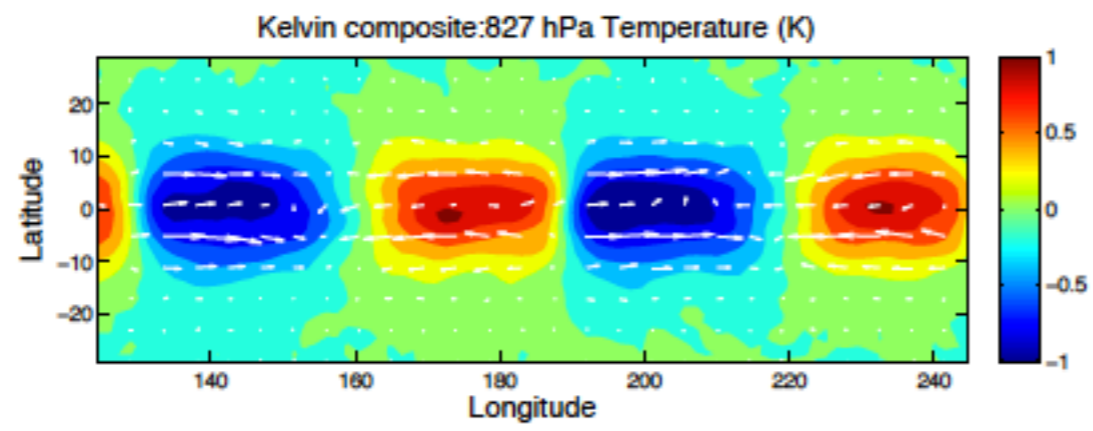
Zonal, T, (U,V)

Vertical, U

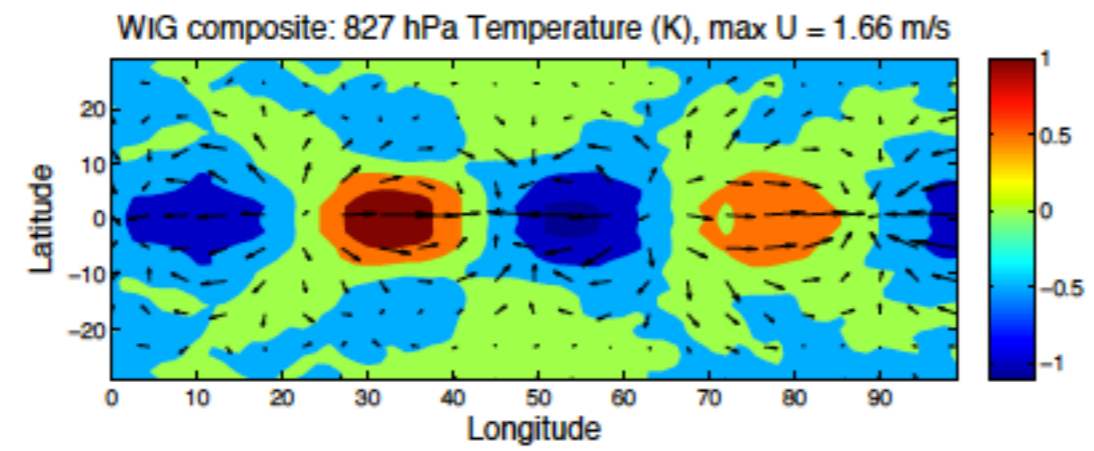
Rossby



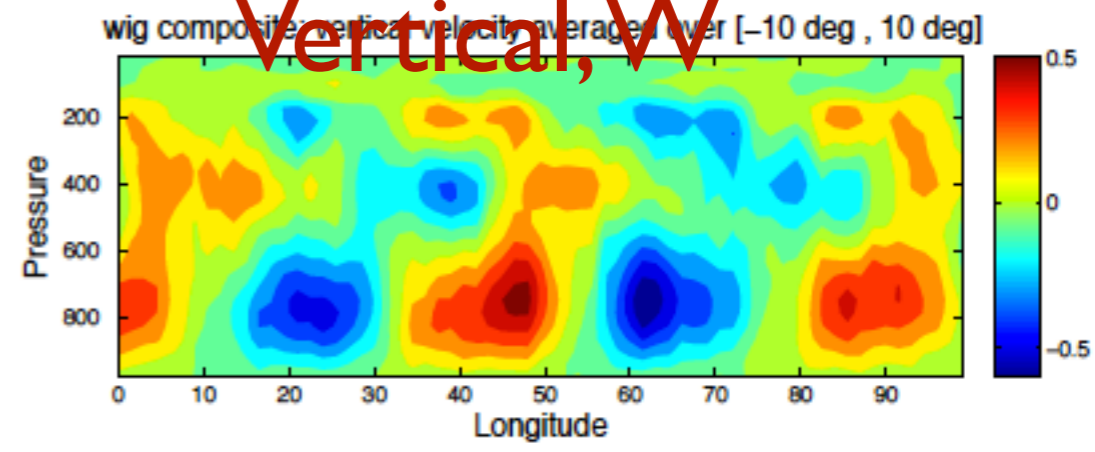
Kelvin



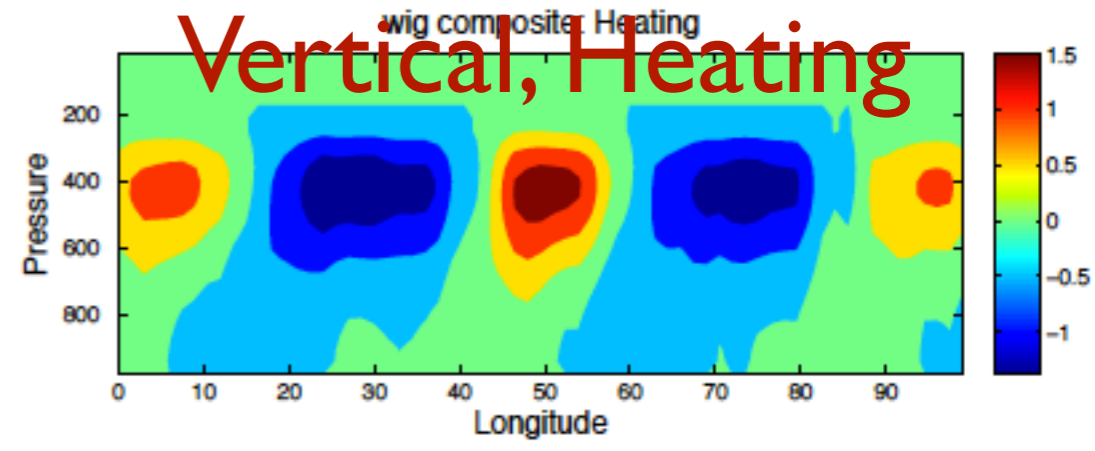
n=1
WIG



Vertical, W

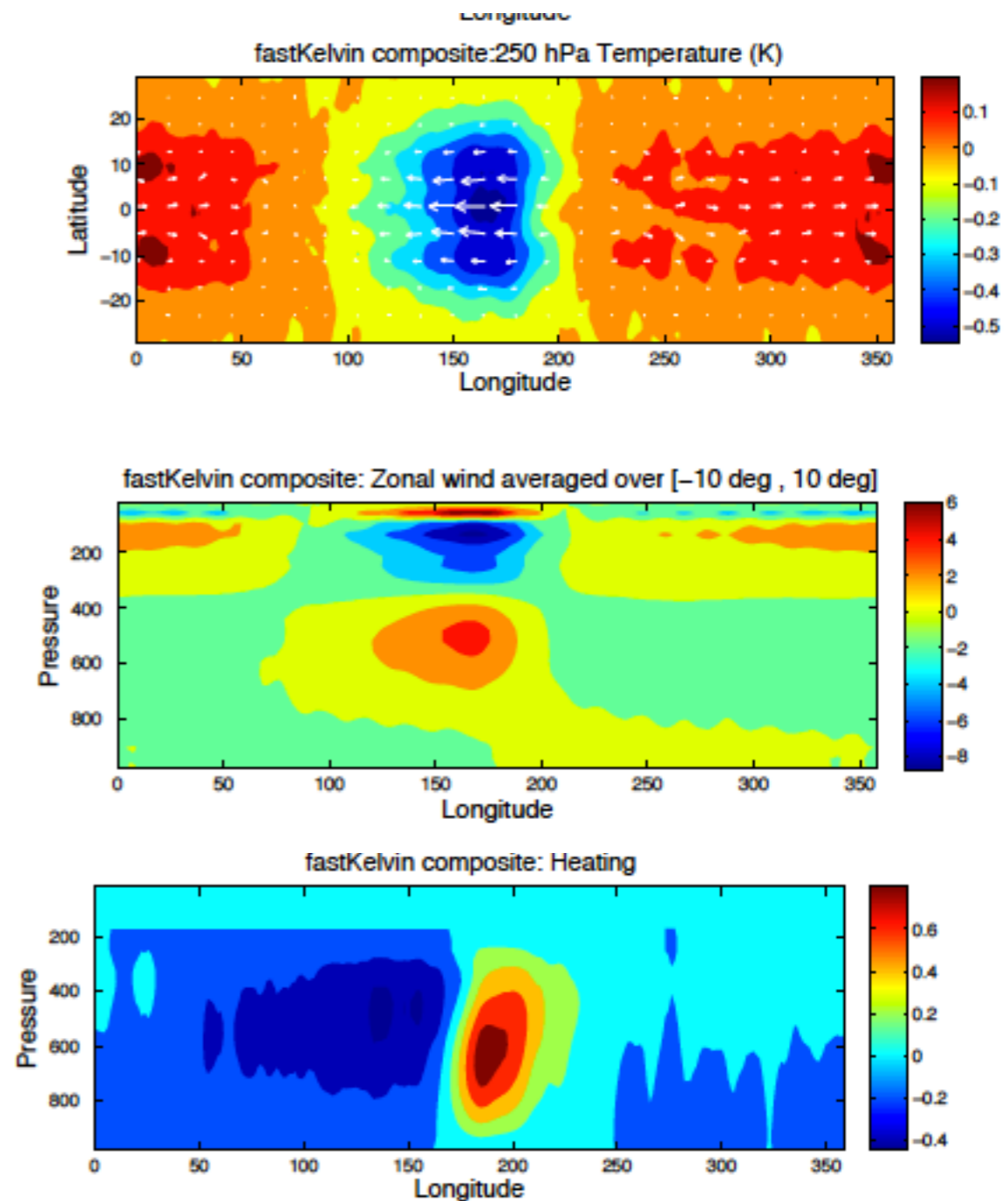
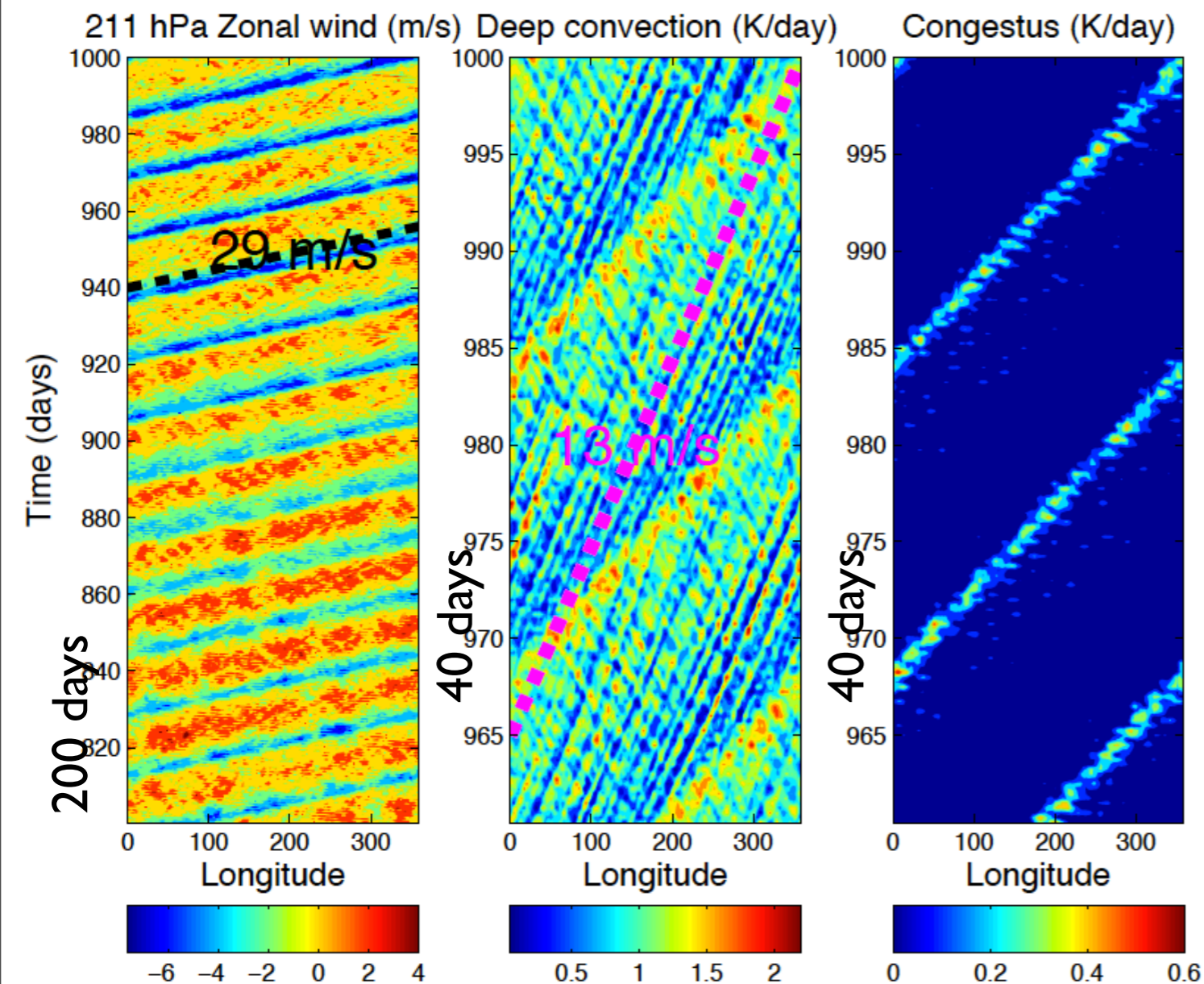


Vertical, Heating



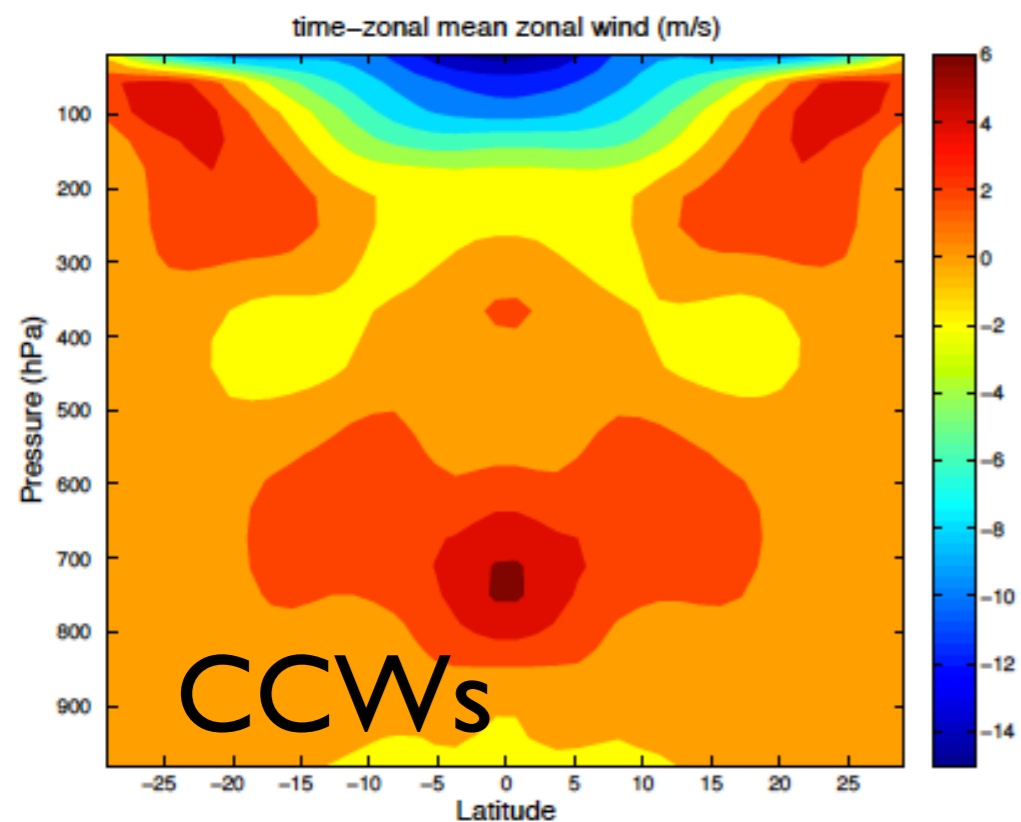
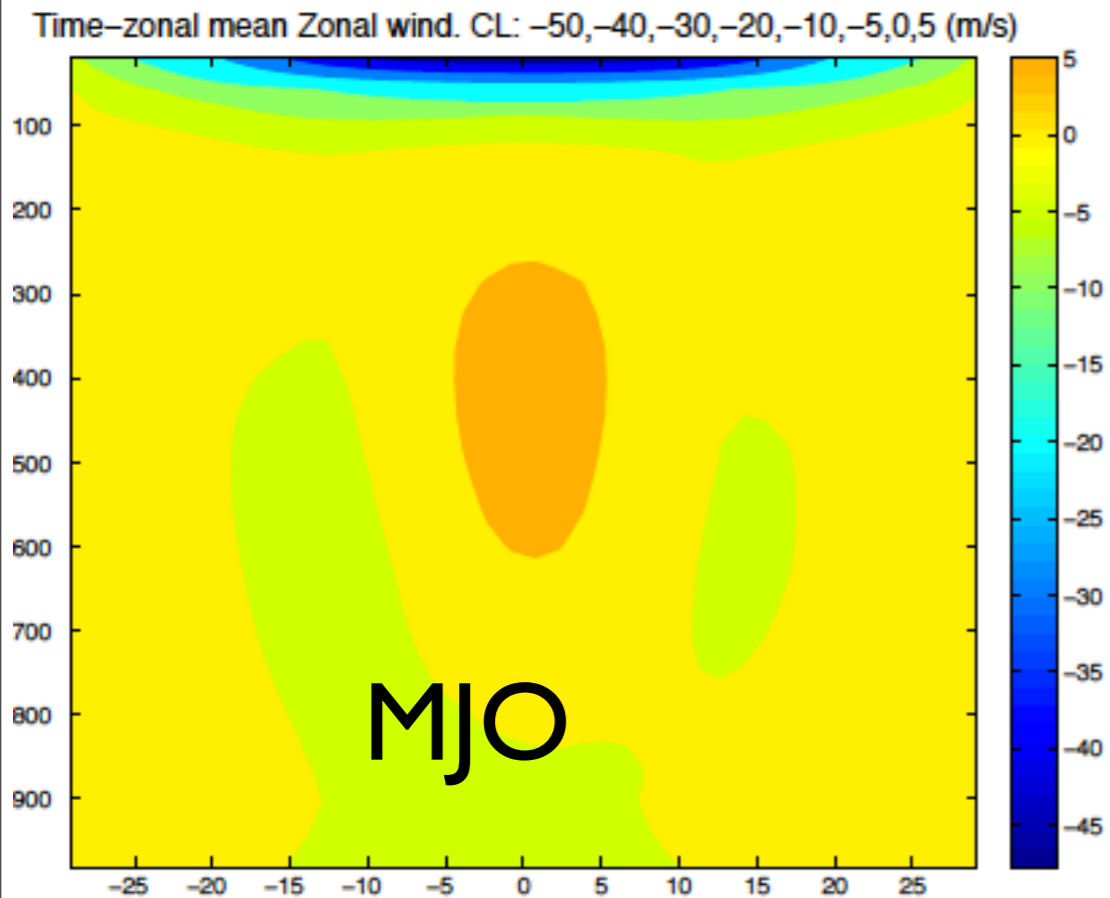
Tilt in WIG important for CMT that drives Rossby waves

Fast Kelvin Wave--Example of Bad MJO simulation



Congestus driving 2nd baroclinic Kelvin wave! Strong jet in mid-troposphere, low-level heating, tilted in wrong direction!

Mean Climatology & Superrotation



- ➔ MJO creates mean state that allows it to propagate.
- ➔ MJO as Gill response to moving heat source as in Biello&Majda's kinematic model (2005).
- ➔ Mean westerlies is due to MJO induced super-rotation (Biello, Majda& Moncrieff 2007).
- ➔ CCWs superrotation has amore barotropic westerly wind, weak in mid-to-upper troposphere. No MJO signal.

Summary & Concluding Remarks

- Simulations of tropical convective systems in HOMME with simple multcloud model
 - Multcloud model based on three cloud types, designed to capture key features of CCW's
 - Multcloud model coupled to GCM through clever use of vertical normal modes
 - Simulations in 3 different parameter regimes: MJO, CCWs,
 - Moisture vertical flux & Stratiform fraction are key param
 - If such regimes exist in nature, what sets transitions?
 - Shortcomings: Imposed vertical profiles & moisture background, fixed stratiform fraction
- ➔ Multcloud ideas easily extensible into comprehensive parametrization---under consideration



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Thank

you!